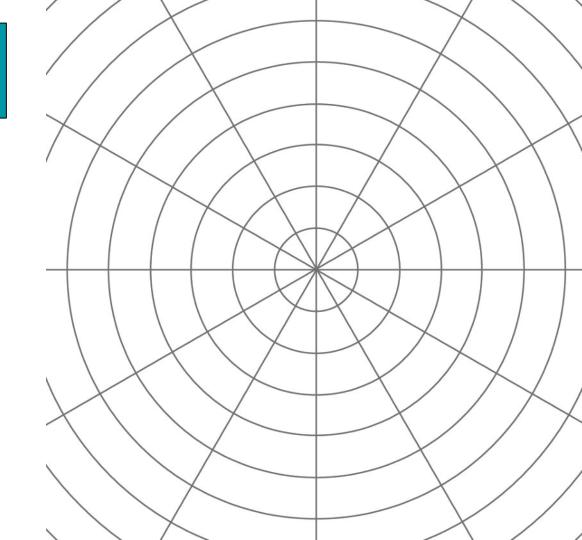


# Let's dilate FIGURES ON CIRCULAR GRIDS

### **NOTICE AND WONDER: CONCENTRIC CIRCLES** Warm Up 2.1

#### What do you notice? What do you wonder?



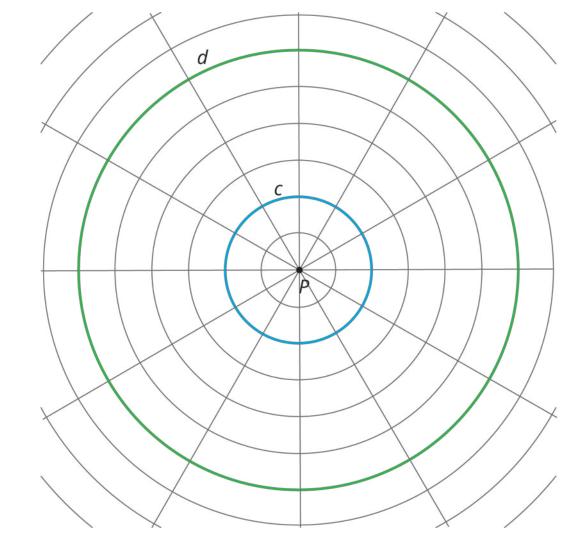
### A DROPLET ON THE SURFACE

Activity 2.2Discussion Supports

### What happens when a pebble

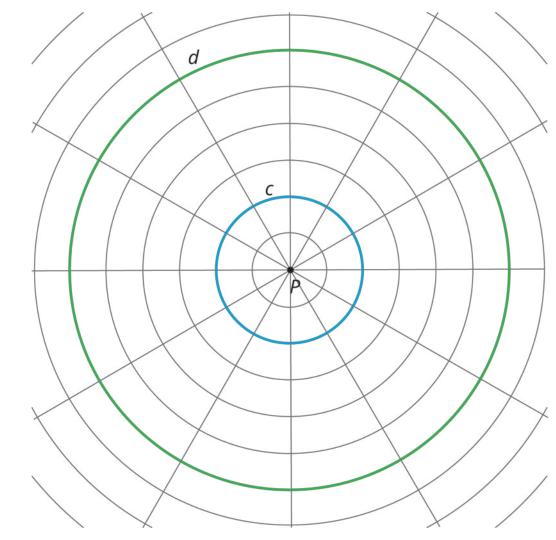
### is dropped in a still pond?

#### How is this image like a pebble dropped in a still pond?



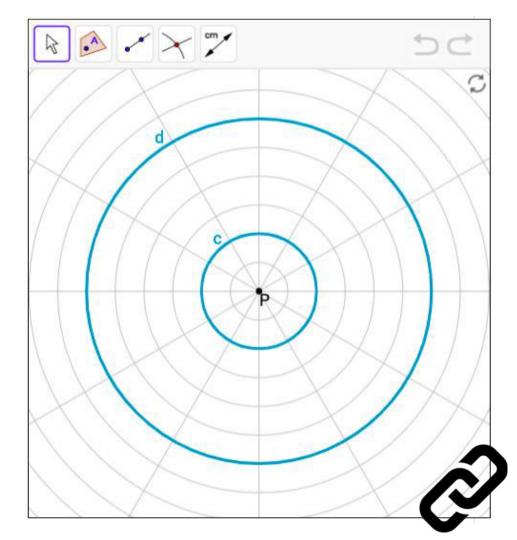
Distance on the circular grid is measured by counting units along one of the rays that starts at the center, *P*.

- On the circle means on the curve or on the edge.
- A ray starts at a point and goes forever in one direction. Your rays will start at *P* and be drawn to the edge of the grid.



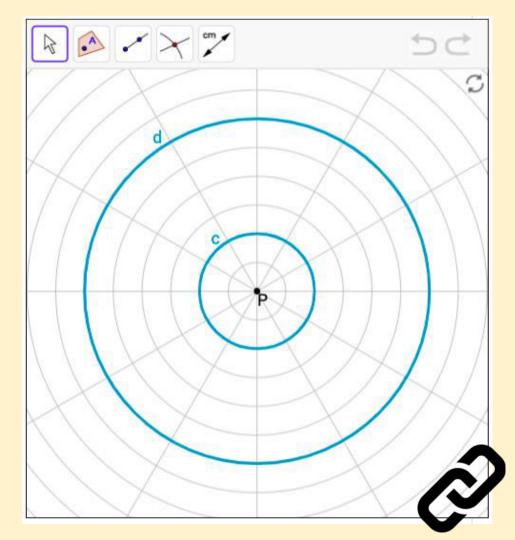
# Let's check out the digital applet!

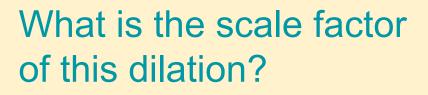
Please begin working on the questions for this task.



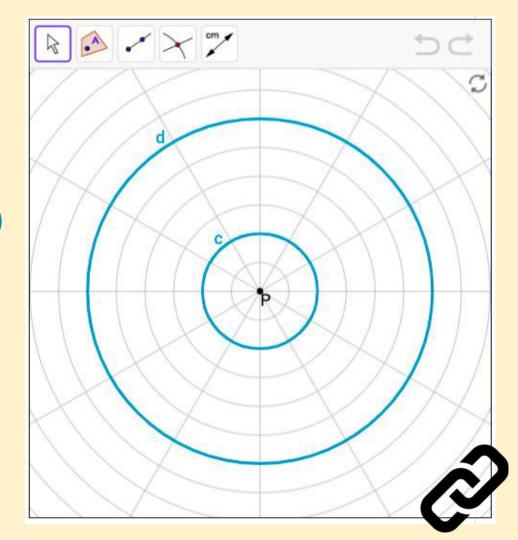
Did you make a strategic choice of points?

→ Why are these points good choices for dilating?

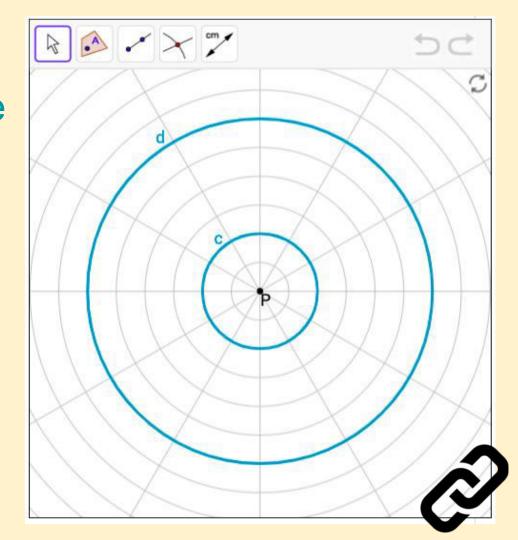


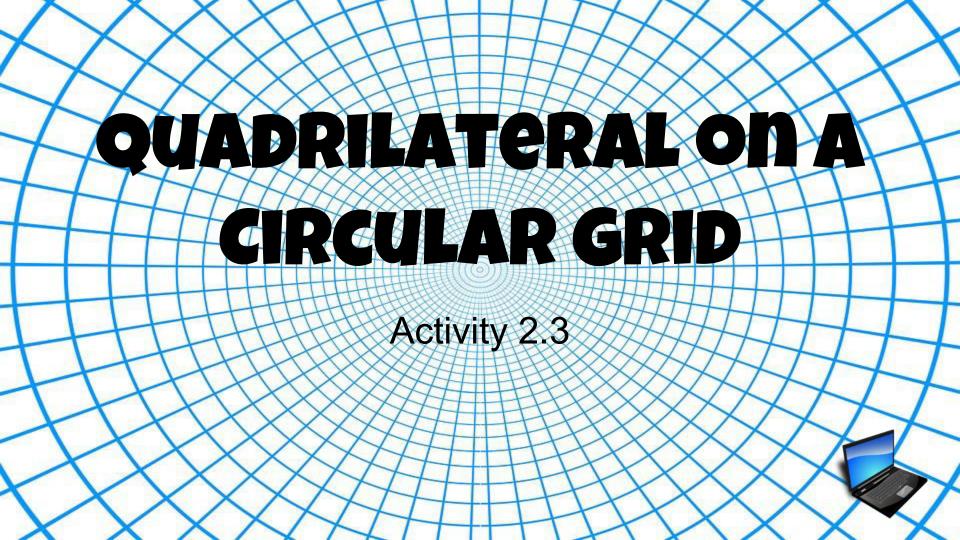


★ The large circle (r = 6) is the dilation of the small circle (r = 2).



What do you think would happen if a circle were dilated about its center with a scale factor of 2 or 4?

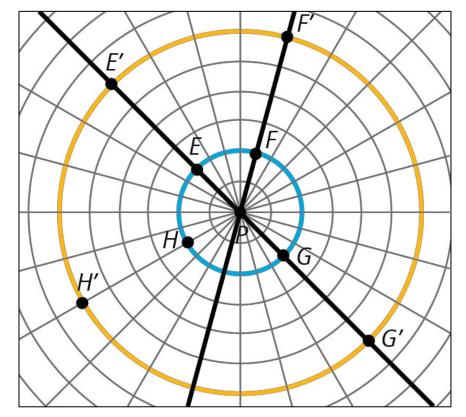




#### Let's dilate some points!

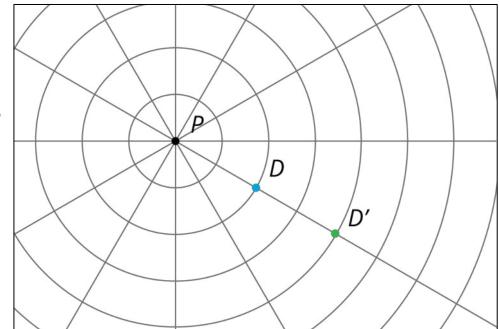
In the previous activity, each point was dilated to its images using a scale factor of 3.

The dilated point was 3 times as far from the center as the original point.

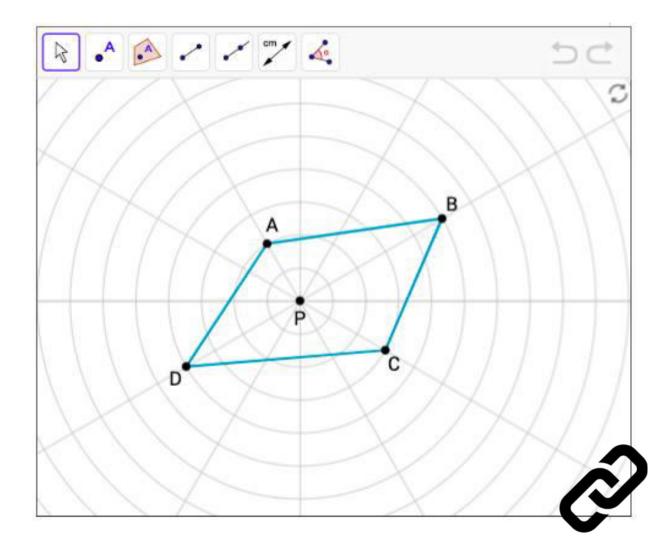


#### Let's dilate some points!

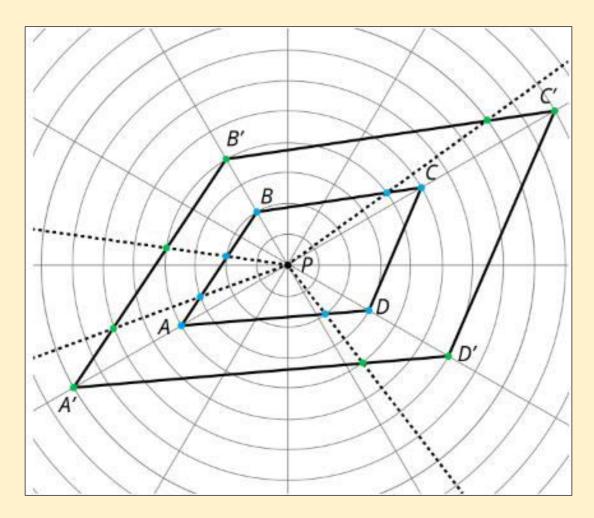
When we dilate point D using P as the center of dilation and a scale factor of 2, that means we'll take the distance from P to *D* and place a new point on the ray *PD* twice as far away from *P*.



#### Please begin working on Activity 3!

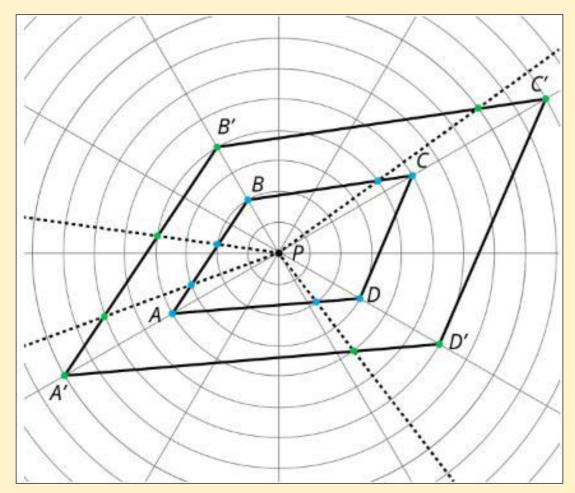


What do you notice about the new polygon?



What happened to the additional points dilated on polygon *ABCD*?

Dilating the polygon's vertices, and then connecting them, gives the image of the entire polygon under the dilation.



#### "Are you ready for more?"

Suppose *P* is a point not on line segment *WX*. Let *YZ* be the dilation of line segment *WX* using *P* as the center with scale factor 2. Experiment using a circular grid to make predictions about whether each of the following statements must be true, might be true, or must be false.

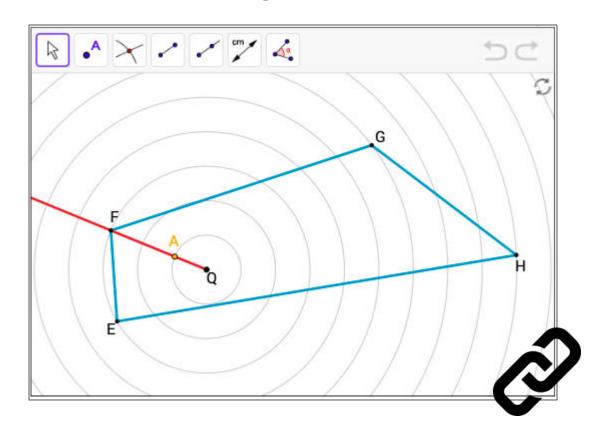
- A. YZ is twice as long as WX.
- B. YZ is five units longer than WX.
- C. The point *P* is on YZ.
- D. YZ and WX intersect.

# A QUADRILATERAL AND CONCENTRIC CIRCLES

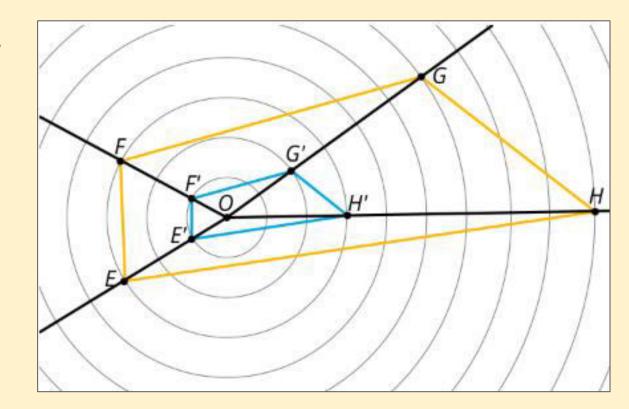
**Activity 2.4 (optional)** 

Read the problem to yourself. How is this problem similar and different from the preview activity? Be prepared to share your reasoning.

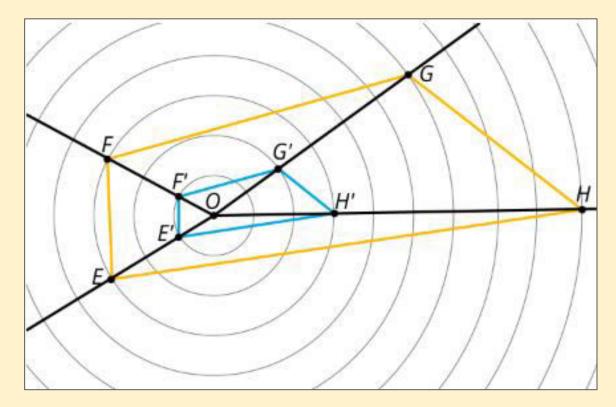
#### Study how the location of F' was determined. Then dilate the remaining points.



Adding line segments joining *E*, *F*, *G*, *H* to the center was necessary in order to find the image of those points in the dilation.

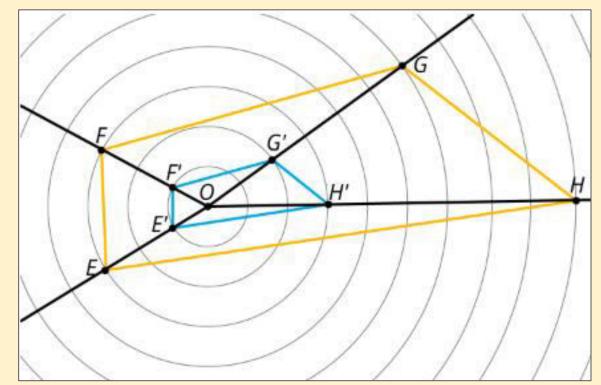


What was the result of the image when using a scale factor of  $\frac{1}{3}$ ?



#### What scale factor would result in no change?

- ★ Scale factors that are greater than 1 result in a larger image.
- ★ Scale factors less than 1 result in a smaller image.

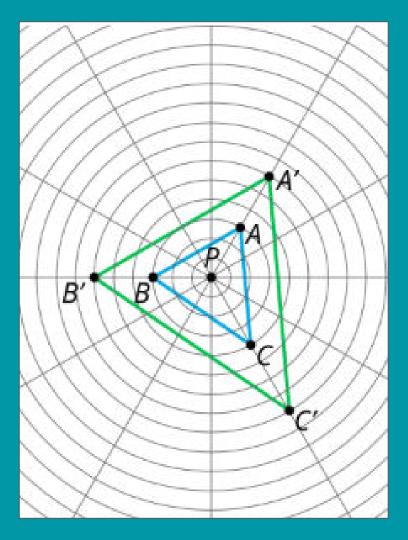


What are some important properties of the circular grid?

# How does it help to perform dilations?

To apply a dilation to a polygon, we can dilate the vertices and then add appropriate segments.

### How does triangle *A'B'C'* compare to triangle *ABC*?



## Today's Goal

I can apply dilations
to figures on a
circular grid when the
center of dilation is
the center of the grid.



