

## **Mathematics Curriculum**



GRADE 5 • MODULE 2 CO Suid

Multi-Digit Whole Number and Decimal Errol

Multi-Digit Whole Number and Decimal E

Module Ov	verview	i
	ental Strategies for Multi-Digit Whole Number Multiplication2.A	
	ne Standard Algorithm for Multi-Digit Whole Number Multiplication2.B	
	ecimal Multi-Digit Multiplication2.C	
		,. <u>T</u>
M	leasurement Word Problems with Whole Number and Decimal  1ultiplication	.1
Topic E: Me	ental Strategies for Multi-Digit Whole Number Division2.E	.1
Topic F: Pa	rtial Quotients and Multi-Digit Whole Number Division2.F	.1
Topic G: Pa	artial Quotients and Multi-Digit Decimal Division	i.1
Topic H: M	leasurement Word Problems with Multi-Digit Division 2.H	.1
Module Ass	sessments	5.1

NOTE: Student sheets should be printed at 100% scale to preserve the intended size of figures for accurate measurements. Adjust copier or printer settings to actual size and set page scaling to none.



Module 2: Date:

Multi-Digit Whole Number and Decimal Fraction Operations 7/29/14



Name	Data
Name	Date

Fill in the blanks using your knowledge of place value units and basic facts.

a.	23 × 20	b.	230 × 20
	Think: 23 ones $\times$ 2 tens = 46 tens		Think: 23 tens × 2 tens = 46 hundreds
	23 × 20 = 460		230 × 20 = 4,600
	41×4	d.	410 × 400
L.	41 / 4	u.	410 ^ 400
	41 ones × 4 ones = 164 <u>One.5</u>		41 tens × 4 hundreds = 164 <u>thousands</u>
	41 × 4 = 164		410 × 400 = 164,000
	1987		
e.	3,310 × 300	f.	500 × 600
	331 tens × 3 hundreds = 993 thousand	Ìs	5 hundreds × 6 hundreds = 30 ten. thousands
	3,310 × 300 = 993,000		500 × 600 = 300, 000

- 2. Determine if these equations are true or false. Defend your answer using your knowledge of place value and the commutative, associative, and/or distributive properties.
  - a.  $6 \text{ tens} = 2 \text{ tens} \times 3 \text{ tens}$

False, because 2 tens x 3 tens = 6 hundreds or 600. 20x 30=600

b.  $44 \times 20 \times 10 = 440 \times 2$ 

False, because these aren't equal. I can rewrite 44×10=440 and 440×20 ≠ 440×2.

c. 86 ones × 90 hundreds = 86 ones × 900 tens

True, because 90 hundreds is equal to 900 tens which is equal to the value of 9,000

d.  $64 \times 8 \times 100 = 640 \times 8 \times 10$ 

True. I can rewrite the problem to be 8x64 x100 = 8x640x10. 64x100 is equal to 640x10.

COMMON

Lesson 1: Date:

Multiply multi-digit whole numbers and multiples of 10 using place value patterns and the distributive and associative properties. 7/29/14

engage<sup>ny</sup>

e.  $57 \times 2 \times 10 \times 10 \times 10 = 570 \times 2 \times 10$ 

False. I can rewrite the right side of the equation to be 57x2x1.000.57x2x1,000 = 570x2x10.

3. Find the products. Show your thinking. The first row gives some ideas for showing your thinking.

a. 
$$7 \times 9$$
  $7 \times 90$   $70 \times 90$   $70 \times 900$   
= 63  $= 63 \times 10$   $= (7 \times 10) \times (9 \times 10)$   $= (7 \times 9) \times (10 \times 100)$   
= 630  $= (7 \times 9) \times 100$   $= 63,000$   
= 6,300

b. 
$$45 \times 3$$
  $45 \times 30$   $450 \times 300$   $450 \times 300$   $= [35 \times 10] = (45 \times 10) \times (3 \times 10) = (45 \times 3) \times (10 \times 100)$   $= 1,350 = (45 \times 3) \times 100 = 135,000$   $= 13,500$ 

c. 
$$40 \times 5$$
  $40 \times 50$   $40 \times 5,000$   $400 \times 5,000$   $= 20 \times 100 \times 1,000$   $= 2,000 = (4 \times 5) \times 1,000 = 20 \times 100,000$   $= 20,000 = 2,000,000$ 

Lesson 1:

Date:

Multiply multi-digit whole numbers and multiples of 10 using place value patterns and the distributive and associative properties.

4. Ripley told his mom that multiplying whole numbers by multiples of 10 was easy because you just count zeros in the factors and put them in the product. He used these two examples to explain his strategy.

$$7,000 \times 600 = 4,200,000$$
  
(3 zeros) (2 zeros) (5 zeros)

$$800 \times 700 = 560,000$$
 (2 zeros) (2 zeros) (4 zeros)

Ripley's mom said his strategy will not always work. Why not? Give an example.

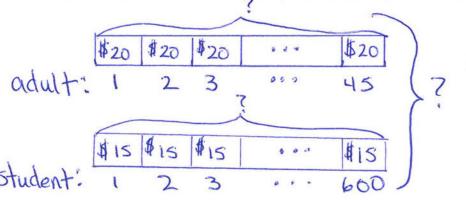
This strategy won't always work because it depends on the factors you're multiplying. For example! 400 x 500 = 200,000. It doesn't work in this (2zeros) (2zeros) (5zeros)

example because 4x5=ZO: That's way the product has 5 zeros.

The Canadian side of Niagara Falls has a flow rate of 600,000 gallons per second. How many gallons of water flow over the falls in 1 minute?

36,000,000 gallons of water will flow over the falls in I minute.

6. Tickets to a baseball game are \$20 for an adult and \$15 for a student. A school buys tickets for 45 adults and 600 students. How much money will the school spend for the tickets?



$$45 \times 20 = $900$$

$$600 \times 15 = 900$$

$$+ 900$$

$$900$$

$$9900$$

The school will spend \$9,900 for tickets.

COMMON

Lesson 1: Date:

Multiply multi-digit whole numbers and multiples of 10 using place value patterns and the distributive and associative properties. 7/29/14

Name	Date
	Dutc

1. Round the factors to estimate the products.

A reasonable estimate for  $597 \times 52$  is 30, 000.

A reasonable estimate for 1,103  $\times$  59 is  $\bigcirc$   $\bigcirc$   $\bigcirc$   $\bigcirc$   $\bigcirc$   $\bigcirc$   $\bigcirc$   $\bigcirc$ 

A reasonable estimate for 5,840  $\times$  25 is 150,000.

2. Complete the table using your understanding of place value and knowledge of rounding to estimate the product.

	Expressions	Rounded Factors	Estimate
a.	2,809 × 42	3,000 × 40	120,000
b.	28,090 × 420	30,000 × 400	12,000,000
c.	8,932 × 59	9,000 x 60	540,000
d.	89 tens × 63 tens	900 x 600	540,000
e.	398 hundreds × 52 tens	40,000 x 500	20,000,000

Lesson 2:

Estimate multi-digit products by rounding factors to a basic fact and using place value patterns.

Date: 7/29/14



3. For which of the following expressions would 200,000 be a reasonable estimate? Explain how you know.

$$2,146 \times 12$$
  $21,467 \times 121$   $2,146 \times 121$   $21,477 \times 1,217$   $= 2,000 \times 100$   $= 20,000 \times 1,000$   $= 20,000 \times 1,000$   $= 20,000 \times 1,000$   $= 20,000,000$   $= 20,000,000$ 

4. Fill in the missing factors to find the given estimated product.

c. 
$$8,379 \times 541 \approx 8,000 \times 500 = 4,000,000$$

5. There are 19,763 tickets available for a New York Knicks home game. If there are 41 home games in a season, about how many tickets are available for all the Knicks' home games?

20,000 x 40 = 800,000

There were about 800,000 tickets available for all the KNicks home games.

Michael saves \$423 dollars a month for college.

a. About how much money will he have saved after 4 years?

$$4 \times 12 \text{ months} = 48 \text{ months}$$
  
 $4423 \times 48 \approx 4400 \times 50 4400 \times 50 = $20,000$ 

He would have saved about \$20,000 after 4 years.

b. Will your estimate be lower or higher than the actual amount Michael will save? How do you know?

I think my estimate was lower than the actual amout Michael will save, because I rounded \$423 to \$400, but I did round 48 to 50. I think my estimate of \$20,000 is really close to the actual amount.

COMMON CORE

Lesson 2: Date:

7/29/14

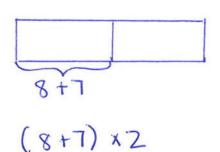
Estimate multi-digit products by rounding factors to a basic fact and using place value patterns.

engage<sup>ny</sup>

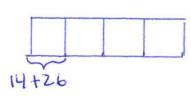
Name

Date \_\_\_\_\_

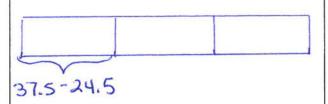
- 1. Draw a model. Then, write the numerical expressions.
  - a. The sum of 8 and 7, doubled



b. 4 times the sum of 14 and 26



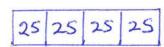
3 times the difference between 37.5 and 24.5

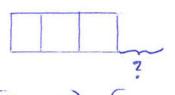




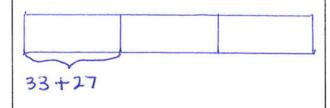
3x (37.5-24.5)

e. The difference between 4 twenty-fives and 3 twenty-fives





Triple the sum of 33 and 27



COMMON

Lesson 3:

Write and interpret numerical expressions and compare expressions using a visual model.

Date:

8/3/14

engage<sup>ny</sup>

2. Write the numerical expressions in words. Then, solve.

	Expression	Words	The Value of the Expression
a.	12 × (5 + 25)	12 times the sum of 5 and 25	360
b.	(62 – 12) × 11	11 times the difference between	550
c.	(45 + 55) × 23	23 times the sum of 45 and 55	2,300
d.	(30 × 2) + (8 × 2)	the sum of 30 twos and 8 twos	76

3. Compare the two expressions using > , < , or = . In the space beneath each pair of expressions, explain how you can compare without calculating. Draw a model if it helps you.

a. 24 × (20 + 5)	$\bigcirc$	(20 + 5) × 12
It's greater the	in be	cause the left side shows 24 groups enght side only has 12 groups of (20+5)
b. 18×27		20 twenty-sevens minus 1 twenty-seven
It's less than bed	ause	the left side shows 18 twenty-sevens
c. 19×9	nde	shows 19 twenty-sevens.  3 nineteens, tripled
9 19 19 19 19 19 19 19		19 19 19 19 19 19 19 19 19 19 19
Both sides are	egu	al. They're both 9 groups of 19.

Lesson 3:

Write and interpret numerical expressions and compare expressions using a visual model.

Date:

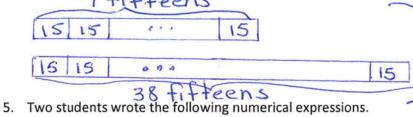
8/3/14

engage<sup>ny</sup>

(7x15)+(38x15)

Mr. Huynh wrote the sum of 7 fifteens and 38 fifteens on the board.

Draw a model, and write the correct expression. titteens



Angeline:  $(7 + 15) \times (38 + 15)$ MeiLing:  $15 \times (7 + 38)$ 

Are the students' expressions equivalent to your answer in Problem 4? Explain your answer.

Meiling's answer is equivalent. She found the sum (added) of the 2 bars together. Angeline's answer is not equivalent, she multiplied the values of the two bars.

- 6. A box contains 24 oranges. Mr. Lee ordered 8 boxes for his store and 12 boxes for his restaurant.
  - a. Write an expression to show how to find the total number of oranges ordered.

b. Next week, Mr. Lee will double the number of boxes he orders. Write a new expression to represent the number of oranges in next week's order.

c. Evaluate your expression from Part (b) to find the total number of oranges ordered in both weeks.

Week 1: 
$$(24 \times 20) = 480$$
 480  
Week 2:  $(24 \times 20) \times 2 = 960$  1.440

In both weeks, Mr. Lee ordered 1,440 oranges.

Lesson 3:

Write and interpret numerical expressions and compare expressions using a visual model.

Date:

8/3/14

engage

Name

Date

- 1. Circle each expression that is not equivalent to the expression in **bold**.
  - a. 16 × 29

$$16 \times (30 - 1)$$

$$(38+40) \times (38+5)$$
  $(38 \times 40) + (38 \times 5)$   $(45 \times (40+2))$ 

$$(38 \times 40) + (38 \times 5)$$

45 thirty-eights

$$74 \times (60 - 1)$$

$$(74 \times 5) + (74 \times 9)$$

59 seventy-fours

2. Solve using mental math. Draw a tape diagram and fill in the blanks to show your thinking. The first one is partially done for you.

a. 
$$19 \times 25 = 19$$
 twenty-fives

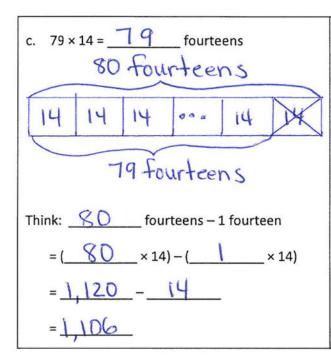
25	25	25	 25	X
1	2	3	 19	20

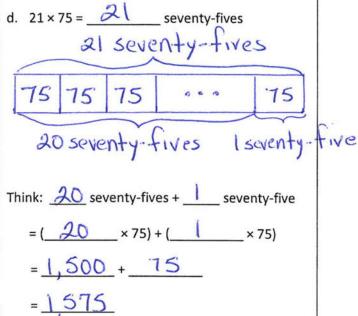
Think: 20 twenty-fives - 1 twenty-five.

$$=(20 \times 25) - (1 \times 25)$$
  
= 500 - 25

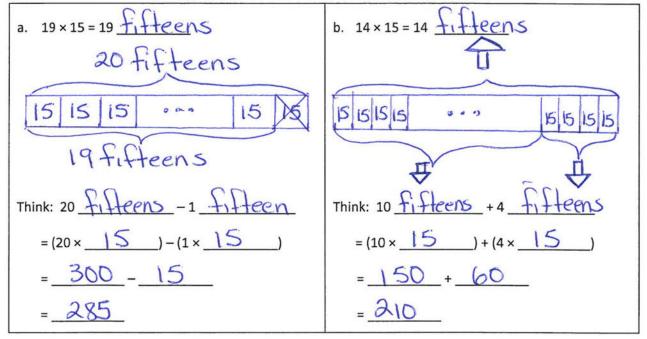
Think: 10 twenty fours + 1 twenty four

Date:





3. Define the unit in word form and complete the sequence of problems as was done in the lesson.



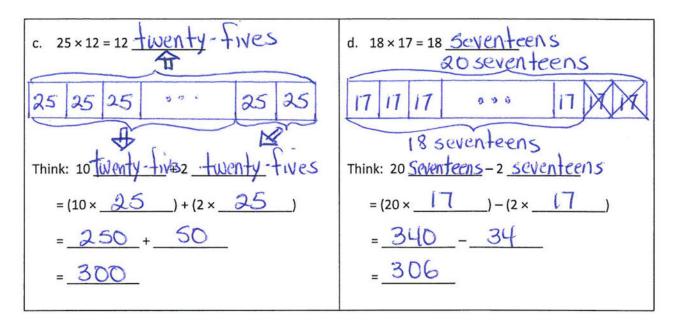
Lesson 4:

Date:

Convert numerical expressions into unit form as a mental strategy for multi-digit multiplication.

7/29/14





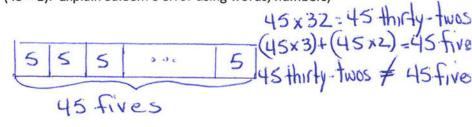
- 4. How can 14 × 50 help you find 14 × 49? Once I find 50 fourteens, I can subtract 1 fourteen and it will give me 49 fourteens.
- 5. Solve mentally.

a. 101 × 15 = \\\ \) = (100 x 15) + (1x 15)

b.  $18 \times 99 = 1782$ =  $(100 \times 18) - (1 \times 18)$ 

6. Saleem says 45 × 32 is the same as (45 × 3) + (45 × 2). Explain Saleem's error using words, numbers, and/or pictures.

45 thirty-twos



They are not the same because 45 thirty-two does not equal 45 fives.

- 7. Juan delivers 174 newspapers every day. Edward delivers 126 more newspapers each day than Juan.
  - a. Write an expression to show how many newspapers Edward will deliver in 29 days.

(174+126) x29

b. Use mental math to solve. Show your thinking. I first added 174 and 126 to get 300. Then I multiplied 300 times 29 to get 8,700 by finding thirty 300's and then subtracting one 300.

Lesson 4:

Convert numerical expressions into unit form as a mental strategy for multi-digit multiplication.

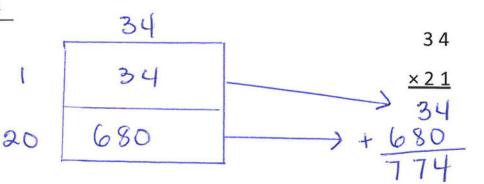
7/29/14 Date:

engage<sup>ny</sup>

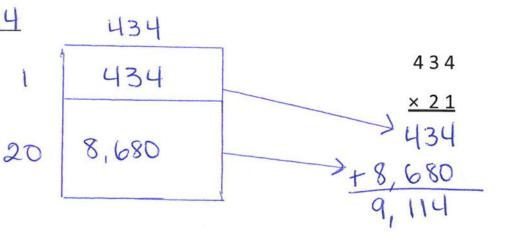
Name

Date

1. Draw an area model, and then solve using the standard algorithm. Use arrows to match the partial products from the area model to the partial products of the algorithm.



b. 
$$434 \times 21 = 9114$$



2. Solve using the standard algorithm.

a. 
$$431 \times 12 = 5,172$$

b. 
$$123 \times 23 = 2829$$

c. 
$$312 \times 32 = 9.984$$

COMMON

Lesson 5: Date:

Connect visual models and the distributive property to partial products of the standard algorithm without renaming.

8/3/14

3. Betty saves \$161 a month. She saves \$141 less each month than Jack. How much will Jack save in 2 years?

Betty \$161

1 unit = \$302 24 units = 302x24=\$7,248

Jack ?=\$302 \$161+\$141=\$302

Jack will save \$7,248 in 2 years

4. Farmer Brown feeds 12.1 kilograms of alfalfa to each of his 2 horses daily. How many kilograms of alfalfa will all his horses have eaten after 21 days? Draw an area model to solve.

12.1 + 12.1 = 24.2 kg 10 mit = 24.2 kg 24.2  $21 \text{ mits} = 24.2 \times 21$  = 508.2 kg 24.2 24.2 24.2 484 + 4840 508.2

All of his horses will have eaten 508.2 kg of alfalfa after 21 days.

COMMON CORE Lesson 5:

Date:

Connect visual models and the distributive property to partial products of the standard algorithm without renaming.

8/3/14

engage<sup>ny</sup>

Name	Data
Name	Date
	Dutc

- 1. Draw an area model. Then, solve using the standard algorithm. Use arrows to match the partial products from your area model to the partial products in the algorithm.
  - a. 48 × 35

			4 8
<b> </b>	40	+ 8	× 35
5	200	40	240 240
3	1200	240	1,440> 1,440
1			1,680

b.  $648 \times 35$ 

	600	+	40 -	+ 8	6 4 8
5 +	3,000		200	40	3240 × 35
3	18,000	1	200	240	3240 19440->19440
					22,680

- 2. Solve using the standard algorithm.
  - a. 758 × 92

68220

b. 958 × 94 × 94 3832 +86220 90,052

COMMON

Lesson 6:

Connect area models and the distributive property to partial products of the standard algorithm with renaming.

8/4/14 Date:

d. 
$$547 \times 64$$

$$\begin{array}{r}
 2 & 4 \\
 \hline
 3 & 188 \\
 \hline
 3 & 2 & 820 \\
 \hline
 3 & 5,008
\end{array}$$

3. Carpet costs \$16 a square foot. A rectangular floor is 16 feet long by 14 feet wide. How much would it cost to carpet the floor?

to carpet the floor?

6 ft Area = Length x width 
$$x_{14}$$

- 16 ft x 14 ft  $x_{14}$ 

= 224 x 16  $x_{15}$ 

= 224 ft  $x_{14}$ 

= 224 x 16  $x_{15}$ 

= 224 ft  $x_{14}$ 

= 224 x 16  $x_{15}$ 

= 3584

It would cost \$3,584 to carpet the floor.

- 4. General admission to The American Museum of Natural History is \$19.
  - a. If a group of 125 students visits the museum, how much will the group's tickets cost?

b. If the group also purchases IMAX movie tickets for an additional \$4 per student, what is the new total cost of all the tickets? Write an expression that shows how you calculated the new price.

$$(19 \times 14) \times 12$$
  
= 23 × 12 S  
= 2,875

$$\begin{array}{r}
125 \\
 \times 23 \\
\hline
 375 \\
 2500 \\
\hline
 2875
\end{array}$$

Lesson 6:

Date:

Connect area models and the distributive property to partial products of the standard algorithm with renaming.

8/4/14

481

	D - 1 -
Name	Date

- 1. Draw an area model. Then, solve using the standard algorithm. Use arrows to match the partial products from the area model to the partial products in the algorithm.
  - a. 481 × 352

	400 .	+ 80 -	+1	<u>× 352</u>
2	800	160		962 - 962
50	20,000	4,000	50	24,050> 24 050
300	120,000	24,000	300	144,300 7 1 44300
				169,312

b. 481 × 302

	1100	1 00		481
	400	+ 80 -		<u>× 302</u>
2	800	160	2	962
300	120,000	24,000	300	144,300 7 144300
				145262

c. Why are there three partial products in 1(a) and only two partial products in 1(b)? Since there is a zero in the tens place in (b), we don't need a section in the rectangle for tens. The whole value can be shown with just hundreds and ones.

COMMON

Lesson 7:

Connect area models and the distributive property to partial products of the standard algorithm with renaming.

Date:

8/4/14

engage<sup>ny</sup>

- 2. Solve by drawing the area model and using the standard algorithm.
  - a. 8,401 × 305

	8,000.	+ 400	+1	I	8,401
5	40,000	2,000	5	42,005	× <u>305</u>
+					42005
300	2,400,000	120,000	300	2,520,300	+ 2520 300
					2,562,305

b. 7,481 × 350

	7000	+400	t 80	+ 1	1	7,481
50	350,000	20,000	4,000	50	374,050	<u>× 350</u>
+						374 050
300	2,100,000	120,000	24,000	300	2, 244, 300	+2244300
						2,618,350

- 3. Solve using the standard algorithm.
  - a.  $346 \times 27$

$$\frac{346}{27}$$
 $\frac{x}{27}$ 
 $\frac{27}{2422}$ 
 $\frac{46}{9342}$ 

b. 1,346 × 297 3 4 5 X X X X 297 9422 121140 + 269200

COMMON CORE

Lesson 7:

Date:

Connect area models and the distributive property to partial products of the standard algorithm with renaming.

8/4/14

4. A school district purchased 615 new laptops for their mobile labs. Each computer cost \$409. What is the total cost for all of the laptops?

$$\frac{\times 409}{5535}$$
 The laptops cost \$251,535.   
246000   
251,535

5. A publisher prints 1,512 copies of a book in each print run. If they print 305 runs, how many books will be printed?

461,160 books will be printed.

6. As of the 2010 census, there were 3,669 people living in Marlboro, New York. Brooklyn, New York, has 681 times as many people. How many more people live in Brooklyn than in Marlboro?

2,494,920 more people live in Brooklyn

Lesson 7:

Connect area models and the distributive property to partial products of the standard algorithm with renaming.

Date: 8/4/14 engage<sup>ny</sup>

Name Date\_

1. Estimate the product first. Solve by using the standard algorithm. Use your estimate to check the reasonableness of the product.

reasonableness of the product.		
a. 213 × 328	b. 662 × 372	c. 739 × 442
≈ 200 × 300	$\approx 700 \times 400$ $= 280,000$	= 700 x400 = 280,000
= 60,000		739
213	×372	x442
× 328	1324	1478
1704	46340	29560
4260	+198600	+295600
+63900	246,264	326,638
69,864		
d. 807 × 491 ≈ 800 × 500	e. 3,502 × 656 ≈ 4,000 x 700	f. 4,390×741 ≈ 4000 x700
= 400,000	= 2,800,000	= 2,800,000
807		4396
x 491	3502 x 656	x 741
807	21012	4390
72630	175100	176600
+322800	+2101200	+ 3 0 7 3 0 0 0
396,237		3,252,990
596,251	2,297,312	5,252,110
g. 530 × 2,075	h. 4,004 × 603	i. 987 × 3,105
$\approx$ 500 x 2,000	~ 4,000 x 600	~ 1,000 x 3,000
= 1,000,000	= 2,400,000	= 3,000,000
2075	4004	2105
x 530	x 603	3105 x 987
0000	12012	21735
62250	00000	21100
+1037500	+2402400	248 400
1,099,750	2,414,412	2794500
, - , -1	0 111	3,064,635

COMMON

Lesson 8:

Fluently multiply multi-digit whole numbers using the standard algorithm and using estimation to check for the reasonableness of the product.

engage<sup>ny</sup>

2. Each container holds 1 L 275 mL of water. How much water is in 609 identical containers? Find the

difference between your estimated product and precise product.

$$= 776,475ml \times 609$$

$$= 776,475ml \qquad 765000$$

= 776L 475ml 776,475 My actual product was 56L 475 ml larger the the estimated product. 3. A club had some money to purchase new chairs. After buying 355 chairs at \$199 each, there was \$1,068

remaining. How much money did the club have at first?

= 720,000

= 720L

have at first?

$$355$$
 $\times 199$ 
 $3195$ 
 $+ 1.068$ 
 $70,645$ 
 $+ 71,713$ 
 $+ 35500$ 
The clule  $70,645$ 

4. So far, Carmella has collected 14 boxes of baseball cards. There are 315 cards in each box. Carmella estimates that she has about 3,000 cards, so she buys 6 albums that hold 500 cards each.

a. Will the albums have enough space for all of her cards? Why or why not?

She won't have enough room for all her cards in the album she bought.

Carmella probably rounded both the numbers of cards per box and the number of boxes down. Her estimate was low. Since she wants to make sure she has enough room for all her cards, she probably should have rounded the number of boxes up. Like, = 3000 x 15 -4,500 would have been a better estimate in this situation.

b. How many cards does Carmella have?

1260 carmella actually has 3150 4,410 cards.

c. How many albums will she need for all of her baseball cards?

skip counting: 500, 1,000, 1,500, 2,000, 2,500, 3,000, 0P 3,500, 4,000, 4,500. Since the albums hold 500 cards each, she'll need 9 albums to hold all her cards.

COMMON

Lesson 8:

Fluently multiply multi-digit whole numbers using the standard algorithm and using estimation to check for the reasonableness of the product.

engaqe<sup>ny</sup>

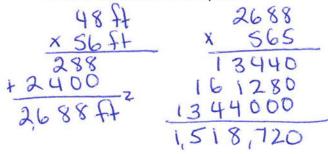
2.B.75

7/29/14

Name	Date
Name	Date

Solve.

1. An office space in New York City measures 48 feet by 56 feet. If it sells for \$565 per square foot, what is the total cost of the office space?

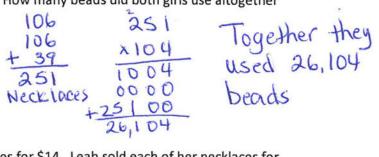


The office space costs \$ 1,518,720.

2. Gemma and Leah are both jewelry makers. Gemma made 106 beaded necklaces. Leah made 39 more necklaces than Gemma.

a. Each necklace they make has exactly 104 beads on it. How many beads did both girls use altogether while making their necklaces?

106	400 K
	 ×104

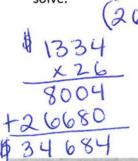


b. At a recent craft fair, Gemma sold each of her necklaces for \$14. Leah sold each of her necklaces for 10 dollars more. Who made more money at the craft fair? How much more?

106

-1484 Leah made \$1,996 more than Gemma.

Peng bought 26 treadmills for her new fitness center at \$1,334 each. Then, she bought 19 stationary bikes for \$749 each. How much did she spend on her new equipment? Write an expression, and then



# 749 # 34,684 Peng spent #48,915. + 14,231 + 7490 # 48,915

Lesson 9:

Fluently multiply multi-digit whole numbers using the standard algorithm to solve multi-step word problems.

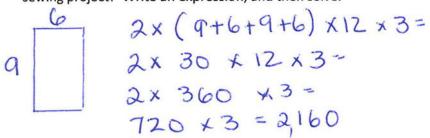
7/29/14 Date:

engage

4. A Hudson Valley farmer has 26 employees. He pays each employee \$410 per week. After paying his workers for one week, the farmer has \$162 left in his bank account. How much money did he have at

Farmers 26 x 410 162 x 26 x 26 x 410 162 x 26 x 26 x 410 162 x 26 x 410 x 200 x 200 x 200 At first the farmer had \$10.822.

5. Frances is sewing a border around 2 rectangular tablecloths that each measure 9 feet long by 6 feet wide. If it takes her 3 minutes to sew on 1 inch of border, how many minutes will it take her to complete her sewing project? Write an expression, and then solve.



It will take Francis 2,160 minutes to complete her project.

- 6. Each grade level at Hooperville Schools has 298 students.
  - a. If there are 13 grade levels, how many students attend Hooperville Schools?

3,874 students attend 42980 3,874 Students attend Hooperville Schools.

b. A nearby district, Willington, is much larger. They have 12 times as many students. How many students attend schools in Willington?

3874 × 12 7748 + 3874 46,488

46,488 students attend schools in Willington.

COMMON CORE Lesson 9:

Date:

Fluently multiply multi-digit whole numbers using the standard algorithm to solve multi-step word problems.

7/29/14

engage<sup>ny</sup>

Name \_\_\_

Date

- 1. Estimate the product. Solve using an area model and the standard algorithm. Remember to express your products in standard form.
  - a.  $22 \times 2.4 \approx 20 \times 2 = 40$

-	20	+ 4 (ten)	hs)
2	40	8	48 tenshs
20	460	80	480 tenths

 $(tenths) \times 2.2$ 

2. Estimate. Then, use the standard algorithm to solve. Express your products in standard form.

a. 
$$3.2 \times 47 \approx 3 \times 50 = 150$$

3-2

32 (tenths)

 $(tenths) \times 4.7$ 

1504 (tenths) = 150.4

$$(tenths) \times 94$$

COMMON CORE

Lesson 10:

Multiply decimal fractions with tenths by multi-digit whole numbers using place value understanding to record partial products.

2.C.8

Date:

8/4/14

c. 
$$6.3 \times 44 \approx 6 \times 40 = 240$$
  
 $63 \text{ (tenths)}$   
 $\times 44$   
 $252$   
 $+2520$   
 $2,772 \text{ (tenths)} = 277.2$   
e.  $8.2 \times 34 \approx 8 \times 30 = 240$   
 $82 \text{ (tenths)}$   
 $\times 34$   
 $\times 34$ 

d. 
$$14.6 \times 17 \approx 10 \times 20 = 200$$
  
 $146 \text{ (tenths)}$   
 $\frac{\times 17}{1022}$   
 $\frac{1460}{2,482 \text{ (tenths)}} = 248.2$ 

f. 
$$160.4 \times 17 \approx 200 \times 20 = 4.000$$
  
 $1604 \text{ (tenths)}$   
 $\times 17$   
 $11228$   
 $+ 16040$   
 $27,268 \text{ (tenths)} = 2,726.8$ 

3. Michelle multiplied 3.4 × 52. She incorrectly wrote 1,768 as her product. Use words, numbers, and/or pictures to explain Michelle's mistake.

Michelle's numbers

A wire is bent to form a square with a perimeter of 16.4 cm. How much wire would be needed to form 25 such squares? Express your answer in meters.

4.1 meters of wire is needed to make 25 squares.

COMMON

Lesson 10:

Multiply decimal fractions with tenths by multi-digit whole numbers using place value understanding to record partial products.

2.C.9

8/4/14

Name

Date

1. Estimate the product. Solve using the standard algorithm. Use the thought bubbles to show your thinking. (Draw an area model on a separate sheet if it helps you.)

a. 1.38 × 32 ≈

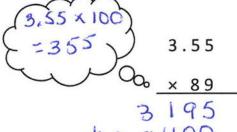
Think!  $1.38 \times 100 = 138$   $1.38 \times 32 = 44.16$ 

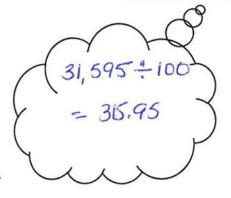
Think! 4,416 is 100 times too large! What, is the real product?

 $4,416 \div 100 = 44.16$ 

b.  $3.55 \times 89 \approx 4 \times 90 = 360$ 

3.55 × 89 = 315. 95





- Solve using the standard algorithm.
  - a. 5.04 × 8

5.04 x 8 40.32

b. 147.83 × 67

103481 + 88 6980

## COMMON

Lesson 11:

Date:

Multiply decimal fractions by multi-digit whole numbers through conversion to a whole number problem and reasoning about the placement of the decimal.

8/4/14

2.C.20

d. 
$$0.56 \times 432$$
  $0.56 \times 432$   $0.56 \times 432$ 

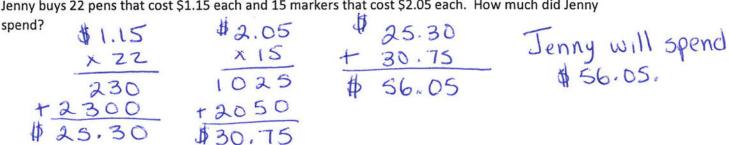
3. Use the whole number product and place value reasoning to place the decimal point in the second product. Explain how you know.

a. If  $98 \times 768 = 75,264$  then  $98 \times 7.68 = 752.64$ 7.68 would be like 768 hundred ths, so just divide 75,264 by 100. 75,264 - 100 = 752.64

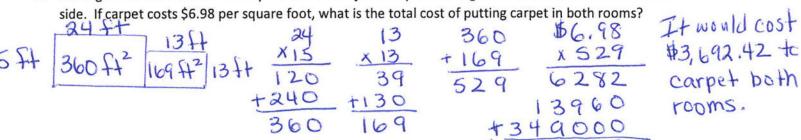
b. If  $73 \times 1,563 = 114,099$  then  $73 \times 15.63 = 1,140.99$ 15.63 would be like 1,563 hundred the, so just divide 114,099 by 100, 114,099 -100 = 1,140,99

c. If  $46 \times 1,239 = 56,994$  then  $46 \times 123.9 = 56,99.4$ 123.9 would be like 1,239 tenths, so just divide 56,994 by 10. 56,994 - 10 = 5,699.4

4. Jenny buys 22 pens that cost \$1.15 each and 15 markers that cost \$2.05 each. How much did Jenny



5. A living room measures 24 feet by 15 feet. An adjacent square dining room measures 13 feet on each side. If carpet costs \$6.98 per square foot, what is the total cost of putting carpet in both rooms?



Lesson 11:

Multiply decimal fractions by multi-digit whole numbers through conversion to a whole number problem and reasoning about the placement of the decimal.

2.C.21

Date: 8/4/14

Lesson 12 Problem Set

1. Estimate. Then, solve using the standard algorithm. You may draw an area model if it helps you.

a.	1.21 × 14 ≈	×_14	=_14
			. 11 1 1

a.	1.21 × 14 ≈	×	=		1. 2 1
	100	+ 20		(hundred ths)	× 14
4	460	80	4	484 hundredths	41210
10	1,000	200	10	1,210 hundredths	16.94

$$\begin{array}{r}
1.21 \\
\times 14 \\
484 \\
+1210 \\
\hline
16.94
\end{array}$$

b. 2.45 × 305 ≈ 2 × 300 = 600

2. Estimate. Then, solve using the standard algorithm. Use a separate sheet to draw the area model if it helps you.

b. 
$$1.3 \times 26 \approx 1 \times 30 = 30$$

d. 
$$0.45 \times 26 \approx 0.5 \times 30 = 15.0$$

COMMON

Lesson 12:

Date:

Reason about the product of a whole number and a decimal with hundredths using place value understanding and estimation.

7/29/14

2.C.29

e. 
$$7.06 \times 28 \approx 7 \times 30 = 210$$

7.06

 $\times 28$ 

5648

+14120

197.68

g.  $7.06 \times 208 \approx 7 \times 200 = 1.400$ 

f. 
$$6.32 \times 223 \approx 6 \times 200 = 1,200$$

$$\begin{array}{r}
6.32 \\
\times 223 \\
1896 \\
12640 \\
+126400 \\
1,409.36
\end{array}$$
h.  $151.46 \times 555 \approx 200 \times 600 = 120.000$ 

3. Denise walks on the beach every afternoon. In the month of July, she walked 3.45 miles each day. How far did Denise walk during the month of July?

There are 31 days in July.

3.45 × 31 345 10350 106.95 Denise walked 106.95 miles in July.

4. A gallon of gas costs \$4.34. Greg puts 12 gallons of gas in his car. He has a 50-dollar bill. Tell how much money Greg will have left, or how much more money he will need. Show all your calculations.

\$ 52.08

\$ 2.08 The gas cost \$ 52.08 Greg needs another \$2.08

5. Seth drinks a glass of orange juice every day that contains 0.6 grams of Vitamin C. He eats a serving of strawberries for snack after school every day that contains 0.35 grams of Vitamin C. How many grams of Vitamin C does Seth consume in 3 weeks?

3 weeks x 0.6 days 3 weeks afters chool:

1 5.25

Seth consumes 17.85 grams in 3 weeks.

Lesson 12:

Date:

Reason about the product of a whole number and a decimal with hundredths using place value understanding and estimation.

7/29/14

2.C.30

Date \_\_\_\_

1. Solve. The first one is done for you.

a. Convert weeks to days.

$$8 \text{ weeks} = 8 \times (1 \text{ week})$$

$$= 8 \times (7 \text{ days})$$

b. Convert years to days.

$$=$$
  $\frac{4}{\sqrt{365}}$  days)

$$=$$
 1,460 days

c. Convert meters to centimeters.

$$9.2 \text{ m} = 9.2 \times (1 \text{ m})$$

$$= 9.2 \times (100 \text{ cm})$$

$$=$$
  $\frac{920}{}$  cm

d. Convert yards to feet.

e. Convert kilograms to grams.

$$6.08 \, \text{kg} = 6.08 \, \text{x} (1 \, \text{kg})$$

f. Convert pounds to ounces.

12.5 pounds = 
$$12.5 \times (1 \text{ lb})$$

Lesson 13:

Use whole number multiplication to express equivalent measurements.

Date:

7/29/14

engage<sup>ny</sup>

- 2. After solving, write a statement to express each conversion. The first one is done for you.
  - Convert the number of hours in a day to minutes.

One day has 24 hours, which is the same as 1,440 minutes.

= 1,440 minutes

A small female gorilla weighs 68 kilograms. How much does she weigh in grams?

The height of a man is 1.7 meters. What is his height in centimeters?

$$1.7m = 1.7 \times (lm)$$
  
= 1.7 × (100 cm)

His height is 170 centimeters

e. A coyote weighs 11.3 pounds. Convert the coyote's weight to ounces.

180.8 ounces

d. The capacity of a syringe is 0.08 liters. Convert this to milliliters.

The capacity of the syringe is 80 milliliters.

An alligator is 2.3 yards long. What is the length of the alligator in inches?

$$2.3 \text{ yd} = 2.3 \times (1 \text{ yd})$$
  
=  $2.3 \times (36 \text{ in})$   
=  $82.8 \text{ in}$ 

The length of the alligator is 82.8 inches.

Lesson 13:

Date:

Use whole number multiplication to express equivalent measurements.

7/29/14

Date \_\_\_\_\_

- 1. Solve. The first one is done for you.
  - a. Convert days to weeks.

$$= 28 \times \left(\frac{1}{7} \text{ week}\right)$$

$$=\frac{28}{7}$$
 week

= 4 weeks

b. Convert quarts to gallons.

$$=$$
  $\frac{20}{4}$   $\times \left(\frac{1}{4} \text{ gallon}\right)$ 

Convert centimeters to meters.

$$920 \text{ cm} = 920 \times (1 \text{ cm})$$

$$= 920 \times (0.01 \text{ m})$$

d. Convert meters to kilometers.

$$1,578 \text{ m} = 1,578 \times (\underline{\phantom{0}} \text{ m})$$

$$= 1.578 \times (0.001 \text{ km})$$

e. Convert grams to kilograms.

$$6,080 g = 6,080 \times 19$$

Convert milliliters to liters.

Lesson 14:

Use fraction and decimal multiplication to express equivalent measurements.

Date:

7/29/14

engage<sup>ny</sup>

- 2. After solving, write a statement to express each conversion. The first one is done for you.
  - The screen measures 24 inches. Convert 24 inches to feet.

24 inches = 24 × (1 inch)  
= 24 × 
$$\left(\frac{1}{12} \text{ feet}\right)$$
  
=  $\frac{24}{12} \text{ feet}$ 

= 2 feet

The screen measures 24 inches or 2 feet.

A jug of syrup holds 12 cups. Convert 12 cups to pints.

c. The length of the diving board is 378 centimeters. What is its length in meters?

$$378 \text{ cm} = 378 \times (\text{lcm})$$
  
=  $378 \times (0.0 \text{lm})$   
=  $3.78 \text{ m}$ 

the diving board's length

e. A truck weighs 3,900,000 grams. Convert the truck's weight to kilograms.

The capacity of a container is 1,478 milliliters. Convert this to liters.

f. The distance was 264,040 meters. Convert the distance to kilometers.

The distance was 264.04 Kilometers.

COMMON CORE Lesson 14:

Use fraction and decimal multiplication to express equivalent measurements.

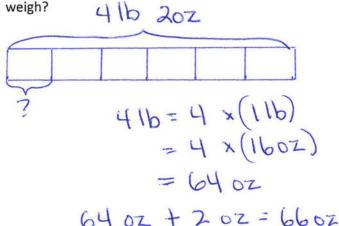
Date: 7

7/29/14

engage<sup>ny</sup>

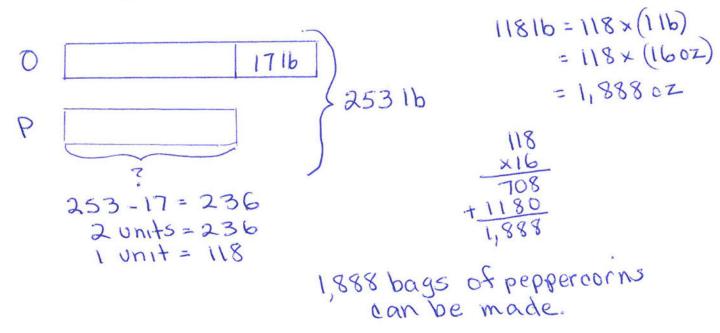
Solve.

1. Liza's cat had six kittens! When Liza and her brother weighed all the kittens together, they weighed 4 pounds 2 ounces. Since all the kittens are about the same size, about how many ounces does each kitten



Each Kitten weighed about 11 ounces.

2. A container of oregano is 17 pounds heavier than a container of peppercorns. Their total weight is 253 pounds. The peppercorns will be sold in one-ounce bags. How many bags of peppercorns can be made?



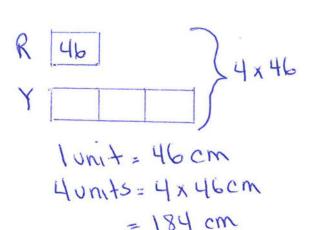
COMMON

Lesson 15: Date:

Solve two-step word problems involving measurement conversions. 7/29/14

engage<sup>ny</sup>

Each costume needs 46 centimeters of red ribbon and 3 times as much yellow ribbon. What is the total length of ribbon needed for 64 costumes? Express your answer in meters.

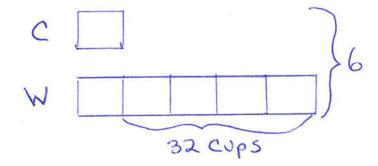


11,776 x(1cm) =11,776 x(0.01 meter) =117,76 meters

The total length of ribbon needed for 64 costumes is 117.76

When making a batch of orange juice for her basketball team, Jackie used 5 times as much water as concentrate. There were 32 more cups of water than concentrate.

How much juice did she make in all?



Jackie made 48 crps of juice.

She poured the juice into quart containers. How many containers could she fill?

She could fill 12 containers.

COMMON

Lesson 15: Date:

Solve two-step word problems involving measurement conversions. 7/29/14

	Data
Name	Date

1. Divide. Draw place value disks to show your thinking for (a) and (c). You may draw disks on your personal white board to solve the others if necessary.

a. 500 ÷ 10 = 50 (100) (15)	b. 360 ÷ 10
100	= 36 ÷1
(CO 7 10 (O)	= 36
100	1
c. 12,000 ÷ 100 =  20	d. 450,000 ÷ 100
(10,000 (1000) 100 (100) 100	= 4,500 +1
(,000)	= 4,500
700 000 + 1 000	f. 530,000 ÷ 100
e. 700,000 ÷ 1,000	
= 700 -1	=5,300÷1
= 700	= 5,300

2. Divide. The first one is done for you.

a. 12,000 ÷ 30	b. 12,000 ÷ 300	c. 12,000 ÷ 3,000
= 12,000 ÷ 10 ÷ 3	= 12,000 - 100 - 3	= 12,000 + 1000 + 3
= 1,200 ÷ 3	= 120 ÷ 3	= 12+3
= 400	= 40	= 4
d. 560,000 ÷ 70	e. 560,000 ÷ 700	f. 560,000 ÷ 7,000
= 560,000 = 10 = 7	= 560,000 + 100 + 7	= 560,000 ÷ 1,000 ÷ 1
= 56,000 ÷ 7	= 5,600 = 7	= 560÷7
= 8,000	= 800	= 80

Lesson 16: Date: Use divide by 10 patterns for multi-digit whole number division. 7/29/14



g. 28,000 ÷ 40	h. 450,000 ÷ 500	i. 810,000 ÷ 9,000
= 28,000 + 10 + 4	=450,000 +100 +5	=810,000+1,000+9
= 2,800 +4	=4500 +5	= 810 ÷ 9
= 700	= 900	= 9

- 3. The floor of a rectangular banquet hall has an area of 3,600  $\mathrm{m}^2$ . The length is 90  $\mathrm{m}$ .
  - a. What is the width of the banquet hall?

$$7. A = 3.600 m^2$$
 = 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

= 3.600 ÷ 90

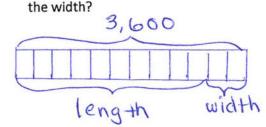
= 3.600 ÷ 90

= 3.600 ÷

b. A square banquet hall has the same area. What is the length of the room?

The length of the banquet hall 15 60 meters.

c. A third rectangular banquet hall has a perimeter of 3,600 m. What is the width if the length is 5 times



The width of the banquet hall is 300 meters.

COMMON

Lesson 16: Date:

Use divide by 10 patterns for multi-digit whole number division. 7/29/14

2.E.11

- 4. Two fifth graders solved 400,000 divided by 800. Carter said the answer is 500, while Kim said the answer is 5,000.
  - a. Who has the correct answer? Explain your thinking.

Carter was correct because as it showed on the last step, 4 thousands divided by 815 equal to 5 hundreds, Not 5 thousands

b. What if the problem is 4,000,000 divided by 8,000? What is the quotient?

The quotient was 500.

Lesson 16: Date:

Use divide by 10 patterns for multi-digit whole number division. 7/29/14



2.E.12

Name \_

Date \_\_

1. Estimate the quotient for the following problems. Round the divisor first.

≈	609 ÷ 21 ≈ 600 ÷ 20 ≈ 30	b.	913 ÷ 29 = 900 ÷ 30 = 30	c.	826 ÷ 37  = 800 ÷ 40  = 20
≈	141÷73 140 ÷ 70 : 2	e.	241÷58 240÷60 =4	f.	482 ÷ 62 <del>2</del> 480 ÷ 60 = 8
≈ -	656÷81 640÷80	h.	799÷99 ≈ <u>800</u> ÷ 100 = _8	i.	635 ÷ 95 ≈ 600 ÷ 100 = 6
, ≈ -	320÷ 80 4	k.	648÷83 ≈ <u>640</u> ÷ <u>80</u> = <u>8</u>	l.	143÷35 ≈ 160 ÷ 40 = 4
*	525 ÷ 25 = <u>600</u> ÷ <u>30</u> = <u>20</u>	n.	552 ÷ 85 ≈ <u>540</u> ÷ <u>90</u> = <u>6</u>	0.	667 ÷ 11  ≈ <u>600</u> ÷ <u>10</u> = <u>60</u>



Lesson 17: Date:

Use basic facts to estimate quotients with two-digit divisors. 8/4/14

2. A video game store has a budget of \$825, and would like to purchase new video games. If each video game costs \$41, estimate the total number of video games the store can purchase with its budget. Explain your thinking.

\$ 825 = \$41 is approximately \$800 = \$40. \$ 800 + \$40 is 20. The video store can afford to buy 20 video games -

3. Jackson estimated 637 ÷ 78 as 640 ÷ 80. He reasoned that 64 tens divided by 8 tens should be 8 tens. Is Jackson's reasoning correct? If so, explain why. If not, explain a correct solution.

637 - 78 640 ÷ 80

Jackson's reasoning was incorrect because 64 tens divided by 8 tens is equal to 8 ones, Not 8 tens. The correct solution is 8 ones.

1. Estimate the quotients for the following problems. The first one is done for you.

a. 5,738 ÷ 21	b. 2,659 ÷ 28	c. 9,155 ÷ 34
≈ 6,000 ÷ 20	≈ <u>3,060</u> ÷ <u>30</u>	≈ <u>9000</u> ÷ <u>30</u>
= 300	= 100	= 300
d. 1,463 ÷ 53	e. 2,525 ÷ 64	f. 2,271 ÷ 72
≈ <u>1,500</u> ÷ <u>50</u>	≈2,400 ÷ 60	≈2,100 ÷ 70
= 30	= 40_	= 30
g. 4,901 ÷ 75	h. 8,515 ÷ 81	i. 8,515 ÷ 89
≈4,800 ÷ 80	≈ <u>8,000</u> ÷ <u>80</u>	≈ 8,100 ÷ 90
= 60	= 100	= 90
j. 3,925 ÷ 68	k. 5,124 ÷ 81	I. 4,945 ÷ 93
≈4,200÷_10	≈ <u>4,800</u> ÷ <u>80</u>	≈4,500÷ 90
= 60	= 60	= 50
m. 5,397 ÷ 94	n. 6,918 ÷ 86	o. 2,806 ÷ 15
≈ <u>5,400</u> ÷ <u>90</u>	≈ <u>7,200</u> ÷ <u>90</u>	≈ <u>3,000</u> ÷ <u>15</u>
= 60	= 80	= 200



Lesson 18: Date:

Use basic facts to estimate quotients with two-digit divisors. 8/4/14

engage<sup>ny</sup>

2. A swimming pool requires 672 ft<sup>2</sup> of floor space. The length of the swimming pool is 32 ft. Estimate the width of the swimming pool.

$$\approx 672 \div 32$$
 $\approx 600 \div 30$ 
= 20

3. Janice bought 28 apps for her phone that, altogether, used 1,348 MB of space.

If each app used the same amount of space, about how many MB of memory did each app use? Show how you estimated.

$$1,348 \div 28$$
 $\approx 1,200 \div 30$ 
 $= 40$ 

Each app used about 40 MB of memory.

b. If half of the apps were free and the other half were \$1.99 each, about how much did she spend?

$$28 \div 2 = 14$$
 $14 \times 1.99$ 
 $\approx 14 \times 2$ 
 $= 28$ 

Janice spent about \$28.

4. A quart of paint covers about 85 square feet. About how many quarts would you need to cover a fence with an area of 3,817 square feet?

$$3,817 \div 85$$
  
 $\approx 3,600 \div 90$   
= 40

You would need about 40 quarts to cover the fence.

5. Peggy has saved \$9,215. If she is paid \$45 an hour, about how many hours did she work?

$$9,215 \div 45$$
 $\approx 10,000 \div 50$ 
 $= 200$ 

Peggy worked about 200 hours.

Lesson 18: Date:

Use basic facts to estimate quotients with two-digit divisors. 8/4/14

engage<sup>ny</sup>

2.E.34

Date

- 1. Divide, and then check. The first problem is done for you.
  - a. 41 ÷ 30

Check:

$$30 \times 1 = 30$$
  
 $30 + 11 = 41$ 

b. 80 ÷ 30

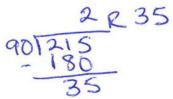
c. 71 ÷ 50

$$50x1 = 50$$
  
 $50+21 = 71$ 

d. 270 ÷ 30

e. 643 ÷ 80

f. 215 ÷ 90



90 x2 = 180 180+35=215

### COMMON

Lesson 19:

Divide two- and three-digit dividends by multiples of 10 with single-digit quotients and make connections to a written method.

2. Terry says the solution to 299 ÷ 40 is 6 with a remainder of 59. His work is shown below. Explain Terry's error in thinking, and then find the correct quotient using the space on the right.

$$\begin{array}{c|cccc}
4 & 0 & \boxed{2} & 9 & 9 \\
 & -2 & 8 & 0 \\
\hline
 & 19 & 280 & +19 & = 299
\end{array}$$

Terry used 6 groups of 40 and got 240. But there was a remainder of 59, which means he could make one more group of 40. The correct quotient is 7 with a remainder of 19.

3. A number divided by 80 has a quotient of 7 with 4 as a remainder. Find the number.

4. While swimming a 2 km race, Adam changes from breaststroke to butterfly every 200 m. How many times did he switch strokes during the first half of the race?

$$2 \text{ km} = 2,000 \text{ m}$$
  
 $\frac{1}{2} \text{ of } 2,000 \text{ m} = 1,000 \text{ m}$   
 $1,000 \div 200 = 5$ 

Adam switched strokes 5 times during the first half of the race.

Lesson 19:

Date:

Divide two- and three-digit dividends by multiples of 10 with single-digit quotients and make connections to a written method. 7/29/14

Name

1. Divide. Then, check with multiplication. The first one is done for you.

$$17 \times 3 = 51$$
  
 $51 + 14 = 65$ 

$$25 75$$
 $x3 + 2$ 
 $75 77$ 

77÷25 check: f. 
$$68÷17$$
 check:  $\frac{3}{25}$   $\frac{3}{77}$   $\frac{25}{77}$   $\frac{25}{77}$   $\frac{75}{77}$   $\frac{25}{77}$   $\frac{75}{77}$   $\frac{75}{77}$ 

COMMON

Lesson 20:

Date:

Divide two- and three-digit dividends by two-digit divisors with single-digit quotients and make connections to a written method. 7/29/14

engage

2. When dividing 82 by 43, Linda estimated the quotient to be 2. Examine Linda's work, and explain what she needs to do next. On the right, show how you would solve the problem.

Linda's work: Your work: Linda's estimation: 43 8 2 40 8 0

Linda's estimation of 80 + 40=2 was fine. But when she divided, she realized that 43 x2=86. She can't take away 86 from 82. It should be I group of 43. The quotient is I with a remainder

3. A number divided by 43 has a quotient of 3 with 28 as a remainder. Find the number. Show your work.

43 129 <u>x3</u> +28 The number was 157.

4. Write another division problem that has a quotient of 3 and a remainder of 28.

 $7 + \frac{3}{7} + \frac{28}{156}$ 

184 divided by 52 is equal to 3 with a remainder of 28.

5. Mrs. Silverstein sold 91 cupcakes at a food fair. The cupcakes were sold in boxes of "a baker's dozen," which is 13. She sold all the cupcakes at \$15 per box. How much money did she receive?

lunit = \$15 Tunits = 7 x \$15 She received \$105. = 105

COMMON

Lesson 20:

Date:

Divide two- and three-digit dividends by two-digit divisors with single-digit quotients and make connections to a written method. 7/29/14

Name

Date

- Divide. Then, check using multiplication. The first one is done for you.
  - a. 258 ÷ 47

Check:

$$235 + 23 = 258$$

$$\frac{7}{361257}$$
 check:  $\frac{36}{252}$   $\frac{252}{257}$ 

# COMMON

Lesson 21: Date:

Divide two- and three-digit dividends by two-digit divisors with single-digit quotients and make connections to a written method. 8/4/14

2. Generate and solve at least one more division problem with the same quotient and remainder as the one below. Explain your thought process.

In order to have Il as a remainder, it means that the divisor has to be more than II. I picked 12. 12 x8=96, and 96+11=107.

3. Assume that Mrs. Giang's car travels 14 miles on each gallon of gas. If she travels to visit her niece who lives 133 miles away, how many gallons of gas will Mrs. Giang need to make the round trip?

- 4. Louis brings 79 pencils to school. After he gives each of his 15 classmates an equal number of pencils, he will give any leftover pencils to his teacher.
  - a. How many pencils will Louis' teacher receive?

b. If Louis decides instead to take an equal share of the pencils along with his classmates, will his teacher receive more pencils or fewer pencils? Show your thinking.

If Louis takes an equal share, his teacher will get Il more pencils.

Lesson 21:

Date:

Divide two- and three-digit dividends by two-digit divisors with single-digit quotients and make connections to a written method.

Name

Date

- 1. Divide. Then, check using multiplication. The first one is done for you.
  - a. 580 ÷ 17

Check:

$$578 + 2 = 580$$

b. 730 ÷ 32

c. 940 ÷ 28

d. 553 ÷ 23

check?

e. 704 ÷ 46

15	RIL
461704	
-46+	
244	
14	_

- check:

## COMMON

Lesson 22:

Date:

Divide three- and four-digit dividends by two-digit divisors resulting in Divide three- and rour-digit dividends by the decomposition of two- and three-digit quotients, reasoning about the decomposition of engage successive remainders in each place value.

7/29/14

- 2. Halle solved 664 ÷ 48 below. She got a quotient of 13 with a remainder of 40. How could she use her work below to solve 659 ÷ 48 without redoing the work? Explain your thinking.
  - 48 6 6 4 Since the whole of 659 is 5 less than the original whole of 664. It means that instead of a remainder of 40, it should be 35. The quotient of 659 chuided
- by 48 is 13 with a remainder of 35. 3. 27 students are learning to make balloon animals. There are 172 balloons to be shared equally among
  - a. How many balloons are left over after sharing them equally?

10 balloons were left over after sharing them equally.

b. If each student needs 7 balloons, how many more balloons are needed? Explain how you know.

$$\frac{27}{x7}$$
  $\frac{189}{17}$ 

17 more balloons were needed in order for each student to have 7 balloons. 27 groups of 7 is equal to 189. They already have 172. 189-172=17.

Divide three- and four-digit dividends by two-digit divisors resulting in two- and three-digit quotients, reasoning about the decomposition of engage successive remainders in each place value.

2.F.44

7/29/14 Date:

Name

Date

- Divide. Then, check using multiplication.
  - a. 4,859 ÷ 23

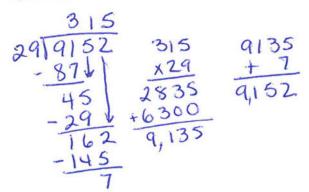
b.  $4,368 \div 52$ 

$$\begin{array}{r}
84 \\
-416 + 168 \\
-208 + 4200 \\
4,368
\end{array}$$

c. 7,242 ÷ 34

d. 3,164 ÷ 45

e. 9,152 ÷ 29



## COMMON CORE

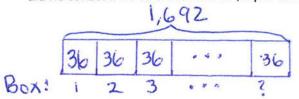
Lesson 23:

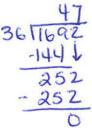
Date:

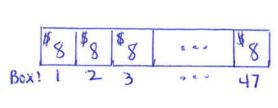
Divide three- and four-digit dividends by two-digit divisors resulting in two- and three-digit quotients, reasoning about the decomposition of successive remainders in each place value.

7/29/14

2. Mr. Riley baked 1,692 chocolate cookies. He sold them in boxes of 36 cookies each. How much money did he collect if he sold them all at \$8 per box?

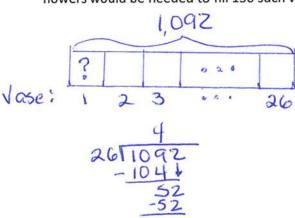


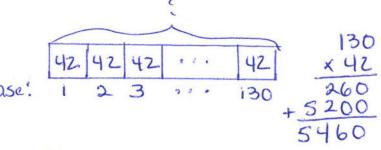




Mr. Riley collected \$ 376.

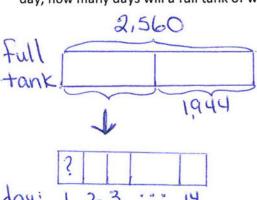
3. 1,092 flowers are arranged into 26 vases, with the same number of flowers in each vase. How many flowers would be needed to fill 130 such vases?

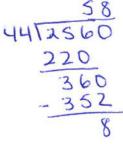




5460 flowers would be needed to Fill 130 vases.

4. The elephant's water tank holds 2,560 gallons of water. After two weeks, the zookeeper measures and finds that the tank has 1,944 gallons of water left. If the elephant drinks the same amount of water each day, how many days will a full tank of water last?





The full tank will last 58 days. There will be a little water left.

COMMON CORE Lesson 23:

Divide three- and four-digit dividends by two-digit divisors resulting in two- and three-digit quotients, reasoning about the decomposition of successive remainders in each place value.

engage<sup>ny</sup>

2.F.56

Date:

7/29/14

1. Divide. Show the division in the right-hand column in two steps. The first two have been done for you.

a. 
$$1.2 \div 6 = 0.2$$

b. 
$$1.2 \div 60 = (1.2 \div 6) \div 10 = 0.2 \div 10 = 0.02$$

h. 
$$3.4 \div 20 = 3.4 \div 10 \div 2 = 0.34 \div 2 = 0.17$$

COMMON

Lesson 24:

Divide decimal dividends by multiples of 10, reasoning about the placement of the decimal point and making connections to a written method.

7/29/14

- 2. Use place value reasoning and the first quotient to compute the second quotient. Explain your thinking.
  - a.  $46.5 \div 5 = 9.3$

46.5 ÷ 50 = 0.93

Instead of 5 groups, there are 50 groups. That's 10 times more groups, so there must be 10 times less in each group.

b.  $0.51 \div 3 = 0.17$ 

 $0.51 \div 30 = 0.017$ 

There are 10 times as many groups, so there must be 10 times less in each group.

c.  $29.4 \div 70 = 0.42$ 

29.4÷7=\_4.2

There are 10 times fewer groups, so there has to be 10 times more in each group.

d.  $13.6 \div 40 = 0.34$ 

13.6 ÷ 4 = 3,4

There are 10 times fewer groups, so each group must have 10 times more.

3. Twenty polar bears live at the zoo. In four weeks, they eat 9,732.8 pounds of food altogether. Assuming each bear is fed the same amount of food, how much food is used to feed one bear for a week? Round your answer to the nearest pound.

2433.2

|21.66| 2433.2 - 20 |2012433.20| = |21.66| |204|  $| \approx |22|$ |-40| About |22| pounds of |-20| food is fed to |-120| one polar bear |-120| for one week.

4. The total weight of 30 bags of flour and 4 bags of sugar is 42.6 kg. If each bag of sugar weighs 0.75 kg, what is the weight of each bag of flour?

42.6

bag of flour: 12 000 30

Each bag of flour weighs 1.32 Kilograms.

COMMON

Lesson 24:

Date:

Divide decimal dividends by multiples of 10, reasoning about the placement of the decimal point and making connections to a written method.

7/29/14

ons to a written engage"

1. Estimate the quotients.

d. 
$$85.2 \div 31 \approx 90 \div 30 = 3$$

2. Estimate the quotient in (a). Use your estimated quotient to estimate (b) and (c).

Lesson 25:

Date:

Use basic facts to approximate decimal quotients with two-digit divisors, reasoning about the placement of the decimal point. 7/29/14

engage<sup>ny</sup>

- Edward bikes the same route to and from school each day. After 28 school days, he bikes a total distance of 389.2 miles.
  - a. Estimate how many miles he bikes in one day.

b. If Edward continues his routine of biking to school, about how many days altogether will it take him to reach a total distance of 500 miles?

$$\approx 480 \div 12 = 40$$

It will take about 40 days to reach 500 miles.

- 4. Xavier goes to the store with \$40. He spends \$38.60 on 13 bags of popcorn.
  - a. About how much does one bag of popcorn cost?

$$38.60 \div 13$$
 $\approx 39 \div 10 = 3.9$ 
One bag costs about \$3.90

b. Does he have enough money for another bag? Use your estimate to explain your answer.

No. Xavier only has \$1.40 left and the popcorn costs way more than that for a bag.

Lesson 25:

Date:

Use basic facts to approximate decimal quotients with two-digit divisors, reasoning about the placement of the decimal point. 7/29/14

engage<sup>ny</sup>

NI	
Name	

Date\_

1.  $156 \div 24$  and  $102 \div 15$  both have a quotient of 6 and a remainder of 12.

a. Are the division expressions equivalent to each other? Use your knowledge of decimal division to justify your answer.

24/156.0 15/102.0 6.5  $\neq$  6.8  $\frac{6.8}{-144}$  No, they are not equal.  $\frac{120}{-120}$  No, they are not equal.

b. Construct your own division problem with a two-digit divisor that has a quotient of 6 and a remainder of 12 but is not equivalent to the problems in 1(a).

17 102 C 102 + 12

check!

114 divided by 17 is equal to 6 with a remainder of 12.

Divide. Then, check your work with multiplication.

a. 36.14 ÷ 13

b. 62.79 ÷ 23 23 162.79 2.73 246 + 23 161 7 8 19 161 4 5 4 60 69 62.79

c. 12.21 ÷ 11

check'.

d. 6.89 ÷ 13

check :

e. 249.6 ÷ 52

4.8 Check: 521249.6 -2084 416 -416 -416 -416 -416 -416 -416

7/29/14

f. 24.96 ÷ 52

### COMMON CORE

Lesson 26:

Date:

Divide decimal dividends by two-digit divisors, estimating quotients, reasoning about the placement of the decimal point, and making connections to a written method.

This work is licensed under a

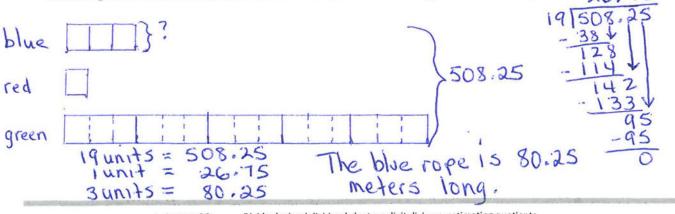
3. The weight of 72 identical marbles is 183.6 grams. What is the weight of each marble? Explain how you know the decimal point of your quotient is placed reasonably.

Each marble weighs 2.55 grams. This makes sense because 183.6 - 12 is about 180 - 60 which is 3.

4. Cameron wants to measure the length of his classroom using his foot as a length unit. His teacher tells him the length of the classroom is 23 meters. Cameron steps across the classroom heel to toe and finds that it takes him 92 steps. How long is Cameron's foot in meters?

Cameron's foot is 0.25 m long.

5. A blue rope is three times as long as a red rope. A green rope is 5 times as long as the blue rope. If the total length of the three ropes is 508.25 meters, what is the length of the blue rope?



COMMON

Lesson 26:

Divide decimal dividends by two-digit divisors, estimating quotients, reasoning about the placement of the decimal point, and making connections to a written method.

engage<sup>ny</sup>

2.G.34

Date:

7/29/14

(CC) BY-NC-SA

Name \_\_\_

- 1. Divide. Check your work with multiplication.
  - a. 5.6 ÷ 16

d. 36 ÷ 24

d. 
$$36 \div 24$$

e.  $81 \div 54$ 

1.5

1.5

1.5

1.5

1.04

1.04

24136.0

270

120

1300

1300

1515.60

1515.60

151040

151040

151040

151040

151040

151040

151040

15105.60

g. 5.4 ÷ 15

h. 16.12 ÷ 52

$$\begin{array}{r} .31 & 0.31 \\ 52116.12 & \times 52 \\ -156 & 62 \\ \hline -52 & +1550 \\ -52 & 16.12 \\ \hline \end{array}$$

i. 2.8 ÷ 16

g. 
$$5.4\div15$$

h.  $16.12\div52$ 

l.  $2.8\div16$ 

15 \( \frac{36}{36} \)

0.36

\[
\frac{31}{52} \)

\[
\frac{31}{16} \)

\[
\frac{31}{52} \)

\[
\frac{31}{62} \)

\[
\frac{31}{16} \)

\[
\frac{31}{62} \)

\[
\frac{31}{62} \)

\[
\frac{31}{16} \)

\[
\frac{31}{16} \)

\[
\frac{31}{62} \)

\[
\frac{31}{16} \)

\[
\frac{31}{62} \)

\[
\frac{31}{16} \)

\[
\frac{31}{16} \)

\[
\frac{31}{62} \)

\[
\frac{31}{16} \)

\[
\frac{31}{16} \)

\[
\frac{31}{62} \)

\[
\frac{31}{16} \)

\[
\frac{31}{62} \)

\[
\frac{31}{16} \)

\[
\frac{31}{16} \)

\[
\frac{31}{16} \)

\[
\frac{31}{16} \)

\[
\frac{31}{62} \)

\[
\frac{31}{62} \)

\[
\frac{31}{16} \]

\[
\frac{31}{62} \]

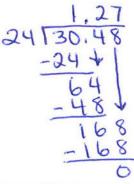
\[
\frac{31}{62} \]

\[
\frac{31}{16} \]

\[
\frac{3}{16} \]

\[
\f

2. 30.48 kg of beef was placed into 24 packages of equal weight. What is the weight of one package of beef?



One package weighs 1,27 kg.

COMMON

Lesson 27:

Divide decimal dividends by two-digit divisors, estimating quotients, reasoning about the placement of the decimal point, and making connections to a written method.

2.G.44

7/29/14

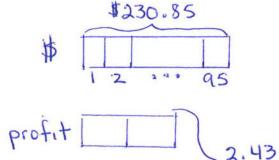
3. What is the length of a rectangle whose width is 17 inches and whose area is 582.25 in<sup>2</sup>?

The length of the rectangle is 34.25 inches.

4. A soccer coach spent \$162 dollars on 24 pairs of socks for his players. How much did five pairs of socks cost?

Five pairs of socks

5. A craft club makes 95 identical paperweights to sell. They collect \$230.85 from selling all the paperweights. If the profit the club collects on each paperweight is two times as much as the cost to make each one, what does it cost the club to make each paperweight?



It costs the club 814 to make each paperweight.

COMMON CORE Lesson 27:

Divide decimal dividends by two-digit divisors, estimating quotients, reasoning about the placement of the decimal point, and making connections to a written method.

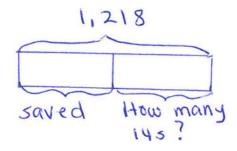
n method.

engage<sup>ny</sup>

Name

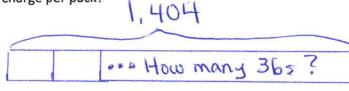
Date \_\_\_\_\_

1. Ava is saving for a new computer that costs \$1,218. She has already saved half of the money. Ava earns \$14.00 per hour. How many hours must Ava work in order to save the rest of the money?

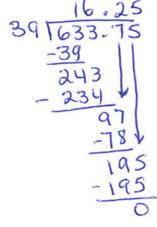


Avaneeds to work 43.5 more hours.

2. Michael has a collection of 1,404 sports cards. He hopes to sell the collection in packs of 36 cards, and make \$633.75 when all the packs are sold. If each pack is priced the same, how much should Michael charge per pack?



36/1404 -108 -324 -324



Michael should charge \$16.25.

COMMON CORE Lesson 28:

Date:

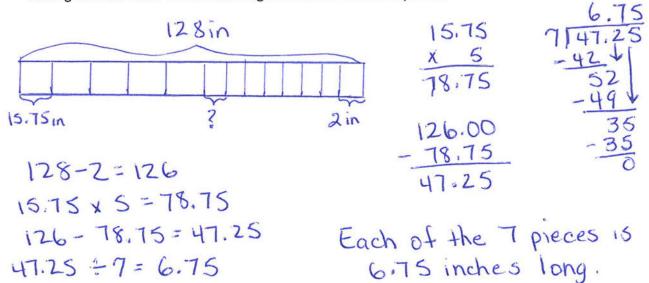
Solve division word problems involving multi-digit division with group size unknown and the number of groups unknown.

7/29/14

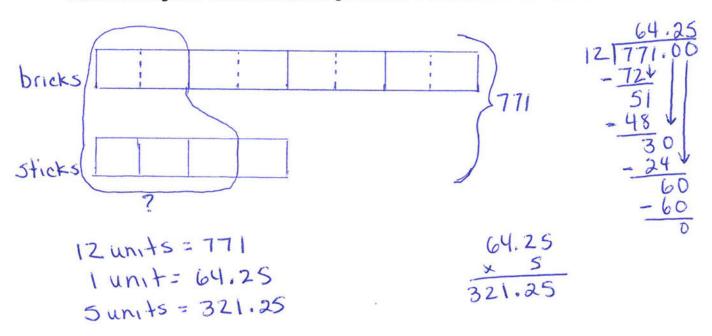
n and the number of groups unknown.

engage<sup>ny</sup>

3. Jim Nasium is building a tree house for his two daughters. He cuts 12 pieces of wood from a board that is 128 inches long. He cuts 5 pieces that measure 15.75 inches each, and 7 pieces evenly cut from what is left. Jim calculates that, due to the width of his cutting blade, he will lose a total of 2 inches of wood after making all of the cuts. What is the length of each of the seven pieces?



4. A load of bricks is twice as heavy as a load of sticks. The total weight of 4 loads of bricks and 4 loads of sticks is 771 kilograms. What is the total weight of 1 load of bricks and 3 loads of sticks?



The weight of I brick load and 3 Stick loads is 321.25 kg.

COMMON

Lesson 28:

Date:

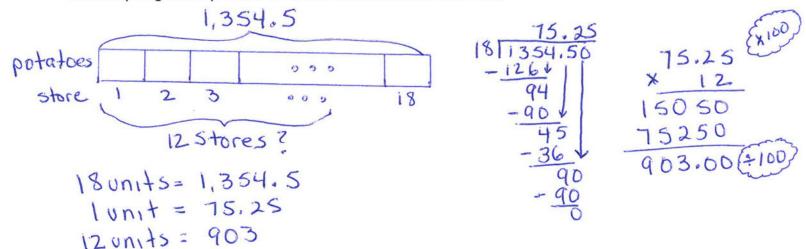
Solve division word problems involving multi-digit division with group size unknown and the number of groups unknown.

7/29/14

Name	Date

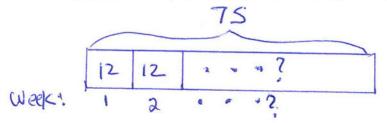
Solve.

1. Lamar has 1,354.5 kilograms of potatoes to deliver equally to 18 stores. 12 of the stores are in the Bronx. How many kilograms of potatoes will be delivered to stores in the Bronx?



903 kg of potatoes will be delivered to the Bronx.

2. Valerie uses 12 fluid oz of detergent each week for her laundry. If there are 75 fluid oz of detergent in the bottle, in how many weeks will she need to buy a new bottle of detergent? Explain how you know.



Valerie will need to buy a new bottle of detergent after 6 weeks. She will have a little left over after 6 weeks, but no enough to do all laundry in the 7th week.

6.25
2 175,00
- 72
30
-24
- 60
-60
O

COMMON

Lesson 29:

Date:

Solve division word problems involving multi-division with group size unknown and the number of groups unknown.

7/29/14

engage<sup>ny</sup>

3. The area of a rectangle is 56.96 m<sup>2</sup>. If the length is 16 m, what is its perimeter?

$$P = (3.56 \times 2) + (16 \times 2)$$

$$= 7.12 + 32$$

$$= 39.12$$

The perimeter of the rectangle 15 39.12 meters.

4. A city block is 3 times as long as it is wide. If the distance around the block is 0.48 kilometers, what is the area of the block in square meters?

length width

Iside

= 10,800

The area of the block 15 10,800 square meters.

Lesson 29:

Date:

Solve division word problems involving multi-division with group size unknown and the number of groups unknown.

7/29/14

Name Charlie	Date

### 1. Fill in the chart.

Words	Expression	The Value of the Expression
a. 50 times the sum of 64 and 3	50×(64+36)	5,000
b. Divide the difference between 1,200 and 700 by 5	(1,200−700)÷5	100
c. The sum of 3 fifteens and 17 fifteens	(3x15)+(17X15)	300
d. 15 times the sum of 14 and 6	15 X(14+6)	300
e. 10 times the sum of 250 and 45	f 10 × (250 + 45)	2,950
f. 14 times the sum of 560 and 440	(560 + 440) × 14	14,000

Compare the two expressions using < , > , or =. For each, explain how you can determine the answer without calculating.

a. 100 × 8
The product
here is 800.

The product of this part is 100, so 100 x 9 is equal to 900.

b. 48×12 (>)

50 twelves – 3 twelves

This is 48 twelves.

This is 47 twelves
The other side is 1 more group of twelve.

c. 24 × 36



18 twenty-fours, doubled

Double 18 is 36, so it's 36 twenty-fours on both sides.

Module 2: Date: Multi-Digit Whole Number and Decimal Fraction Operations 7/29/14

engage<sup>ny</sup>

- 3. Solve. Use words, numbers or pictures to explain how your answers to parts (a) and (b) are related.
  - b. 2.5 = 30 = 25 pente = 30 = 7.50tentts = 75.0 a 25 x 30 = 750 The digits are exactly the same. But the units in (b) are smaller so the answer is smaller. Ones are 10 times as large as tenths so the answer to (a) is tentimes larger than (b)
- . 4. Multiply using the standard algorithm. Show your work below each problem. Write the product in the blank.

b. 546 = 405 = 221,130

5. For a field trip, the school bought 47 sandwiches for \$4.60 each and 39 bags of chips for \$1.25 each. How much did the school spend in all?

$$\frac{460 \text{ conts}}{\times 47}$$
  $\frac{\times 39}{1125}$   $\frac{216.20}{+ 48.75}$  The school spent  $\frac{3220}{118400}$   $\frac{13750}{48750}$   $\frac{13750}{48750}$   $\frac{13750}{48750}$ 

Module 2: Date:

Multi-Digit Whole Number and Decimal Fraction Operations 7/29/14

engage<sup>ny</sup>

- 6. Jeanne makes hair bows to sell at the craft fair. Each bow requires 1.5 yards of ribbon.
  - a. At the fabric store, ribbon is sold by the foot. If Jeanne wants to make 84 bows, how many feet of ribbon must she buy? Show all your work.

1.5 yd = 1.5 x (1 yd)
$$= 1.5 \times (3 \text{ ft})$$

$$= 4.5 \text{ ft}$$

$$= 4.5 \text{ ft}$$

$$= 378.0$$
45 tenths
$$\frac{\times 84}{180}$$
Jeanne has to buy
$$= 378 \text{ feet of ribbon.}$$

b. If the ribbon costs 10¢ per foot, what is the total cost of the ribbon in dollars? Explain your reasoning, including how you decided where to place the decimal.

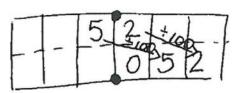
When I multiplied by 10, all the digits got 10 times larger and moved one place to the left. That was 3,780 cents. To find dollars, I divided by 100 which moved my digits back 2 places to the left, so my decimal Point went between the 7 and 8.

c. A manufacturer is making 1,000 times as many bows as Jeanne to sell in stores nationwide. Write an expression using exponents to show how many yards of ribbon the manufacturer will need. Do not calculate the total.

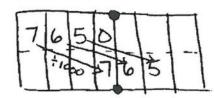
Name Gorrett

Express the missing divisor using an exponent. Explain your reasoning using a place value chart.

a. 
$$5.2 \div 10^2 = 0.052$$



b. 
$$7,650 \div 10^3 = 7.65$$



2. Estimate the quotient by rounding the equation to relate to a 1-digit fact. Explain your thinking in the space below.

588 is close to 600. The nearest multiple of 104that is close to 1275 is 12 hundreds. 50 12-6-2

3. Generate and solve another division problem with the same quotient and remainder as the two problems below. Explain your strategy for creating the new problem.

To check division, I can multiply the answer and the divisor, then add the remainder. So I multiplied 3 x my number 81 Which was 27 and got 81 and then I added 12, So my dividend must be 93.

Module 2: Date:

Multi-Digit Whole Number and Decimal Fraction Operations 7/29/14

4. Sarah says that 26 ÷ 8 equals 14 ÷ 4 because both are "3 R2." Show her mistake using decimal division.

$$\begin{array}{r}
3.25 \\
8)26.00 \\
-24 \\
\hline
20 \\
-16 \\
\hline
40 \\
-40
\end{array}$$

$$\begin{array}{r}
3.5 \\
-12 \\
\hline
20 \\
-20 \\
\hline
0
\end{array}$$

$$\begin{array}{r}
14 \div 4 = 3.5 \\
-20 \\
\hline
0
\end{array}$$

5. A rectangular playground has an area of 3,392 square meters. If the width of the rectangle is 32 meters, find the length.

32m 
$$A = 3,392 \text{ m}^2$$
 $32) 3,392$ 
 $-32$ 

The length

 $32 \times ? = 3,392$ 
 $-9$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 
 $192$ 

- 6. A baker uses 5.5 pounds of flour daily.
  - a. How many ounces of flour will he use in two weeks? Use words, numbers, or pictures to explain your thinking. (1 lb = 16 oz.)

COMMON

Module 2: Date:

Multi-Digit Whole Number and Decimal Fraction Operations 7/29/14

2.S.17

b. The baker's recipe for a loaf of bread calls for 12 ounces of flour. If he uses all of his flour to make loaves of bread, how many full loaves can he bake in two weeks?

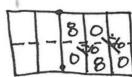
The baker can bake 102 full loaves in two weeks.

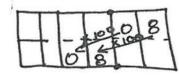
c. The baker sends all his bread to one store. If he can pack up to 15 loaves of bread in a box for shipping, what is the minimum number of boxes required to ship all the loaves baked in two weeks. Explain your reasoning.

He needs 7 boxes to ship all the bread. The last box won't be full. It will only have 12 loaves in it.

d. The baker pays \$0.80 per pound for sugar and \$1.25 per pound for butter. Write an expression that shows how much the baker will spend if he buys 6 pounds of butter and 20 pounds of sugar.

e. Chocolate sprinkles cost as much per pound as sugar. Find <sup>1</sup>/<sub>10</sub> the baker's total cost for 100 pounds of chocolate sprinkles. Explain the number of zeros and the placement of the decimal in your answer using a place value chart.





The baker pays \$8.00 for 100 lbs of sprinkles.

COMMON CORE Module 2: Date: Multi-Digit Whole Number and Decimal Fraction Operations 7/29/14

engage<sup>ny</sup>

2.S.18