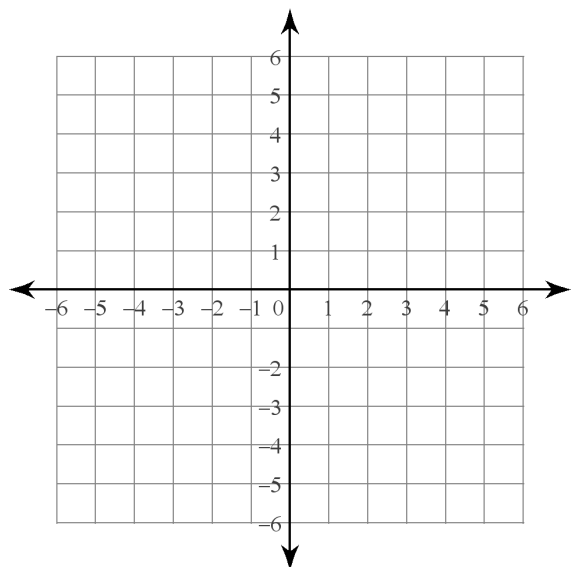


1) Rotate $\triangle BAT$ where $F(-5,3)$, $O(-1,4)$, and $R(-2,2)$ 180° clockwise about the origin.

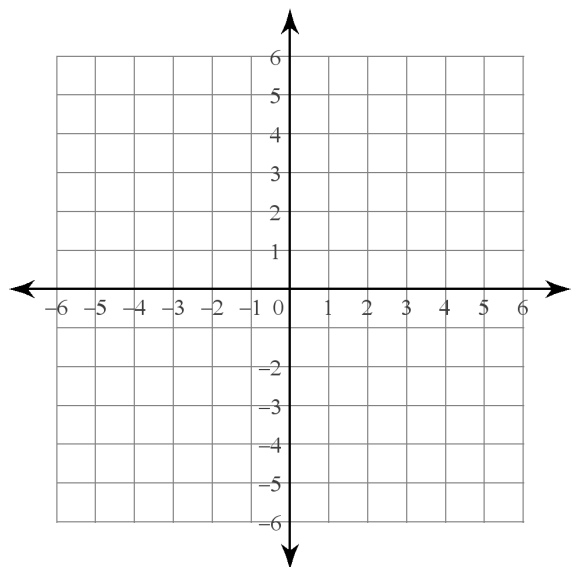


B (____,____) B'(____,____)
 A (____,____) A'(____,____)
 T (____,____) T'(____,____)

Describe how you did the rotation:

Describe what happened to the coordinates of each point:

2) Rotate $\triangle GST$ $G(1,2)$, $S(3,0)$, AND $T(4,4)$ 180° counterclockwise about the origin.



G (____,____) G'(____,____)
 S (____,____) S'(____,____)
 T (____,____) T'(____,____)

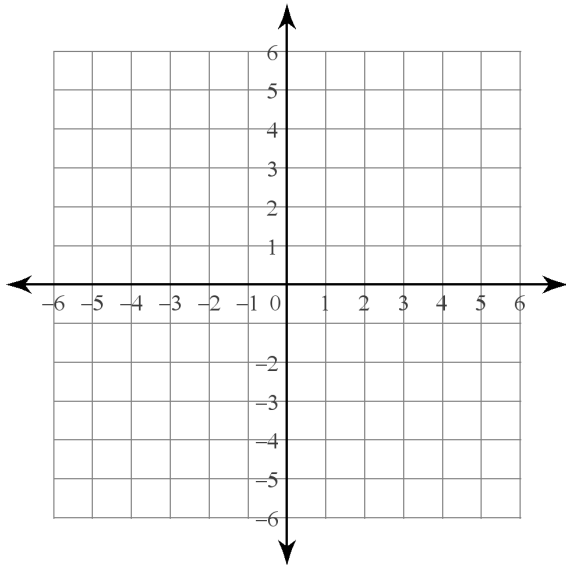
Describe how you did the rotation:

Describe what happened to the coordinates of each point:

When you rotate a shape 180° , does it matter if you go clockwise or counterclockwise?

Write a rule for what happens when you rotate a shape 180° about the origin.

3) Rotate $\triangle GHL$, where $G(2,1)$, $H(0,3)$, and $L(5,4)$, 90° clockwise about the origin.

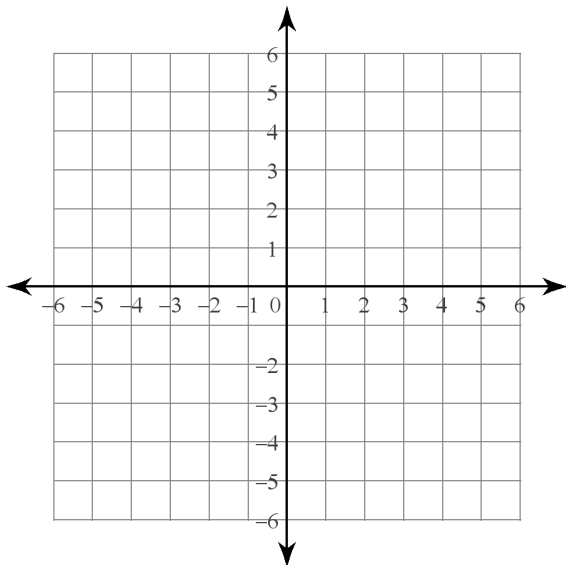


$G(\underline{\quad}, \underline{\quad})$	$G'(\underline{\quad}, \underline{\quad})$
$H(\underline{\quad}, \underline{\quad})$	$H'(\underline{\quad}, \underline{\quad})$
$L(\underline{\quad}, \underline{\quad})$	$L'(\underline{\quad}, \underline{\quad})$

Describe how you did the rotation:

Describe what happened to the coordinates of each point:

4) Rotate $\triangle WCH$, where $W(-3,-1)$, $C(-4,-3)$, and $H(-1,-3)$, 90° counterclockwise about the origin.

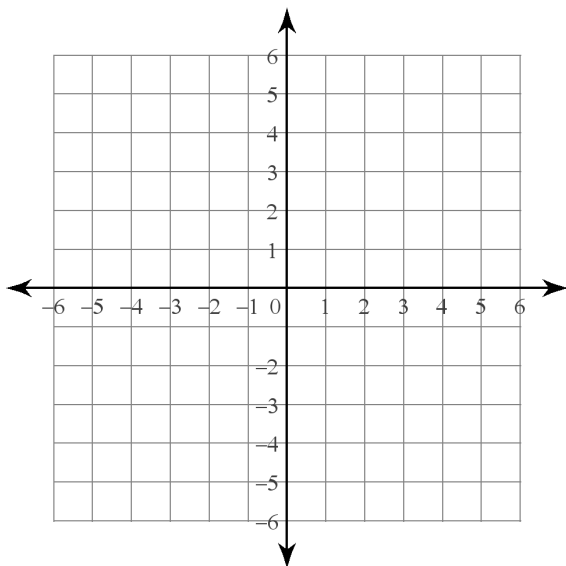


$W(\underline{\quad}, \underline{\quad})$	$W'(\underline{\quad}, \underline{\quad})$
$C(\underline{\quad}, \underline{\quad})$	$C'(\underline{\quad}, \underline{\quad})$
$H(\underline{\quad}, \underline{\quad})$	$H'(\underline{\quad}, \underline{\quad})$

Describe how you did the rotation:

Describe what happened to the coordinates of each point:

4) Rotate $\triangle WCH$, where $W(-3,-1)$, $C(-4,-3)$, and $H(-1,-3)$, 270° clockwise about the origin.

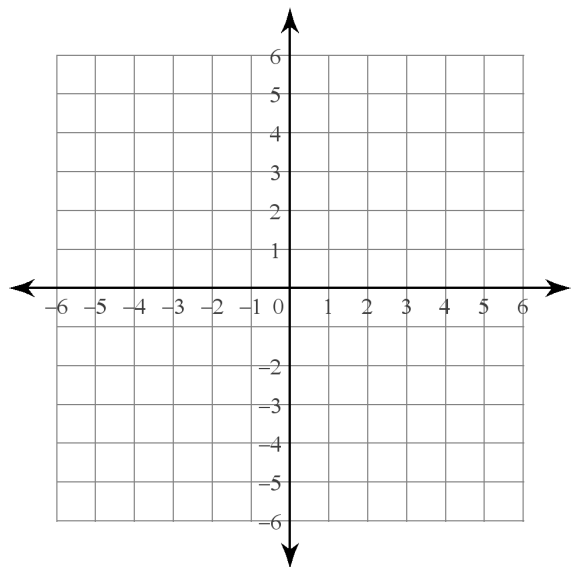


$W(\underline{\quad}, \underline{\quad})$	$W'(\underline{\quad}, \underline{\quad})$
$C(\underline{\quad}, \underline{\quad})$	$C'(\underline{\quad}, \underline{\quad})$
$H(\underline{\quad}, \underline{\quad})$	$H'(\underline{\quad}, \underline{\quad})$

Describe how you did the rotation:

How does this relate to rotating $\triangle WCH$ 90° counterclockwise about the origin?

5) Rotate $\triangle CAT$, where $C(2,0)$, $A(4,2)$, and $T(1,3)$, 180° clockwise about the point $(-1,-1)$.



$C(\underline{\quad}, \underline{\quad})$

$C'(\underline{\quad}, \underline{\quad})$

$A(\underline{\quad}, \underline{\quad})$

$A'(\underline{\quad}, \underline{\quad})$

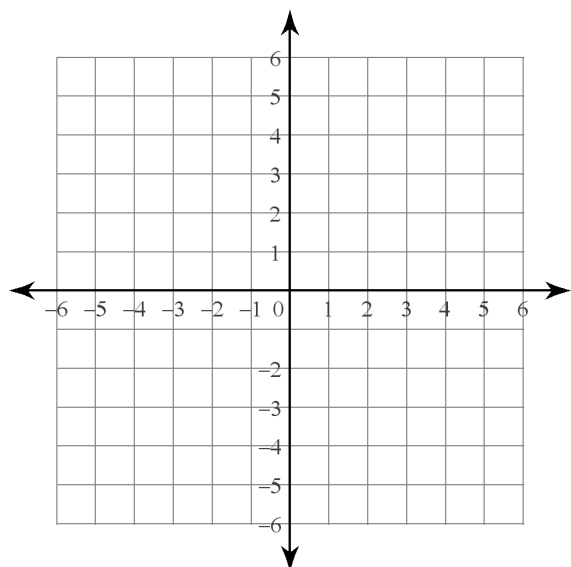
$T(\underline{\quad}, \underline{\quad})$

$T'(\underline{\quad}, \underline{\quad})$

Describe how you did the rotation:

How is this different from rotating 180° about the origin?

6) Rotate $\triangle BRM$, where $B(-3,-1)$, $R(-1,1)$, and $M(-2,3)$, 90° clockwise about the point $(2,1)$.



$B(\underline{\quad}, \underline{\quad})$

$B'(\underline{\quad}, \underline{\quad})$

$R(\underline{\quad}, \underline{\quad})$

$R'(\underline{\quad}, \underline{\quad})$

$M(\underline{\quad}, \underline{\quad})$

$M'(\underline{\quad}, \underline{\quad})$

Describe how you did the rotation:

How is this different from rotating about the origin?

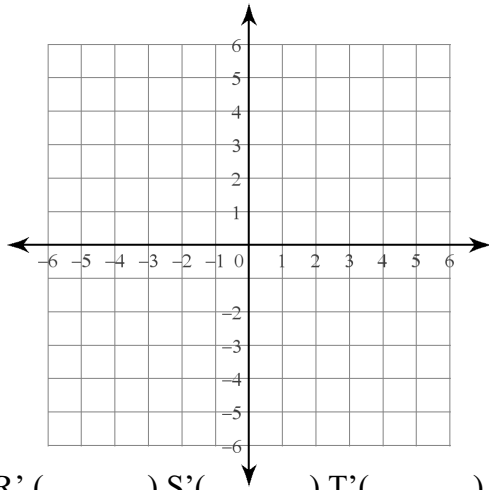
Use the following space to describe how to do a rotation about a point:

What stays the same when you do a rotation?

Does the distance the from the center of rotation change during a rotation?

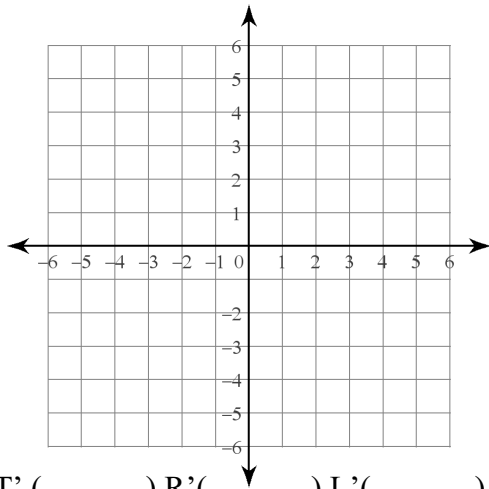
Homework Due 11/03

1) $\triangle RST$: $R(2, -1)$, $S(4, 0)$, and $T(1, 3)$ 90° counter clockwise about the origin.



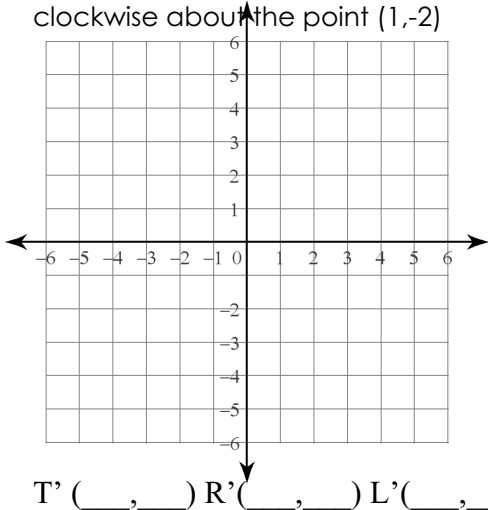
$R'(_, _) S'(_, _) T'(_, _)$

3) $\triangle TRL$: $T(2, -1)$, $R(4, 0)$, and $L(1, 3)$ 90° clockwise about the point $(3, -2)$



$T'(_, _) R'(_, _) L'(_, _)$

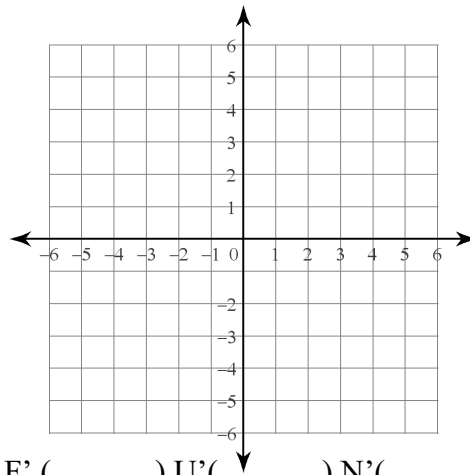
3) $\triangle SCR$: $S(-3, 1)$, $C(-1, 3)$, and $R(-1, -1)$ 90° clockwise about the point $(1, -2)$



$T'(_, _) R'(_, _) L'(_, _)$

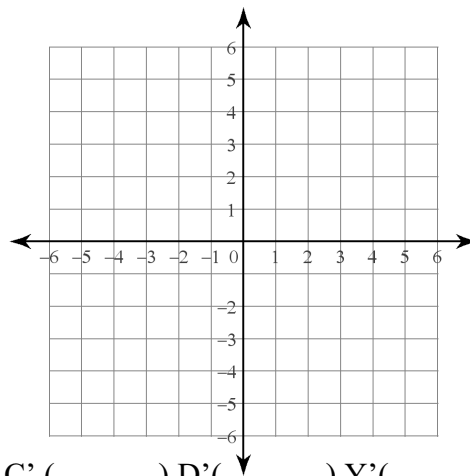
Rotate each triangle as indicated by each problem.

2) $\triangle FUN$: $F(-4, -1)$, $U(-1, 3)$, and $N(-1, 1)$ 180° clockwise about the origin.



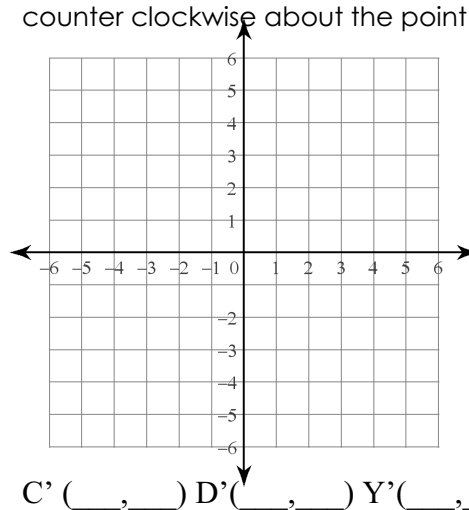
$F'(_, _) U'(_, _) N'(_, _)$

2) $\triangle CDY$: $C(-4, 2)$, $D(-1, 2)$, and $Y(-1, -1)$ 180° counter clockwise about the point $(1, 1)$



$C'(_, _) D'(_, _) Y'(_, _)$

2) $\triangle SCR$: $S(-3, 1)$, $C(-1, 3)$, and $R(-1, -1)$ 90° counter clockwise about the point $(1, -2)$



$C'(_, _) D'(_, _) Y'(_, _)$