

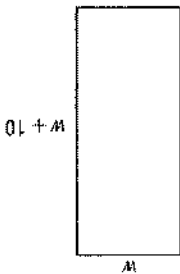
**Word Problem Practice ( Solving Linear Equations ) Sept 14<sup>th</sup>, 2020, 5<sup>th</sup> day**

Show all your steps

**1. AGES** Robert's father is 5 years older than 3 times Robert's age. Let Robert's age be denoted by  $R$  and let Robert's father's age be denoted by  $F$ . Write an equation that relates Robert's age and his father's age.

**2. AIRPLANES** The Citation Sovereign is a small jet that can carry up to 2650 pounds. The number of passengers  $p$  and the number of suitcases  $c$  that the airplane can carry are estimated by the equation  $180p + 60c = 2650$ . If 10 people board the aircraft, how many suitcases can the airplane carry?

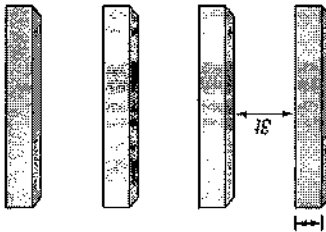
**3. GEOMETRY** The length of a rectangle is 10 units longer than its width. If the total perimeter of the rectangle is 44 units, what is the width?



**4. SAVINGS** Jason started with  $d$  dollars in his piggy bank. One week later, Jason doubled the amount in his piggy bank. Another week later, Jason was able to add \$20 to his piggy bank. At this point, the piggy bank had \$50 in it. What is  $d$ ?

**5. DOMINOES** Nancy is setting up a train of dominos from the front entrance straight down the hall to the kitchen entrance. The thickness of each domino is  $t$ . Nancy places the dominos so that the space separating consecutive dominos is  $3t$ . The total distance that  $N$  dominos takes up is given by

$$d = t(4N + 1).$$



a. Nancy measures her dominos and finds that  $t = 1$  centimeter. She measures the distance of her hallway and finds that  $d = 321$  centimeters. Rewrite the equation that relates  $d$ ,  $t$ , and  $N$  with the given values substituted for  $t$  and  $d$ .

b. How many dominos did Nancy have in her hallway?

6) Joan can paint a house in 11 hours. If Sandy helps, it takes them hours. Without help, how long would it take Sandy to finish this job?

7) For Dan, it takes 6 hours to paint a room. However, Mary takes 10 hours to do the same thing. If working together, how long would they take?

8) Joan can mop the store in 5 hours. If Tom helps, it takes them 2 hours. Without help, how long would it take Tom to complete this job?

# Study Guide (Solving Linear Inequalities), sep 15<sup>th</sup>, 6<sup>th</sup> day

One-Step Inequalities The following properties can be used to solve inequalities.

|                                                                                                                                                                                                                                                                                                                                                                  |                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                   |
|------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|-------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|
| <p><b>Addition and Subtraction Properties for Inequalities</b></p> <p>For any real numbers <math>a</math>, <math>b</math>, and <math>c</math>:</p> <p>If <math>a &lt; b</math>, then <math>a + c &lt; b + c</math> and <math>a - c &lt; b - c</math>.</p> <p>If <math>a &gt; b</math>, then <math>a + c &gt; b + c</math> and <math>a - c &gt; b - c</math>.</p> | <p><b>Multiplication and Division Properties for Inequalities</b></p> <p>For any real numbers <math>a</math>, <math>b</math>, and <math>c</math>, with <math>c \neq 0</math>:</p> <p>If <math>c</math> is positive and <math>a &lt; b</math>, then <math>ac &lt; bc</math> and <math>\frac{a}{c} &lt; \frac{b}{c}</math>.</p> <p>If <math>c</math> is positive and <math>a &gt; b</math>, then <math>ac &gt; bc</math> and <math>\frac{a}{c} &gt; \frac{b}{c}</math>.</p> <p>If <math>c</math> is negative and <math>a &lt; b</math>, then <math>ac &gt; bc</math> and <math>\frac{a}{c} &gt; \frac{b}{c}</math>.</p> <p>If <math>c</math> is negative and <math>a &gt; b</math>, then <math>ac &lt; bc</math> and <math>\frac{a}{c} &lt; \frac{b}{c}</math>.</p> |
|------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|-------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|

These properties are also true for  $\leq$  and  $\geq$ .

**Example 1:** Solve  $2x + 4 > 36$ .

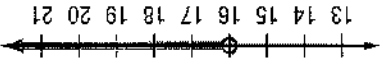
Graph the solution set on a number line.

$$2x + 4 - 4 > 36 - 4$$

$$2x > 32$$

$$x > 16$$

The solution set is  $\{x \mid x > 16\}$ .

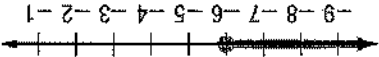


$$17 - 3w - 17 \geq 35 - 17$$

$$-3w \geq 18$$

$$w \leq -6$$

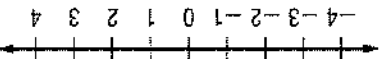
The solution set is  $\{w \mid w \leq -6\}$ .



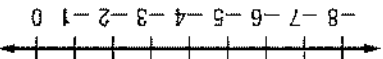
**Example 2:** Solve  $17 - 3w \geq 35$ .

Graph the solution set on a number line.

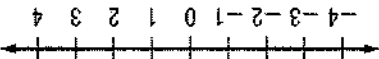
$$1. \ 7(7a - 9) \leq 84$$



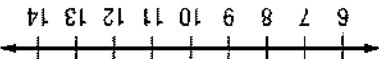
$$4. \ 18 - 4k < 2(k + 21)$$



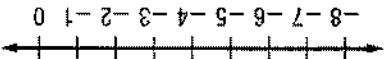
$$2. \ 3(9z + 4) > 35z - 4$$



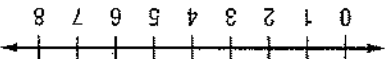
$$5. \ 4(b - 7) + 6 < 22$$



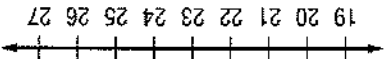
$$3. \ 5(12 - 3n) < 165$$



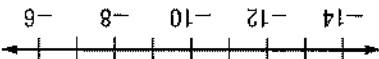
$$6. \ 2 + 3(m + 5) \geq 4(m + 3)$$



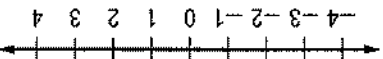
$$9. \ 2.5d + 15 \leq 75$$



$$8. \ \frac{1}{3}(2y - 3) > y + 2$$



$$7. \ 4x - 2 > -7(4x - 2)$$



# 1-2 Study Guide *(continued)*

## Solving Linear Inequalities

**Multi-Step Inequalities** An inequality is a statement that involves placing the inequality sign between two expressions. In order to solve the inequality, you need to find the set of all the values of the variable that makes the inequality true.

**Example: GAMES** After three quarters of the season has past, the Tigers have won 48 out of 72 games. How many of the remaining games must they win in order to win more than 70% of all their games this season?

### Understand

Let  $x$  be the number of remaining games that the Tigers must win. The total number of games they will have won by the end of the season is  $48 + x$ . They should win at least 70% of their games. If 72 games is three quarters of the season, then the entire season is  $72 \div \frac{3}{4}$  or 96 games.

### Plan

$$\frac{48+x}{96} > 0.7$$

### Solve

$$\frac{48+x}{96} > 0.7$$

$$48 + x > 0.7(96)$$

$$48 + x > 67.2$$

$$x > 19.2$$

Subtract 48 from each side.

Simplify.

Multiply each side by 96.

Original Inequality

The Tigers have to win 20 or more games.

### Exercises

Solve each inequality. Then graph the solution set on a number line.

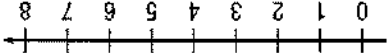
1.  $c \geq \frac{c+4}{3}$



2.  $r + 7 < 3(2r - 6)$



3.  $3h < \frac{2h+26}{5}$

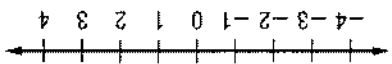


4. Jim makes \$8.50 an hour. Each week, 26% of his total pay is deducted for taxes. How many hours does Jim have to work if he wants his take-home pay to be at least \$300 per week? Write and solve an inequality for this situation.

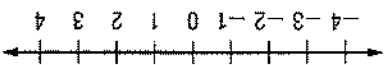
# Practice ( Solving Linear Inequalities ), sep 16<sup>th</sup>, 7<sup>th</sup> day

Solve each inequality. Then graph the solution set on a number line.

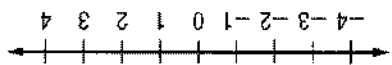
1.  $8x - 6 \geq 10$



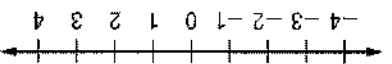
3.  $-16 - 8r \geq 0$



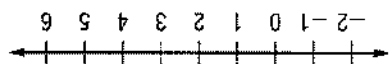
5.  $9x - 11 > 6x - 9$



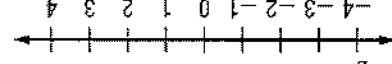
7.  $1 - 8u \leq 3u - 10$



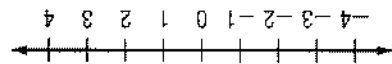
9.  $9(2r - 5) - 3 < 7r - 4$



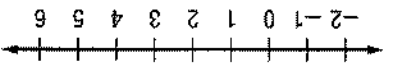
11.  $\frac{4x-3}{2} \geq -3.5$



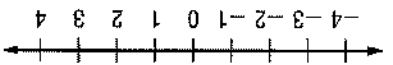
13.  $-36 - 2(w + 77) > -4(2w + 52)$



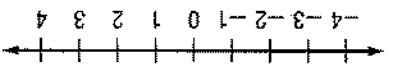
2.  $23 - 4u < 11$



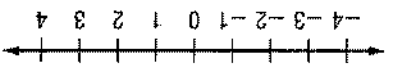
4.  $14c < 9c + 5$



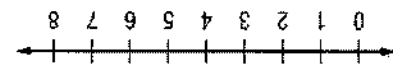
6.  $-3(4w - 1) > 18$



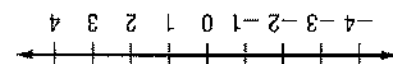
8.  $17.5 < 19 - 2.5x$



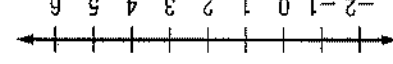
10.  $1 + 5(x - 8) \leq 2 - (x + 5)$



12.  $q - 2(2 - q) \leq 0$



14.  $4n - 5(n - 3) > 3(n + 1) - 4$



Define a variable and write an inequality for each problem. Then solve.

15. Twenty less than a number is more than twice the same number.

16. Four times the sum of twice a number and  $-3$  is less than  $5.5$  times that same number.

17. **HOTELS** The Lincoln's hotel room costs \$90 a night. An additional 10% tax is added. Hotel parking is \$12 per day. The Lincoln's expect to spend \$30 in tips during their stay. Solve the inequality  $90x + 90(0.1)x + 12x + 30 \leq 600$  to find how many nights the Lincoln's can stay at the hotel without exceeding total hotel costs of \$600.
18. **BANKING** Jan's account balance is \$3800. Of this, \$750 is for rent. Jan wants to keep a balance of at least \$500. Write and solve an inequality describing how much she can withdraw and still leave enough for rent and a \$500 balance.

# Rate of Change and Slope

1.3

NAME \_\_\_\_\_

DATE \_\_\_\_\_

PERIOD \_\_\_\_\_

Sep 17th: 2020

## What You'll Learn

Skim the lesson. Write two things you already know about rate of change and slope.

1.

2.

## Active Vocabulary

**Review Vocabulary** Write the definition of the word *ratio* and list three ways that a ratio can be expressed. By scanning ahead, how are ratios expressed in this lesson?

rate of change ▶

slope ▶

**New Vocabulary** Write the definition next to each term.

## Rate of Change

Complete the tables so that Table A has a rate of change of 30 people per year and Table B has a rate of change of  $-3.2$  inches per minute.

Table A

| Year | People |
|------|--------|
| 0    |        |
| 4    | 125    |
| 5    |        |
| 8    |        |

Table B

| Minutes | Inches |
|---------|--------|
| 1       |        |
| 2       |        |
| 4       | 38.6   |
| 7       |        |

Slope

Use each of the indicated methods to calculate the slope of the line described.

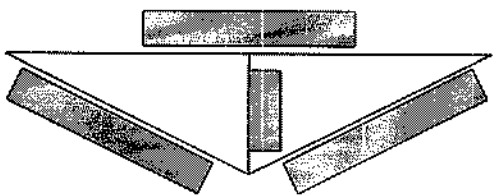
a line that passes through the points  $(-1, 4)$  and  $(3, -2)$

|                                                               |                                                               |                                                                 |
|---------------------------------------------------------------|---------------------------------------------------------------|-----------------------------------------------------------------|
| Use $(-1, 4)$ as $(x_1, y_1)$ and $(3, -2)$ as $(x_2, y_2)$ . | Use $(3, -2)$ as $(x_1, y_1)$ and $(-1, 4)$ as $(x_2, y_2)$ . | Plot the points to determine $\frac{\text{rise}}{\text{run}}$ . |
|---------------------------------------------------------------|---------------------------------------------------------------|-----------------------------------------------------------------|

Did you get the same slope all three times?

## Helping You Remember

Label the shaded boxes in the diagram as a pictorial reminder of negative, positive, zero, and undefined slope.



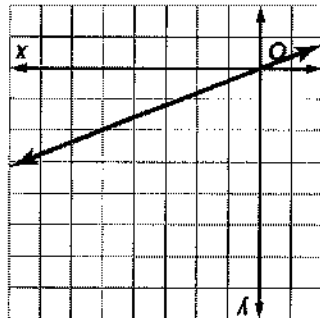
# Skills Practice (Rate of Change and Slope), Sept 18<sup>th</sup>, 9<sup>th</sup> day

Show all your work, Use separate sheet of paper if needed.

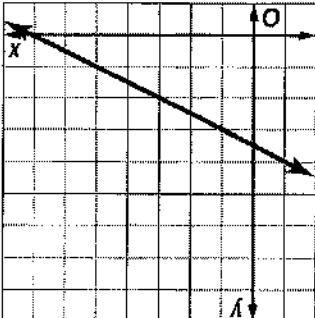
Find the slope of the line that passes through each pair of points.

1.  $(1, 5), (-1, -3)$
2.  $(0, 2), (3, 0)$
3.  $(1, 9), (0, 6)$
4.  $(8, -5), (4, -2)$
5.  $(-3, 5), (-3, -1)$
6.  $(-2, -2), (10, -2)$
7.  $(4, 5), (2, 7)$
8.  $(-2, -4), (3, 2)$
9.  $(5, 2), (-3, 2)$

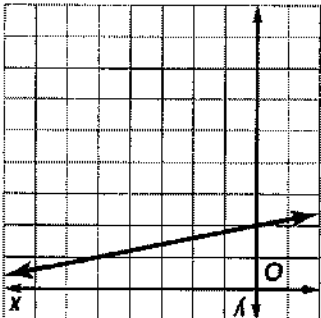
Determine the rate of change of each graph.



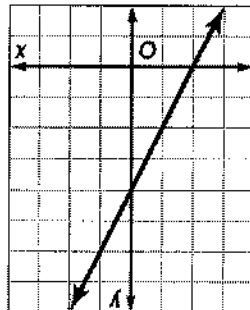
10.



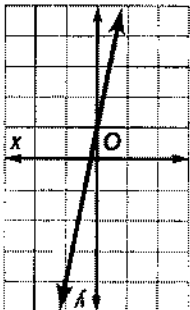
11.



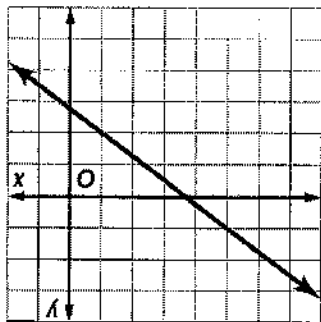
12.



13.



14.



15.

16. **HIKING** Naomi left from an elevation of 7400 feet at 7:00 A.M. and hiked to an elevation of 9800 feet by 11:00 A.M. What was her rate of change in altitude?

Sept 18<sup>th</sup>, 9<sup>th</sup> day

Chapter 1

Algebra 2

Find the slope and y- intercept of each equation

1.  $Y = 2x + 3$

4.  $Y = 1/2x - 5$

2.  $Y = -4x - 10$

5.  $Y = -2$

3.  $Y = -5x$

6.  $Y = 4x + 5$

Write the following equations in slope intercept form and find slope.

1.  $x + 2y = 5$

2.  $2x - y = 10$

3.  $x + y = 3$

4.  $-x - 4y = 6$

5.  $7x + 10 = 2y$

Show all your work

September 21st, 2020 .... 10th day

Write the slope-intercept form of the equation of each line.

1)  $y - 5 = \frac{4}{7}(x - 4)$

3)  $y - 5 = -5(x + 1)$

5)  $y - 2 = \frac{3}{2}(x - 3)$

7)  $y - 5 = -2(x - 3)$

9)  $y = -(x + 3)$

11)  $y - 1 = -4(x - 3)$

13)  $y + 4 = \frac{2}{5}(x + 2)$

15)  $y - 3 = \frac{5}{8}(x - 5)$

17)  $y + 5 = 6(x + 2)$

19)  $y + 4 = \frac{5}{9}(x + 5)$

2)  $y - 5 = 0$

4)  $y = \frac{5}{3}(x + 3)$

6)  $y - 1 = 0$

8)  $y - 3 = -\frac{5}{7}(x + 5)$

10)  $y - 4 = -\frac{1}{2}(x - 3)$

12)  $y - 1 = -2(x - 2)$

14)  $y + 1 = 4(x - 1)$

16)  $y = -(x + 5)$

18)  $y + 4 = -2(x - 4)$

20)  $y + 4 = 3(x + 1)$

Name \_\_\_\_\_

Date \_\_\_\_\_

Period \_\_\_\_\_

ID: 1

Find the slope and y- intercept of each equation

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