

1. Select all the equations that are equivalent to $\frac{8x-7}{2} = -4$

- A. $4x - 7 = -4$
- B. $\frac{1}{2}(8x - 7) = -4$
- C. $4x - 3.5 = -4$
- D. $8x - 7 = -4$
- E. $8x - 7 = -8$

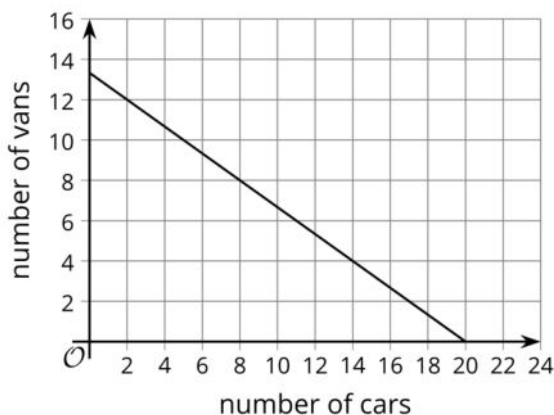
2. Select all the equations that have the same solution as $\frac{6x+5}{2} = 7 - (2x - 6)$

- A. $3x + \frac{5}{2} = 7 - (2x - 6)$
- B. $\frac{6x+5}{2} = 2x + 1$
- C. $\frac{6x}{2} + \frac{5}{2} = -2x + 13$
- D. $3x + 2.5 = -2x - 1$

3. A chef bought \$15.25 worth of ribs and chicken. Ribs cost 1.79 per pound and chicken costs 0.95 per pound. The equation $0.95c + 1.79r = 15.25$ represents the relationship between the quantities in this situation.

- A. Write this equation in terms of c .
- B. Write this equation in terms of r .

4. Volunteer drivers are needed to bring 80 students to the championship baseball game. Drivers either have cars, which can seat 4 students, or vans, which can seat 6 students. The equation $4c + 6v = 80$ describes the relationship between the number of cars c and number of vans v that can transport exactly 80 students.



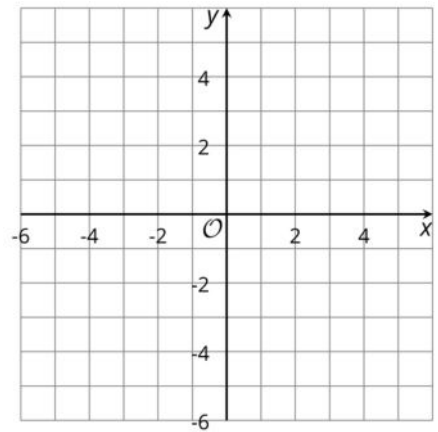
Select all the true statements.

- A. If no vans were needed, 13 cars would be needed.
- B. If no cars were needed, 13 vans would be needed.
- C. If no vans were needed, 20 cars would be needed.
- D. If 14 cars are needed, that means that 4 vans will be needed.
- E. If 2 vans are needed, that means that 12 cars will be needed.

5. T-shirts cost \$15. Each letter of personalization costs \$1.25, and each number costs \$2.50. Write an equation that represents the cost of a t-shirt. Be sure to specify what the variables represent.

6. Consider this system of equations. Solve the system by graphing. Label each graph and the solution.

$$\begin{cases} y = \frac{1}{2}x - 4 \\ -5x - 5y = 5 \end{cases}$$



7. Solve the system of equations without graphing. **Show your reasoning.**

A.
$$\begin{cases} 3y = 2x + 12 \\ 3x + 3y = 12 \end{cases}$$

B.
$$\begin{cases} 4y = -3x - 3 \\ x + 2y = -1 \end{cases}$$

8. The system of equations $\begin{cases} 4x + 2y = 8 \\ 3x + y = 6 \end{cases}$ has exactly one (x, y) pair for its solution.

a. Find the solution using substitution. Show all work.

Solution: _____

b. If we multiply the second equation by 2, we now have the following system $\begin{cases} 4x + 2y = 8 \\ 6x + 2y = 12 \end{cases}$. Use elimination to show that it has the same solution as Part A.

c. If we add the two equations in the original system, we have $10x + 4y = 20$. Is the same ordered pair the solution to the system? (circle)

yes

no

d. Justify your answer to Part C using math.