Subject: 8 th /CC Math I	Timeframe Needed for Completion: 9 weeks
Grade Level: 8 th	
Unit Title: Equations, functions, rate of change/slope	Grading Period: 1 st nine weeks
Big Idea/Theme: Determining functions	
• Understandings:	
 Reason quantitatively and use units to solve problems 	
 Interpret the structure of expressions 	
• Create equations that describe numbers or relationships	
• Understand solving equations as a process of reasoning and explain	the reasoning
• Solve equations and inequalities in one variable	
• Represent and solve equations and inequalities graphically	
• Define, evaluate and compare functions	
• Understand the concept of a function and use function notation	
• Use functions to model the relationship between quantities	
• Interpret functions that arise in applications in terms of a context	
 Analyze functions using different representations 	
• Build a function that models a relationship between two quantities	
 Build new functions from existing functions 	
• Construct and compare linear, quadratic and exponential models and	l solve problems
• Interpret expressions for functions in terms of the situation they mod	lel
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Essen	tial Questions:	Curriculum Goals/Objectives (to be assessed at the end of the
1.	How do you know when to stop when simplifying/solving an expression or equation?	unit/quarter)
3. 4. 5. 6. 7. 8. 9.	How can it be possible to have no solution or all the real numbers as an answer to an equation?	 Common Core State Standards N.Q.1: Use units as a way to understand problems and to guide the solution of multi-step problems N.Q.1: Choose and interpret units consistently in formulas N.Q.1: Choose and interpret the scale and the origin in graphs and data displays N.Q.2: Define appropriate quantities for the purpose of descriptive modeling N.Q.3: Choose a level of accuracy appropriate to limitations on measurement when reporting quantities A.SSE.1: Interpret expressions that represent a quantity in terms of its context. Interpret parts of an expression, such as terms, factors, and coefficients. Interpret complicated expressions by viewing one or more of their parts as a single entity. For example, interpret P(1+r)ⁿ as the product of P and a factor not depending on P. A.CED.1: Create equations and inequalities in one variable and use them to solve problems. Include equations arising from linear and quadratic functions, and simple rational and exponential functions. A.CED.4: Rearrange formulas to highlight a quantity of interest, using the same reasoning as in solving equations. For example, rearrange Ohm's law V=IR to highlight resistance R. A.REI.1: Explain each step in solving a simple equation as following from the equality of numbers asserted at the previous step, starting from the assumption that the original equation has a solution. Construct a viable argument to justify a solution method.
		10. A.REI.3 Solve linear equations and inequalities in one variable, including equations with coefficients represented by

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letters
11. 8.F.1 Understand that a function is a rule that assigns to each
input exactly one output. The graph of a function is the set of
ordered pairs consisting of an input and the corresponding
output.
12. 8.F.2 Compare properties of two functions each represented
in a different way (algebraically, graphically, numerically in
tables or by verbal descriptions. For example, given a linear
function represented by an algebraic expression, determine
which function has the greater rate of change.
13. 8.F.3 Interpret the equation y=mx+b as defining a linear
function whose graph is a straight line; give examples of
functions that are not linear. For example, the function $A = s^2$
giving the area of a square as a function of its side length is
not linear because its graph compares the points (1,1), (2,4),
and (3,9) which are not on a straight line.
14. 8.F.4 Construct a function to model a linear relationship
between two quantities. Determine the rate of change and the
initial value of the function from a description of a relationship
or from two (x,y) values, including reading these from a table
or from a graph. Interpret the rate of change and initial value
of a linear function in terms of the situation it models, and in
terms of its graph or a table of values.
15. 8.F.5 Decsribe qualitatively the functional relationship
between two quantities by analyzing a graph (e.g. where the
function is increasing or decreasing, linear or nonlinear).
Sketch a graph that exhibits the qualitative features of a
function that has been described verbally.
16. F.IF.1 Understand that a function from one set (called the
domain) to another set (called the range) assigns to each
element of the domain exactly one element of the range. If f is
a function and x is an element of its domain, the $f(x)$ denotes
the output of f corresponding to the input x. The graph of f is
ine output of <i>j</i> corresponding to the input <i>x</i> . The graph of this

the graph of the function $y = f(x)$.
17. F.IF.2 Use function notation, evaluate functions for inputs in
their domains, and interpret statements that use function
notation in terms of a context.
18. F.IF.3 Recognize that sequences are functions, sometimes
described recursively, whose domain is a subset of the integers.
For example, the Fibonacci sequence is defined recursively by
f(0) = f(1) = 1, $f(n+1) = f(n) + f(n-1)$ for $n > 1$.
19. F.IF.4 For a function that models a relationship between two
quantities, interpret key features of graphs and tables in terms
of the quantities, and sketch graphs showing key features given
a verbal description of the relationship. <i>Key features include</i>
intercepts; intervals where the function is increasing,
decreasing, positive or negative; relative maximums and
minimums; symmetries; end behavior and periodicity.
20. F.IF.5 Relate the domain of a function to its graph and, where
applicable, to the quantitative relationship it describes. <i>For</i>
example if the function $h(n)$ gives the number of person hours
it takes to assemble n engines in a factory, then the positive
integers would be the domain for the function.
21. F.IF.6 Calculate and interpret the average rate of change of a
function (presented symbolically or as a table) over a specified
interval. Estimate the rate of change from a graph.
22. F.BF.2 Write arithmetic and geometric sequences both
recursively and with explicit formula, use them to model
situations, and translate between the two forms.
23. F.LE.2 Construct linear and exponential functions, including
arithmetic and geometric sequences, given a graph, a
description of a relationship, or two input-output pairs
(including reading these from a table.)
24. S.ID.7 Interpret the slope (rate of change) and the intercept
(constant term) of a linear model in the context of the data.
(constant term) of a mean model in the context of the data.

Essential Skills/Vocabulary:	Assessment Tasks:
Vocabulary:	
Solution set	Quick writes
Extraneous solution	Teacher made tests and quizzes
Independent variable	Find the error
Dependent variable	Foldables
Constraints	Cornell notes
Domain	Groupwork
Range	Projects
Terms	Graphic organizers
Factors	Venn Diagrams
Coefficients	Anticipation/prediction guides
Justifying	
Rate of change	
Slope	
y-intercept	
Initial value	
Function notation	
Arithmetic sequence	
Geometric sequence	
Common difference	
Common ratio	
Essential skills:	
1. Use appropriate units to solve problems	
2. Choose units appropriate to the context of the problem	
3. Understand, read and interpret the scale and origin	
4. Understand how to adjust viewing window to view a complete	
graph	
5. Defining appropriate quantities to describe the model being	
used	
6. Understand the tool used determines the level of accuracy	

- 7. Interpreting parts of an expression, such as terms, factors, coefficients
- 8. Interpreting constants and coefficients of an expression in context
- 9. Creating equations and inequalities in one variable, using them to solve problems
- 10. Creating equations in linear, quadratic and exponential functions, as appropriate
- 11. Rewriting an equation to solve for a specific variable
- 12. Explain steps in solving an equation and justify each step
- 13. Understand a function assigns exactly one output to each input
- 14. Determining the rate of change of functions
- 15. Identifying linear and nonlinear functions
- 16. Determine rate of change and initial value from a table, graph or equation
- 17. Sketching a graph given a real world situation
- 18. Describe the domain and range of a function
- 19. Understand the difference between arithmetic and geometric sequences
- 20. Interpret key features of graphs and tables; including intercepts, intervals where function is increasing, decreasing, positive, negative, maximums, minimums
- 21. Graphing a function given an equation and determining the domain, range and any restrictions that exist
- 22. Writing arithmetic and geometric sequences.

Guiding Questions:

- 1. When finding the area of a figure, what would be an appropriate measure?
- 2. When finding the volume of a figure, what would be an appropriate measure?

3.	How do you determine an appropriate scale when making a	T
	graph?	

- 4. What quantities would you use to describe the "best"?
- 5. What quantities could you use to describe being "good" at something?
- 6. What is the accuracy of the measuring tool used?
- 7. Write an equation given multi inputs to determine a specific output.
- 8. Given the following formula, solve for a specified variable
- 9. Solve the given equation using mathematical properties to justify each step
- 10. How can you determine a rule is not a function?
- 11. Given a function, determine if it is linear or non-linear
- 12. Looking at the table, graph, equation determine the rate of change and the y-intercept
- 13. Describe the given graph explaining what could have occurred in each segment
- 14. Evaluate a specific data point of a function and explain its meaning in the context of the equation
- 15. Where does the function show a positive rate of change and what does it mean in this problem?
- 16. Where does the function show a negative rate of change and what does it mean in this problem?
- 17. What are the intercepts, and what do they mean in this problem?
- 18. Sketch a graph of the described relationship and explain what a given point represents in the problem
- 19. What are the differences between arithmetic amnd geometric sequences?

Materials Suggestions:	
NCDPI Resources:	
http://www.ncpublicschools.org/curriculum/mathematics/middlegrades/grade08/	
http://mathlearnnc.sharpschool.com/cms/One.aspx?portalId=4507283&pageId=5149151	
National Library of Manipulatives	
http://nlvm.usu.edu/en/nav/vlibrary.html	
NCTM Illuminations	
http://illuminations.nctm.org/	
Lesson Plan sites and Activities:	
http://www.lessonplanspage.com/Math.htm	
http://www.ilovemath.org	
Math Graphic Organizers	
http://www.enchantedlearning.com/graphicorganizers/math/	
Problem Solving/Problem Websites	
http://library.thinkquest.org/25459/learning/problem/	
http://www.geom.uiuc.edu/~lori/mathed/problems/problist.html	
http://www.rhlschool.com/math.htm	
http://nces.ed.gov/nationsreportcard/itmrlsx/search.aspx	
Currituck County Schools – Common Core Resources	
http://www.currituck.k12.nc.us/Page/3021	
AVID Library/Mathematics Write Path I and II	