Unit 1 - Rigid Transformations and Congruence

Lesson 1 & 2 - Naming Moves in the plane

Label each move as a rotation, reflection, or translation, then describe the transformation shown.

B A	A 45° C	A D
From A to B:	From A to C: From C to A:	The line is:

Define:

Image

Corresponding points

Lesson 3 - Grid Moves



Lesson 4 - Making Moves



Lesson 5 & 6 - Coordinate Moves



One of the triangles pictured is a rotation of triangle *ABC* and one of them is a reflection.

- 1. Identify the center of rotation, and label the rotated image PQR.
- 2. Identify the line of reflection, and label the reflected image *XYZ*.

Lesson 7 - No Bending or Stretching

What is a rigid transformation?



Name pairs of corresponding sides from triangles ABC and EFD.

Lesson 8 & 9 - Rotating Lines

Vertical angles:



Points A', B', and C' are the images of 180-degree rotations of A, B, and C, respectively, around point *O*.

- 1. Name a segment whose length is the same as segment AO.
- What is the measure of angle A'OB'? 2.
- 3. What angle is vertical to angle BOC'? What is its measure?

Lesson 10 - Composing Figures



Lesson 11 - What is the same?

Two ways to show polygons are congruent:

1.

2. Lesson 12 - Congruent Polygons Explain why each of the quadrilaterals shown below are not congruent to rectangle ABCD. 10° 6° f_{p} f_{p} f

Lesson 13 - Congruence

Are these two faces translations of each other?

Are these two faces congruent?

Are the eyes in each of the faces congruent?



Lesson 14 - Alternate Interior Angles

The diagram shows two parallel lines cut by a transversal. One angle measure is shown.



Find the values of a, b, c, d, e, f, and g.

Give an example of a pair of **alternate interior angles**. What transformation could be used to show that they are congruent?

Lesson 15 - Adding Angles in a Triangle

A straight angle is:

If a straight angle is split into three separate angles, they must add up to:

The sum of angle measures in a triangle is:



In triangle XYZ, the measure of angle Y is 50 degrees.

- 1. Give possible values for the measures of angles *X* and *Z* if *XYZ* is an acute triangle.
- 2. Give possible values for the measures of angles *X* and *Z* if *XYZ* is an obtuse triangle.
- 3. Give possible values for the measures of angles *X* and *Z* if *XYZ* is a right triangle.
- 4. If *XYZ* is an isosceles triangle, draw it two different ways.

Lesson 16 - Parallel Lines & Triangle Angles

Rotate triangle *ABC 180°* around the midpoint of side *AC*. Label the new vertex *D*. Rotate triangle *ABC 180°* around the midpoint of side *AB*. Label the new vertex *E*.

BC	

- 1. Look at angles *EAB*, *BAC*, and *CAD*. Without measuring, write what you think is the sum of the measures of these angles. Explain or show your reasoning.
- 2. Is the measure of angle *EAB* equal to the measure of any angle in triangle *ABC*? If so, which one? If not, how do you know?
- 3. Is the measure of angle *CAD* equal to the measure of any angle in triangle *ABC*? If so, which one? If not, how do you know?
- 4. What is the sum of the measures of angles *ABC*, *BAC*, and *ACB*?