

**Do Now**

Assume that the infected area of an injury is circular.

(a) If the radius of the infected area is 3 mm and growing at a rate of 1 mm/hr, at what rate is the infected area increasing?

(b) Find the rate of increase of the infected area when the radius reaches 6 mm.

cp calc block 36

1

**hw presentation**

**p188,**  
**30;36;42**

1/13/2013

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2

**block 36**

**Quarterly II**  
**Assessment**  
**Blockmorrow**

1/13/2013

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3

**hw today**

**all returned tests**  
**extra review packet**

1/13/2013

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4

**Ch3.5-7**  
**Review**

1/13/2013

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5

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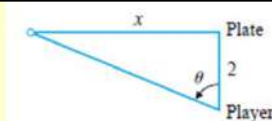
6

**Review 1:**

A plane is located  $x = 40$  miles (horizontally) away from an airport at an altitude of  $h$  miles. Radar at the airport detects that the distance  $s(t)$  between the plane and airport is hanging at the rate of  $s'(t) = -240$  mph. If the plane flies toward the airport at the constant altitude  $h = 4$ , what is the speed  $|x'(t)|$  of the airplane?

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7

**Review 2:**

A baseball player stands 2 feet from home plate and watches a pitch fly by. In the diagram,  $x$  is the distance from the ball to home plate and  $\theta$  is the angle indicating the direction of the player's gaze. Find the rate  $\theta'$  at which his eyes must move to watch a fastball with  $x'(t) = -130$  ft/s as it crosses home plate at  $x = 0$ .

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8

**Review 3:**

Sand is poured into a conical pile with the height of the pile equal to the diameter of the pile. If the sand is poured at a constant rate of  $5 \text{ m}^3/\text{s}$ , at what rate is the height of the pile increasing when the height is 2 meters?

9

**Review 4:** Suppose that you are blowing up a balloon by adding air at the rate of  $1 \text{ ft}^3/\text{s}$ . If the balloon maintains a spherical shape, the volume and radius are related by  $V = (4/3)\pi r^3$ . Compare the rate at which the radius is changing when  $r = 0.01 \text{ ft}$  versus when  $r = 0.1 \text{ ft}$ . Discuss how this matches the experience of a person blowing up a balloon.

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10

**Review 5:**

Elvis the dog stands on a shoreline at point  $(0, 0) \text{ m}$  and starts to chase a ball in the water at point  $(8, 4) \text{ m}$ . He runs along the positive  $x$ -axis with speed  $x(t) = 6.4 \text{ m/s}$ . Let  $d(t)$  be the distance between Elvis and the ball at time  $t$ . Find the time and location at which  $|d'(t)| = 0.9 \text{ m/s}$ , the rate at which Elvis swims.

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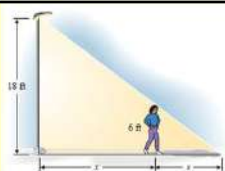
11

**Review 6a:**



Suppose a 6-ft-tall person is 12 ft away from an 18-ft-tall lamppost. (a) If the person is moving away from the lamppost at a rate of  $2 \text{ ft/s}$ , at what rate is the length of the shadow changing?<sup>12</sup>

**Review 6b:**



Suppose a 6-ft-tall person is 6 ft away from an 18-ft-tall lamppost. (b) If the person is moving toward the lamppost at a rate of  $3 \text{ ft/s}$ , at what rate is the length of the shadow changing.

13

**Review 7: Find  $y'$**   
 $x^2 y^2 + 3y = 4x$

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14

**Review 8: Find  $y'$**   
 $\tan(y^2 + 3) - xy^2 = 2x$

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15

**Review 9: Find an equation of the tangent and normal line at the given point**  
 $x^2 y^2 = 4x$  at  $(1, 2)$

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16

**Review 10: Find  $y''$**   
 $3xy + 2y - 3x = \sin y$

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17