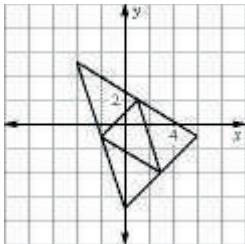
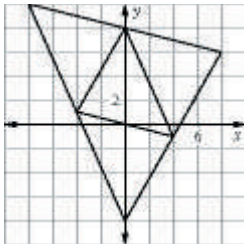


Answer Key

Lesson 8.3

Practice Level C

1. 5 2. 8 3. 14 4. 7 5. 12 6. 6 7. yes
8. yes 9. no 10. no 11. no 12. yes 13. yes
14. yes 15. slope of \overline{AB} = slope of \overline{CD} = -1
and slope of \overline{BC} = slope of \overline{DA} = 5 , so $ABCD$ is
a \square by definition. 16. $AB = CD = \sqrt{17}$
and $BC = DA = 3\sqrt{5}$, so $ABCD$ is a \square by
Theorem 8.7.
17. $(8, 6), (0, -8),$ 18. $(6, -1), (0, -7),$
and $(-8, 10)$ and $(-4, 5)$



19. Regular hexagon $JKLMNO$; Definition of regular polygon; $\triangle OJK \cong \triangle NML$; Corresponding parts of $\cong \triangle$'s are \cong ; $\overline{ON} \cong \overline{KL}$; Theorem 8.7

20.

Statements	Reasons
1. $VWKJ$ and $SJRU$ are \square .	1. Given
2. $\angle W \cong \angle J$ $\angle J \cong \angle U$	2. Opposite \angle s of a \square are \cong .
3. $\angle W \cong \angle U$	3. Transitive Prop. of \cong

21. Because $ABCD$ is a \square , opposite sides are \parallel .

So $\overline{AD} \parallel \overline{BC}$ and segments contained within \parallel segments are also \parallel so $\overline{AE} \parallel \overline{BF}$. We know opposite sides of \square are \cong so $\overline{AD} \cong \overline{BC}$. Since E and F are given as midpoints we can show $\overline{AE} \cong \overline{ED}$ and $\overline{CF} \cong \overline{FB}$, so through Segment Addition Postulate and Division Property of Equality we can show $\overline{AE} \cong \overline{FB}$. So quadrilateral $ABFE$ is a \square since one pair of opposite sides is \parallel and \cong .