

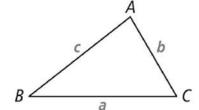
# **Law of Cosines**

For any  $\triangle ABC$ , the Law of Cosines relates the cosine of each angle to the side lengths of the triangle.

$$\underline{a}^2 = b^2 + c^2 - 2bc \cos \underline{A}$$

$$b^2 = a^2 + c^2 - 2ac \cos B$$

$$c^2 = a^2 + b^2 - 2ab \cos C$$



## What is BC to the nearest tenth?

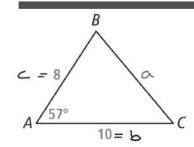
# SOLUTION

$$a^2 = b^2 + c^2 - 2bc \cos A$$

$$a^2 = 10^2 + 8^2 - 2cio)(8)\cos 57^\circ$$

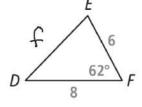
$$a^2 = 76.8577$$

$$a \approx 8.8$$

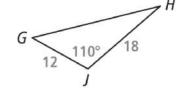


# a. What is DE?

Enter you 
$$f^2 = d^2 + e^2 - 2 de \cos F$$
  
 $f^2 = 8^2 + c^2 - 2(8)(c) \cos 62^{\circ}$   
 $f = 7.4$ 



# b. What is GH?



### What is $m \angle X$ ?

ther your 
$$X^2 = y^2 + z^2 - 2yz \cos X$$

$$4^2 = 6^2 + 7^2 - 2(6)(7)\cos X$$

$$16 = 36 + 49 - 84\cos X$$

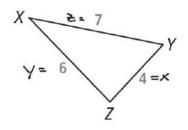
$$16 = 85 - 84\cos X$$

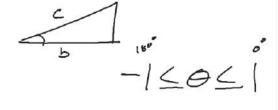
$$-85 - 85$$

$$-69 = -84\cos X$$

$$-69 = -84\cos X$$

$$\cos X$$





#### What is $m \angle P$ ?

$$13^{2} = 8^{2} + 11^{2} - 2r_{2} \cos P$$

$$13^{2} = 8^{2} + 11^{2} - 2(8)(11) \cos P$$

$$169 = 69 + 121 - 176 \cos P$$

$$169 = 185 - 176 \cos P$$

$$-16 = -176 \cos P$$

$$\frac{16}{176} = \cos P$$

$$Q = 11$$

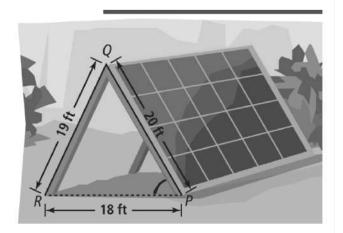
$$R = 13 = P$$

$$Cos^{-1}\left(\frac{14}{174}\right) = m2P$$

$$m2P = 84.8°$$

The optimal tilt for Keenan's solar panel is between 58° and 60° to the horizontal. Has Keenan placed his solar panel at an optimal angle?

SOLUTION



The district ranger wants to build a new ranger station at the location of the fire tower because it would be closer to Bald Mountain than the old station is. Is the district ranger correct? Explain.

SOLUTION X= 1.42+ 2.12-2(1.4)(2.1)cos490

Yes, Fire tower is closen to Bald mountain

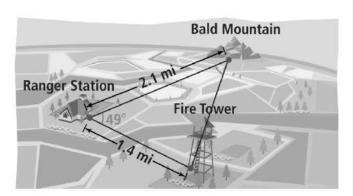
**Bald Mountain** 

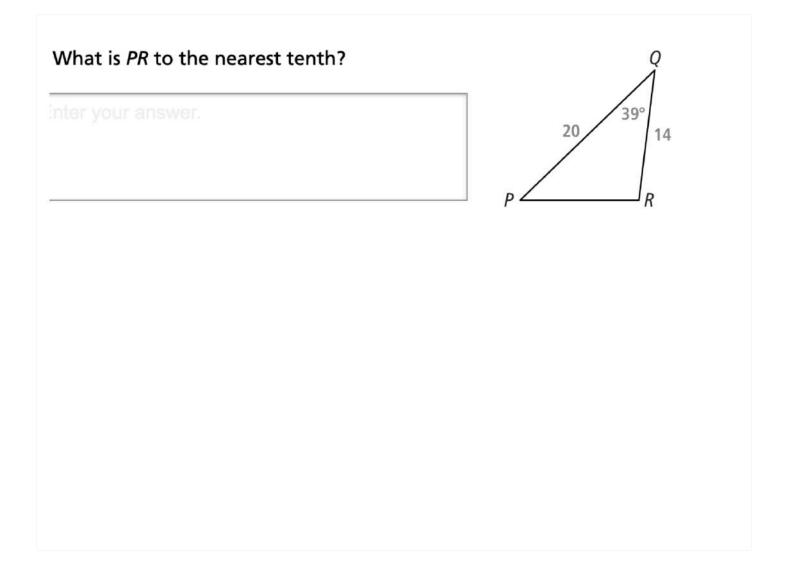
Ranger Station 2.1 mi

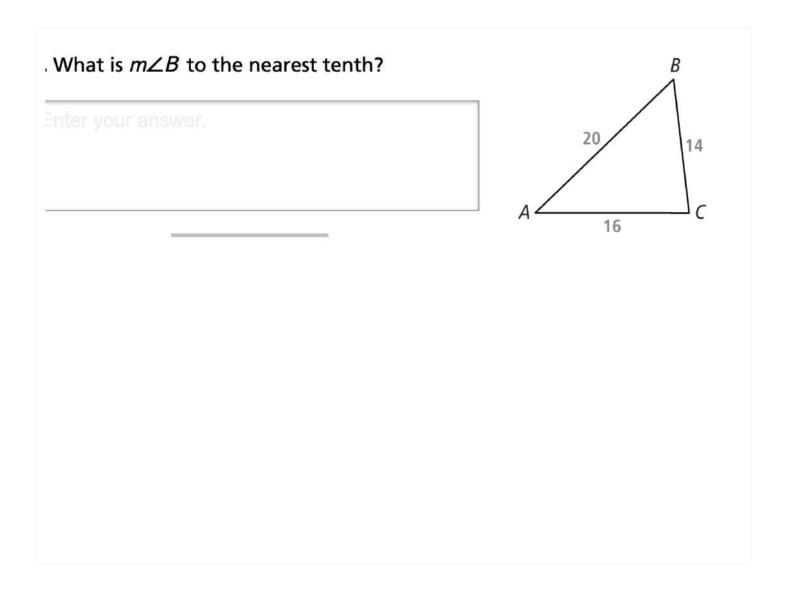
Fire Tower 58 m:

**4.** Assume a path is drawn from the fire tower to Bald Mountain. What is the angle the new path forms with the old path from Bald Mountain to the ranger station?



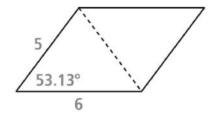






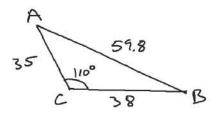
# **12.** Use the Law of Cosines to find the diagonal of the parallelogram.

Enter your answer.



# Solve the Triangle

$$m \angle A = 34.7 \quad m \angle B = 33.3 \quad C = 59.8$$
  
 $m \angle C = 110^{\circ}, b = 35 \text{ mi}, \alpha = 38 \text{ mi}$ 



$$\frac{38}{\sin A} = \frac{59.8}{\sin 10^{\circ}}$$

$$59.85inA = 385in110^{8}$$
  
 $SinA = \frac{385in110^{8}}{59.8}$   
 $Sin^{-1} \left( \frac{385in110}{59.8} \right) = m A$   
 $m(A = 36.7)$ 

$$Sin^{-1}\left(\frac{38\sin 10}{51.8}\right) = m \angle A$$

$$m \angle A = 36.$$

$$m \angle A = |081|$$
  $m \angle B = m \angle C = \frac{A}{20 \text{ ft}}$   $\log A$   $\log$ 

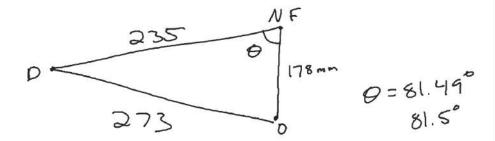
During a figure skating routine, Jackie and Peter skate apart with an angle of 15° between them. Jackie skates for 5 meters and Peter skates for 7 meters. How far apart are the skaters?  $\times^{2} = S^{2} + 7^{2} - 2 (5)(7) \cos S^{2}$ 

5 × ×

N - 0 +1 -263 1C1/105/S

X=2.5 m apert

On a map, Orlando is 178 mm due south of Niagara Falls, Denver is 273 mm from Orlando, and Denver is 235 mm from Niagara Falls. Find the angle at Niagara Falls.



A triangular playground has sides of lengths 475 feet, 595 feet, and 401 feet. What are the neasures of the angles between the sides, to the nearest tenth of a degree?