

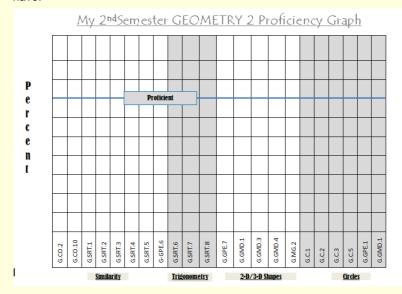
Warm Up:

EQ: <u>SRT.4</u> How do I use the side-splitter theorem?

Warm-up Warm-u

Warm Up:

Looking at your progress report, fill in your scores for the standards you have.



G-CO.10—Tutor MUST COMPLETE IN ORDER TO TAKE RECOVERY QUIZ NAME: HOUR:

Geometry 2: Triangle Similarity Recovery vA Name Per

G.CO-10. Learning Target: I can prove that the segment joining midpoints of two sides of a triangle is parallel to and half the length of the third side.

periods 5 & 6...

1. Complete the following proof.

6) $\overline{AB} \cong \overline{CD}$ and $\overline{BC} \cong \overline{DA}$

Given: $\Box ABCD$ Prove: $\overline{AB} \cong \overline{CD}$ and $\overline{BC} \cong \overline{DA}$ Statements

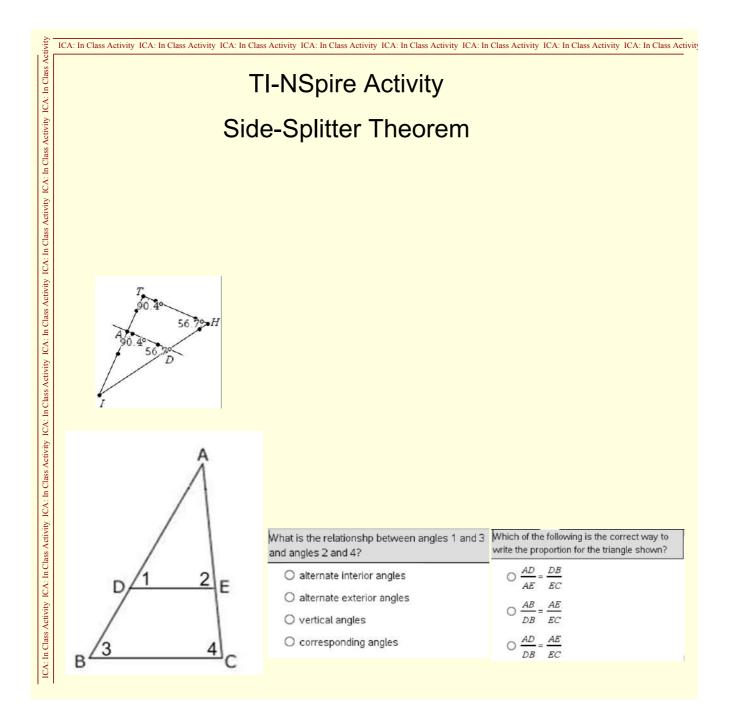
Reasons

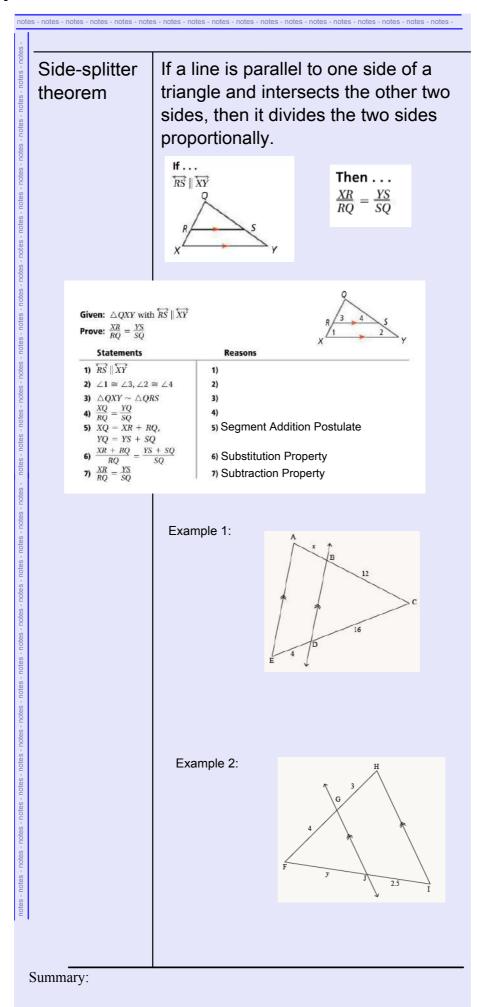
1) ABCD is a parallelogram.

2) $\overline{AB} \parallel \overline{CD}$ and $\overline{BC} \parallel \overline{DA}$ 2)

3) $\angle 1 \cong \angle 4$ and $\angle 3 \cong \angle 2$ 3) $\angle 1 \cong \angle 4$ and $\angle 3 \cong \angle 2$ 4) $\overline{AC} \cong \overline{AC}$ 4)

5) $\triangle ABC \cong \triangle CDA$ 5)





ICA: In Class Activity ICA: In Class Activity

Name

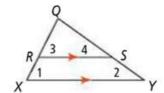
IAN.page18

Side-Splitter Theorem Practice

1. Complete the following proof.

Given: $\triangle QXY$ with $\overrightarrow{RS} \parallel \overrightarrow{XY}$

Prove: $\frac{XR}{RQ} = \frac{YS}{SQ}$



Statements

Reasons

1)
$$\overrightarrow{RS} \parallel \overrightarrow{XY}$$

1)

2)
$$\angle 1 \cong \angle 3$$
, $\angle 2 \cong \angle 4$

2) 3)

3)
$$\triangle QXY \sim \triangle QRS$$

4) $\frac{XQ}{Q} = \frac{YQ}{Q}$

4)

2. Given the figure at the right and that $\overline{RT} || \overline{BC}$,

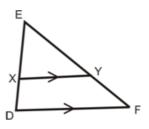
(a) Can you prove that $\triangle ABC \sim \triangle ART$? Explain why or why not.

(b) Find the value of x. Be sure to show your work.

3. In the triangle at the right, if $\overline{XY} \parallel \overline{DF}$, which of the following statements is true?

(a)
$$\frac{EX}{XY} = \frac{ED}{DE}$$

(c) EX = XD (d) $\frac{EX}{XD} = \frac{EY}{YF}$



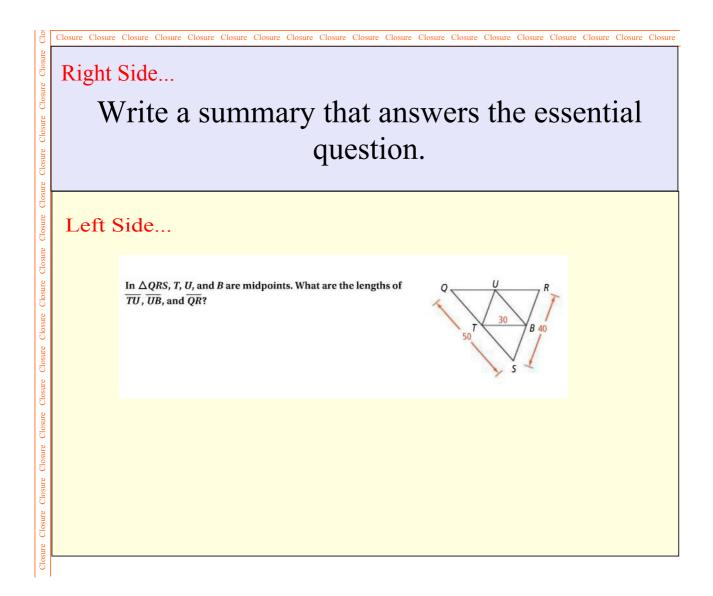
- 4. Which of the following transformations does NOT create congruent figures?
- (a) dilation
- (b) reflection
- (c) translation
- (d) rotation

5. △WXY has vertices at W(2,2), X(6,6) and Y(8,2). The triangle was then dilated using the origin as the center and the coordinates of the new image are W'(1,1), X'(3,3) and Y'(4,1). Which of the following statements is true? (a) k > 1 (b) k < 1 (c) k = 1(d) cannot be determined

△ABC is dilated, with the center of dilation at the origin, to form △A'B'C'. Which of the following statements may

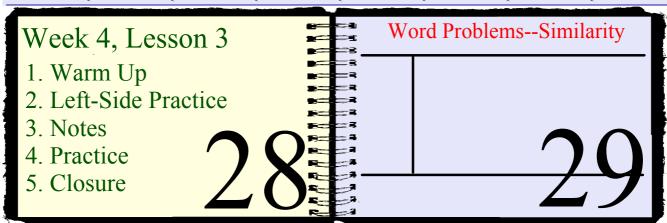
(a) $\angle ABC \cong \angle A'B'C'$

(b) $\triangle ABC \cong \triangle A'B'C'$ (c) △ABC ~ △A'B'C' (d) $\frac{AB}{A'B'} = \frac{AC}{A'C'}$



EQ: SRT.5 How do I use similarity to solve word problems?

Essential Question Essential Question Essential Question Essential Question Essential Question Essential Question



Warm-up Warm-u

Warm Up:

Given: $\triangle QXY$ with $\overrightarrow{RS} \parallel \overrightarrow{XY}$

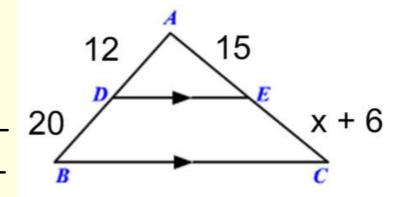
Without using your notes (if you can), complete the following reasons in the proof below.

Statements	Reasons
1) \(\hat{RS} \ \hat{XY}	1)
$2) \ \angle 1 \cong \angle 3, \angle 2 \cong \angle 4$	2)
3) $\triangle QXY \sim \triangle QRS$	3)
4) $\frac{XQ}{RQ} = \frac{YQ}{SQ}$	4)
5) XQ = XR + RQ,	5) Segment Addition Postulate
YQ = YS + SQ XR + RQ - VS + SQ	
$6) \ \frac{XR + RQ}{RQ} = \frac{YS + SQ}{SQ}$	6) Substitution Property
7) $\frac{XR}{RO} = \frac{YS}{SO}$	7) Subtraction Property

ICA: In Class Activity ICA: In Class Activity

Left-Side Practice

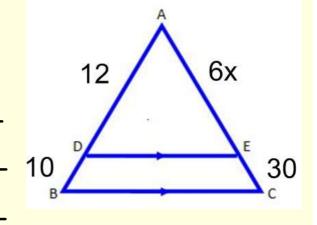
1. (a) Can you prove the two triangles similar? Explain.



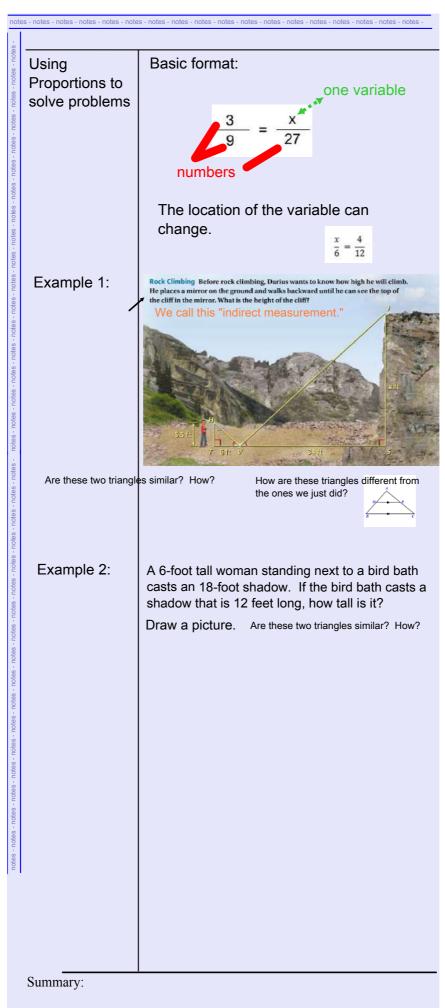
(b) Solve for x.

Activity ICA: In Class Activity ICA: In Class

2. (a) Can you prove the two triangles similar? Explain.



(b) Solve for x.



ICA: In Class Activity ICA: In Class Activity

ame______pd___

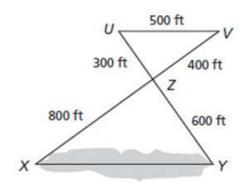
IAN.page 20

SRT.5 Practice

Directions: Answer the following questions.

- In an attempt to find the distance across a lake, you find the following measurements.
- (a) Are the two triangles similar? Explain.

(b) What is the distance across the lake (XY)?



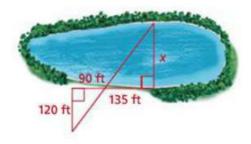
2. On a sunny day, a classmate uses indirect measurement to find the height of a building. The building's shadow is 12 ft long and your classmate's shadow is 4 ft long. If your classmate is 5 ft tall, what is the height of the building?
 (a) Draw a picture and label the measurements.
 (b) Solve for the height of the building.

3.

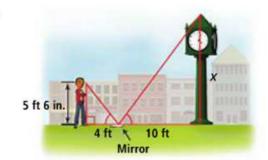
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In Class Activity

ICA:



4.



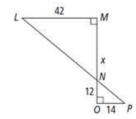
5. $\triangle LMN \sim \triangle PON$. What is the value of x?

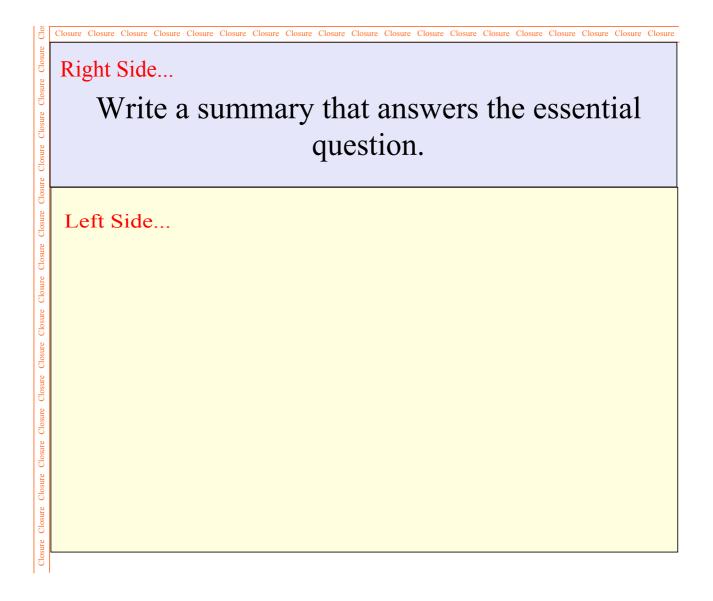
A 36

C 25

B 20

① $28\frac{1}{3}$





EQ: SRT.5 How do I use similarity to solve word problems?

Week 4, Lesson 4

1. Warm Up

2. SRT.4 Quiz

3. Activity

4. Closure

Word Problems -- Similarity

2. Ssential Question Essential Question Essenti

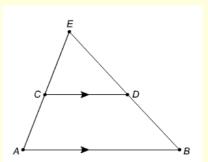
Warm-up Warm-u

Warm Up:

To review for the quiz, take a minute to look back over your notes on page 19 and the worksheet on page 18. Also, review the warm-up and left-side practice on page 20.

Then, answer the following questions:

- 1. Do you know the missing reasons in side-splitter proof?
- 2. Do you know why the following two triangles are similar?
- 3. Do you how to set up the numbers in the diagram to solve for a variable?



SRT.4 Quiz

k	4
k	•
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	Class Activity IC

ICA: In Class Activity ICA: In Class Activity

Similar Triangles Mirror Activity IAN.page 22

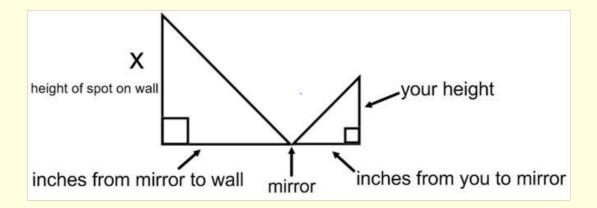
Name	
Date	Period

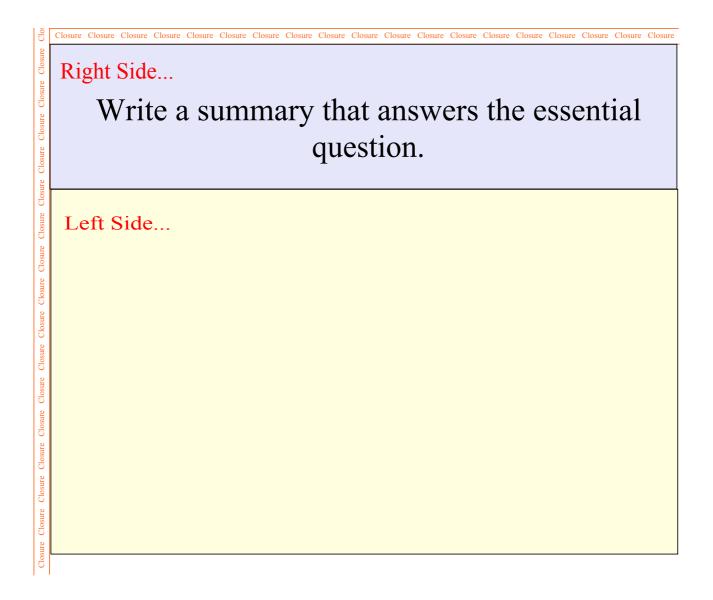
- 1. Fill in the name of each group member (including yourself)
- 2. For each student, measure their height in <u>inches</u>. (For example, a person who is 5'8" would be 68 inches.)
- 3. Stand up straight do not lean forward!!!
- 4. Place the mirror on the ground and move yourself, the mirror, or both until you can see the spot on the wall. Stand up straight do not lean forward!!!
- 5. Have team members measure the following distances:
 - a. The distance on the floor from your feet to the mirror. Measure only in \underline{inches} .
 - The distance on the floor from the mirror to the wall DIRECTLY UNDERNEATH the spot on the wall.
 Measure only in inches.

DO NOT MEASURE THE HEIGHT OF THE SPOT ON THE WALL!! @ (that's cheating)

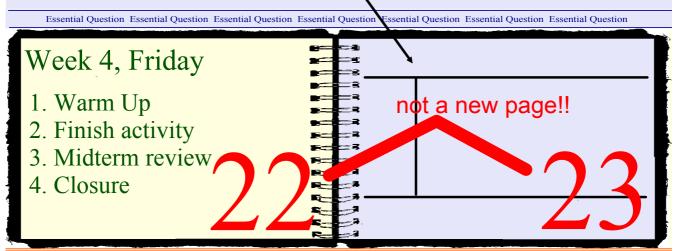
- 6. Record your measurements.
- 7. Repeat this process for all team members in the group until all group members are done.
- 8. Set up the proportion using the picture below as a guide.
- 9. Solve for x. Theoretically, you *should* get the same measurement for each one, since each group member used the same spot!

Names >		
Height (in.)		
Inches from person to Mirror		
Inches from Mirror to Wall		
Set up the proportion to solve for x		
Height of spot on wall		





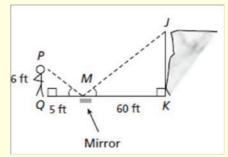
EQ: SRT.5 How do I use similarity to solve word problems?



Warm-up Warm-u

Warm Up:

Using indirect measurement, you find the following measurements. What is the height of the cliff?



k	4
k	•
	Class Activity ICA: In Class Activity ICA:
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ICA: In Class Activity ICA: In Class Activity

Similar Triangles Mirror Activity IAN.page 22

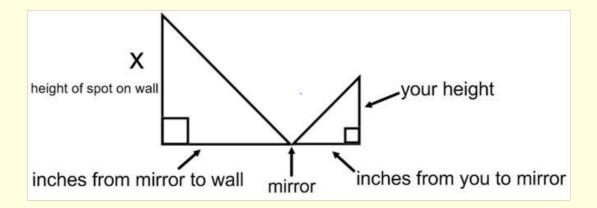
Name	
Date	Period

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Height (in.)		
Inches from person to Mirror		
Inches from Mirror to Wall		
Set up the proportion to solve for x		
Height of spot on wall		



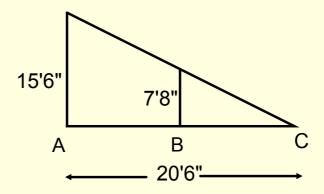
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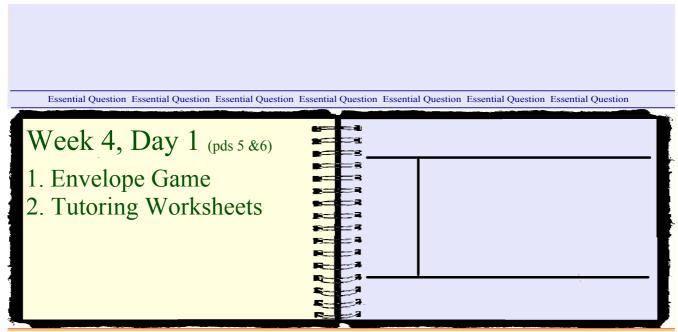
Left-Side: Midterm Review

On a safari, a car full of tourists has a height of 7'8" and is parked at point B. Next to the car, an adult elephant stands with a height of 15'6" at point A. If the elephant casts a shadow that is 20'6" long, how far away is the elephant from the car? Round to the nearest foot.

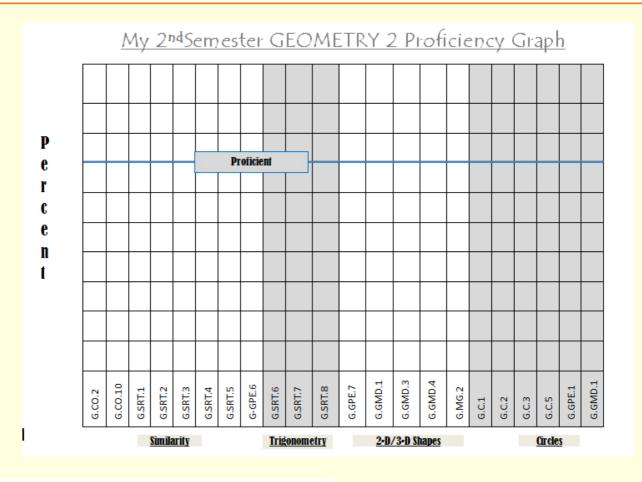


Pentagon ABCDE is dilated about the origin by a scale factor of 3 to form pentagon A'B'C'D'E'. If the perimeter of pentagon ABCDE is 50 cm, what is the perimeter of

A'B'C'D'E'?



Warm-up Warm-u



G-CO.10—Tutor	MUST COMPLETE IN ORDER TO	TAKE RECOVERY QUIZ
	NAME:	HOUR:

Geometry 2: Triangle Similarity Recovery vA
Name Per

G.CO-10. Learning Target: I can prove that the segment joining midpoints of two sides of a triangle is parallel to and half the length of the third side.

Name_____

Number_____

Envelope Game Worksheet

Solve each proportion.

1.
$$\frac{2}{3} = \frac{x}{15}$$

2.
$$\frac{4}{9} = \frac{10}{3}$$

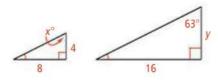
3.
$$\frac{x}{4} = \frac{6}{12}$$

4.
$$\frac{x}{2} = \frac{3}{6}$$

5.
$$\frac{3}{4} = \frac{x}{6}$$

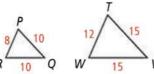
6.
$$\frac{3}{7} = \frac{9}{x}$$

7. The two triangles shown below are similar. Find the value of x and the value of y.

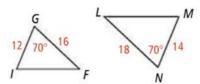


Determine whether the triangles shown are similar. If so, write a similarity statement. If not, explain why.

8.

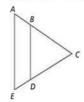


9.



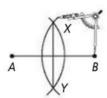
10. What is the midpoint of the segment whose endpoints are \underline{M} (6,-11) and N(-18,7)?

11 Which of the following facts would be sufficient to prove $\triangle ACE \sim \triangle BCD$?



- \bigcirc $\triangle BCD$ is a right triangle.
- $\bigcirc AB \cong ED$
- \bigcirc $\overline{AE} \parallel \overline{BD}$

12. What type of construction is shown below?



13. What is a name for the quadrilateral below?

- I. square
- II. rectangle
- III. rhombus
- IV. parallelogram



(B) IV only



- II and IV
- (D) I, II, and IV

