A z-score for a value x is the number of standard deviations that x falls from the mean  $\mu$ .

Formula:

- Find the z-score corresponding to a grade of 52 from a normal distribution with a mean of 48 and a 1.  $z = \frac{5a - 18}{1.8}$  z = 0.2standard deviation of 1.8.
- In North America, adult female heights have an approximate normal distribution with a mean of 65.0 2. inches and a standard deviation of 3.5 inches. Adult male heights have an approximate normal distribution with a mean of 70.0 inches and a standard deviation of 4.0 inches.

What is your height in inches?

Find the z-score of your height.  $\frac{7}{2} = 0.29$ 

A certain brand of automobile tire has a life span of 35,000 miles and a standard deviation of 2250 miles. If the life spans of three randomly selected tires are 34,000 miles, 37,000 miles, and 31,000 miles. Find the z-scores that correspond with each of these mileages. Would the life spans of any of the tires be considered unusual? Explain.  $-\frac{34000-35200}{2250}=0.44$   $\frac{7}{2}=\frac{37000-35200}{2250}=0.89$ 

A highly selective university will only admit students who place at least 2-zscores above the mean on the ACT that has a mean of 18 and a standard deviation of 6. What is the minimum score that an applicant must obtain to be admitted to the university?

- On a statistics test the class mean was 63 and the standard deviation was 7 and for the biology test the mean was 23. Use z-scores to determine on which test the student did better.
  - a) A student received a 73 on the stat test and a 26 on the biology test.  $7 = \frac{73-63}{3} = 1.4$   $7 = \frac{26-23}{3.9} = .77$

$$z = \frac{26 - 33}{3.9} = .77$$

b) A student received a 60 on the stat test and a 20 on the biology test.

$$z = \frac{60-63}{3} = -0.43$$
  $z = \frac{26-23}{3.9} = -0.77$ 

c) A student received a 78 on the stat test and a 29 on the biology test.

 $z = \frac{78 - 63}{4} = 0.1$ 

$$Z = \frac{29-23}{3.9} = 1.5$$

- d) A student received a 63 on the stat test and a 23 on the biology test.

7 = 63-63 =0

$$z = \frac{23 - 23}{3.9} = 0$$

A manufacturer of bolts has a quality control policy that requires it to destroy any bolts that are more than 2 standard deviations from the mean. The quality control engineer knows that the bolts coming off the assembly line have a mean length of 8 cm with a standard deviation of 0.05 cm. For what length(s) will a bolt be destroyed?  $2 - \sqrt{-9}$ 

length(s) will a bolt be destroyed?  $2 = \frac{x-y}{0.05}$  0.1 = x-8 x = 7.6A pharmaceutical company wants to test a new cholesterol drug. The average cholesterol of the

A pharmaceutical company wants to test a new cholesterol drug. The average cholesterol of the target population is 200 mg and they have a standard deviation of 25 mg. The company wished to test a sample of people who fall between 1.5 and 3 z-scores above the mean. Into what range must a candidate's cholesterol level be in order for the candidate to be included in the study?

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