

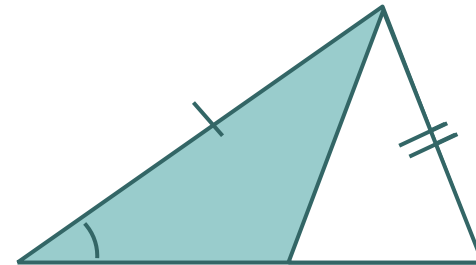
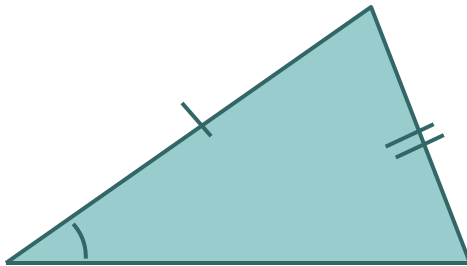


4-6

Congruence in Right Triangles

● ● ● | Think...

○ Why does SSA not prove congruent \triangle s?

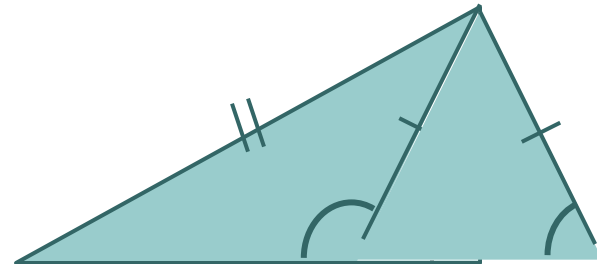
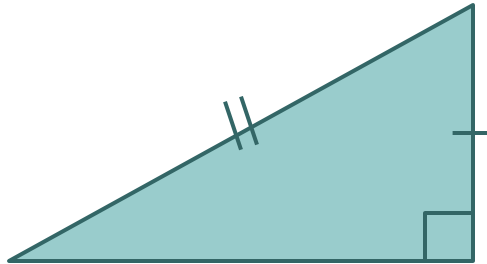


[Click Here to see other \$\triangle\$](#)

- [Video: Why is SSA **NOT** a congruence theorem?](#)
- [Video: Why **is** HL a congruence theorem?](#)

Why?

- BUT.... SSA _____ work when the non-included angle is a _____ angle!



[Click Here to see why](#)

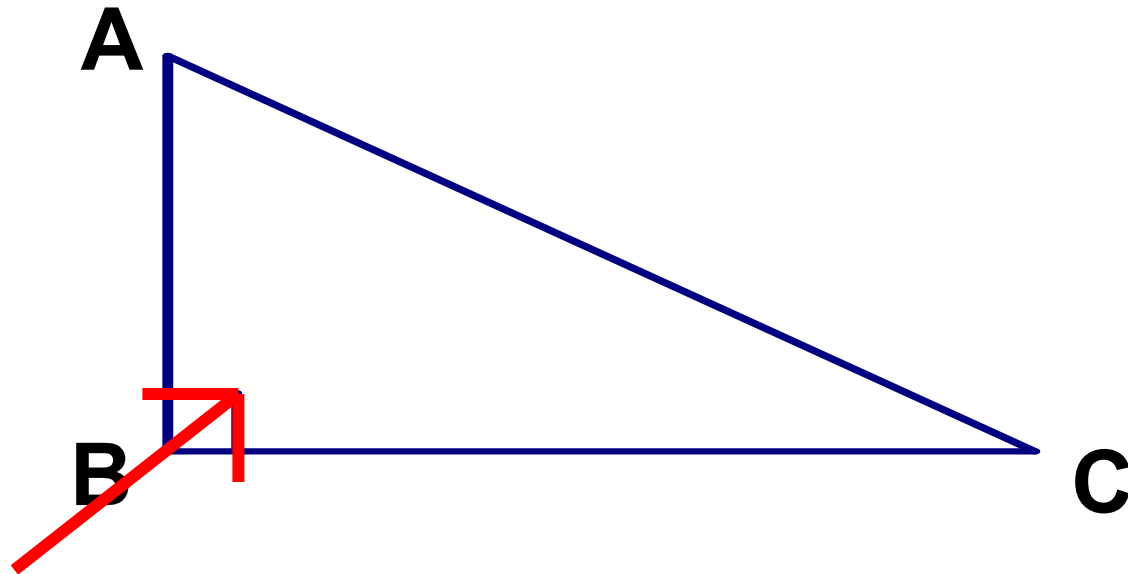
- The only triangle possible with the two fixed sides and _____ angle, is congruent to the original triangle.

Vocabulary

Parts of a Right Triangle

_____ : longest side

_____ : one of the two shorter sides

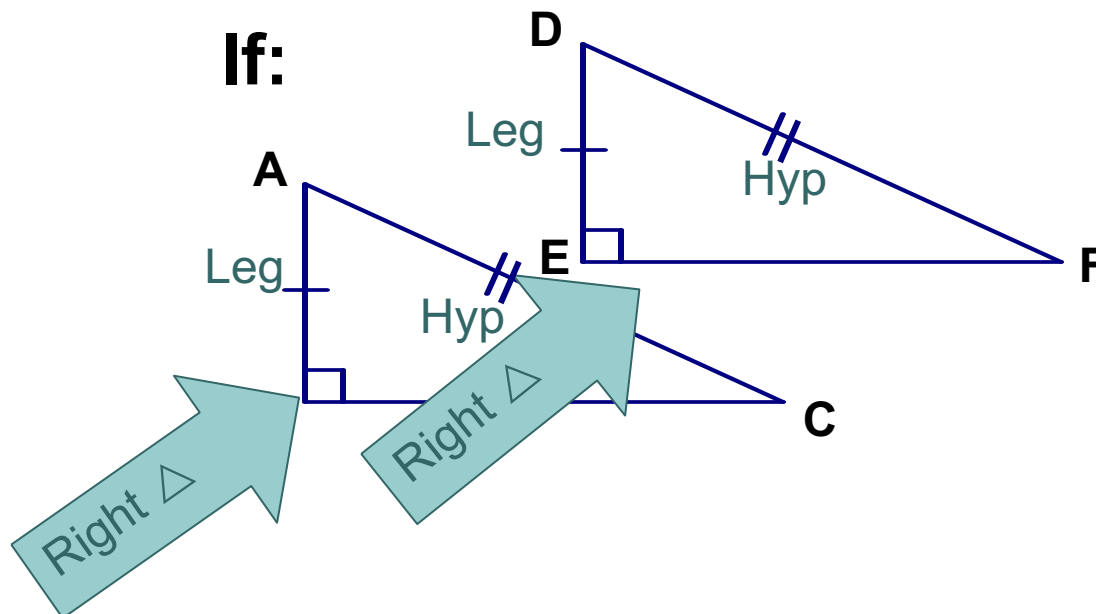


The right angle box makes an arrow pointing to the hypotenuse!

Hypotenuse-Leg Theorem

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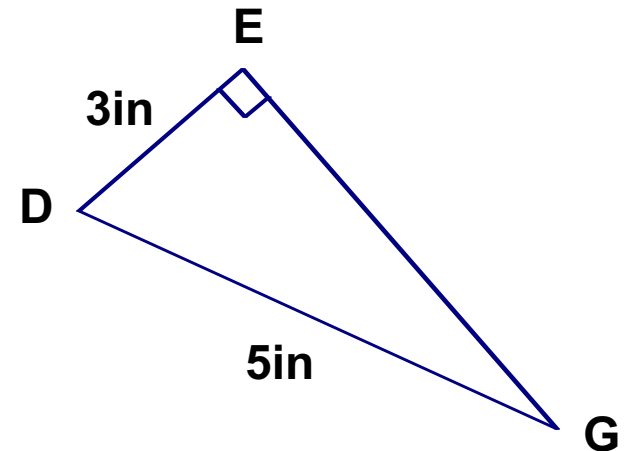
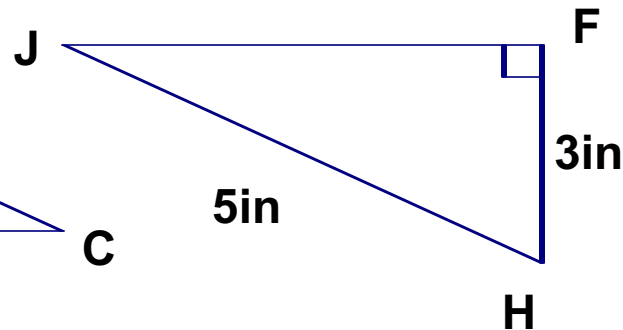
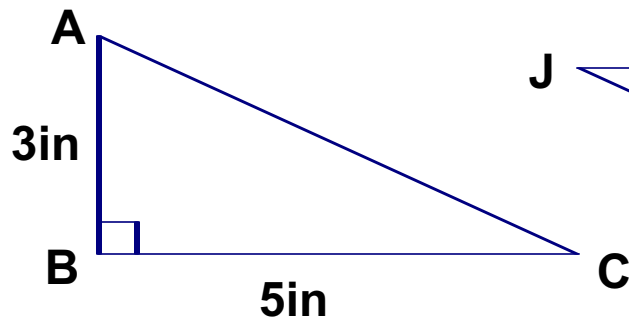
- If the hypotenuse and leg of one right triangle are congruent to the _____ and _____ of another right triangle, then the triangles are _____.



Ex 1:

Which are congruent by HL?

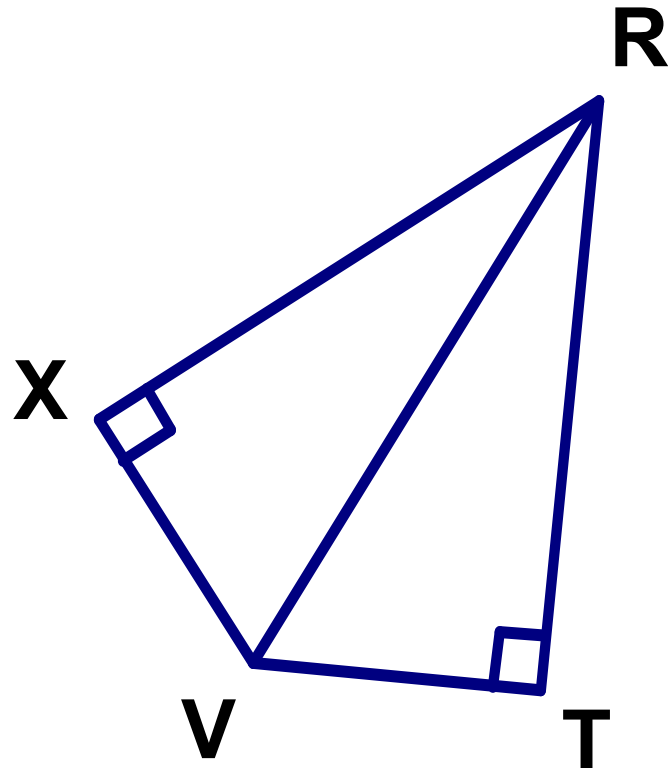
Label with H for \cong Hypotenuse
and L for \cong Leg



● ● ● | Ex 3: What else do you need to prove the triangles are congruent by HL?

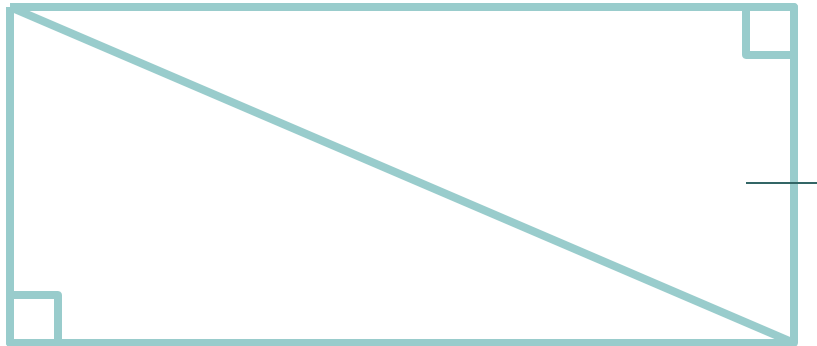
1) Draw in the implied congruent parts.

2) State any OTHER information that we would need to use HL.



Think About It!

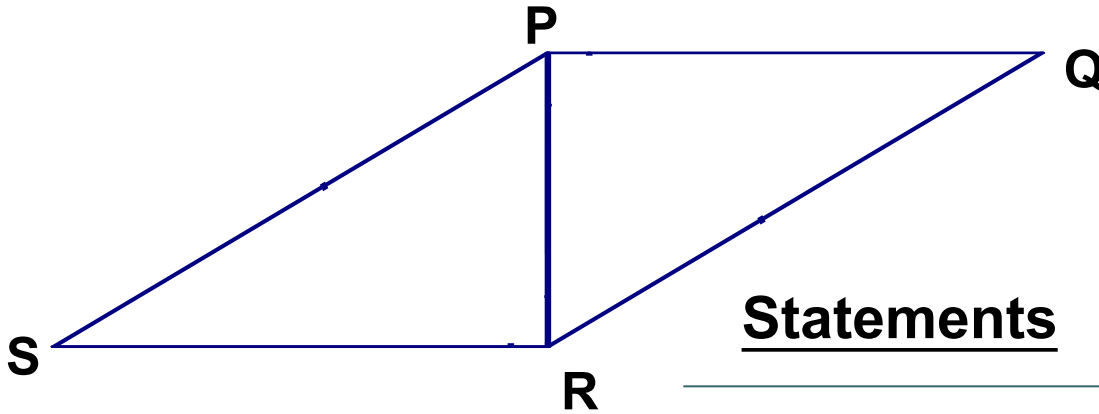
Why are the following triangles congruent by HL?



Ex 2: Prove the triangles are congruent

Given: $\angle QPR$ and $\angle SRP$
are right, $\overline{SP} \cong \overline{RQ}$

Prove: $\triangle SRP \cong \triangle QPR$



Statements

Reasons

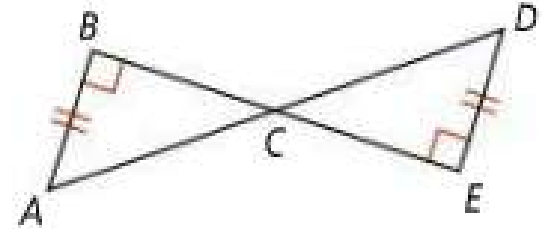
1. $\angle QPR$ and $\angle SRP$
are right, $\overline{SP} \cong \overline{RQ}$

1. Given

Draw in given
and implied
info.

Given: BE bisects AD at C ,
 $AB \perp BC$, $DE \perp EC$, and $AB \cong DE$

Prove: $\triangle ABC \cong \triangle DEC$



Statements

Reasons

1. BE bisects AD at C ,
 $AB \perp BC$, $DE \perp EC$,
and $AB \cong DE$

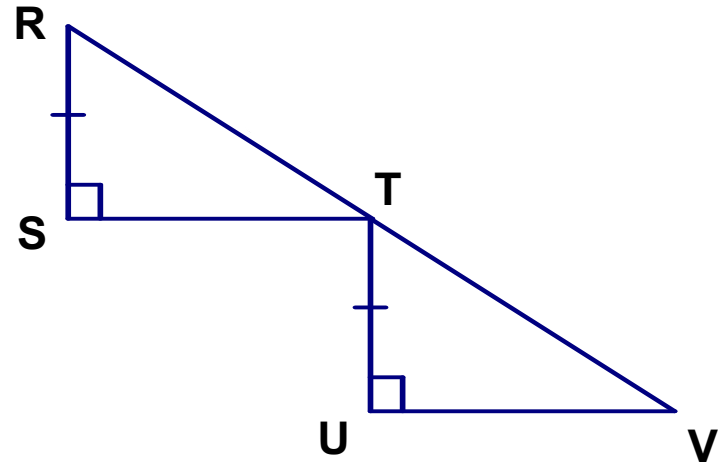
1. Given

Ex 4: Prove the two triangles are congruent

Given: T is the midpoint of RV
 $\angle S$ and $\angle U$ are right angles.

$$RS \cong TU$$

Prove: $\triangle RST \cong \triangle TUV$



<u>Statements</u>	<u>Reasons</u>
1. T is the midpoint of RV $\angle S$ and $\angle U$ are right angles $RS \cong TU$	1. Given