

# Lecture Outline

## Chapter 3: Linear Motion

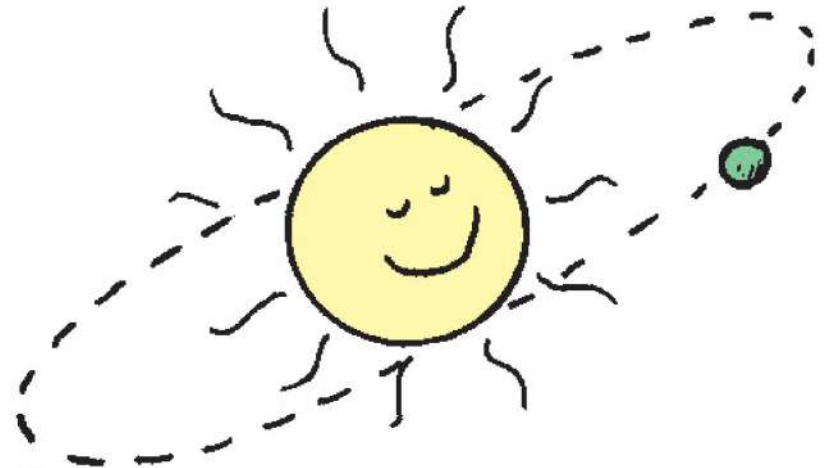


# This lecture will help you understand:

- Motion Is Relative
- Speed
- Velocity
- Acceleration
- Free Fall
- Velocity Vectors

# Motion Is Relative

- Motion of objects is always described as *relative* to something else. For example:
  - You walk on the road relative to Earth, but Earth is moving relative to the Sun.
  - So your motion relative to the Sun is different from your motion relative to Earth.



# Speed

- Defined as the distance covered per amount of travel time.
- Units are meters per second.
- In equation form:

$$\text{Speed} = \frac{\text{distance}}{\text{time}}$$

- Example: A girl runs 4 meters in 2 s. Her speed is 2 m/s.

# Average Speed

- The total distance covered divided by the total travel time.
  - Doesn't indicate various instantaneous speeds along the way.
- In equation form:

$$\text{Average speed} = \frac{\text{total distance covered}}{\text{time interval}}$$

- Example: Drive a distance of 200 km in 2 h and your average speed is 100 km/h.

# Average Speed

## CHECK YOUR NEIGHBOR

The average speed of driving 30 km in 1 hour is the same as the average speed of driving

- A. 30 km in  $\frac{1}{2}$  hour.
- B. 30 km in 2 hours.
- C. 60 km in  $\frac{1}{2}$  hour.
- D. 60 km in 2 hours.

# Average Speed

## CHECK YOUR ANSWER

The average speed of driving 30 km in 1 hour is the same as the average speed of driving

**D. 60 km in 2 hours.**

### Explanation:

Average speed = total distance / time

So, average speed =  $30 \text{ km} / 1 \text{ h} = 30 \text{ km/h}$ .

Now, if we drive 60 km in 2 hours:

Average speed =  $60 \text{ km} / 2 \text{ h} = 30 \text{ km/h}$

Same



# Instantaneous Speed

- Instantaneous speed is the speed at any instant.
- Example:
  - When you ride in your car, you may speed up and slow down with speed at any instant that is normally quite different than your average speed.
  - Your instantaneous speed is given by your speedometer.



# Velocity

- A description of both
  - the instantaneous speed of the object.
  - the direction of travel.
- Velocity is a vector quantity. It has
  - Magnitude (speed) and Direction.
  - Velocity is "directed" speed.

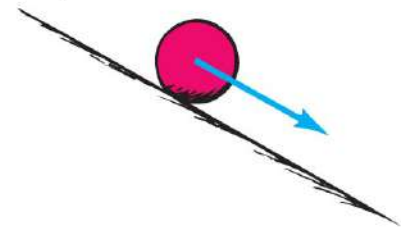
# Speed and Velocity

- Constant speed is steady speed, neither speeding up nor slowing down.
- Constant velocity is
  - constant speed and
  - constant direction (straight-line path with no acceleration).
- Motion is relative to Earth, unless otherwise stated.

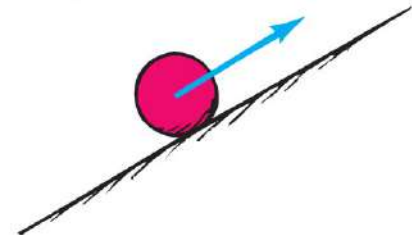
# Acceleration

- Formulated by Galileo based on his experiments with inclined planes.
- Rate at which velocity changes over time.

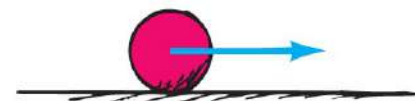
Slope downward–  
Speed increases



Slope upward–  
Speed decreases

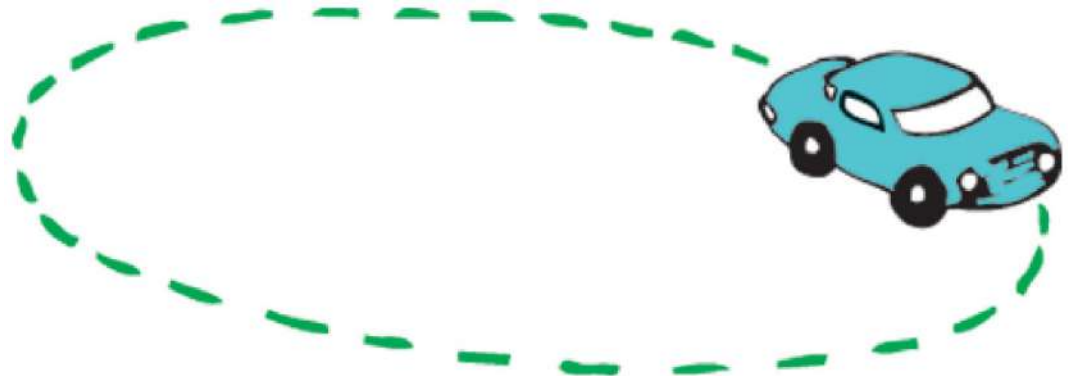


No slope–  
Does speed change?



# Acceleration, Continued

- Involves a
  - change in speed, or
  - change in direction, or
  - both.
- Example: Car making a turn.



# Acceleration, Continued-1

- In equation form:

$$\text{Acceleration} = \frac{\text{change in velocity}}{\text{time interval}}$$

- Unit of acceleration is unit of velocity / unit of time.
- Example:
  - Your car's speed may presently be 40 km/h.
  - Your car's speed 5 s later is 45 km/h.
  - Your car's change in speed is  $45 - 40 = 5$  km/h.
  - Your car's acceleration is  $5 \text{ km/h} \cdot 5 \text{ s} = 1 \text{ km/h} \cdot \text{s}$ .

# Acceleration

## CHECK YOUR NEIGHBOR

An automobile is accelerating when it is

- A. slowing down to a stop.
- B. rounding a curve at a steady speed.
- C. Both of the above.
- D. Neither of the above.

# Acceleration

## CHECK YOUR ANSWER

An automobile is accelerating when it is

**C. Both of the above.**

### **Explanation:**

Change in speed (increase or decrease) per time is acceleration, so slowing is acceleration.

Change in direction is acceleration (even if speed stays the same), so rounding a curve is acceleration.

# Acceleration

## CHECK YOUR NEIGHBOR, Continued

Acceleration and velocity are actually

- A. the same.
- B. rates but for different quantities.
- C. the same when direction is not a factor.
- D. the same when an object is freely falling.



# Acceleration

## CHECK YOUR ANSWER, Continued

Acceleration and velocity are actually

**B. rates but for different quantities.**

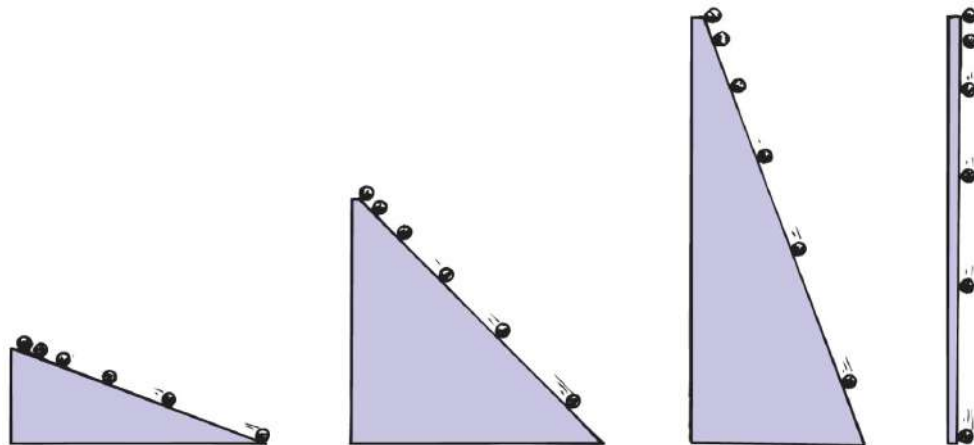
### **Explanation:**

Velocity is the rate at which distance traveled changes over time,

Acceleration is the rate at which velocity changes over time.

# Acceleration, Continued-2

- Galileo increased the inclination of inclined planes.
  - Steeper inclines result in greater accelerations.
  - When the incline is vertical, acceleration is at maximum, the same as that of a falling object.
  - When air resistance is negligible, all objects fall with the same unchanging acceleration.



# Free Fall

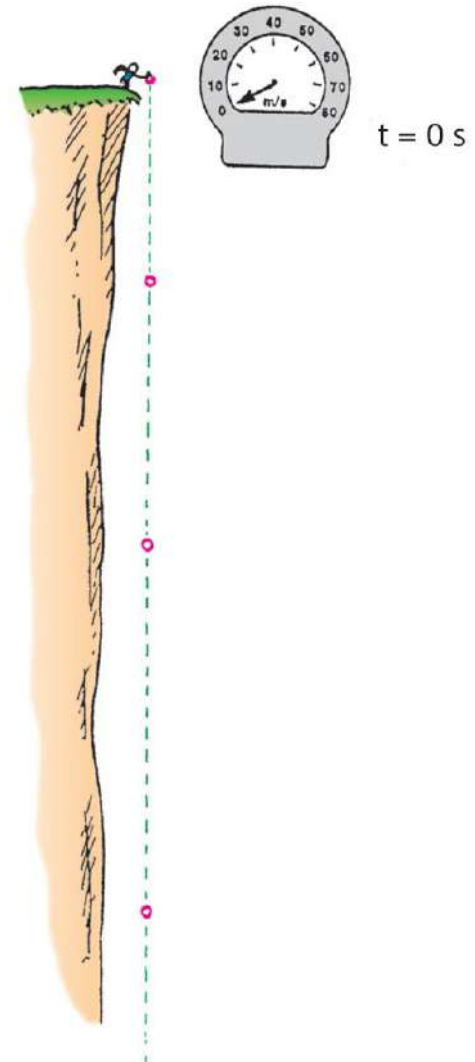
- Falling under the influence of gravity only-with no air resistance
- Freely falling objects on Earth accelerate at the rate of  $10 \text{ m/s} \cdot \text{s}$ , that is,  $10 \text{ m/s}^2$  (more precisely,  $9.8 \text{ m/s}^2$ ).

# Free Fall—How Fast?

- The velocity acquired by an object starting from rest is

$$\text{Velocity} = \text{acceleration} \times \text{time}$$

- So, under free fall, when acceleration is  $10 \text{ m/s}^2$ , the speed is
  - 10 m/s after 1 s.
  - 20 m/s after 2 s.
  - 30 m/s after 3 s.And so on.



# Free Fall—How Fast?

## CHECK YOUR NEIGHBOR

At a particular instant a free-falling object has a speed of 30 m/s. Exactly 1 s later its speed will be

- A. the same.
- B. 35 m/s.
- C. more than 35 m/s.
- D. 60 m/s.

# Free Fall—How Fast?

## CHECK YOUR ANSWER

At a particular instant a free-falling object has a speed of 30 m/s. Exactly 1 s later its speed will be

**C. more than 35 m/s.**

### **Explanation:**

One second later its speed will be 40 m/s, which is more than 35 m/s.

# Free Fall—How Far?

- The distance covered by an accelerating object starting from rest is

$$\text{Distance} = (1/2) \times \text{acceleration} \times \text{time} \times \text{time}$$

- Under free fall, when acceleration is  $10 \text{ m/s}^2$ , the reversible arrow
  - 5 m/s after 1 s.
  - 20 m/s after 2 s.
  - 45 m/s after 3 s.

And so on.

# Free Fall—How Far?

## CHECK YOUR NEIGHBOR

What is the distance fallen after 4 s for a freely falling object starting from rest?

- A. 4 m
- B. 16 m
- C. 40 m
- D. 80 m



# Free Fall—How Far?

## CHECK YOUR ANSWER

What is the distance fallen after 4 s for a freely falling object starting from rest?

**D. 80 m**

**Explanation:**

$$\text{Distance} = (1/2) \times \text{acceleration} \times \text{time} \times \text{time}$$

So:  $\text{Distance} = (1/2) \times 10 \text{ m/s}^2 \times 4 \text{ s} \times 4 \text{ s}$

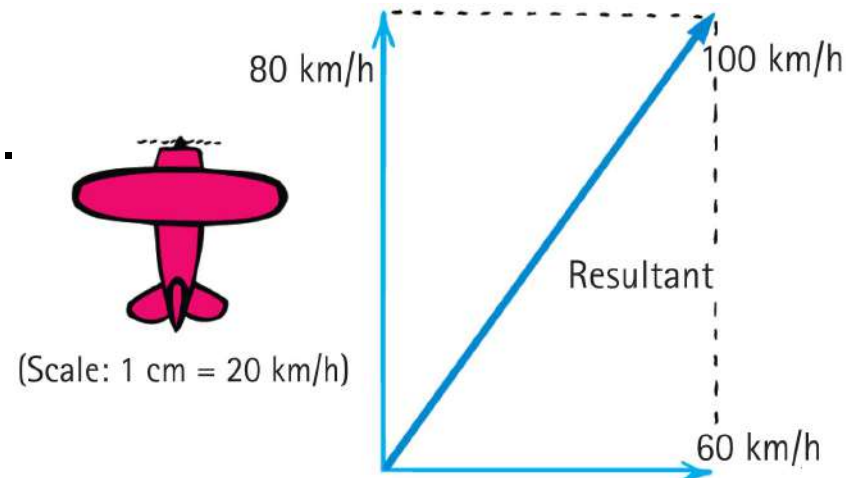
So:  $\text{Distance} = 80 \text{ m}$

# Vectors

## CHECK YOUR NEIGHBOR

The 60-km/h crosswind blows the 80-km/h airplane off course at 100 km/h. If the crosswind were 80 km/h, the airplane would travel at 113 km/h at an angle of

- A. less than 45 degrees.
- B. 45 degrees.
- C. more than 45 degrees.
- D. None of the above are correct.



# Vectors

## CHECK YOUR ANSWER

The 60-km/h crosswind blows the 80-km/h airplane off course at 100 km/h. If the crosswind were 80 km/h, the airplane would travel at 113 km/h at an angle of

**B. 45 degrees.**

### Comment:

The parallelogram would then be a square with a 45-degree diagona

# Vectors

## CHECK YOUR NEIGHBOR, Continued

You run horizontally at 4 m/s in a vertically falling rain that falls at 4 m/s. Relative to you, the raindrops are falling at an angle of

- A.  $0^\circ$ .
- B.  $45^\circ$ .
- C.  $53^\circ$ .
- D.  $90^\circ$ .

# Vectors

## CHECK YOUR ANSWER, Continued

You run horizontally at 4 m/s in a vertically falling rain that falls at 4 m/s. Relative to you, the raindrops are falling at an angle of

**B.  $45^\circ$ .**

### **Explanation:**

The horizontal 4 m/s and vertical 4 m/s combine by the parallelogram rule to produce a resultant of 5.6 m/s at  $45^\circ$ . Again, the parallelogram is a square.