



# Lesson 8 :

## The nth Term

# Learning Targets:



I can explain why different equations can represent the same sequence

# Let's see how to find terms of sequences directly

#### 8.1 Repeated Operations

#### Which One Doesn't Belong:

# A. 5 + 2 + 2 + 2 + 2 + 2 + 2C. $5 \cdot 2^6$ B. $5 + 6 \cdot 2$ D. $5 \cdot 2 \cdot 2 \cdot 2 \cdot 2 \cdot 2 \cdot 2$

#### 8.2 More Paper Slicing

n (number of cuts)	C(n) (area in square inches of each piece)
0	80
1	40
2	20
3	10
4	5

#### Remember the activity:

Clare takes a sheet of paper that is 8 inches by 10 inches, cuts the paper in half, stacks the pieces, cuts the pieces in half, then stacks them, etc.

# How can we write a recursive definition for C(n) ?

Complete the task with your partner.

$$C(n) = 80 \cdot \left(\frac{1}{(2)}\right)^n$$

How can you tell which of these defines a geometric sequence and which defines an arithmetic sequence?

Which is larger?

K(10) or C(10)

K(n) = 80 - 8n

#### **Activity Synthesis**

A Sierpinski triangle can be created by starting with an equilateral triangle, breaking the triangle into 4 congruent equilateral triangles, and then removing the middle triangle. Starting from a single black equilateral triangle:



Complete the task with your partner.

#### 8.3 A Sierpinski Triangle



#### Explain why Andre or Lin is correct?

### Lesson Synthesis:

Write an equation for the nth term.

Arithmetic and geometric sequences are just special types of these functions with a restricted domain.