

Unit 1



MOTION



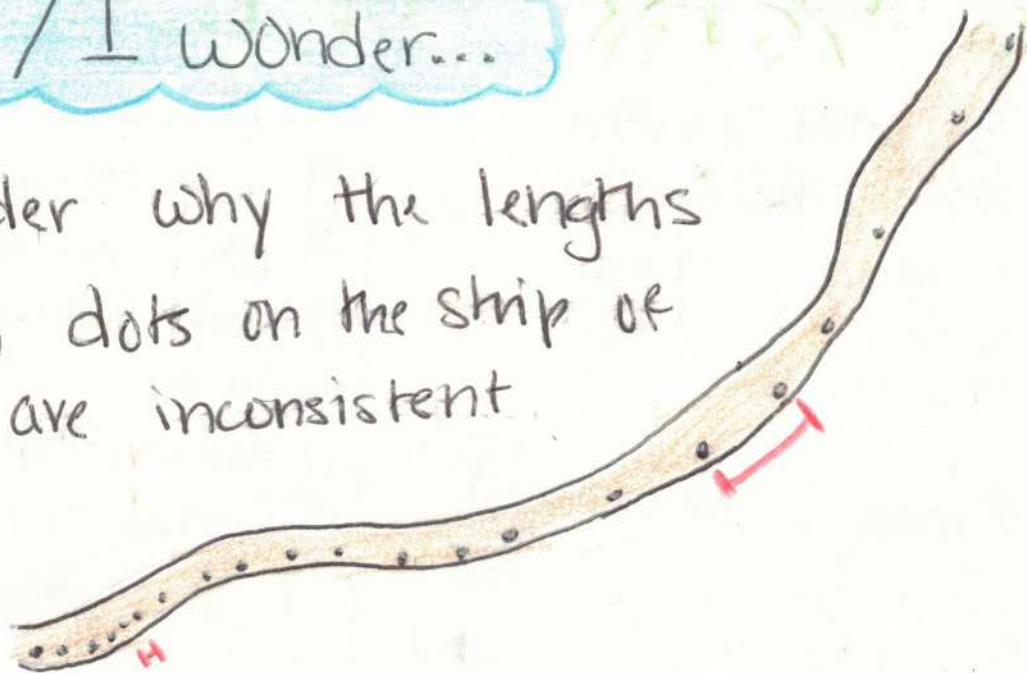
Task:

Prove understanding of basic motion by demonstrating your understanding of relationship btwn the ride you design & motions involved

How Do You Know

I notice / I wonder...

I wonder why the lengths between dots on the strip of paper are inconsistent



What I First think...

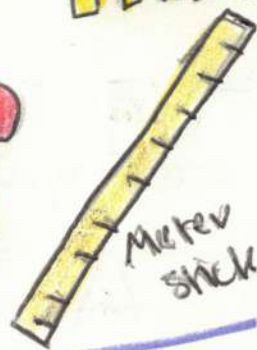
I think that as the weight falls, the paper is moving faster so the dots are more spaced out



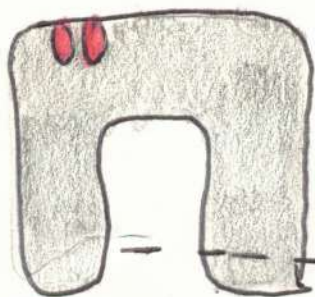
8 What does it look like?

DOCUMENTATION

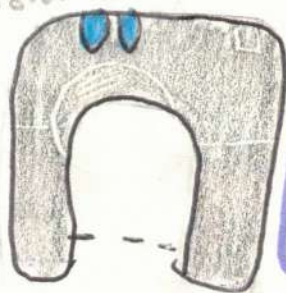
- You must record all times to get accurate results
- You may document times from different ramps, positions, heights, lengths or even just starting or ending points



• Measurements & Distance



Photogate Machine



MOT

CHALLENGES

- Getting a consistent/accurate time

Need :- specific/set set-up (no changes always exact same)
- accurate timer



How does it Change?

KEY INGREDIENTS

ACCELERATION

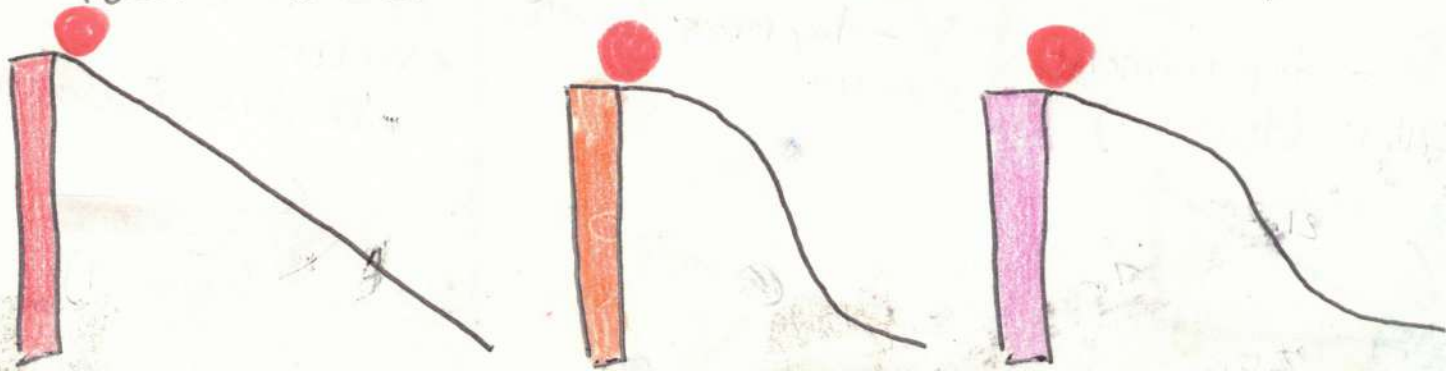
ION

- o Acceleration and deceleration will change the motion of the marble
- o You can alter the ramp to speed it up or slow it down by adding a hump or curve

← Slow 😊

EVERYTHING EQUAL

- Not all accelerations are equal
- Changing the shape of ramps can cause acceleration to change, with some being faster and others slower



LANGUAGE OF MOTION

BEFORE



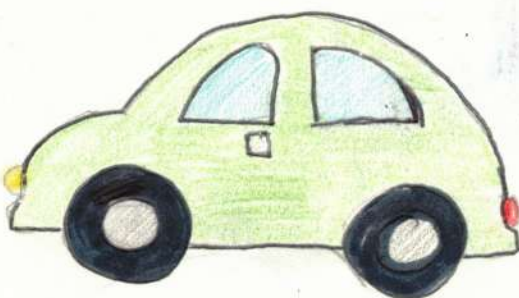
≠ You can see something move from one place to another

Words For Motion (description)

- speed
- location
- stoppe d (not moving)



≠ Motion can be changed when something acts against it



≠ The brakes on a car redirect its motion

AFTER

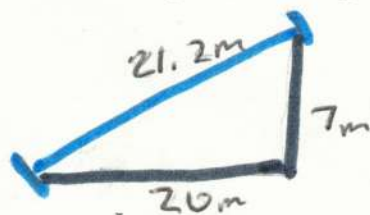


Position → location

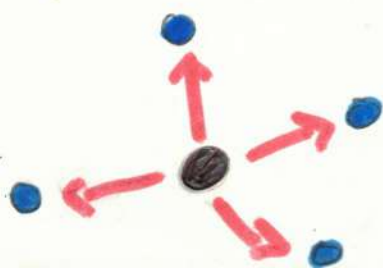
Velocity → change in position over time

Acceleration → change in velocity

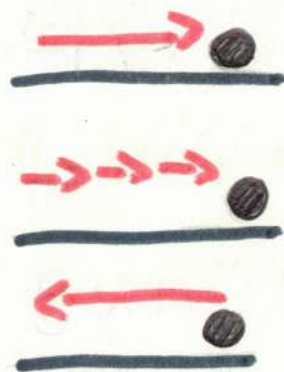
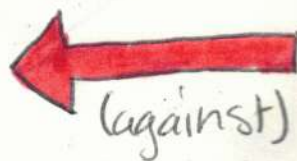
D - displacement
* scalar (distance)



V - describes direction
* vector



A - deceleration
≠ vector
- negative acceleration



Where Are We At?



* slope = speed



Starting point?



End point?

Remember...

Position - where you are

Time - how long it takes

Velocity - how fast

Acceleration - Δ in velocity



Δ in position
= movement

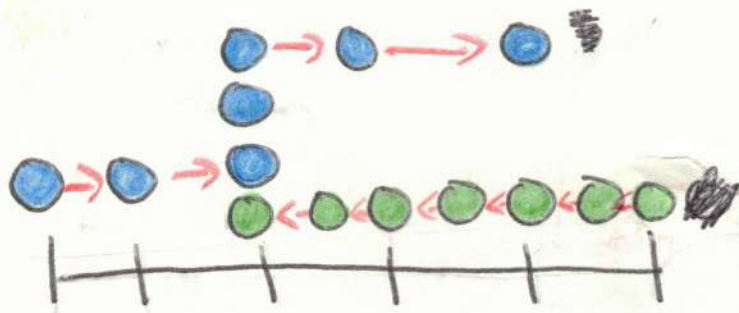
Motion Maps

- indicate motion & direction

• dot for start

• dot for time

• arrow for direction



What do you see?

Blue going right, green going left
Blue stops, green constantly moving

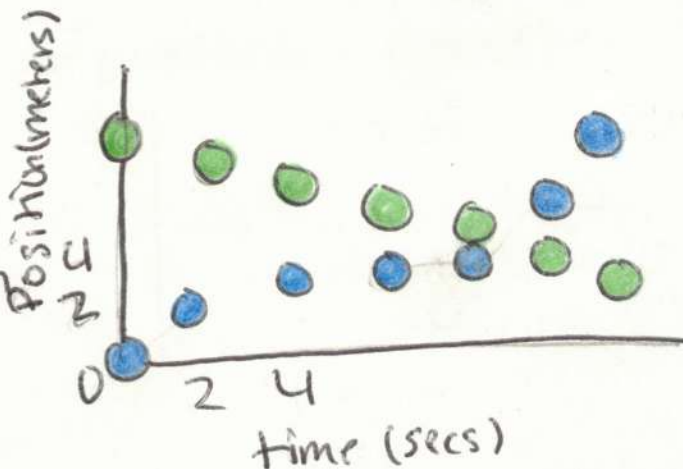
Position Maps

- indicate position & time

• dot's location at every time interval

• line connecting common dots

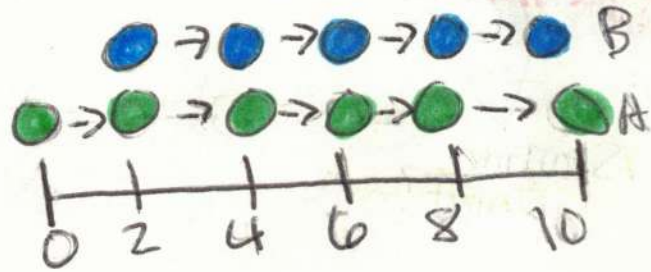
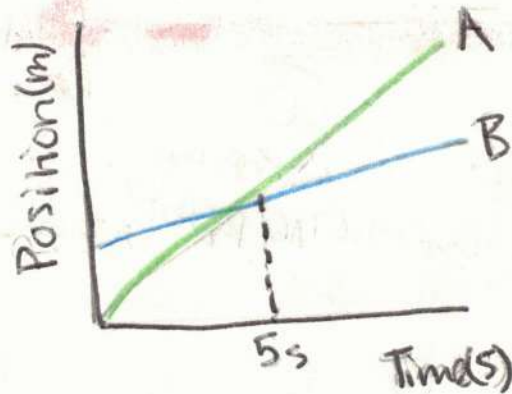
• position vs time



* Green is moving faster in the negative direction (down)

Location Plotted

1.



C. The cyclists do not start at same position

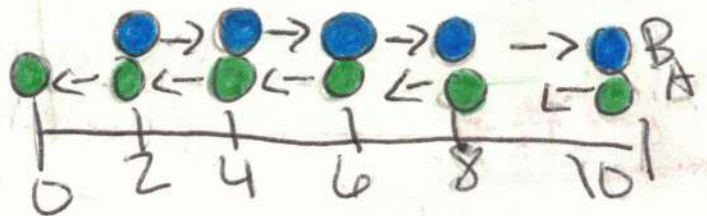
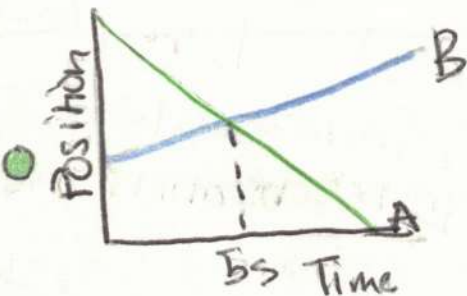
☒ Cyclists A comes from origin
☐ B does not

D. The velocities are equal @ 5 secs b/c the two lines cross at that point

E. Where the lines intersect, they are going the same speed

F.

2.



C. Cyclist A changed b/c it is going in opposite direction.

D. Cyclist A has the greater speed b/c it changes positions at a faster rate.

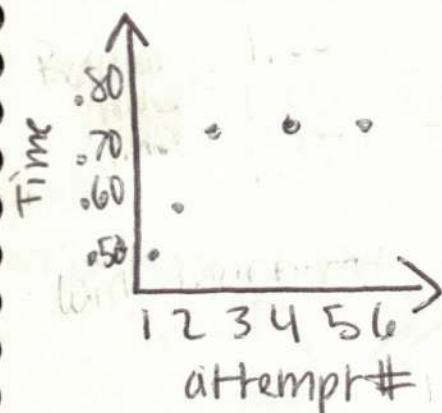
E. Cyclist A traveled the greatest distance because it has a steeper/longer slope.

F. At the intersection the two lines have the same velocity.

NEED FOR SPEED

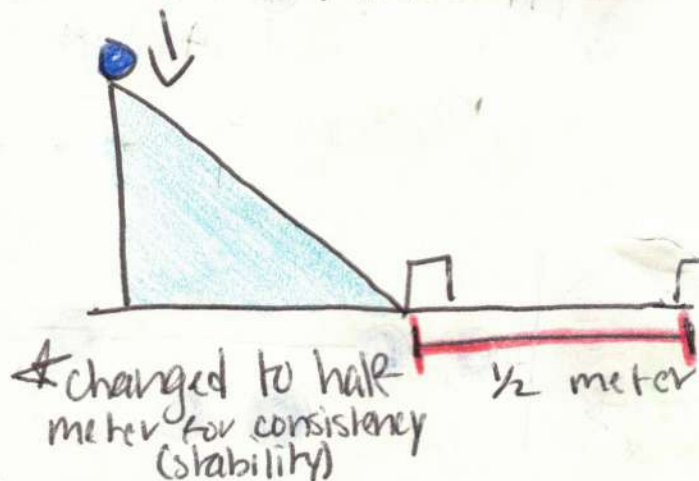
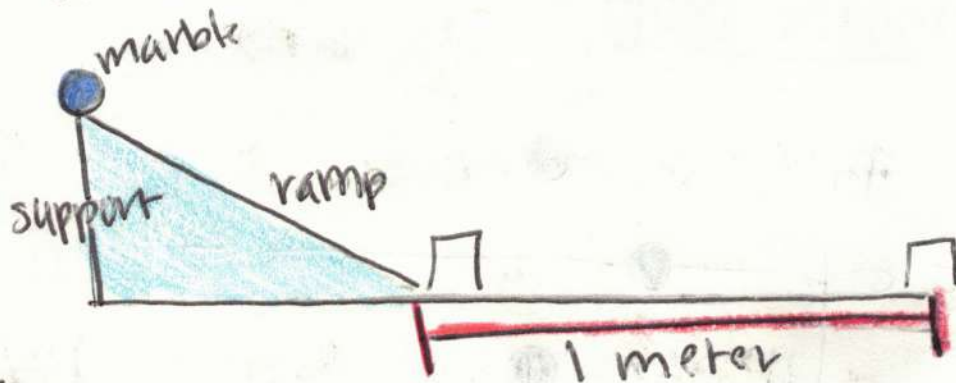
PROBLEM: How can you accurately & consistently measure velocity of an object moving at a fixed value?

EVIDENCE:



Times

.53
.59
.72
.72
.72
.72



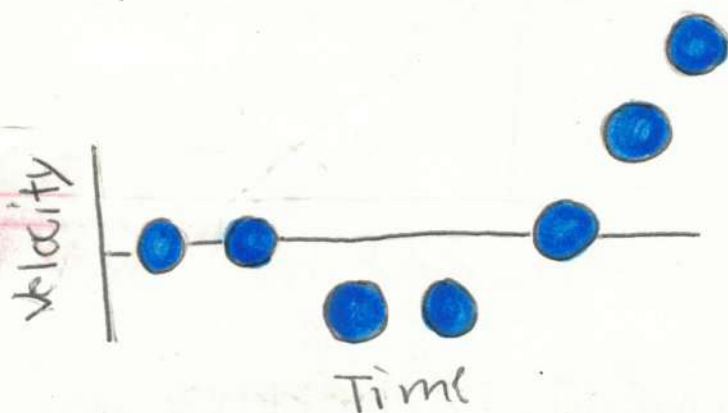
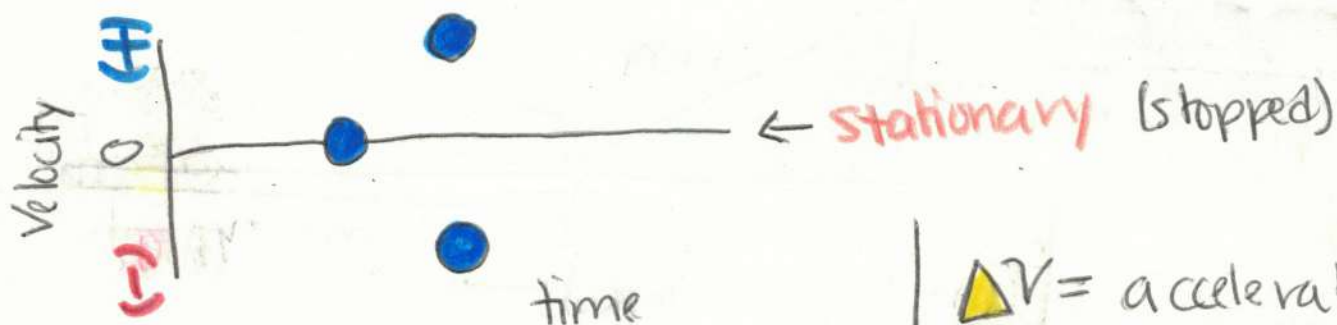
CLAIM: You can accurately and consistently measure the velocity of an object moving at a fixed value by using the EXACT same procedures everytime and having a good timing system.

REASONING: When we attempted to get a consistent time we had difficulties b/c we did not have the most accurate timing system. When we used the machine our times became more consistent due to accuracy. We also had troubles with making sure we used the same procedures each time. When we stabilized our ramp properly and used the same procedures we got more consistent times.

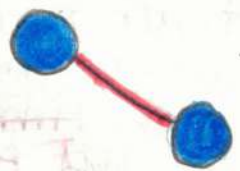
How Fast Are We Going?

We have Motion, Position **AND**... Velocity Map

Velocity Map



 = constant velocity

 = Negative slope (slowing down or reverse direction)

 = Positive slope (speeding up or positive direction)

$\Delta V = \text{acceleration}$

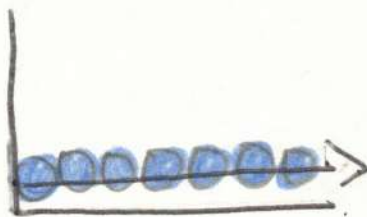
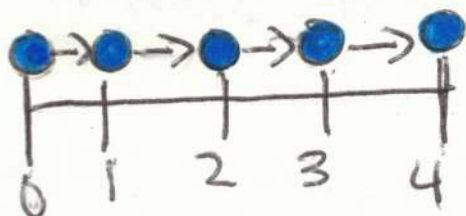
Slope $\pm$ = acceleration


Flat line = 0 to no acceleration

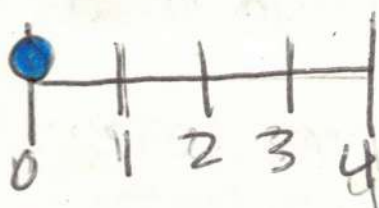


Mapping Motion

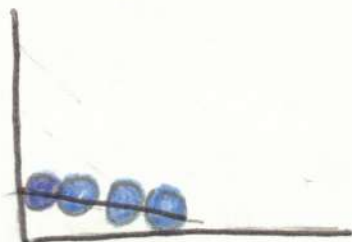
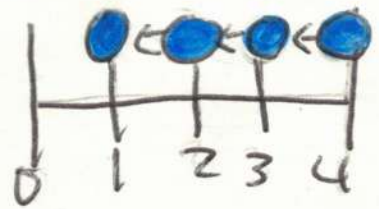
1. A ball is travelling at a constant speed away from the origin.



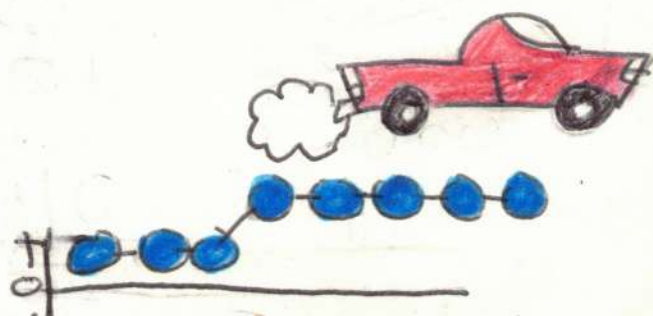
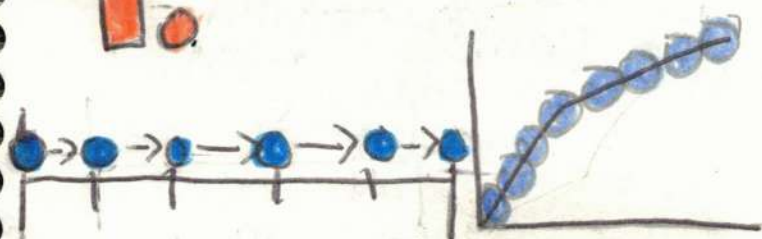
2. A car is stopped at a red light waiting for it to turn green.



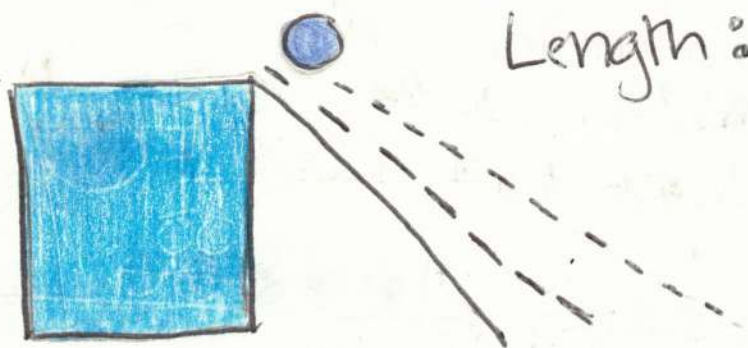
3. A person walks steadily towards the origin & stops before reaching it.



4. A car moves away from red light at constant acceleration for 3 secs & then proceeds at higher acceleration for 5 secs & continues at constant velocity.



SPEEDING UP



Length:

→ .0107, .0105, .0103

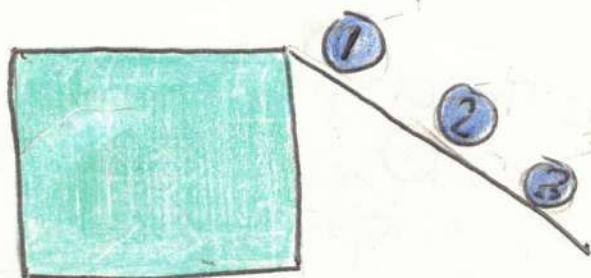
→ .0099, .0098, .0105

→ .0095, .0095, .0099

Low: .0130, .0116, .0122

Medium: .0097, .0092, .0086

High: .0091, .0082,
.0080



Position 1: .0099, .0095, .0092

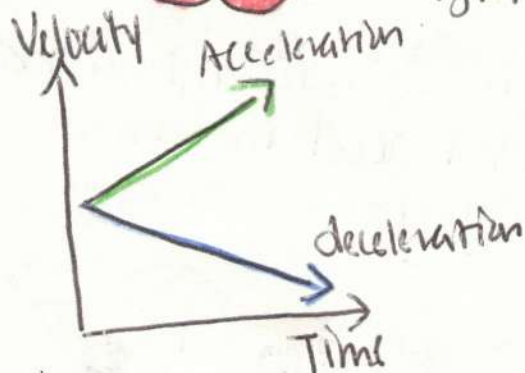
Position 2: .0109, .0111, .0117

Position 3: .0101, .0088, .0086

Variables

• length of ramp
• height of ramp

• starting point
on the ramp



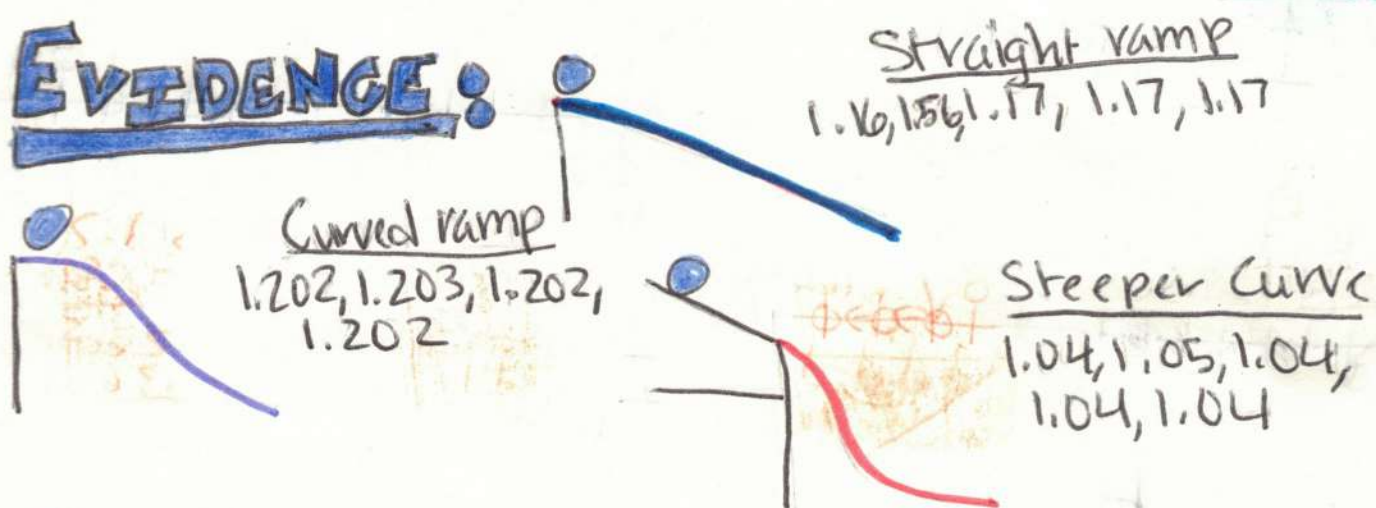
Length: change in length caused acceleration
Height: change in height caused acceleration
Position: change in position causes both acceleration & deceleration

Racing Ramps



QUESTION: What effect do the ramps have and is there more than one way to bend the ramp?

EVIDENCE:



CLAIM:

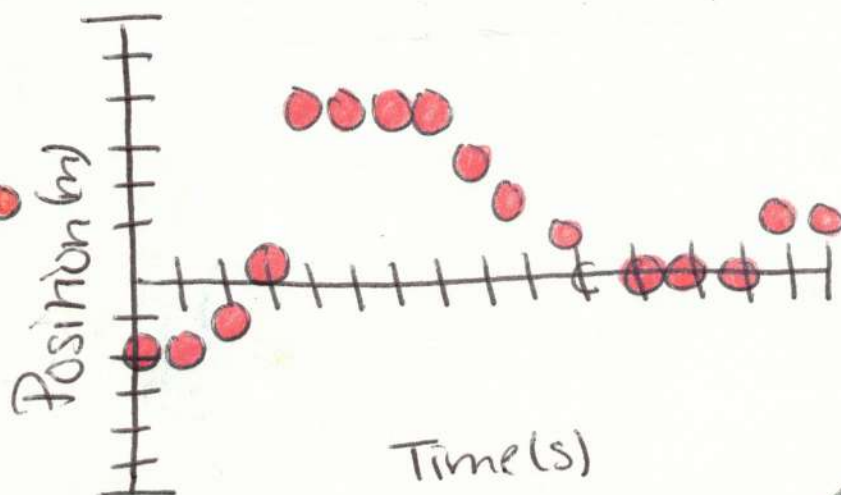
The ramps cause a change in speed and how long it takes the ball to get from point A to point B. There are multiple ways to bend the ramp.

REASONING:

For our lab we tested 3 ramps: a straight one, curved, and then a steeper curve. The steeper curve had the fastest times, then the straight ramp and the regular curve was the slowest. The steepness of the curve caused the marble to go faster, but the moderate curve did the opposite; it slowed the ball down. We used paper for our ramp, which allowed us to bend it and alter its curvature.

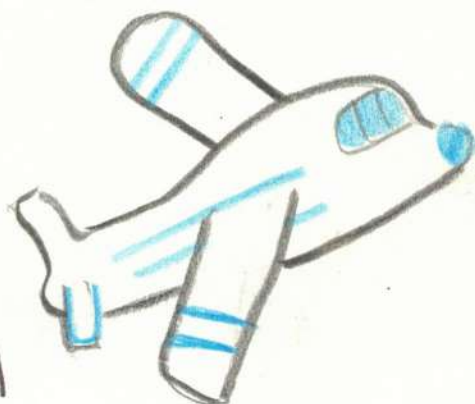
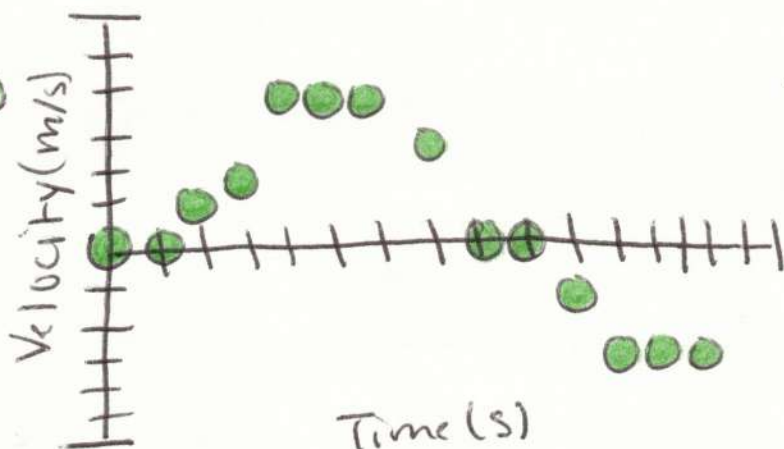
Piecing It All Together

1.



The car slows down and suddenly accelerates to maintain a constant speed^(over). Then it slows down as it comes to red light for a complete stop^(3secs); it accelerates when the light turns green.

2.

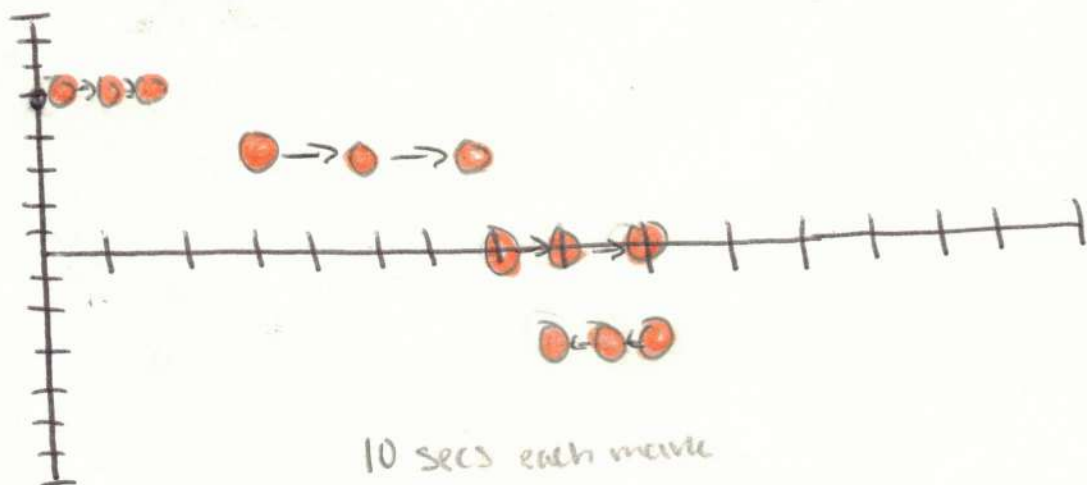


A plane is getting ready for takeoff^{a test run}. It accelerates to take off and maintains a constant speed before decelerating quickly for landing.



A person is going for a run. They run at a constant speed ^(3 m/s) then stops and continues at a constant slower pace ^(2 m/s). They stop and continue at another decelerated pace for 3 seconds and take a rest and continue at a constant speed in the opposite direction.

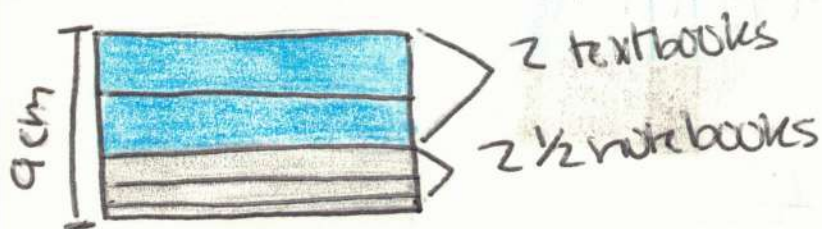
4.



A person stopped at a crosswalk, as the light turns green they walk quickly at $.5 \text{ m/s}$ for 15 s across the street. When they reach the other side they slow down $.2 \text{ m/s}$ and continue walking down the street for 50 s . As they reach the news stand they stop to talk to a friend for 30 s and then turn down street at $.4 \text{ m/s}$ for 25 s to get back to red light.

SUMMATIVE TASK

Marble Diameter :  .0165m $\Rightarrow$.0165m
— sec



Prediction for 9cm:

$$v = 1.58 \text{ m/s}$$

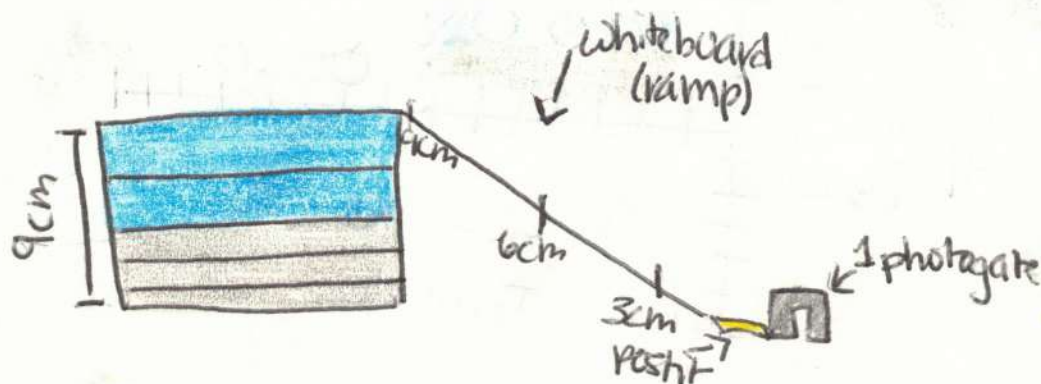
$$t = .0100$$

$$b/c \Rightarrow 1.22$$

$$- .86$$

$$+ .36$$

$$1.58$$



3cm: .0194, .0191, .0191, .0189, .0188, .0190 = .0191m

6cm: .0137, .0136, .0134, .0134, .0133 = 1.22m/s
(3% error)

9cm: .0113, .0112, .0115, .0114 = 1.45m/s

Result

1.45m/s

Prediction

1.58m/s

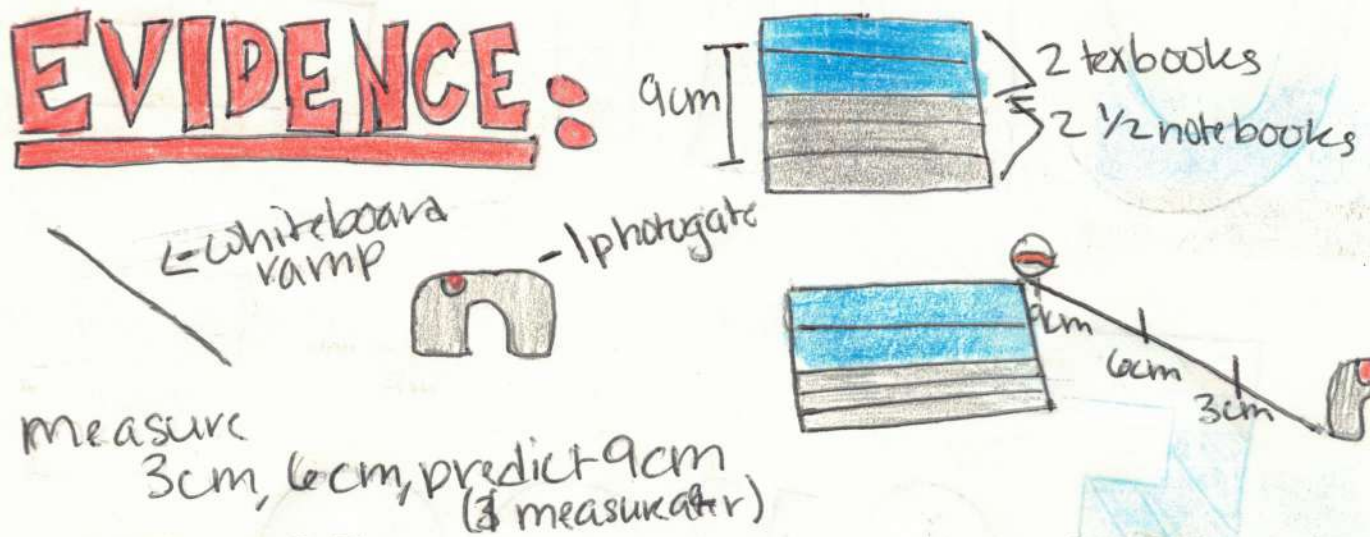
vs.

SUMMATIVE TASK

QUESTION:

Is there a way to accurately predict speed?

EVIDENCE:



CLAIM:

Yes, there is a way to accurately predict speed.

REASONING:

You can predict the velocity at one height by using your results from two other heights. Our group got the velocity from 3cm (0.86 m/s) and 6cm (1.22 m/s). We got the difference of those two velocities (.36) and added the difference of .36 to 1.22 in order to predict the velocity at the next height. Our prediction came out to 1.58 m/s second at 9cm. Then we tested dropping the marble down the ramp from 9cm; we got 1.45 m/s. To decide if our prediction was accurate or not we got our % error: $\frac{.13}{1.45} \cdot 100 = 8.96 \approx 9\%$

Ten percent or under is usually considered closely accurate, so it is safe to say we accurately predicted speed.