

## More rational function practice

**Identify the holes, vertical asymptotes, horizontal or oblique/slant asymptote, and domain of each. (The answer key won't give you the oblique asymptote, unfortunately.)**

1)  $f(x) = \frac{x^2 - 9}{x^3 - 9x}$

2)  $f(x) = \frac{x^2 + 3x - 4}{-x^2 - 2x + 8}$

3)  $f(x) = \frac{x^2 - 1}{-3x}$

4)  $f(x) = \frac{2x^2 - 2x - 24}{x^2 - 4x}$

$$5) f(x) = \frac{x^3 - 4x^2 + 3x}{-4x^2 - 4x + 24}$$

$$6) f(x) = \frac{x^2 - x}{-3x - 3}$$

$$7) f(x) = \frac{x + 3}{-4x^2 + 16}$$

$$8) f(x) = \frac{x - 3}{3x + 3}$$

$$9) f(x) = \frac{x + 4}{-2x + 2}$$

$$10) f(x) = \frac{-x + 1}{x + 3}$$

## Answers to More rational function practice

- 1) Vertical Asym.:  $x = 0$   
Holes:  $x = -3, x = 3$   
Horz. Asym.:  $y = 0$   
Domain: All reals except  $-3, 0, 3$
- 2) Vertical Asym.:  $x = 2$   
Holes:  $x = -4$   
Horz. Asym.:  $y = -1$   
Domain: All reals except  $-4, 2$
- 3) Vertical Asym.:  $x = 0$   
Holes: None  
Horz. Asym.: None  
Domain: All reals except  $0$
- 4) Vertical Asym.:  $x = 0$   
Holes:  $x = 4$   
Horz. Asym.:  $y = 2$   
Domain: All reals except  $0, 4$
- 5) Vertical Asym.:  $x = 2, x = -3$   
Holes: None  
Horz. Asym.: None  
Domain: All reals except  $-3, 2$
- 6) Vertical Asym.:  $x = -1$   
Holes: None  
Horz. Asym.: None  
Domain: All reals except  $-1$
- 7) Vertical Asym.:  $x = 2, x = -2$   
Holes: None  
Horz. Asym.:  $y = 0$   
Domain: All reals except  $-2, 2$
- 8) Vertical Asym.:  $x = -1$   
Holes: None  
Horz. Asym.:  $y = \frac{1}{3}$   
Domain: All reals except  $-1$
- 9) Vertical Asym.:  $x = 1$   
Holes: None  
Horz. Asym.:  $y = -\frac{1}{2}$   
Domain: All reals except  $1$
- 10) Vertical Asym.:  $x = -3$   
Holes: None  
Horz. Asym.:  $y = -1$   
Domain: All reals except  $-3$