



180 Days of Number Sense Routines

Grade 4

Days 121-140



180 Days of Number Sense Routines

WHY IS DEVELOPING NUMBER SENSE IMPORTANT? Number Sense is the foundational building block for all strands of mathematics. Students who struggle in mathematics do not lack mathematical ability, but rather, they simply do not have a strong number sense on which to build their knowledge. Just as we are not born knowing how to read, we are not born with Number Sense. It must be developed and nurtured over time through a progression of understandings about numbers and their relationships to one another. With time and focused practice, students come to understand that numbers are meaningful, and outcomes are sensible and expected. Number Sense development encourages students to think flexibly and promotes confidence with numbers.

WHAT IS A NUMBER SENSE ROUTINE? A routine is an activity or event that occurs on a regular basis over time. Routines provide a framework for our day to support both the teacher and students. Routines help to build community and create a safe learning environment for students. Routines build a sense of belonging, ownership, and predictability which make the classroom a place to take risks. We learn through risk-taking; we take risks when we feel safe; we feel safe in a supportive learning environment; we create supportive learning environments through routines. Just as we have established routines for bus dismissal and fire drills, we must also establish routines that build mathematical thinking and discourse.





180 Days of Number Sense Routines

HOW WILL THESE NUMBER SENSE ROUTINES BENEFIT ME AND MY STUDENTS? What teachers do and how they do it is critically important and has a profound impact on the quality of the educational experience of our students. Effective pedagogy, the art and science of teaching, is a key element in the learning process. The Number Sense are models of effective pedagogy and ensure that the critical Number Sense instruction we provide is equitable to all our students regardless of geography, teacher experience, or student circumstance. As we prepare our students to be mathematically proficient in their lives beyond the classroom walls, these Number Sense routines will help to lay the critical foundation for all future mathematical endeavors.

WHAT ARE THE CCPS IMPLEMENTATION EXPECTATIONS?

Number sense routines have been developed for all 180 instructional days in grades 1-5. These routines are to be used every day, including early dismissal, late arrival, and field trip days. Because the routines do not require a specific order, it is permissible to trade routines among days to best match the time available. Number Sense must be built over time. With consistency, we can build students' number sense creating a strong mathematical foundation. If students or the teacher is struggling with a routine, it is expected that the teacher collaborate with colleagues to build capacity in that routine – do not just choose to skip the routine. If additional help is needed, the teacher should seek the assistance of their content specialist or mathematics supervisor.



180 Days of Number Sense Routines

HOW TO RUN POWERPOINT IN SLIDE SHOW MODE:

Slides with animation features, must run in Slide Show mode of PowerPoint for the animations to work correctly.

1. Select <Slide Show> from the menu at the top
2. Select <From Current Slide>



HOW TO ANNOTATE STUDENT THINKING ON THE SLIDE:

- With the slide in Slide Show mode, right click on the slide
- Select <Pointer Options> then choose <Pen>



180 Days of Number Sense Routines

Acknowledgements

We are grateful to those who have inspired this project – and there have been many. These slide decks were designed for Grades 1–5 with custom-built daily routines for each grade level. The nine routines blend original creations, adaptations, and borrowed OER materials. We have made our work available in Open Educational Resources so that others may benefit as we have. Our deepest gratitude and respect to all those who helped move our work forward, and a special thank you goes to the following whose own work had such a tremendous impact on our 180 Days of Number Sense Routines:

- *Decide & Defend* and *Quick Count* routines were adapted from templates created by Grace Kelemanik and Amy Lucenta at <http://FosteringMathPractices.com>
- *Estimation Clipboard*, *Esti-Mysteries*, and *Splat!* templates created by www.SteveWyborney.com
- *Same But Different* discussion from Developing Grayscale Thinking by Looney Math Consulting at <https://www.samebutdifferentmath.com>
- *Which One Doesn't Belong* tasks adapted from <http://wodb.ca> by Mary Bourassa

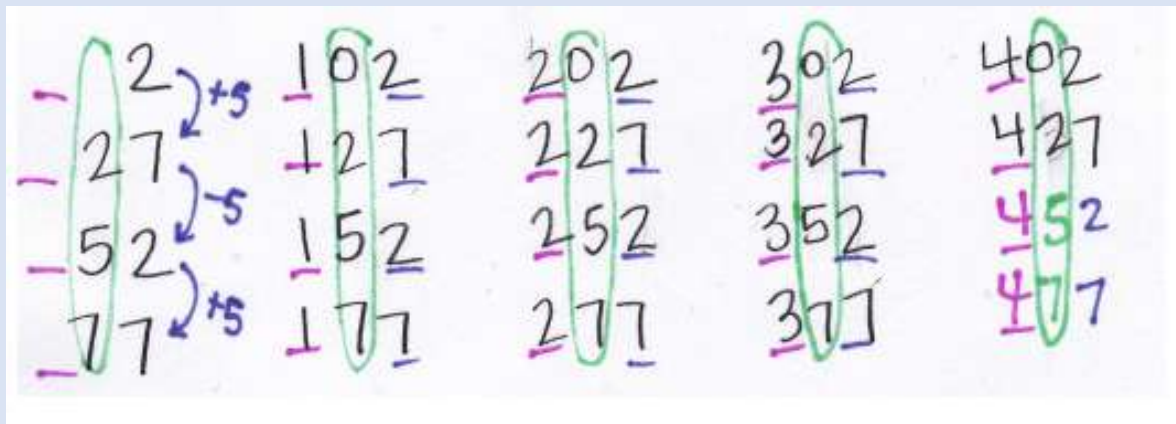
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Count Forward by 25s

- SAY: Today we will be **counting forward by 25s**... but we are not starting on the number 25. Instead, we will begin on the **number 2**.
- SAY: What will be the next number in the sequence if we count by 25 and begin on 25? (27)
- SAY: Take a few minutes to think about a strategy we can use to say the next number in the sequence (give individual think time)
- SAY: Now that you have some ideas about how we might be able to count by 25s, talk with your partner about your ideas (give just a short amount of time – 1 minute or so)
- SAY: As we count, I will chart the numbers. As I chart the numbers, begin looking for patterns that may make the count easier as we get to larger and larger number values.
- Chart the count on the next page.



Counting Forward by 25

Day
121

CHORAL COUNTING

2

27

What patterns do you see?

WHY are those patterns occurring?



Esti-Mystery

Estimation Activity with clues!

**Students use clues to solve the estimation mystery.
After all of the clues are revealed, students will have enough information to determine if their initial estimate was correct.**

**Clues are revealed one at a time with time to discuss and refine original estimates after EACH clue is revealed.
No one should be stuck with their original estimate – encourage mindful refinements.**

Students may benefit from using paper and pencil to work through possibilities or consider creating a class chart where possibilities are added and crossed off as each clue is revealed.

What is the total number of steps?



This structure is called **El Castillo**.
It is located in Yucatán, Mexico.

It has **four identical sets of steps**.

**As the clues appear, use
the information to
narrow the possibilities
to a smaller set.
Then use estimation to
determine which of the
remaining answers is the
most reasonable.**

What is the total number of steps?



**This structure is called El Castillo.
It is located in Yucatán, Mexico.**

Clue #1

**The number of steps on one side
is between 70-100.**

Clue #2

**The number of steps on one side
is a multiple of 7.**

Clue #3

**The number of steps on one side
has non-repeating odd digits.**

Clue #4

**There is an identical set of steps
on all four sides.**

Clue #5

**At the top, there is one more
step used to enter the temple**

What is the total number of steps?



**By combining the clues
and using your
estimation skills, you
now have enough
information to
determine the answer.**

This structure is called **El Castillo**.
It is located in Yucatán, Mexico.

It has **four identical sets of steps**.

What is the total number of steps?



This structure is called **El Castillo**.
It is located in Yucatán, Mexico.
It has **four identical sets of steps**.

The Reveal
Click to see the answer.

When the temple at the top is included, El Castillo is about 100 feet tall (30 meters).

There are 91 steps on each of the pyramid's four sides.

$$91 \times 4 = 364$$

There is one more step at the very top that is used to enter the temple.

The total # of steps is 365
– that's the number of days in a year
...isn't that interesting?



Using the DECIDE & DEFEND routine

As you do this routine with students, USE the CHECKLIST on the left side of the problem as a way to help organize the thinking process

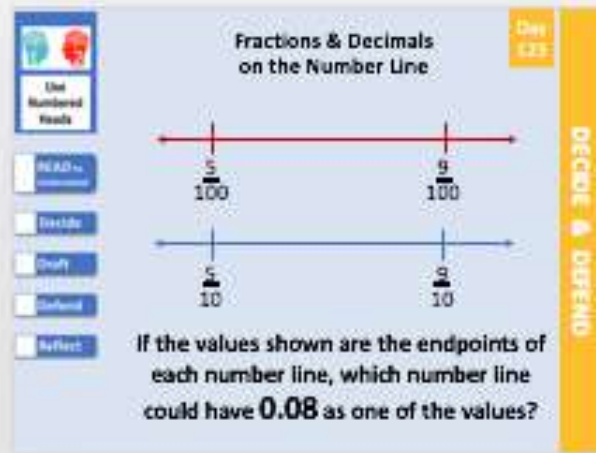
- **READ to Understand:** Begin by having students discuss the question being asked. At this time, do NOT focus on the math calculations required or the answer. This step is designed for students to understand the context of the question (What is the gist of the question?)
- **DECIDE:** Pair or group students. Using a consistent pairing will make this routine more fluid so you do not have to take time to pair students every time you want them to discuss. Have students discuss the question and decide which solution is correct (note: partners may not agree and that is fine provided they can justify their own thinking).
- **DRAFT:** Students draft a statement about their ideas (either as a group or individually and it can be written or oral – teacher’s choice)
- **DEFEND:** Students share their ideas and defend their reasoning with the whole group. Encourage active listening and [accountable talk](#).
- **RELECT:** To further develop comprehension, have students use ONE of the sentence starters on the “Reflect on Learning” slide after they have discussed and listened to new ideas with classmates.

NOTE: This is the CCPS adaptation of the original Decide and Defend protocol



Use the NEXT SLIDE with students.

Here are some possible responses. This list is not all-inclusive.
Additional ideas encouraged!



0.08 is equivalent to $\frac{8}{100}$ so it would be on the **top (red) number line**.
The value would sit closer to $\frac{9}{100}$ than $\frac{5}{100}$.
On the blue number line 0.08 would be to the far left of $\frac{5}{10}$.

INSTRUCTIONAL NOTE: When reading the directions, be sure to say “**this number**” rather than saying “eight-hundredths” since saying “eight-hundredths” would remove much of the rigor of this task by giving away that this number is expressed in hundredths.

Fractions & Decimals on the Number Line



Use
Numbered
Heads

READ to
Understand

Decide

Draft

Defend

Reflect



If the values shown are the endpoints of each number line segment, which segment could have 0.08 as one of the values?

Reflect on Learning

- A new math idea I learned today is...
- A math topic that I can explain better after today's discussion is...

$$30 \div 3$$

$$66 \div 3$$

$$123 \div 3$$

$$318 \div 3$$

TEACHER NOTES

BEFORE

This slide has the String of expressions that you will use for today's Number Talk. You can use Smart Ink, right click for PowerPoint Pen, or convert this slide to Smart Notebook so you can easily annotate on the slide. The annotation is an important part of the routine. The expressions should be presented one-at-a-time with skills building on one another.

DURING

Division: Partial Quotients (p. 258 and 288)

This strategy allows students to work their way toward the quotient by using friendly multipliers such as tens and multiples of ten. The problems here are purposefully ordered to help students build their knowledge from one problem to the next.

- Since 3×10 is 30, $30 \div 3$ must be 10
- $66 \div 3 = 60 \div 3 + 6 \div 3 = 20 + 2 = 22$
- $123 \div 3 = 120 \div 3 + 3 \div 3 = 40 + 1 = 41$
- $318 \div 3 = 300 \div 3 + 18 \div 3 = 100 + 6 = 106$

Remember, students will come with a variety of strategies. Help students to understand a wide variety and guide them into understanding that some strategies work better in some situations, so knowing more than one way to solve an equation like this one is important so they can later choose the method that is most efficient.

AFTER

Bring students attention back to the strategies that were highly efficient. In this case, using Partial Quotients or thinking about values that are 10 or 100 times greater/less than the given value



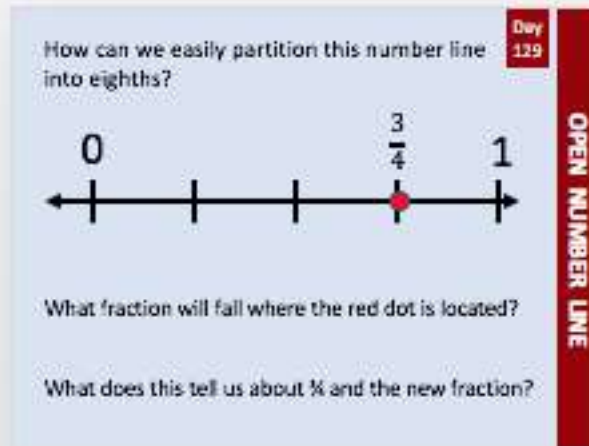
$$30 \div 3$$

Day
124

NUMBER TALK

Use the NEXT SLIDE with students.

Here are some possible responses. This list is not all-inclusive.
Additional ideas encouraged!



How can we easily partition this number line into eighths?

A: Divide each fourth in half to make 8 equal parts

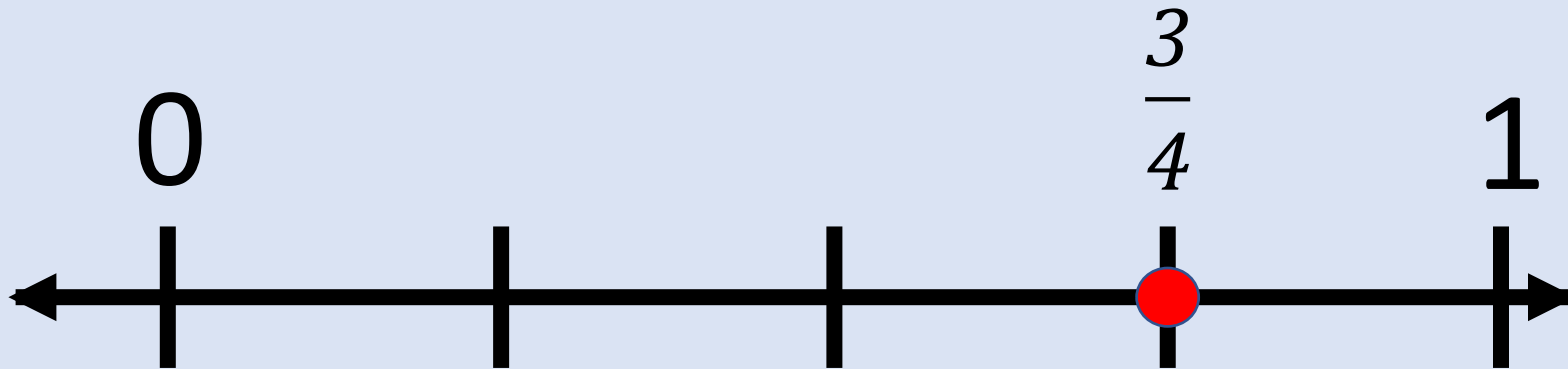
What fraction will fall where the red dot is located?

A: $\frac{6}{8}$

What does this tell us about $\frac{3}{4}$ and the new fraction?

A: $\frac{3}{4}$ is equivalent to $\frac{6}{8}$

How can we easily partition this number line into **eighths**?



- What fraction (expressed in eighths) will be located at the red dot on this number line?
- What does this tell us about $\frac{3}{4}$ and the new fraction?

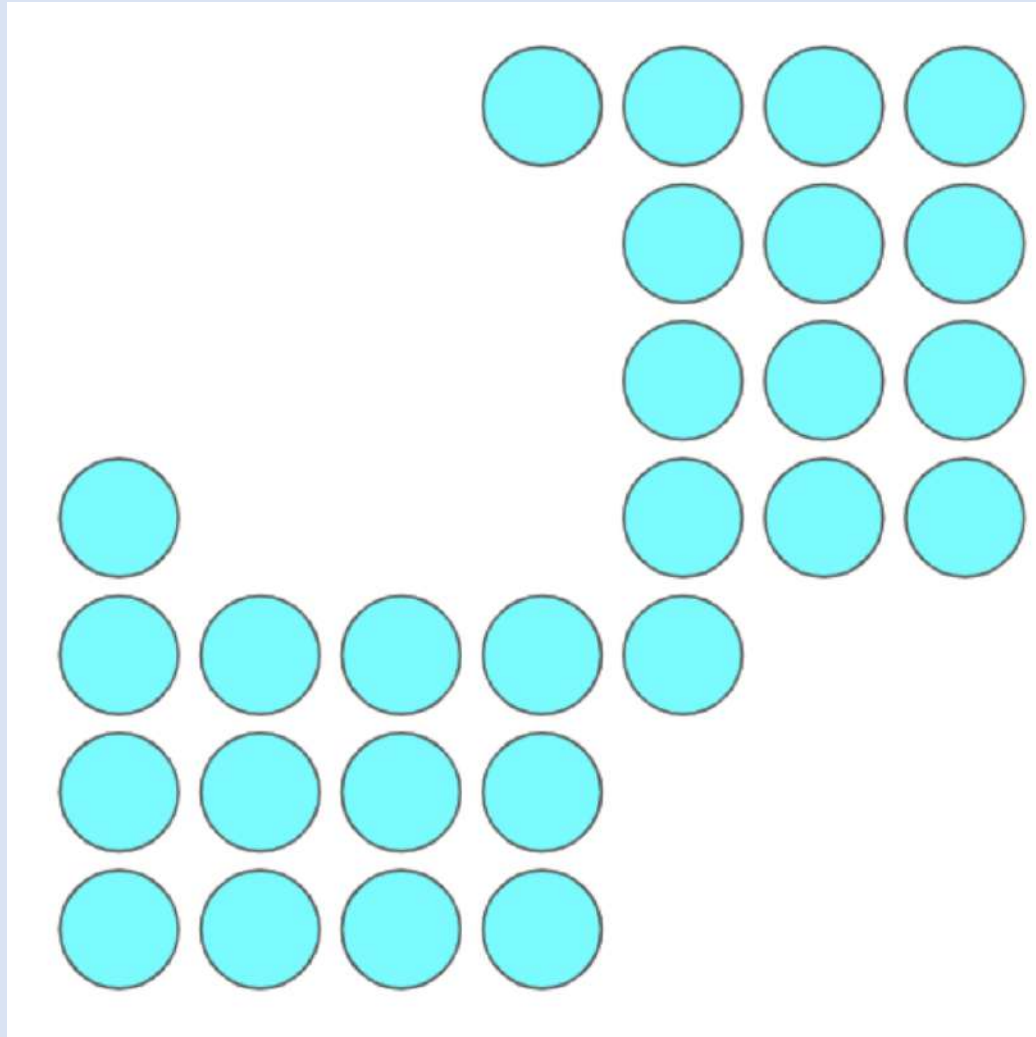
Directions for QUICK COUNT routines

Quick Count is an instructional routine designed to shift attention away from mindless calculations and toward necessary structural interpretations of mathematics. This routine fosters structural thinking, Math Practice 7, and promotes student discourse.

1. Pair students into Numbered Heads (or Peanut Butter Jelly partners, etc.)
2. Show students the first image slide for about 3-5 seconds depending on the complexity of the image and level/experience of the students.
3. With their partner, students discuss everything they can remember about the image.
4. After a minute of partner discussions, have students share ideas to the group.
5. Create a list of student ideas that students can refer to when the image is shown again.
6. Tell students that you are going to put the slide back up. Ask students to COUNT the images using some type of shortcut strategy (chunking, symmetry, arrays...)
7. Show the image again and leave it displayed as students look for counting shortcuts.
8. With their partner again, students discuss how many objects are in the image and how describe the shortcut counting strategy they used. Give time for partner discussions. Walk around and take notes about discussions to determine which students will share.
9. Use the slide with identical images as a comparative visual as students take turns explaining how they counted the objects in the image.
 - Use your notes to select different students with different approaches.
 - The student explains his/her shortcut as the teacher **gestures** over the image.
 - A **different student** is asked to **REPEAT the original student's shortcut** as the teacher **annotates** (circles, underlines) on the image to show the shortcut used.
 - Repeat the process using 3 different student-generated shortcut strategies.
10. End by asking students to explain what was “mathematically important”



What do you NOTICE?



**What did you
NOTICE?**

How many **circles**?

What counting shortcut did you use?

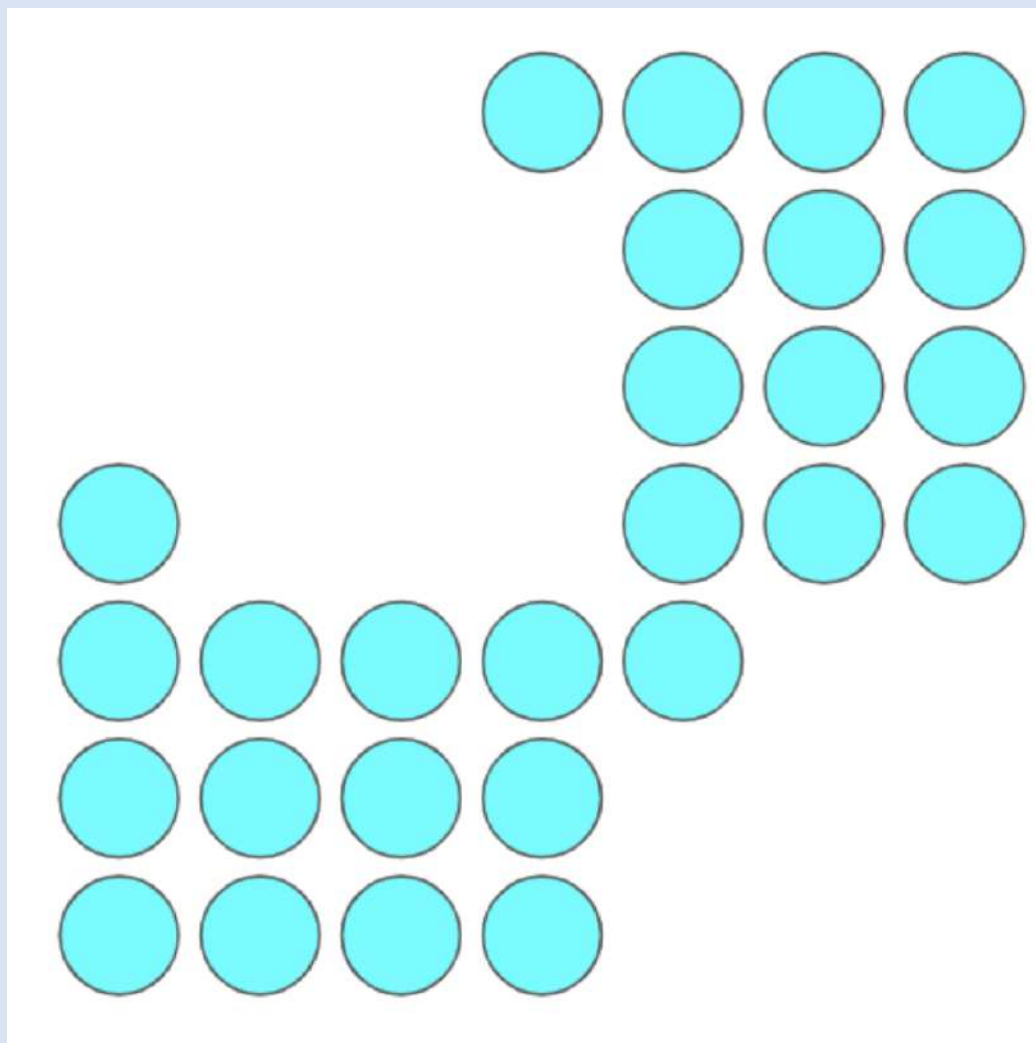
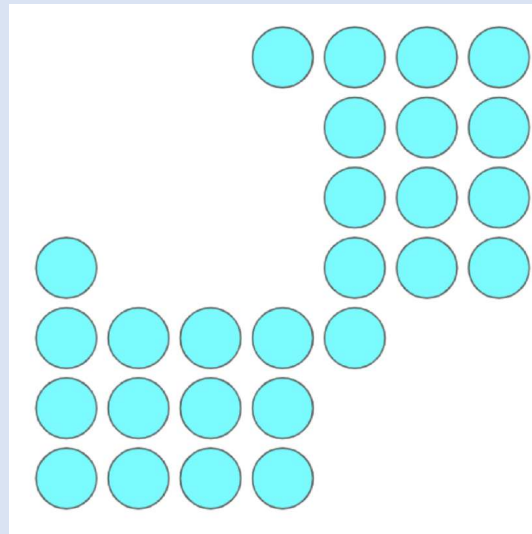
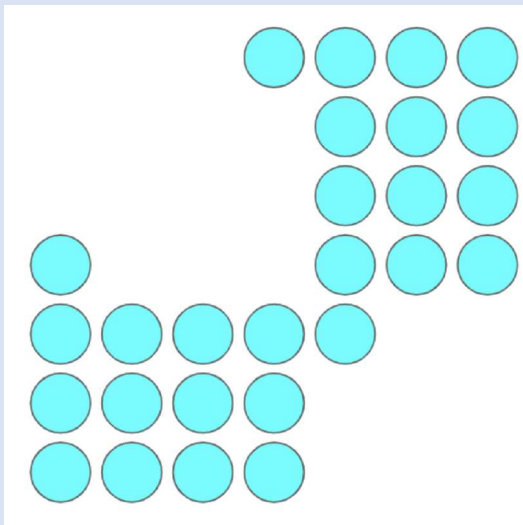
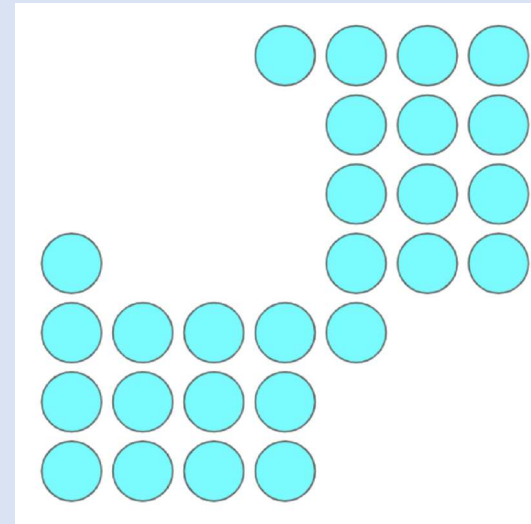


Image: Pattern #5 visualpatterns.org

I noticed ____
so I ____



(They) noticed ____
so they ____



Reflect

**What was
mathematically
important?**

quick count

About the SAME BUT DIFFERENT Routine

Same But Different is a powerful routine for use in math classrooms. The *Same but Different* routine compares two things **calling attention to both how they are the same and how they are different**. This apparent paradox is the beauty of the activity. In this analysis, *instead of making a choice and trying to prove that these are the same or prove that they are different, students consider how two items can be both*. This is a critically important distinction from many other tasks.

One of the reasons students struggle in math is that they struggle to make connections. Someone who has poorly developed number sense might see each number as its own thing, and not part of the larger network of mathematical ideas. A mathematical conversation using the language *same but different* that calls attention to how a new concept in math is the same as another familiar and comfortable concept but different in a specific way is a useful conversation in growing a student's network of connections. Building these connections could also reduce anxiety as children become the sense-makers in the conversation.

Source: www.samebutdifferent.net.com/about

Facilitating the SAME BUT DIFFERENT Routine

1. Present the slide
2. Ask students to THINK about how the two items are both the SAME AND DIFFERENT.
3. Do not allow conversation at this time -- give ample think time for students to consider the possibilities
4. After some time has been given (a minute or so), ask students to talk with their Number Head partner or small group about their ideas -- allow this conversation to dominate the time dedicated to this routine
5. As students talk with partners/groups, walk around and listen to the conversations. Resist jumping in; let them grapple with the ideas with their peers.
6. As you walk around listening, take notes. You will use these notes to help direct the whole group conversation.
7. Refocus student attention to the front of the room for a whole group debriefing session. Ask students to share some of their ideas about how the two were both the SAME and DIFFERENT – use the notes you took to bring out important ideas that will benefit the entire room.

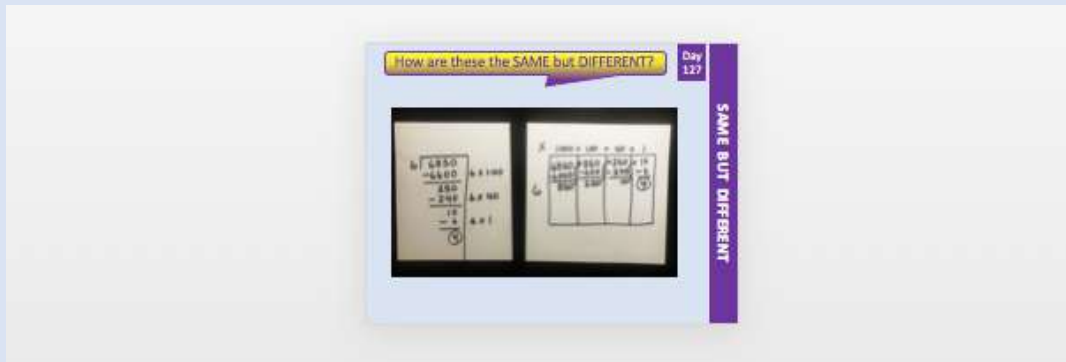


Use the NEXT SLIDE with students.

Here are some possible responses. This list is not all-inclusive.

Additional ideas encouraged!

- Students may simply recognize a component that makes them the “same” OR “different”
- Some students may state a same/different relationship and say that they are the “same because.... But different because....”



POSSIBLE RESPONSES

- Both represent a calculation for $6850 \div 6$ but they are using different variations of a place value strategy
- Both are using a Partial Quotient strategy where they rely on known multiplication facts
- The first used a strategy referred to by several names: “Magic 7” or “Dutch Method” or “the Big 7” while the second used the Box Method of partial quotients
- The first used the multiplication fact 6×1100 while the second used the multiplication fact 6×1000
- Both found the quotient to be 1141r.4 but the first added 3 partial quotients and the second found the sum of 4 partial quotients
- Both have a remainder of 4

How are these the SAME but DIFFERENT?

Day
127

A

$$\begin{array}{r}
 6 \overline{) 6850} \\
 \underline{-6600} \\
 250 \\
 \underline{-240} \\
 10 \\
 \underline{-6} \\
 \textcircled{4}
 \end{array}
 \begin{array}{l}
 6 \times 1100 \\
 6 \times 40 \\
 6 \times 1
 \end{array}$$

B

X 1000 + 100 + 40 + 1

$$\begin{array}{r|l}
 6 \overline{) 6850} & 6 \times 1100 \\
 \underline{-6000} & \\
 850 & 6 \times 40 \\
 \underline{-600} & \\
 250 & 6 \times 1 \\
 \underline{-240} & \\
 10 & \\
 \underline{-6} & \\
 \textcircled{4} &
 \end{array}$$

SAME BUT DIFFERENT

$$4\frac{2}{3}$$

What is the total
value of the shapes

What is the value of the shapes
hiding under the Splat?

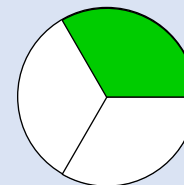
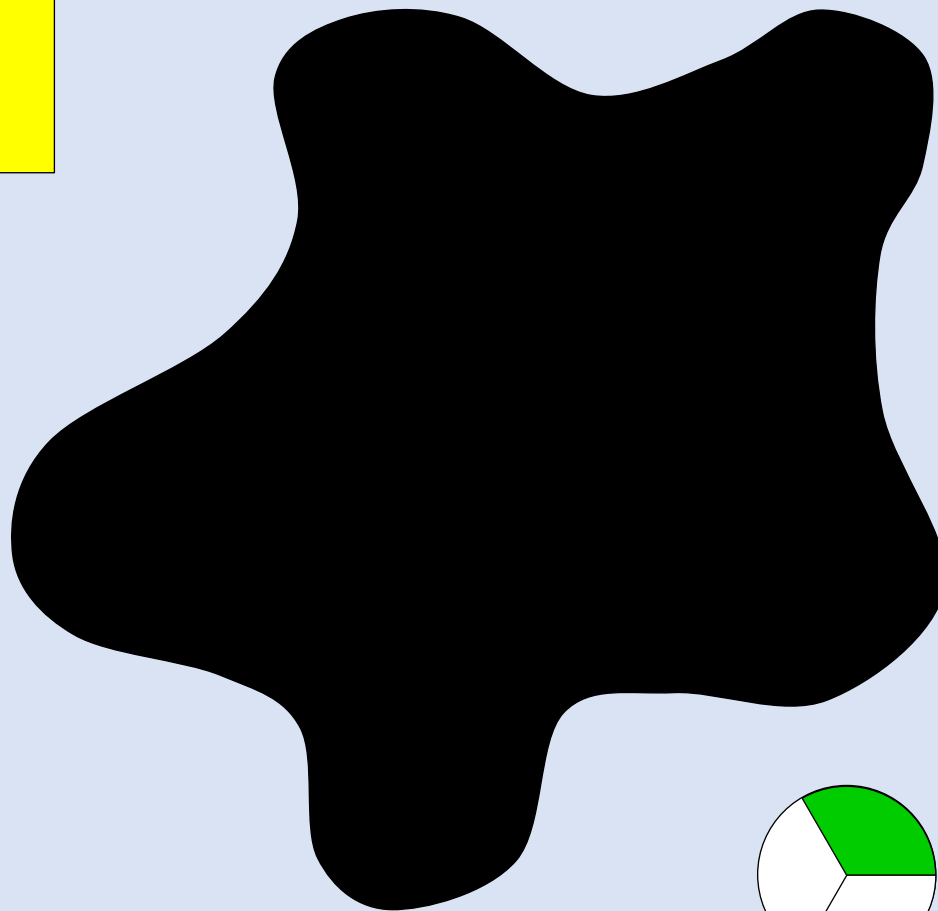
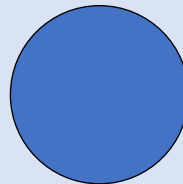
How do you know?

What MIGHT the
hidden shapes
look like?

What else could

Let's look under
the splat to see
how many shapes

What can we learn
from this picture?



Use the NEXT SLIDE with students.

Day
129

Teacher Tip: Use the Screen Shade to reveal just one row at a time.

Today's WODB will be a little different...				
One on each row does not belong. Which one?				
How do you know?				
A.	1.2	one and two-tenths	$\frac{1}{2}$	$1\frac{2}{10}$
B.	$\frac{3}{10}$	three-tenths	$\frac{30}{100}$	0.03
C.	$\frac{6}{100}$	sixty-hundredths	$\frac{3}{5}$	0.6

WHICH ONE DOESN'T BELONG?

Row A: $\frac{1}{2}$ does not belong because it does not have a value of one and two-tenths

Row B: 0.03 does not belong because the other three are equivalent to $\frac{3}{10}$ (note $\frac{30}{100}$ is equivalent to $\frac{3}{10}$ by dividing the numerator and denominator each by 10)

Row C: $\frac{6}{100}$ does not belong because the others are equivalent to six tenths

- $\frac{60}{100}$ can be divided by 10/10 to get $\frac{6}{10}$
- $\frac{3}{5}$ can be multiplied by $\frac{2}{2}$ to get $\frac{6}{10}$
- 0.6 is simply a decimal representation of $\frac{6}{10}$

WHICH ONE DOESN'T BELONG?



Today's WODB will be a little different: Each row has just one value that does not belong with the other three on the same row.

Day
129

Which one does not belong on each row?

How do you know?

A. 1.2 one and two-tenths $\frac{1}{2}$ $1\frac{2}{10}$

B. $\frac{3}{10}$ three-tenths $\frac{30}{100}$ 0.03

C. $\frac{6}{100}$ sixty-hundredths $\frac{3}{5}$ 0.6



WHICH ONE DOESN'T BELONG?

Skip count by 19

- Ask: Do you think skip-counting by 19 would be easy or challenging?
- Ask: What about skip-counting by 20 – easier or more challenging than skip-counting by 19?
- Discuss students' reasons for their answers (no right answer here, just exploring ideas).
- Ask: How is skip-counting by 20 similar to skip-counting by 2s? (discuss)
- Let's CHORAL count by 20
- Count: 20, 40, 60, 80, 100, 120, stop.
- Let's choral count by 20 again, but this time, let's begin with the number 7
- Count: 7, 27, 47, 67, 87, 107, 127
- Ask: How is skip-counting by 19 different than skip-counting by 20 (it is 1 less each time).
- Say: Let's challenge ourselves to skip-count by 19 – we will use what we know about skip-counting by 20 to make it easier and I will chart the numbers so we can see them as we count. Let's start on 7 again.
- Count and chart (use the chart on the next page)
 - **Say 7**
 - **Think 27** ($7 + 20$)
 - **Say and write 26** ($7 + 20 - 1$)
 - **Think 46** ($26 + 20$)
 - **Say and write 45** ($26 + 20 - 1$)

Continue in this way

Yes, this will be slow and rigorous!

7	26	45	64
83	102	121	140
159	178	197	216
235	254	273	292
311	330	349	368

Yes, this will be worthwhile!

How can we use what we know
about skip-counting by 20 to skip-count by 19?

7

	_____	_____	_____
_____	_____	_____	_____
_____	_____	_____	_____
_____	_____	_____	_____
_____	_____	_____	_____

Esti-Mystery

Estimation Activity with clues!

**Students use clues to solve the estimation mystery.
After all of the clues are revealed, students will have enough information to determine if their initial estimate was correct.**

**Clues are revealed one at a time with time to discuss and refine original estimates after EACH clue is revealed.
No one should be stuck with their original estimate – encourage mindful refinements.**

Students may benefit from using paper and pencil to work through possibilities or consider creating a class chart where possibilities are added and crossed off as each clue is revealed.



How many Bar Pins?

Bar Pins are attached to the backs of buttons and other types of pins.

Use the clues to find out how many bar pins are in this package.





Clue #1

**The number is
a multiple of 10**

Clue #2

There are less than 6 dozen

Clue #3

There are more than 20

Clue #4

**The number is NOT
a multiple of 3**

Clue #5

**5, 8, and 10
are some of its factors**



By combining the clues and estimation, you now have enough information to determine the answer.

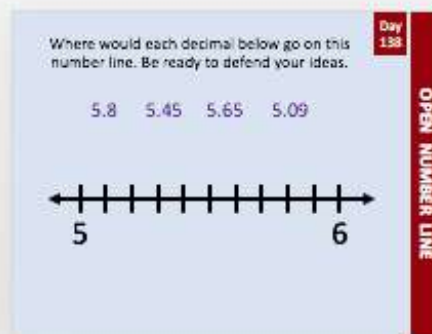


The Reveal
Click to see the answer.



Use the NEXT SLIDE with students.

Remember to give students plenty of individual Think Time and then give about a minute of partner discussion time before the class discussion.



5.8 would go on the 8th hash mark past 5

5.45 would go BETWEEN the 4th and 5th hash marks past 5

5.65 would go BETWEEN the 6th and 7th hash marks past 5

5.09 would go just barely to the right of 5 but not even $\frac{1}{2}$ -way to the next hash mark

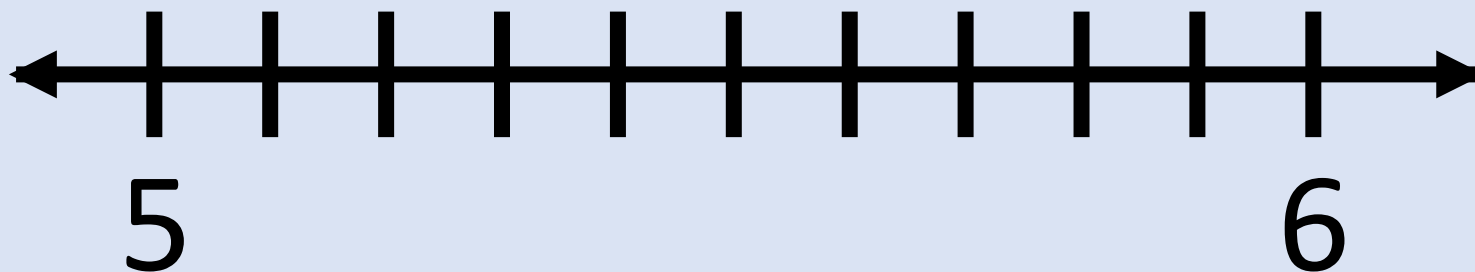
Where would each decimal below go on this number line. Be ready to defend your ideas.

5.8

5.45

5.65

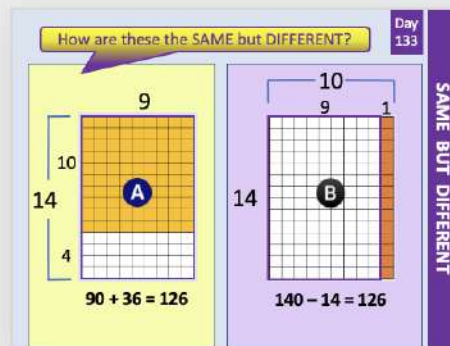
5.09



Use the NEXT SLIDE with students.

Here are some possible responses. This list is not all-inclusive.
Additional ideas encouraged!

- Students may simply recognize a component that makes them the “same” OR “different”
- Some students may state a same/different relationship and say that they are the “same because.... But different because....”

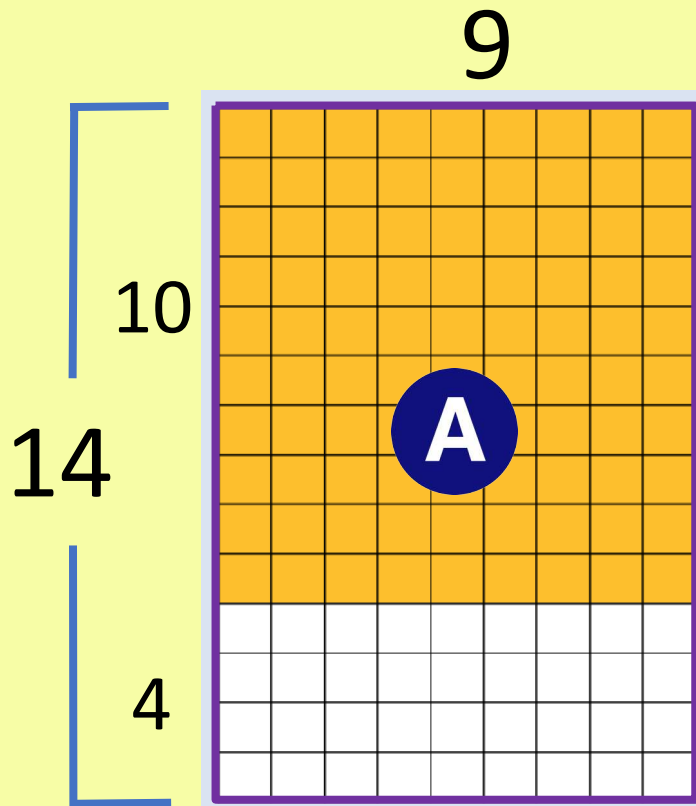


POSSIBLE RESPONSES

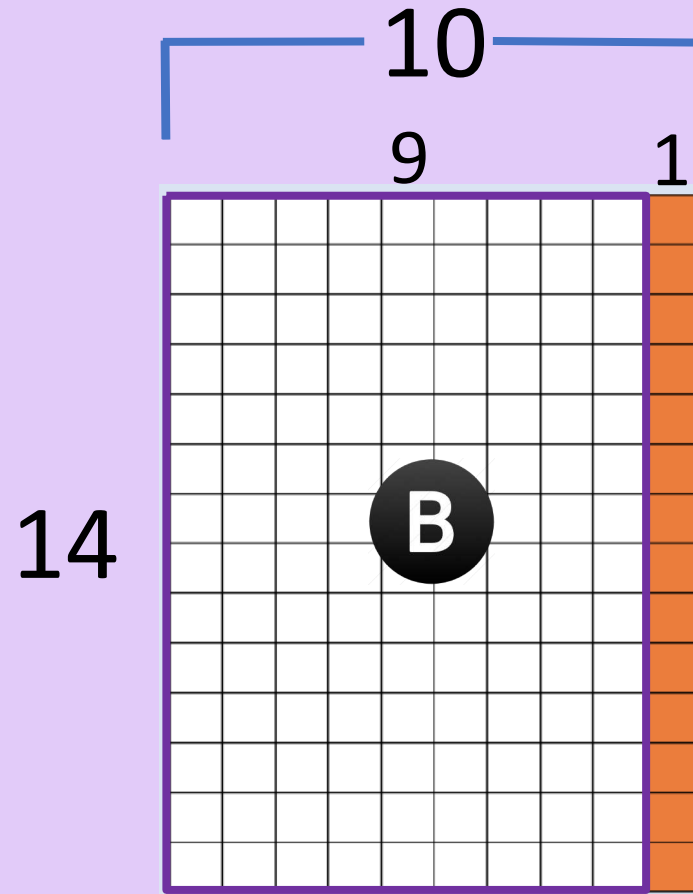
- Both are models representing 14×9
- Both have a product of 126.
- Both relied on “friendly numbers” to make the calculation simpler.
- Both use the Distributive Property to find the product of 14×9 .
- A is decomposed 14 into 10 and 4. B is composed to make 10 using 9 and 1 more.
- A uses an addition model. B used a subtraction model of the Distributive Property.

How are these the SAME but DIFFERENT?

Day
133



$$90 + 36 = 126$$



$$140 - 14 = 126$$

SAME BUT DIFFERENT

Use the NEXT SLIDE with students.

Here are some possible responses. This list is not all-inclusive.
Additional ideas encouraged!

A	$\begin{array}{r} 5,231 \\ + 4,331 \\ \hline 9,562 \end{array}$	B	$\begin{array}{r} 3,696 \\ + 6,938 \\ \hline 10,634 \end{array}$
C	$\begin{array}{r} 1,842 \\ + 1,617 \\ \hline 3,459 \end{array}$	D	$\begin{array}{r} 2,524 \\ + 3,574 \\ \hline 5,098 \end{array}$

"Three of these equations..."

Day 134
WHICH ONE DOESN'T BELONG?

Possible Responses:

- Three of these equations require REGROUPING when adding.
A does not require regrouping.
- Three of these equations have a sum that is in the THOUSANDS PLACE VALUE.
B is in the ten-thousands place value.
- Three of these equations have a sum that is an EVEN number.
C does not have a sum that is an even number.
- Three of these equation have a SUM THAT IS CORRECT.
The sum of D is not correct (6,098)

A

$$\begin{array}{r} 5,231 \\ + 4,331 \\ \hline 9,562 \end{array}$$

B

$$\begin{array}{r} 3,696 \\ + 6,938 \\ \hline 10,634 \end{array}$$

C

$$\begin{array}{r} 1,842 \\ + 1,617 \\ \hline 3,459 \end{array}$$

D

$$\begin{array}{r} 2,524 \\ + 3,574 \\ \hline 5,098 \end{array}$$

“Three of these equations...”

Using the DECIDE & DEFEND routine

As you do this routine with students, USE the CHECKLIST on the left side of the problem as a way to help organize the thinking process

- **READ to Understand:** Begin by having students discuss the question being asked. At this time, do NOT focus on the math calculations required or the answer. This step is designed for students to understand the context of the question (What is the gist of the question?)
- **DECIDE:** Pair or group students. Using a consistent pairing will make this routine more fluid so you do not have to take time to pair students every time you want them to discuss. Have students discuss the question and decide which solution is correct (note: partners may not agree and that is fine provided they can justify their own thinking).
- **DRAFT:** Students draft a statement about their ideas (either as a group or individually and it can be written or oral – teacher’s choice)
- **DEFEND:** Students share their ideas and defend their reasoning with the whole group. Encourage active listening and [accountable talk](#).
- **RELECT:** To further develop comprehension, have students use ONE of the sentence starters on the “Reflect on Learning” slide after they have discussed and listened to new ideas with classmates.

NOTE: This is the CCPS adaptation of the original Decide and Defend protocol



Use the NEXT SLIDE with students.

Here are some possible responses. This list is not all-inclusive.
Additional ideas encouraged!

The directions said to circle all of the numbers that are GREATER THAN 1.

Was the work done correctly?

1.25 $\frac{1}{4}$ $\frac{199}{500}$ $\frac{5}{2}$

0.62 1.001 $\frac{2}{5}$ 0.999

DECIDE & DEFEND

- $\frac{5}{2}$ means we need 2 pieces to make one whole. We have 5 pieces so we have enough to actually make 2 wholes and have 1 of the 2 parts needed leftover. $\frac{5}{2}$ should have been circled.
- $\frac{199}{500}$ looks like a large number, but it is actually less than $\frac{1}{2}$ since $\frac{250}{500}$ equals $\frac{1}{2}$, so $\frac{199}{500}$ should not have been circled.

The directions said to circle all of the numbers that are GREATER THAN 1.

Was the work done correctly?

1.25

$\frac{3}{4}$

$\frac{199}{500}$

$\frac{5}{2}$

0.62

1.001

$\frac{2}{5}$

0.999



Use
Numbered
Heads

READ to
Understand

Decide

Draft

Defend

Reflect

Reflect on Learning

- A new math idea I learned today is...
- A math topic that I can explain better after today's discussion is...

$$40 \div 4$$

$$100 \div 4$$

$$116 \div 4$$

$$1016 \div 4$$

TEACHER NOTES

BEFORE

This slide has the String of expressions that you will use for today's Number Talk. You can use Smart Ink, right click for PowerPoint Pen, or convert this slide to Smart Notebook so you can easily annotate on the slide. The annotation is an important part of the routine. The expressions should be presented one-at-a-time with skills building on one another.

DURING

Division: Partial Quotients (p. 258 and 288)

This strategy allows students to work their way toward the quotient by using friendly multipliers such as tens and multiples of ten. The problems here are purposefully ordered to help students build their knowledge from one problem to the next.

- Since 4×10 is 40, $40 \div 4$ must be 10
- Think money: $100 \div 4 = 25$
- $116 = 100 + 16$ so $100 \div 4 + 16 \div 4 = 25 + 4 = 29$
- $1016 = 1000 + 16$ **since $100 \div 4 = 25$ then $1000 \div 4$ must be 250** so we know $250 + 4 = 254$

Remember, students will come with a variety of strategies. Help students to understand a wide variety and guide them into understanding that some strategies work better in some situations, so knowing more than one way to solve an equation like this one is important so they can later choose the method that is most efficient.

AFTER

Bring students attention back to the strategies that were highly efficient. In this case, using Partial Quotients or thinking about values that are 10 or 100 times greater/less than the given value



$$40 \div 4$$

What do you NOTICE?



QUICK COUNT

**What did you
NOTICE?**

How many cans are in this display?
What counting shortcut did you use?



QUICK COUNT

I noticed ____
so I ____



(They) noticed ____
so they ____



Reflect

**What was
mathematically
important?**

quick count

390

How did you calculate it?

How else could you
calculate it?

What is the total?

What is the sum of the
numbers that are
under the splat?

What numbers?

What could those
numbers be?

Are there other
possible
combinations?

Let's look under the
splat to see what
numbers are there.

45

55

55

45

55

45

SPLATI

$$100 \div 4$$
$$200 \div 4$$
$$200 \div 8$$
$$1600 \div 8$$
$$1632 \div 8$$

TEACHER NOTES**BEFORE**

This slide has the String of expressions that you will use for today's Number Talk. You can use Smart Ink, right click for PowerPoint Pen, or convert this slide to Smart Notebook so you can easily annotate on the slide. The annotation is an important part of the routine. The expressions should be presented one-at-a-time with skills building on one another.

DURING**Division: Partial Quotients**

This strategy allows students to work their way toward the quotient by using friendly multipliers such as tens and multiples of ten. The problems here are purposefully ordered to help students build their knowledge from one problem to the next.

- Since $100 \div 4$ is 25 (think quarters), $200 \div 4$ must be 50 – if we double the dividend, the quotient also doubles
- Since $200 \div 4$ is 50, $200 \div 8$ must be 25 – if we double the divisor, the quotient will be cut in half
- Since $16 \div 8$ is 2, $1600 \div 8$ must be 200
- Since $1600 \div 8$ is 200 and $32 \div 8$ is 4, $1632 \div 8$ must be $200 + 4 = 204$

Remember, students will come with a variety of strategies. Help students to understand a wide variety and guide them into understanding that some strategies work better in some situations, so knowing more than one way to solve an equation like this one is important so they can later choose the method that is most efficient.

AFTER

Bring students' attention back to the strategies that were highly efficient. In this case, using Partial Quotients or thinking about values that are 10 or 100 times greater/less than the given value



$$100 \div 4$$

Day
139

NUMBER TALK

$$7\frac{1}{3}$$

SPLATI!

What value is hiding under the Splat?
What is the hidden value?
Remember: If the color of the Splats are different, then the hidden values are also different.

How do you know?

What MIGHT the hidden shapes be?

What value is hiding under the other Splat?

What is hiding.

