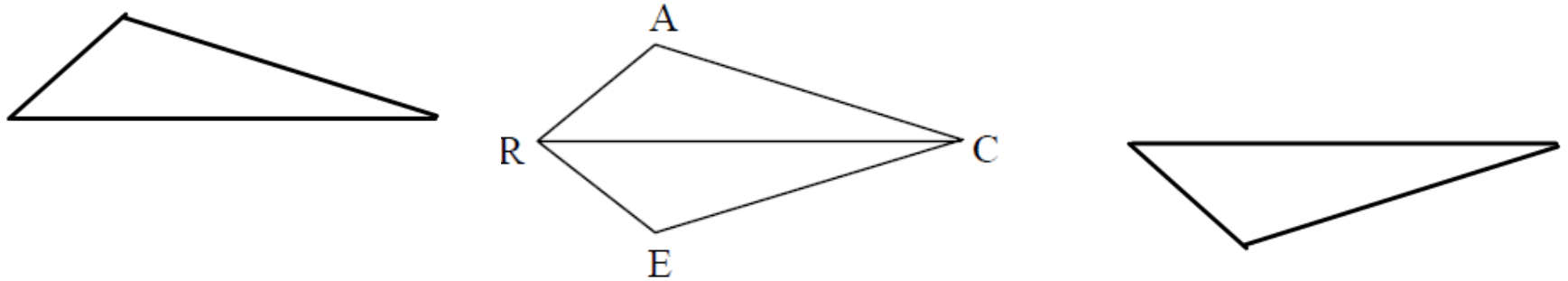


Helpful properties and postulates

- 10 Reflexive property
- 10 Segment and Angle addition postulate
- 10 Addition Property of Equality
- 10 Subtraction Property of Equality
- 10 Transitive and Substitution Property

Reflexive property



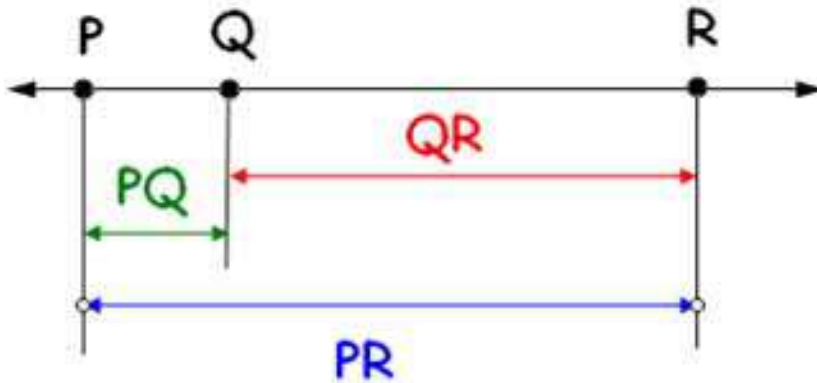
When triangles share the same side, the side is congruent to itself.

This is called the
REFLEXIVE PROPERTY.

Segment Addition Postulate

□ A whole is equal to the sum of all its parts.

The **Postulate** says that if point Q is between points P and R on a line, then $PQ + QR = PR$.



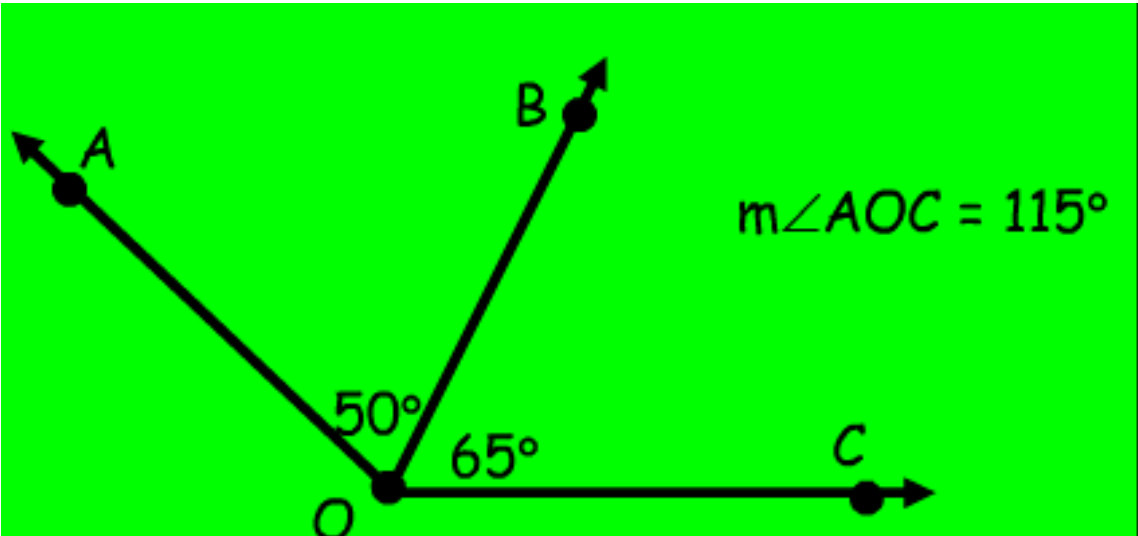
Thus, $PQ + QR = PR$

NOTE: Notice there is a plus sign on only one side of the equation

Angle Addition Postulate

□ A whole is equal to the sum of all its parts.

If B lies on the interior of $\angle AOC$,
then $m\angle AOB + m\angle BOC = m\angle AOC$.



Substitution OR

Transitive Property of Equality

□ Transitive: If $a = b$ and $b = c$, then $a = c$

□ Ex: Pig=bacon and bacon =fat, then pig=fat!

Substitution: a quantity may be substituted for its equal in any expression

If a statement $a = b$, is true and

If the statement $a + c = 180$ is true

then the statement $b + c = 180$ is also true

Ex: Levi= awesome math student and Maya= awesome math student, then Levi= Maya! Hmmm... ??? Logical??? HA HA!

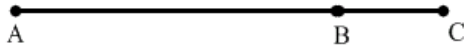
In general: Transitive may be used when the order is the same as the above...

Substitution may be used when any 2 quantities are equal!

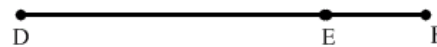
When in doubt, use substitution property!

Addition Property of Equality

- Allows you to add congruent (equal) segments
- Allows you to add congruent (equal) angles.



Given: $AB=DE$; $BC=EF$



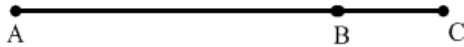
Prove: $AC = DF$

Statements	Reasons
$AB = DE$; $BC = EF$	Given
$AB+BC=DE+EF$	Addition Property of Equality (added equal segments to both sides)
$AB+BC=AC$; $DE+EF=DF$	Whole equals the sum of its parts
$AC=DF$	Substitution Property

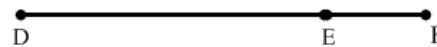
NOTE: If there is a plus sign on both sides,
then the reason is more likely to be Addition Property

Subtraction Property of Equality

- Allows you to subtract congruent (equal) segments
- Allows you to subtract congruent (equal) angles.



Given: $AC=DF$; $BC=EF$



Prove: $AB = DE$

Statements	Reasons
$AC = DF$; $BC = EF$	Given
$AC = AB + BC$ $DF = DE + EF$	Whole equals sum of its parts
$AB + BC = DE + EF$	Substitution property
$AB = DE$	Subtraction Property of Equality (subtracted equal