

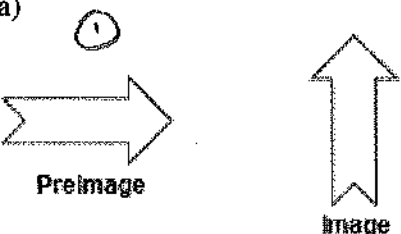
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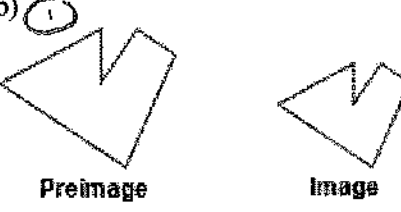
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PART 1: SHORT ANSWER (points)

1) Tell whether the transformation appears to be a rigid motion. Explain.

a)  Yes b/c the preimage and image are $\cong$

b)  No b/c the preimage and image are not $\cong$.

2) If a transformation maps $GHIJ$ to $G'H'I'J'$, what is the image of I ? What is the image of $\overline{GH}$?

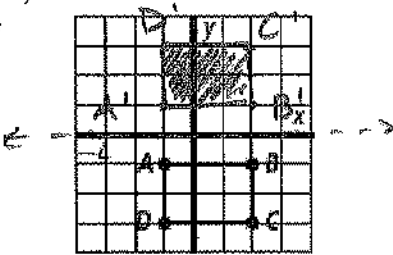
I' $\overline{G'H'}$

3) Point $R(x, y)$ moves 13 units right and 14 units down. What is a rule that describes this translation?

$T_{\langle 13, -14 \rangle}(R)$

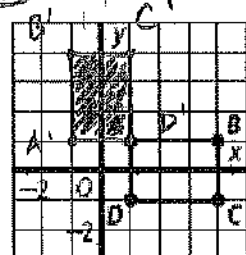
4) Draw the image of each figure for the given transformation.

a) $R_{x\text{-axis}}(ABCD)$ ①



b) $r_{(90^\circ, O)}(ABCD)$ ①

$(-y, x)$

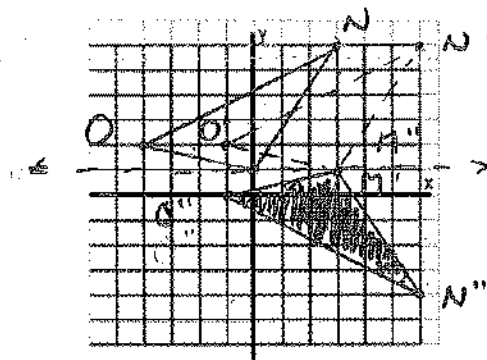


5) $\triangle ONM$ has vertices $O(-4, 2)$, $N(3, 6)$, and $M(0, 8)$. What are the coordinates of the vertices of $(R_{y=-1} \circ T_{\langle 3, 0 \rangle})(\triangle ONM)$ ②

① $T \rightarrow 3$
② R

$O''(-1, 0)$
 $N''(6, -4)$
 $M''(3, 1)$

$x = -2$

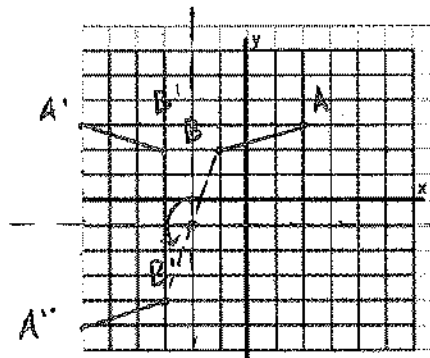


6) Is the transformation of $\overline{AB}$ with vertices $A(2, 3)$ and $B(-1, 2)$, first across $x = -4$, and then across $y = -2$, a translation or a rotation? For a translation, describe the direction and distance. For a rotation, tell the center of rotation and the angle of rotation. ②

Rotation

$C(-2, -1)$

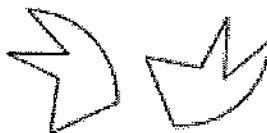
$\angle = 180^\circ$



7) The point $(-1, -1)$ is the image under the translation $T_{\langle -5, 5 \rangle} (x, y)$. What is its preimage? (1 point)

$T_{\langle -5, 5 \rangle}$
(Backwards) $(-1 + 5, -1 - 5)$
 $(4, -6)$

8) In the diagram, is one figure a reflection image, a translation image, or a rotation image of the other? (1 point)



Rotation

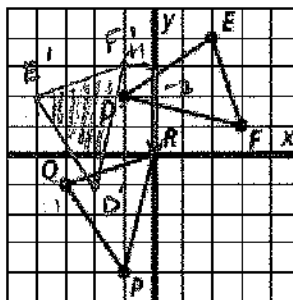
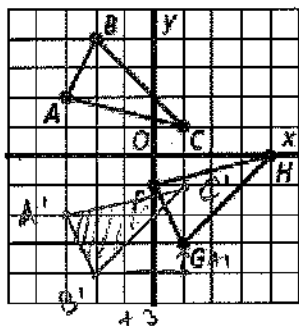
9) Fill-in the composition statement that maps one figure to the other.

a) $(T_{\langle 3, 1 \rangle} \circ R_{\text{X-axis}})(\triangle ABC) = \triangle FGH$

(2)

b) $(T_{\langle 1, -2 \rangle} \circ r_{(90^\circ, O)})(\triangle DEF) = \triangle QPR$

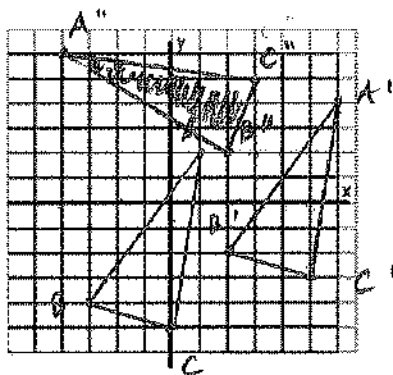
(2)



$90^\circ \rightarrow (-y, x)$

PART 2: EXTENDED RESPONSE (6 points)

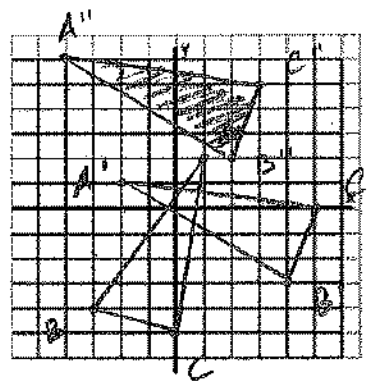
A composition of transformations used to describe a congruence transformation is not unique. Show that the composition $(r_{(90^\circ, O)} \circ T_{\langle 5, 2 \rangle})(\triangle ABC)$ is equivalent to the composition $(T_{\langle -2, 5 \rangle} \circ r_{(90^\circ, O)})(\triangle ABC)$. For $\triangle ABC$, use $A(1, 2)$, $B(-3, -4)$ and $C(0, -5)$. List the final coordinates for each composition.



① $T_{\langle 5, 2 \rangle}$ Right / up 2

② $r_{(90^\circ, O)}$ $(-y, x)$

$\{ A''(-4, 6) \ B''(2, 2) \ C''(3, 5) \}$



① $r_{(90^\circ, O)}$ $(-y, x)$

② $T_{\langle -2, 5 \rangle}$

$\{ A''(-4, 6) \ B''(2, 2) \ C''(3, 5) \}$