

7.1

Ratio and Proportions

Ratio and Proportion

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Word form:

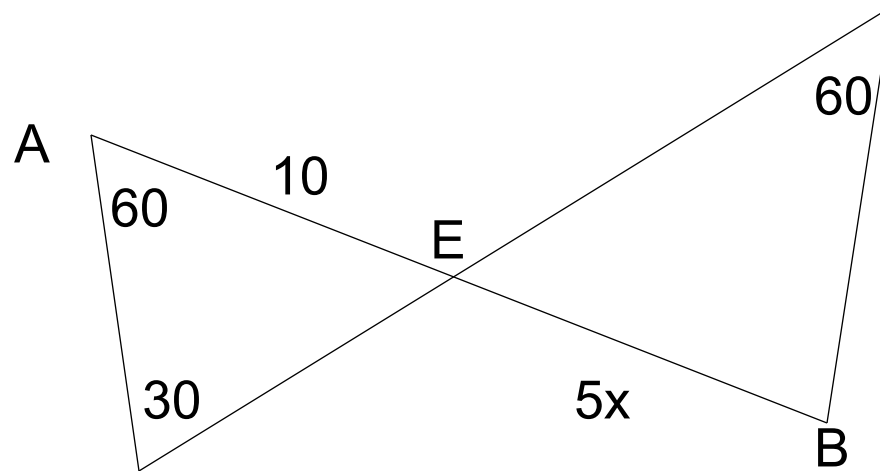
Colon form:

Fraction form:

1. A poster is 3 feet long and 20 inches wide.
Find the ratio of length to width.

a) Comparing feet:

b) Comparing inches:

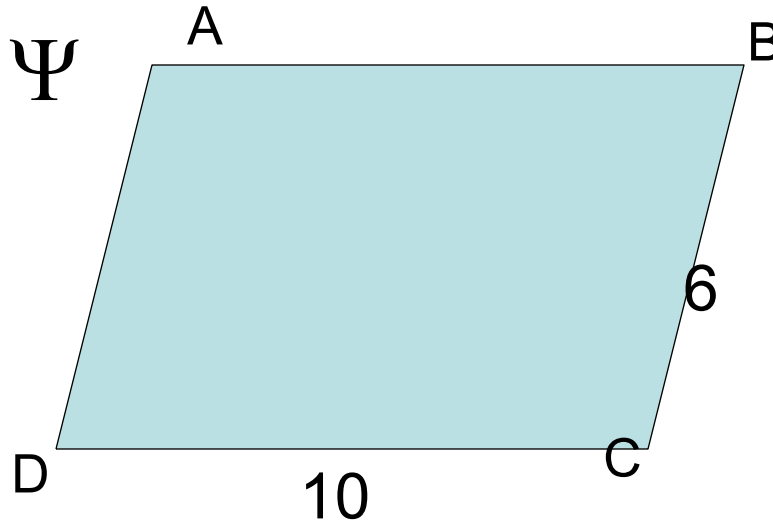


a) Find the ratio of AE to BE.

b) Find the ratio of the largest angle of Triangle A to smallest angle of triangle B.

3. A telephone pole 7 meters tall snaps into two parts. The ratio of the two parts is 3:2. Find the length of each part.

$ABCD$ is a Ψ



$$AB : BC$$

$$BC : AD$$

$$PA : PC$$

$$AB : \text{Perimeter of } ABCD$$

The measures of the angles of a triangle are in the ratio of 3:4:5. Find the measures of each angle.

7.2

Properties of Proportions

A proportion is a set of two equal ratios:

The Means and Extremes Property:

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Properties of Proportions:

$$\frac{a}{b} = \frac{c}{d}$$

Using the Proportion $\frac{a}{b} = \frac{3}{5}$

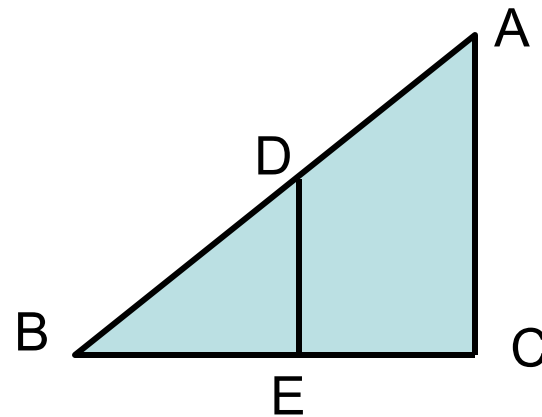
a) $5a =$

b) $\frac{5}{b} =$

c) $\frac{a+b}{b} =$

d) $\frac{5}{3} =$

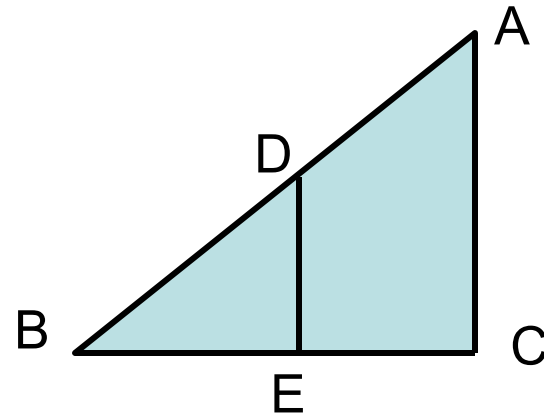
In the figure $\frac{AD}{DB} = \frac{CE}{EB}$



1. If $CE=2$, $AB=6$ and $AD=3$ then $EB=$ _____

2. If $AB=10$, $DB=8$ and $CB=7.5$ then
 $EB=$ _____

In the figure $\frac{AD}{DB} = \frac{CE}{EB}$



1. $BA=12$, $BE=10$, $EC=5$

Find $BD=$ _____ $DA=$ _____

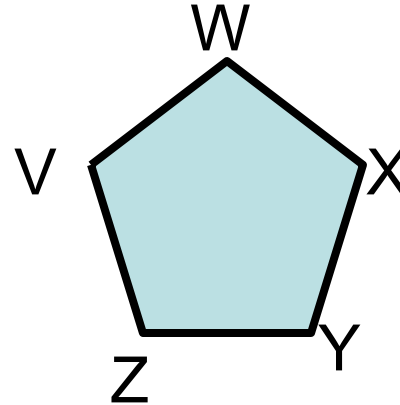
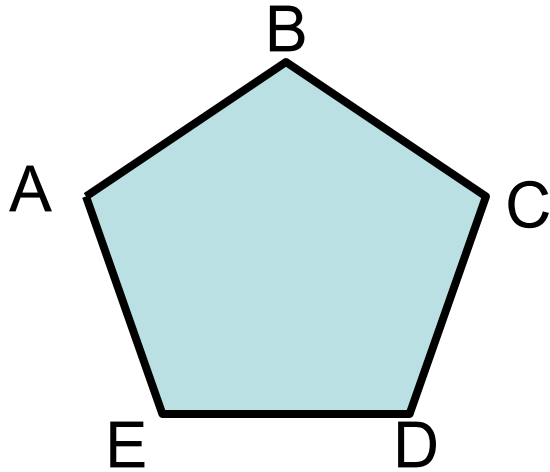
7.3

Similar Polygons

Two polygons are similar if their vertices can be paired so that:

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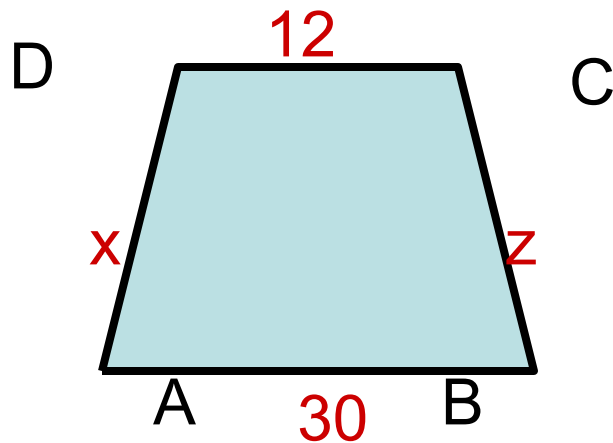


Given: $ABCDE : VWXYZ$

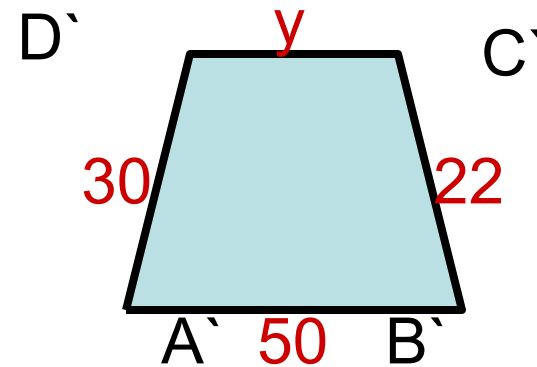
List congruent Angles:

List Proportions of sides:

If polygons are similar then the ratio of the lengths of two corresponding sides is called the **Scale Factor**

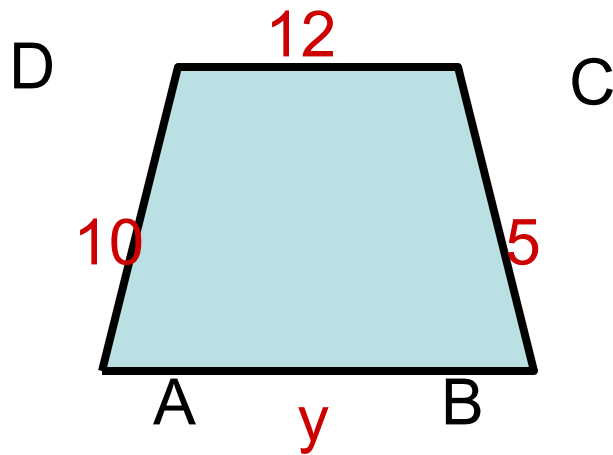


a) Scale Factor:

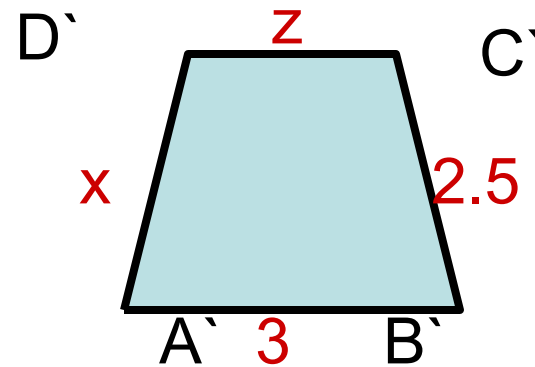


a) Find x, y, z:

The ratio of the perimeters of two similar figures is equal to the **Scale Factor**.



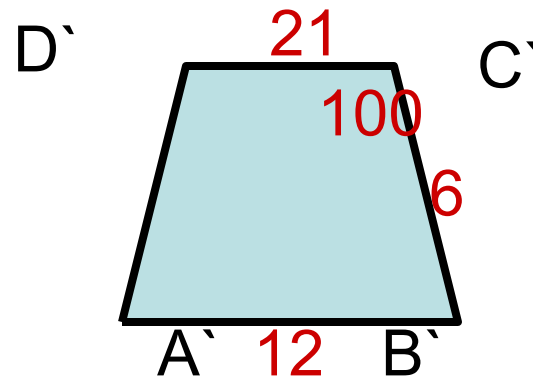
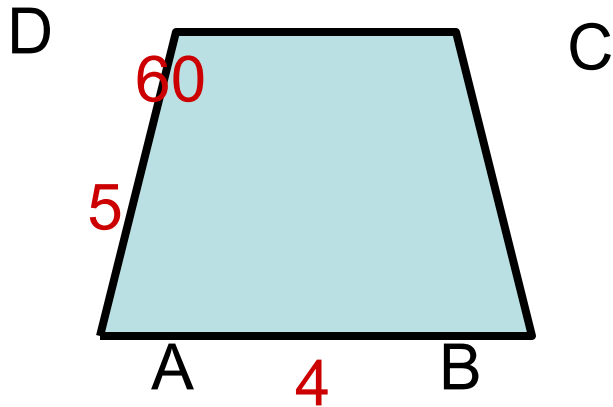
a) Scale Factor:



a) Find x , y , z :

a) Scale Factor:

b) Angle $D' =$ _____

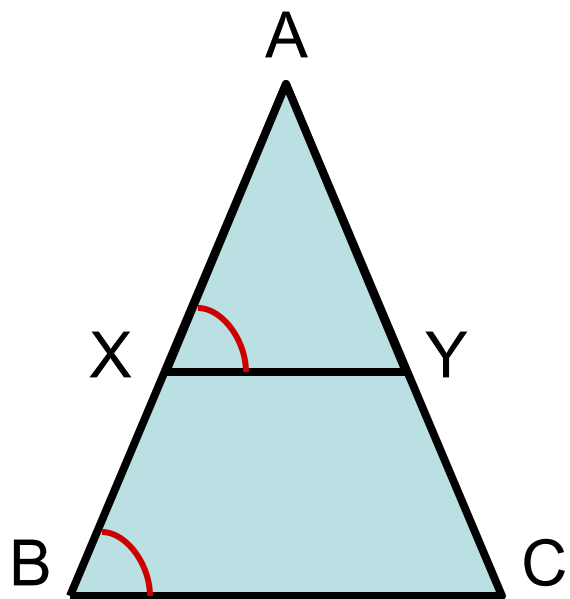


c) Find CB , $A'D'$, DC :

7.4

Proving Triangles are Similar

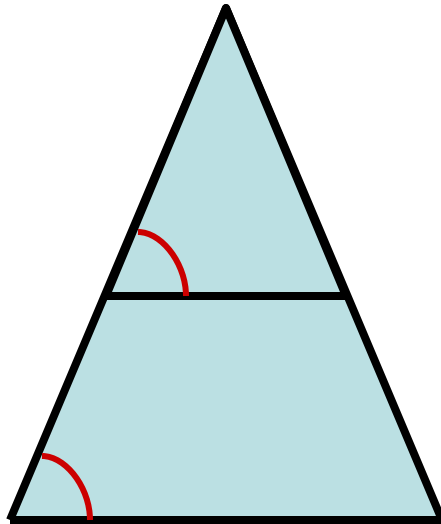
Postulate 15: _____



When there are triangles within Triangles:

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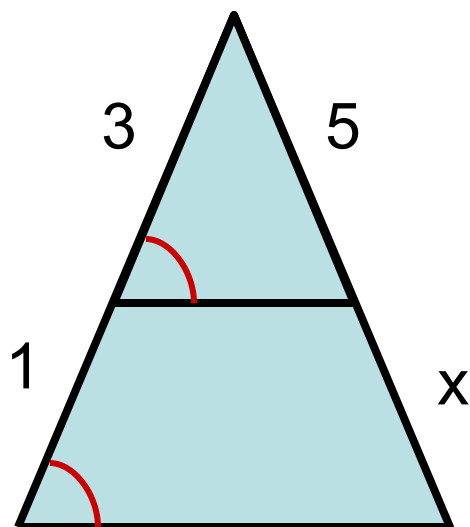
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Are the triangles similar?

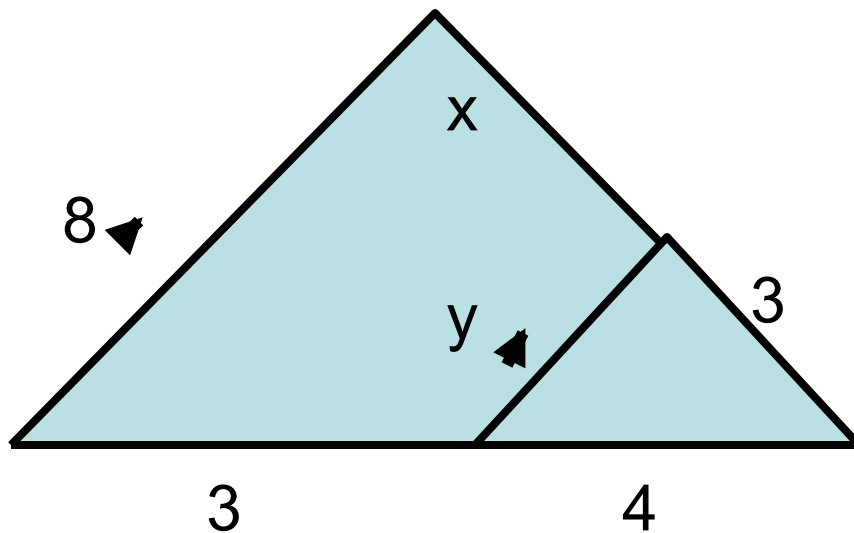
Find the scale factor. _____

Solve for x = _____



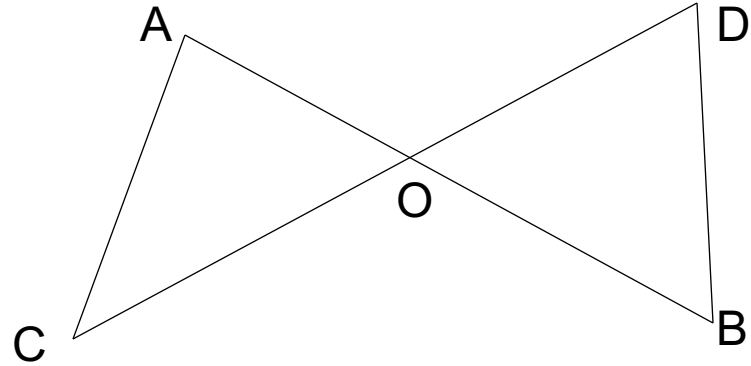
Find $x = \underline{\hspace{2cm}}$ and $y = \underline{\hspace{2cm}}$:

Scale Factor = $\underline{\hspace{2cm}}$



Given : $\overline{AC} \parallel \overline{BD}$

Prove : $\triangle COA \cong \triangle DOB$



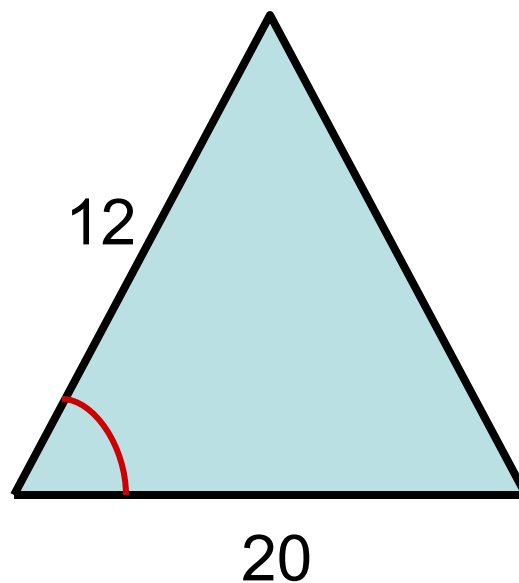
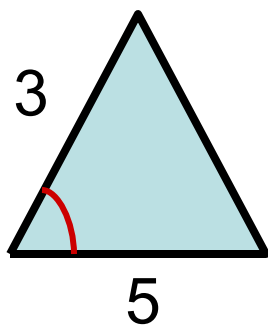
1.

1. *Given*

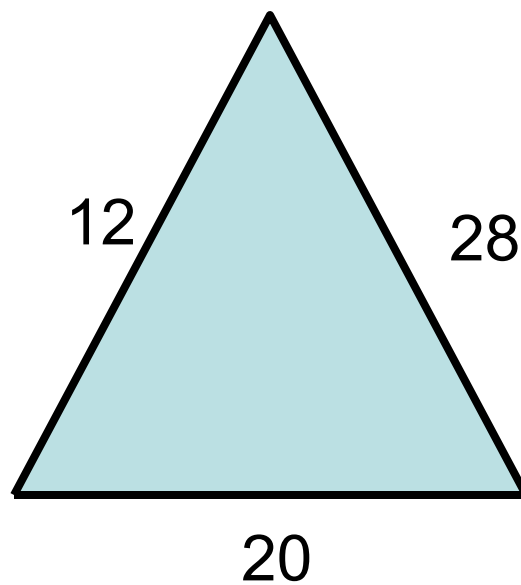
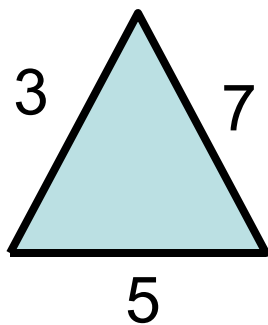
7.5

More Similar Triangles

Theorem 7.1: _____



Theorem 7.2: _____



How do we know what sides of the triangles to compare?

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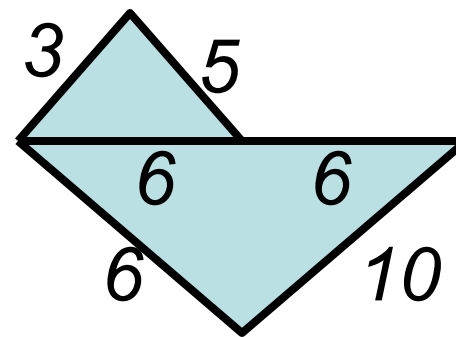
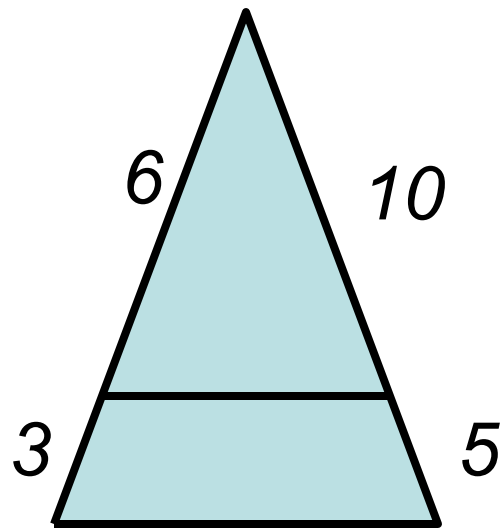
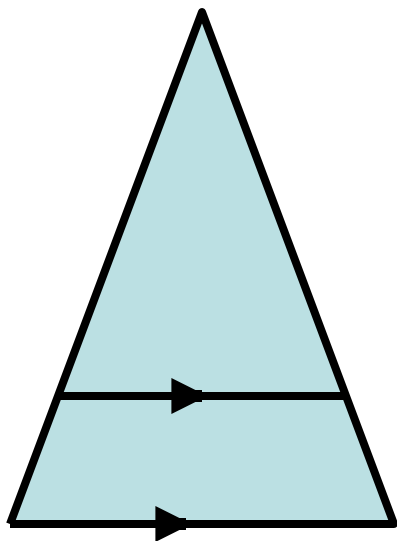
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$\triangle ABC$ has sides of 4,5,7 and

$\triangle XYZ$ has sides of 16,20,28

Are they similar?

What reason are the Triangles ~?

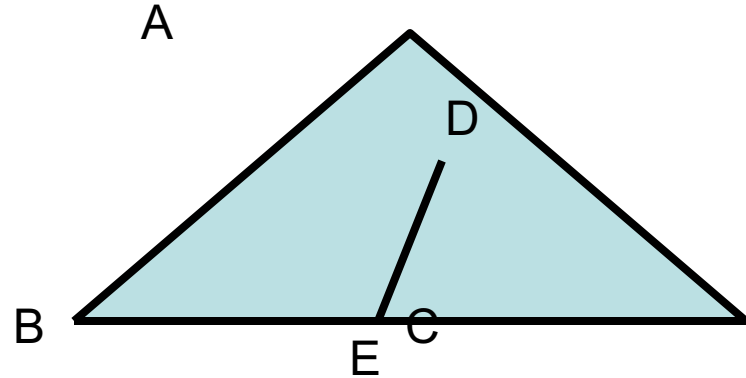


Def of \sim

Means and Extremes Property:

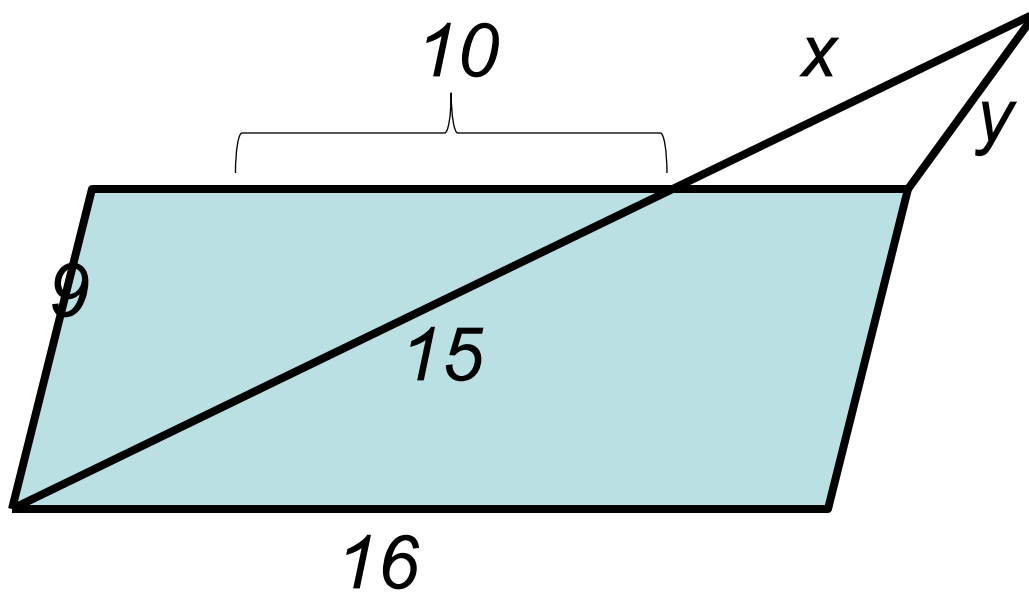
Given : $\triangle ABC \cong \triangle DEC$

Prove : $\angle ABC = \angle DEC$



1.

1. *Given*



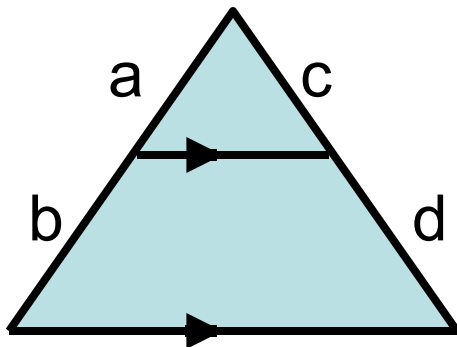
Solve for x and y : Scale Factor? _____

7.6

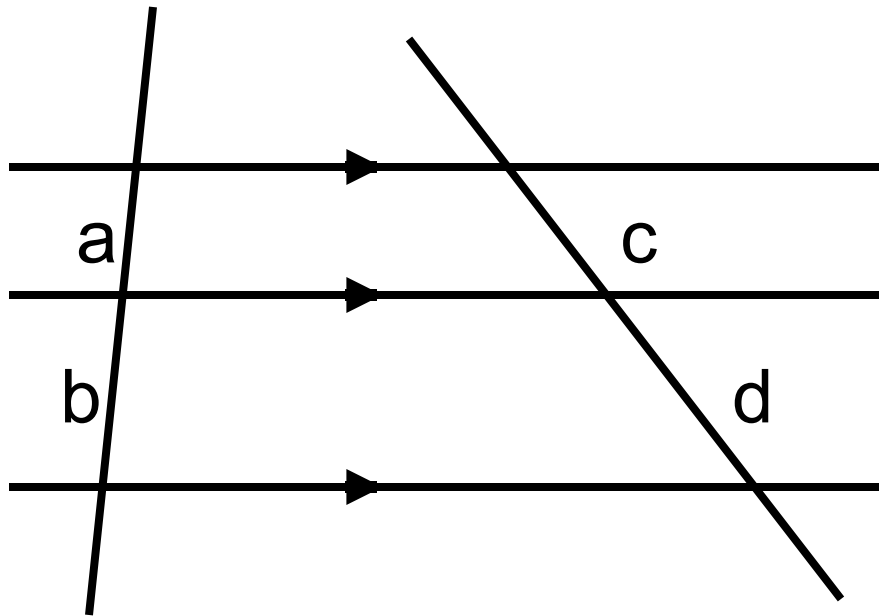
Proportional Lengths

Divide Proportionally means:

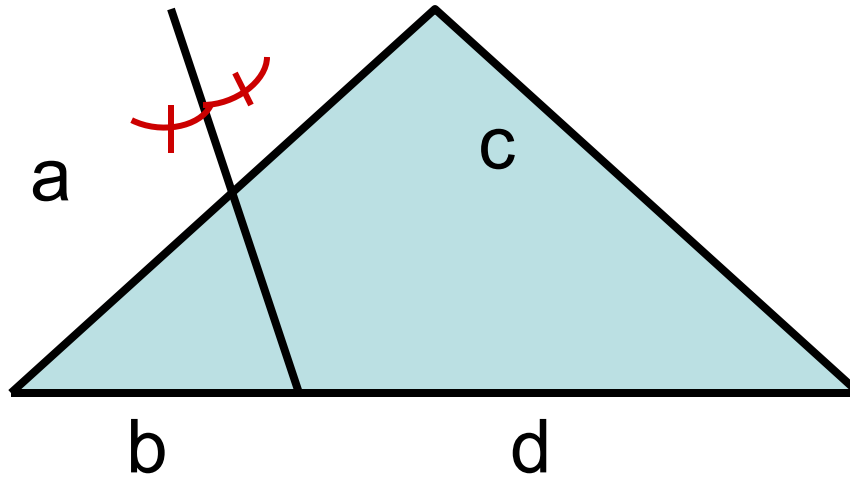
Triangle Proportionality Theorem:



Corollary: _____



Triangle Angle Bisector:



Examples:

