19.1+9,2 MC

Multiple choice: Select the best unswer for Exercises 27 to 30.

- Experiments on learning in animals sometimes measure how long it takes mice to find their way through a maze. The mean time is 18 seconds for one particular maze. A researcher thinks that a loud noise will cause the mice to complete the maze faster. She measures how long each of 10 mice takes with a noise as stimulus. The sample mean is $\bar{x} = 16.5$ seconds. The appropriate hypotheses for the significance test are
 - (a) $H_0: \mu = 18$; $H_a: \mu = 18$.
 - (b) $H_0 = 16.5$; $H_o: \mu < 18$.
 - (c) $H_0: \mu < 18$; $H_a: \mu = 18$.
 - (d) $H_0: \mu = 18$; $H_u \cdot \mu < 18$.
 - (e) H_{0:x} = 18; H_{n:x} < 18
- 28) You use technology to carry out a significance test and get a P-value of 0.031. The correct conclusion is
 - (a) accept H_a at the $\alpha = 0.05$ significance level.
 - (b) reject H_0 at the $\alpha = 0.05$ significance level.
 - (c) reject H_0 at the $\alpha = 0.01$ significance level.
 - (d) fail to reject H_0 at the $\alpha = 0.05$ significance level.
 - (e) fail to reject H_a at the $\alpha = 0.05$ significance level.
- Vigorous exercise helps people live several years longer (on average). Whether mild activities like slow walking extend life is not clear. Suppose that the added life expectancy from regular slow walking is just 2 months. A statistical test is more likely to find a significant increase in mean life expectancy if
 - (a) it is based on a very large random sample and a 5% significance level is used.
 - (b) it is based on a very large random sample and a 1% significance level is used.
 - (c) it is based on a very small random sample and a 5% significance level is used.
 - (d) it is based on a very small random sample and a 1% significance level is used.
 - (e) the size of the sample doesn't have any effect on the significance of the test

Pudue = .031 / a= .05 Reject Ho

Power of a test Select the largest possible sample size and of

attions.
30. A researcher plans to conduct a significance test at
the $\alpha = 0.01$ significance level. She designs her study
to have a power of 0.90 at a particular alternative
value of the parameter of interest. The probability
that the researcher will committ
a Type II error for the particular
alternative value of the parameter
at which as
at which she computed the power

P(Type I) =
$$d$$

P(Type II) = β
Power = $1 - \beta$
Power = $.90 \rightarrow \beta = .1$

57. After once again losing a football game to the archrival, a college's alumni association conducted a survey to see if alumni were in favor of firing the coach. An SRS of 100 alumni from the population 64/100 of all living alumni was taken, and 64 of the alumni in the sample were in favor of firing the coach. Suppose you wish to see if a majority of living alumni are in favor of firing the coach. The appropriate test statistic is

(a)
$$z = \frac{0.64 - 0.5}{\sqrt{\frac{0.64(0.36)}{100}}}$$
 (d) $z = \frac{0.64 - 0.5}{\sqrt{\frac{0.64(0.36)}{64}}}$

(b)
$$t = \frac{0.64 - 0.5}{\sqrt{\frac{0.64(0.36)}{100}}}$$
 (e) $z = \frac{0.5 - 0.64}{\sqrt{\frac{0.5(0.5)}{100}}}$

(c)
$$z = \frac{0.64 - 0.5}{\sqrt{\frac{0.5(0.5)}{100}}}$$
. To H

SE besed on Ho

- 59. The z statistic for a test of $H_0: p = 0.4$ versus $H_a:$ p > 0.4 is z = 2.43. This test is
 - (a) not significant at either $\alpha = 0.05$ or $\alpha = 0.01$.
 - (b) significant at $\alpha = 0.05$ but not at $\alpha = 0.01$.
 - (c) significant at $\alpha = 0.01$ but not at $\alpha = 0.05$.
 - (d) significant at both $\alpha=0.05$ and $\alpha=0.01$.
 - (e) inconclusive because we don't know the value of \hat{p} .

[58] Which of the following is not a condition for performing a significance test about an unknown population proportion b?

- (a) The data should come from a random sample or randomized experiment.
- (b) Individual measurements should be independent of one another.
- (c) The population distribution should be approximately Normal, unless the sample size is large.
- (d) Both np and n(1-p) should be at least 10. \sqrt{np}
- (e) If you are sampling without replacement from a condition) finite population, then you should sample no more than 10% of the population.

P(Z>2.43)=(0075) normaledf (2,43, £99,0,1)

60 Which of the following 95% confidence intervals would lead us to reject H_0 : p = 0.30 in favor of $H_a: p \neq 0.30$ at the 5% significance level?

(a) (0.29, 0.38) (c) (0.27, 0.31) (e) None of these (b) (0.19, 0.27) (d) (0.24, 0.30)

Reject to means po=130
is Not in the interval

AP STATISTICS

Section Tests about a Population Mean

Multiple choice: Select the best answer for Exercises 99 to 104.

- 99. The reason we use t procedures instead of z procedures when carrying out a test about a population mean is that
 - (a) z can be used only for large samples.
 - (b) z requires that you know the population standard deviation o.
 - (c) z requires you to regard your data as an SRS from the population.
 - (d) z applies only if the population distribution is perfectly Normal.
 - (e) z can be used only for confidence intervals.
- 100. You are testing $H_0: \mu = 10$ against $H_a: \mu < 10$ based on an SRS of 20 observations from a Normal population. The t statistic is t = -2.25. The P-value
 - (a) falls between 0.01 and 0.02.
 - (b) falls between 0.02 and 0.04.
 - (c) falls between 0.04 and 0.05.
 - (d) falls between 0.05 and 0.25.
 - (e) is greater than 0.25.

101. You are testing $H_0: \mu = 10$ against $H_a: \mu \neq 10$ based on an SRS of 15 observations from a Normal population. What values of the t statistic are statistically significant at the $\alpha = 0.005$ level?) P-value=.0025*2

Only the pvalues for ONE of the tails.

(a) t > 3.326(b) t > 3.286(a) t > 2.977 ((d)) t < -3.326 or t > 3.326

P-value=tcdf(3.286,e99,14)=.0027*2=.0054>.005

.005≥=005

tcdf(3.326,e99,14)

102. After checking that conditions are met, you perform a significance test of $H_0: \mu = 1$ versus $H_a: \mu \neq 1$. You obtain a P-value of 0.022. Which of the following is true?

- (a) A 95% confidence interval for μ will include the value 1.
- (b) A 95% confidence interval for μ will include the
- ((c) λ 99% confidence interval for μ will include the value ly
- (d) A 99% confidence interval for μ will include the
- (e) None of these is necessarily true.

Pated FLEE 1225 19 = 1018 +4 -2.25

Notice this is a 2-tail test so you need the p-values for 101 BOTH the lower & upper tails. .0025 ŁK 10

Statistically significant when our *P*-value is less than the chosen significance level (α) , the result is statistically significant.

P velve = ,022/2 = ,011 2TAIL HT LCI ou . 011 96%

9970

103. Does Friday the 13th have an effect on people's behavior? Researchers collected data on the numbers of shoppers at a sample of 45 different grocery stores on Friday the 6th and Friday the 13th in the same month. The dotplot and computer output below summarize the data on the difference in the number of shoppers at each store on these two days (subtracting in the order 6th minus 13th).32

-800 -600 -400200 Diff

Mean Median TrMean StDev SEMean -46.5 -11.0 -37.4 178.0 26.1 -77,4.0 302.0 -141.0 53.5

Researchers would like to carry out a test of H_0 : $\mu_d = 0$ versus H_a : $\mu_d \neq 0$, where μ_d is the true mean difference in the number of grocery shoppers on these two days. Which of the following conditions for performing a paired t test is not met?

I. Random

II. Normal

III. Independent

(a)) I only

(c) III only

(e) I, II, and III

(b) II only

(d) I and II only

- 104. The most important condition for sound conclusions from statistical inference is that
 - (a) the data come from a well-designed random sample or randomized experiment.
 - (b) the population distribution be exactly Normal.
 - (c) the data contain no outliers.
 - (d) the sample size be no more than 10% of the population size.
 - (e) the sample size be at least 30.

Shappers not run down by selected

Chapter ⁹ AP Statistics

Section I: Multiple Choice Select the best answer for each question. (8 POINTS EACH)

T9.1. An opinion poll asks a random sample of adults whether they favor banning ownership of handguns by private citizens. A commentator believes that more than half of all adults favor such a ban. The null and alternative hypotheses you would use to test this claim are

- (a) Hoip = 0.5; Ho: D > 0.5
- (b) $H_0: p = 0.5$; $H_a: p > 0.5$
- (c) $H_0: p = 0.5; H_a: p < 0.5$
- (d) $H_0: p = 0.5$; $H_a: p \neq 0.5$
- (e) $H_0: p > 0.5$; $H_a: p = 0.5$

T9.2. You are thinking of conducting a one-sample t test about a population mean μ using a 0.05 significance level. You suspect that the distribution of the population is not Normal and may be moderately skewed. Which of the following statements is correct?

- (a) You should not carry out the test because the population does not have a Normal distribution.
- (b) You can safely carry out the test if your sample size is large and there are no outliers. CLT
- (c) You can safely carry out the test if there are no outliers, regardless of the sample size.
- (d) You can carry out the test only if the population standard deviation is known.
- (e) The t procedures are robust—you can use them any time you want.
- T9.3. To determine the reliability of experts who interpret lie detector tests in criminal investigations, a random sample of 280 such cases was studied. The results were

Examiner's Decision	Suspect's True Status	
	Innocent	Guilty
"Innocent"	131	B. 15
"Guilty"	9	125
		144/2 1

If the hypotheses are H_0 : suspect is innocent versus H_a : suspect is guilty, then we could estimate the probability that experts who interpret lie detector tests will make a Type II Conditional Probability error as

- (a) 15/280.
- (c))15/140.
- (e) 15/146.

Memorize table

- (b) 9/280.
- (d) 9/140. P(Type 2) =P(fail to reject Ho given Ho is false)= 15/140
- T9.4. A significance test allows you to reject a null hypothesis Ho in favor of an alternative Ho at the 5% significance level. What can you say about significance at the 1% level?
- (a) Ho can be rejected at the 1% significance level.
- (b) There is insufficient evidence to reject H_0 at the 1% significance level.

(c) There is sufficient evidence to accept Ho at the 1% significance level.

(d) Ha can be rejected at the 1% significance level.

(e) The answer can't be determined from the information given.

T9.5. A random sample of 100 likely voters in a small city produced 59 voters in favor of Candidate A. The observed value of the test statistic for testing the null hypothesis $H_0: p \neq \emptyset.5$ versus the alternative hypothesis $H_a: p > 0.5$ is

(a)
$$z = \frac{0.59 - 0.5}{\sqrt{\frac{0.59(0.41)}{100}}}$$
 (d) $z = \frac{0.5 - 0.59}{\sqrt{\frac{0.5(0.5)}{100}}}$

(b)
$$z = \frac{0.59 - 0.5}{\sqrt{\frac{0.5(0.5)}{100}}}$$
 (e) $t = \frac{0.59 - 0.5}{\sqrt{\frac{0.5(0.5)}{100}}}$

(c)
$$z = \frac{0.5 - 0.59}{\sqrt{\frac{0.59(0.41)}{100}}}$$

T9.6. A researcher claims to have found a drug that causes people to grow taller. The coach of the basketball team at Brandon University has expressed interest but demands evidence. Over 1000 Brandon students volunteer to participate in an experiment to test this new drug. Fifty of the volunteers are randomly selected, their heights are measured, and they are given the drug. Two weeks later, their heights are measured again. The power of the test to detect an average increase in height of one inch could be when of and on no increased by

- (a) using only volunteers from the basketball team in the experiment,
 - (b) using $\alpha = 0.01$ instead of $\alpha = 0.05$.
 - (c) using $\alpha = 0.05$ instead of $\alpha = 0.01$.
 - (d) giving the drug to 25 randomly selected students instead of 50.
 - (e) using a two-sided test instead of a one-sided test.

Fip: Type II ERROR - is when you fail "Il" reject to when you really should have.

Reject to & S Fail to Repair correct



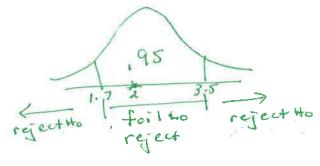
T9.7. A 95% confidence interval for a population mean μ is calculated to be (1.7, 3.5). Assume that the conditions for performing inference are met. What conclusion can we draw for a test of H_0 : $\mu = 2$ yersus H_a : $\mu \neq 2$ at the $\alpha = 0.05$ level based on the confidence interval?

- (a) None. We cannot carry out the test without the original data.
- (b) None. We cannot draw a conclusion at the $\alpha = 0.05$ level since this test is connected to the 97.5% confidence interval.
- (c) None. Confidence intervals and significance tests are unrelated procedures.
- (d) We would reject H_0 at level $\alpha = 0.05$.
- (e) We would fail to reject H_0 at level $\alpha = 0.05$.
- T9.8. In a test of $H_0: p = 0.4$ against $H_a: p \neq 0.4$, a random sample of size 100 yields a test statistic of z = 1.28. The Pvalue of the test is approximately equal to
- (a) 0.90.
- (c) 0.05.
- (e) 0.10.

(b) 0.40. (d) 0.20.

T9.9. An SRS of 100 postal employees found that the average time these employees had worked at the postal service was 7 years with standard deviation 2 years. Do these data provide convincing evidence that the mean time of employment μ for the population of postal employees has changed from the value of 7.5 that was true 20 years ago? To determine this, we test the hypotheses $H_0: \mu = 7.5$ versus $H_a: \mu \neq 7.5$ using a one-sample ttest. What conclusion should we draw at the 5% significance level?

- (a) There is convincing evidence that the mean time working with the postal service has changed.
- (b) There is not convincing evidence that the mean time working with the postal service has changed.
- (c) There is convincing evidence that the mean time working with the postal service is still 7.5 years.
- (d) There is convincing evidence that the mean time working with the postal service is now 7 years.
- (e) We cannot draw a conclusion at the 5% significance level. The sample size is too small.
- T9.10. Are TV commercials louder than their surrounding programs? To find out, researchers collected data on 50 randomly selected commercials in a given week. With the television's volume at a fixed setting, they measured the maximum loudness of each commercial and the maximum loudness in the first 30 seconds of regular programming that followed. Assuming conditions for inference are met. the most appropriate method for answering the question of interest is
- (a) a one-proportion z test.
- (d) a paired t interval.
- (b) a one-proportion z interval. (e) None of these.
- (C) paired test because you will look at the differences



> CALCULATUR P= 014 22=106 Reject Ho