Waterbury Public Schools Unit Instructional Tool Geometry

Unit 2

Pacing: 5 weeks + 1 week for re-teaching/enrichment =25 periods + 5 periods re-teach/enrichment-30 days total

Mathematical Practices				
Mathematical Practices #1 and #3 describe a classroom environment that encourages thinking mathematically and are critical for quality teaching and learning.				
Practices in bold are to be emphasized in the unit.				
1. Make sense of problems and persevere in solving them.				
2. Reason abstractly and quantitatively.				
3. Construct viable arguments and critique the reasoning of others.				
4. Model with mathematics.				
5. Use appropriate tools strategically.				
6. Attend to precision.				
7. Look for and make use of structure.				
8. Look for and express regularity in repeated reasoning.				
Standards Overview				
 Understand congruence in terms of rigid motions. Prove geometric theorems. 				

Periods	Priority and Supporting CCSS	Performance Objectives	Suggested Instructional Strategies	Resources	Pre-Requisite Knowledge
6	CC.9-12.G.CO.9 Prove theorems about lines and angles. Theorems include: vertical angles are congruent; when a transversal crosses parallel lines, alternate interior angles are congruent and corresponding angles are congruent; points on a perpendicular bisector of a line segment are exactly those equidistant from the segment's endpoints.	 Given two parallel lines and a transversal, identify the special angle pairs and justify your answers. Given two parallel lines and a transversal, solve for missing angle measures. Prove the vertical angle theorem, alternate interior angle theorem. Solve for lengths of segments on a perpendicular bisector Prove the perpendicular bisector theorem. 	 Identifying Similarities and Differences Note Taking Summarizing Cooperative Learning Nonlinguistic Representations Vocabulary Development Use multiple formats to write proofs: narrative paragraphs, flow diagrams, two-column format, and diagrams without words. Focus on the validity of the underlying reasoning while writing proofs. Use dynamic geometry software to explore angle relationships to the creation of tessellation patterns. 	ML Geometry Concept & Skills: 5.2 Prove Theorems about Lines and Angles Prove Theorems about Perpendicular Lines Vertical Angles Vertical Angles Parallel Lines Cut by a Transversal Angles and Parallel Lines Constructing a Perpendicular Bisector Perpendiculars and Bisectors Ti-Nspire Angle Relationships Angles formed by Parallel Lines cut by a Transversal Ti-84 Angles Formed By Parallel Lines Angles and Transversals	 Know properties of supplementary, complementary, vertical, and adjacent angles (7.G.5).

Periods	Priority and Supporting CCSS	Performance Objectives	Suggested Instructional Strategies	Resources	Pre-Requisite Knowledge
6	CC.9-12.G.CO.8 Explain how the criteria for triangle congruence (ASA, SAS, and SSS) follow from the definition of congruence in terms of rigid motions	Describe why ASA, SAS, and SSS satisfy the congruency conditions for triangles.	 Identifying Similarities and Differences Note Taking Summarizing Cooperative Learning Nonlinguistic Representations Vocabulary Development Explore the minimum conditions necessary to show triangles are congruent using technology, reflective devices, patty paper, spaghetti, or grid paper. Establish triangle congruence criteria using properties of rigid motion. 	Congruence Theorems ML Geometry Concept & Skills: 5.2-5.4 Constructing the Nine Point Circle Bulletin Board Congruence Lesson Bulletin Board Congruence Math Task Ti-Nspire Congruent Triangles Congruent, or Not? Ti-84 Conditions that Prove Congruency	 Definition of congruence in terms of rigid motions. Definition of corresponding pairs of sides or angles.
6	CC.9-12.G.CO.7 Use the definition of congruence in terms of rigid motions to show that two triangles are congruent if and only if corresponding pairs of sides and corresponding pairs of angles are congruent.	Given two triangles transformed by rigid motion, determine if the conditions of congruency have been met.	 Identifying Similarities and Differences Note Taking Summarizing Cooperative Learning Nonlinguistic Representations Vocabulary Development Match pairs of cardboard congruent triangles and justify congruence. 	<u>Congruent Triangles</u> <u>Exploring Congruence</u> <u>Virtual Polystrips</u> ML Geometry Concept & Skills: 5.1	 Define congruence in terms of rigid motions. Understand that rigid motion is any combination of reflection, translation, and rotation preserving angle measure and side length.

Periods	Priority and Supporting CCSS	Performance Objectives	Suggested Instructional Strategies	Resources	Pre-Requisite Knowledge
			• Measure angles and side lengths of triangles resulting from rigid transformations using a variety of technology and paper based methods (e.g., patty paper).	Ti-Nspire Geometry Nspired: Triangles: Corresponding Parts of Congruent Ti-84 Triangle Congruence with Activity Center	
3	CC.9-12.G.CO.6 Use geometric descriptions of rigid motions to transform figures and to predict the effect of a given rigid motion on a given figure; given two figures, use the definition of congruence in terms of rigid motions to decide if they are congruent.	 Determine if two given geometric figures are congruent in terms of rigid motion. Given two geometric figures transformed by rigid motion, determine if the conditions of congruency have been met. 	 Identifying Similarities and Differences Note Taking Summarizing Cooperative Learning Nonlinguistic Representations Vocabulary Development Use graph paper, tracing paper, physical models and geometry software to verify predictions regarding rigid motion and congruence. Use frieze patterns and Escher art to explore congruency in transformations. 	NUMB3RS - Season 3 - "Waste Not" - A Group of SymmetriesML Geometry Concept & Skills: 3.7, 5.7, 11.8Ti-Nspire Transformation ApplicationTi-84 Rotations in the Plane	• Understand and use reflections, translations, and rotations.
4	CC.9-12.G.CO.12 Make formal geometric constructions with a variety of tools and methods (compass and straightedge, string, reflective devices, paper folding, dynamic geometric software, etc.). Copying a segment; copying	 Create a list of steps needed to construct congruent segments, angles, bisect segments and angles, parallel and perpendicular lines. Use a compass and straightedge to construct congruent segments, angles, bisect segments and angles, parallel and perpendicular lines. Use multiple methods to do the above. 	 Identifying Similarities and Differences Note Taking Summarizing Cooperative Learning Nonlinguistic Representations Vocabulary Development 	ML Geometry Concept & Skills: 3.6, 5.2, 5.6, <u>Constructions Animations</u> <u>Geometric Constructions</u> NCTM Illuminations: <u>Dividing a</u> <u>Town Into Pizza Delivery Regions</u>	• Define the following terms: circle, bisector, perpendicular and parallel.

Periods	Priority and Supporting CCSS	Performance Objectives	Suggested Instructional Strategies	Resources	Pre-Requisite Knowledge
	an angle; bisecting a		variety of constructions using different	Ti-Nspire	
	segment; bisecting an angle;		tools. Ask students to justify how they	Constructing Similar Triangles	
	constructing perpendicular		know their method results in the desired		
	lines, including the		construction.	Ti-84	
	perpendicular bisector of a		• Discuss the underlying principles that	<u>Cabri Geometry Tour</u>	
	line segment; and		different tools rely on to produce	Constructing Quadrilaterals	
	constructing a line parallel		circles. mira: reflections).	Constructing Similar Triangles	
	to a given line through a			<u>_</u>	
	point not on the line				

Waterbury Public Schools Geometry

Unit Instructional Support Tool

Concepts	Skills	Bloom's Taxonomy Levels
What Students Need to Know	What Students Need To Be Able To Do	
definition of congruence	• USE	3
		2
• two triangles are congruent if and only if corresponding pairs of	• SHOW	
sides and corresponding pairs of angles are congruent		
• criteria for triangle congruence	• EXPLAIN	2
o ASA		
o SAS		
○ SSS		

Unit 2: Congruence, Proof and Constructions

Essential Questions				
In what ways can congruence be useful?				
Corresponding Big Ideas				
Proving and applying congruence provides a basis for modeling situations geometrically to solve problems.				