

8th Reflections

Warm Up 7th grade
Solve.

1. $72 + 18 + x = 180$

$x = 90$

2. $80 + 70 + x = 180$

$x = 30$

3. $x + 42 + 90 = 180$

$x = 48$

4. $120 + x + 32 = 180$

$x = 28$

Warm UP 8th grade
Workbook Pg. 30 Explore #2

EXPLORE Applying Reflections

The triangle is the preimage. You will use the x - or y -axis as the line of reflection.

Reflection across the x -axis:

- A** Trace the triangle and the x - and y -axes on a piece of paper. Fold your paper along the x -axis and trace the image of the triangle on the opposite side of the x -axis.
- B** Sketch the image of the reflection. Label each vertex of the image. (The image of point E is point E' .)
- C** Complete the table.

Preimage	(2, 4)	(2, 1)	(5, 1)
Image			

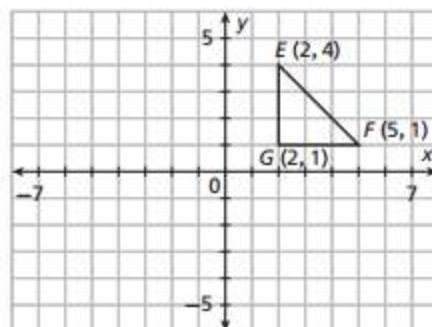
- D** How does reflecting the figure across the x -axis change the x -coordinates? How does it change the y -coordinates?
-

- E** Complete the ordered pair to write a general rule for reflection across the x -axis. $(x, y) \rightarrow (x, y \times \square)$

Reflection across the y -axis:

- F** Fold your traced image along the y -axis and trace the image of the triangle on the opposite side of the y -axis.
- G** Sketch the image of the reflection. Label each vertex of the image. (For clarity, label the image of point E as point E'' .)
- H** Complete the table.

Preimage	(2, 4)	(2, 1)	(5, 1)
Image			

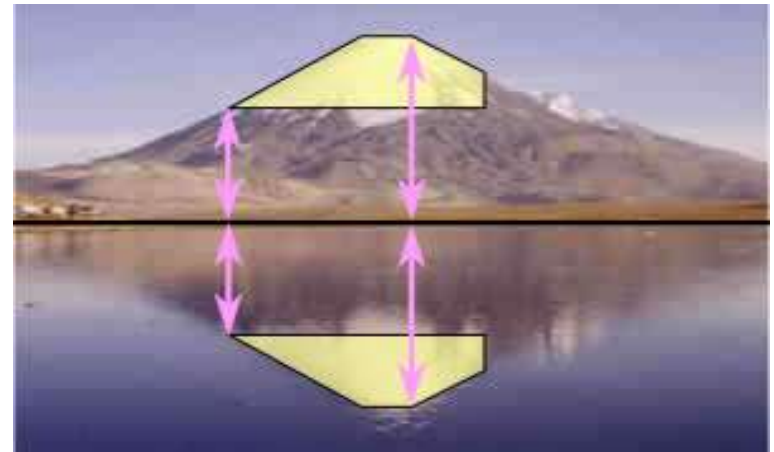


Geometric Reflections

[Introduction Video](#)

Reflection

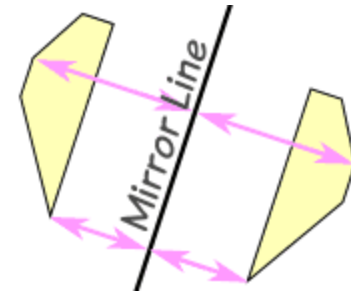
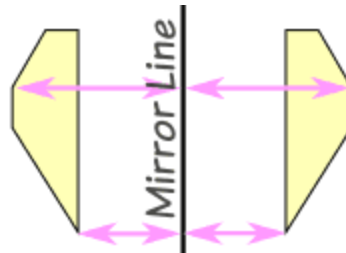
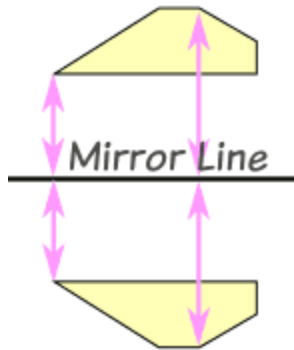
- Reflections are everywhere ... in mirrors, glass, and here in a lake.



. *what do you notice ?* Every point is the same distance from the central line ! ... *and ...*
The reflection has the same size as the original image

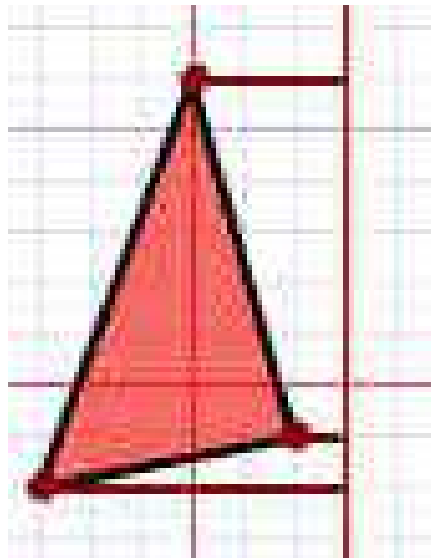
A reflection is a flip over a line.

- The central line is called the **Mirror Line** and it doesn't matter what direction the mirror line goes, the **reflected image** is always the same size, it just **faces the other way**:



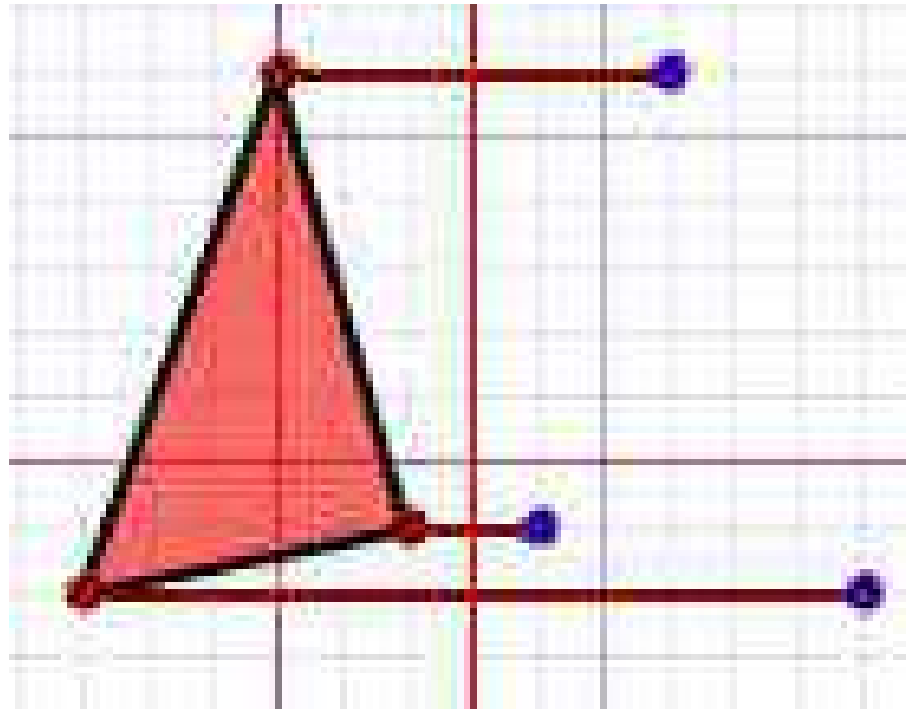
Step 1

- 1. Measure from the point to the mirror line (must hit the mirror line at a right angle)



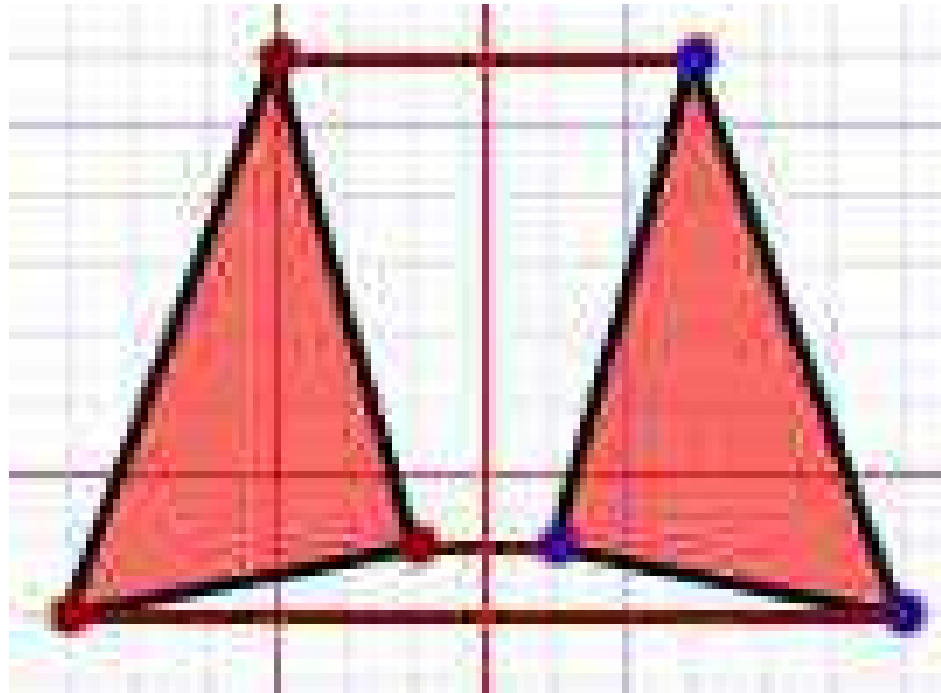
Step 2

- 2. Measure the same distance again on the other side and place a dot.



Step 3

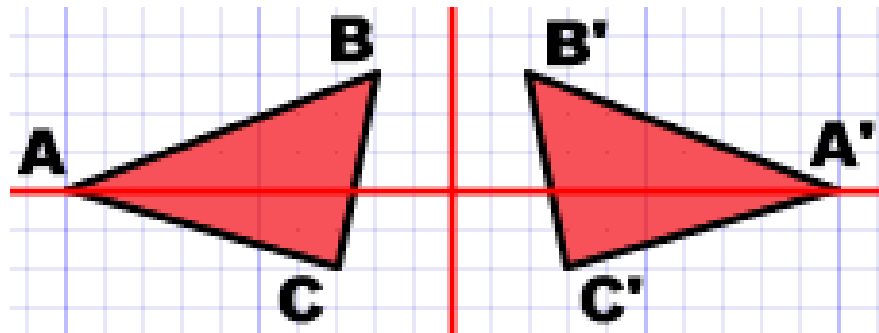
- 3. Then connect the new dots up!



Labels

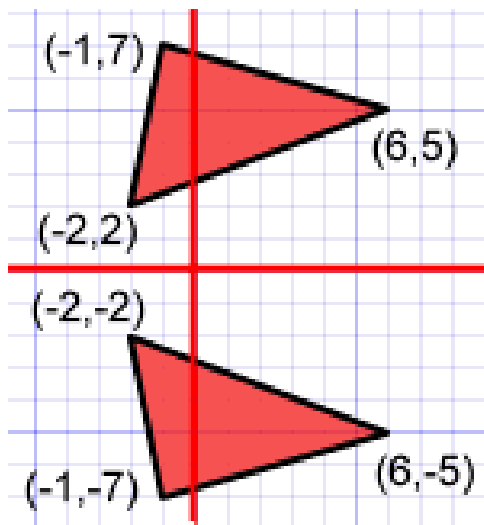
It is common to label each corner with letters, and to use a little dash (called a **Prime**) to mark each corner of the reflected image.

- Here the original is **ABC** and the reflected image is **A'B'C'**

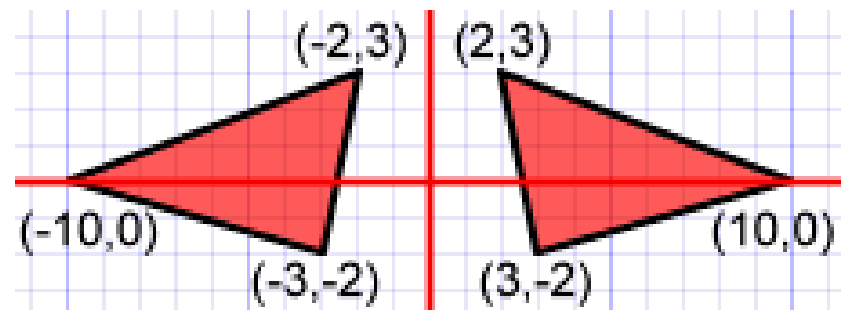


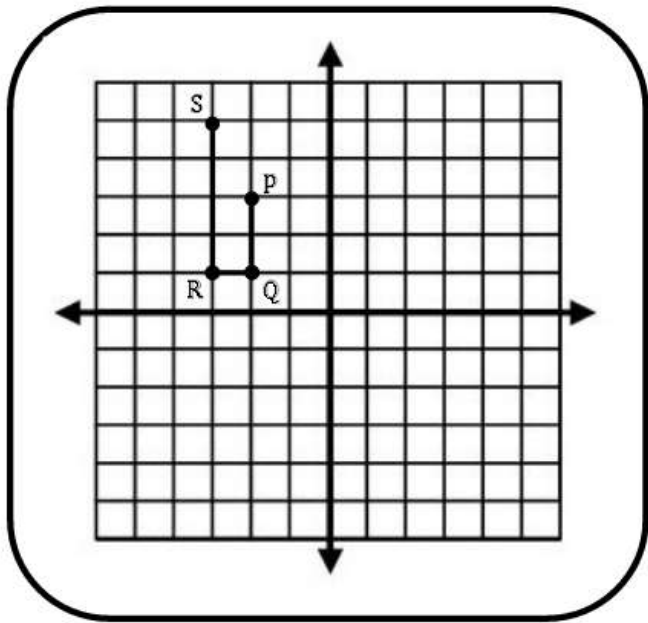
Tips

- **X-Axis**
- If the mirror line is the x-axis, just change each (x,y) into $(x,-y)$



- **Y-Axis**
- If the mirror line is the y-axis, just change each (x,y) into $(-x,y)$

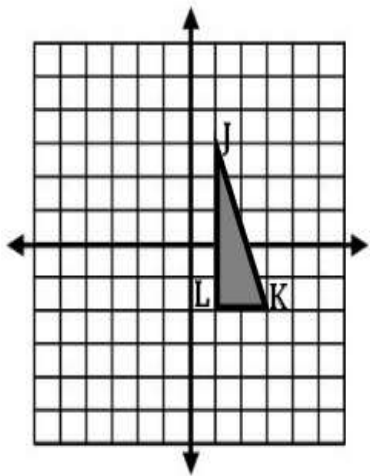




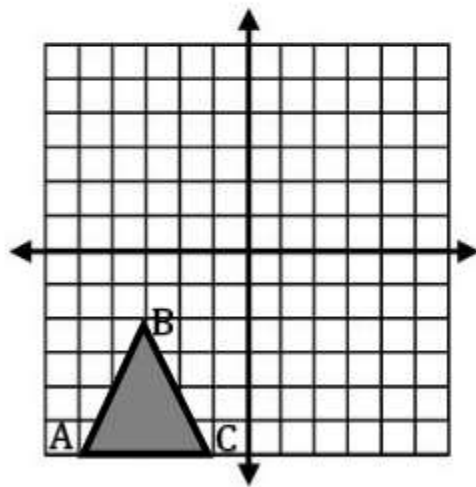
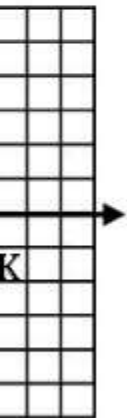
$PQRS \rightarrow P'Q'R'S'$
 $P(\quad) \rightarrow P'(\quad)$
 $Q(\quad) \rightarrow Q'(\quad)$
 $R(\quad) \rightarrow R'(\quad)$
 $S(\quad) \rightarrow S'(\quad)$

$PQRS \rightarrow P''Q''R''S''$
 $P(\quad) \rightarrow P''(\quad)$
 $Q(\quad) \rightarrow Q''(\quad)$
 $R(\quad) \rightarrow R''(\quad)$
 $S(\quad) \rightarrow S''(\quad)$

	x-axis	y-axis	Both at once!
(x,y)			



Reflect across the x-axis



Reflect across the y-axis

[Video](#)