

2) Solve for sides and angles using Trigonometry - SOH-CAH-TOA

sin A – opposite	$\cos \theta = adjacent$	$tan \theta - opposite$
$\frac{1}{hypotenuse}$	hypotenuse	adjacent

- Be able to using the inverse to solve for the angles within a triangle (EX: $\sin^{-1}(\frac{opp}{hvp}) = \theta$)
- Be able to construct triangles based on written information and use the above trig ratios to solve the problem (i.e. word problems)
- Know what an angle of elevation/depression is and how to use it
- Know that (90-θ) means "the other angle"

Unit 2	EOCT F	Practice
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1. What is the area. in square inches. of the triangle	2. Right triangle ABC is pictured below.
below?	
below? 10 in. 10 in. 10 in. A 25 B $25\sqrt{3}$ C 50 D $50\sqrt{3}$ 3. The length of the diagonal of a square is $14\sqrt{2}$. What	10.6 $A = \frac{10.6}{8.2}$ Which equation gives the correct value for <i>BC</i> ? $A = \sin 32^{\circ} = \frac{BC}{8.2}$ $B = \cos 32^{\circ} = \frac{BC}{10.6}$ $C = \tan 58^{\circ} = \frac{8.2}{BC}$ $D = \sin 58^{\circ} = \frac{BC}{10.6}$ 4. The bottom of a slide is 4.3 meters from the bottom of
the perimeter of the square? (exact value)	a ladder. If the slide is 7.5 meters, what angle does the
5. In right triangle <i>ABC</i> , angle <i>A</i> and angle <i>B</i> are	6. From the top of the 100 ft tall building a man observes
complementary angles. The value of $\cos A$ is $\frac{3}{13}$.	a car moving toward the building. If the angle of depression of the car changes from 22° to 46° during the
What is the value of sin B?	period of observation, how far does the car travel? (
A. $\frac{5}{13}$ B. $\frac{12}{13}$	nearest foot)
$\int \frac{13}{13}$ D ¹³	
$\left \begin{array}{c} c. \overline{12} \\ \hline b. \overline{5} \\ \hline \end{array} \right $	
7. Triangle <i>LMN</i> , shown below, is a right triangle.	8. Find the expression that could be used to calculate AC.
13	
5	20
M 12 N	
Which of the following is againstont to sin (2)	25° 90°
which of the following is equivalent to SIN L?	A. 20 cos 25° B. 20 sin 25°
A. cos L B. tan L	
C. sin N D. cos N	C. $\frac{20}{1000}$ D. $\frac{20}{10000000000000000000000000000000000$
	$\cos 25^\circ$ $\sin 25^\circ$

