

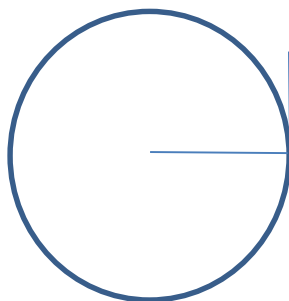
Unit Circles

Day #3

G-C.2 Rules of Tangents: Angles

Name: _____

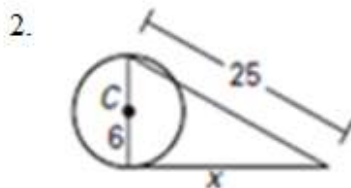
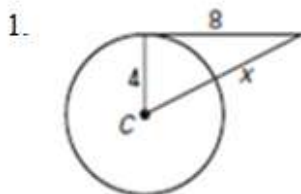
Period: 1 2 3 4 5 6 7 8



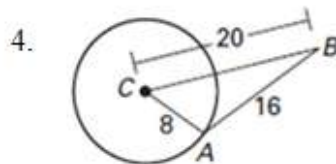
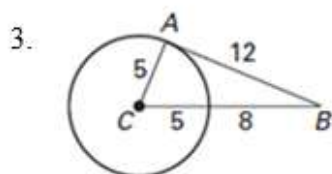
Tangent Line: Intersects the circle at one point

A Tangent line to a circle is _____
to the radius at the point of tangency.

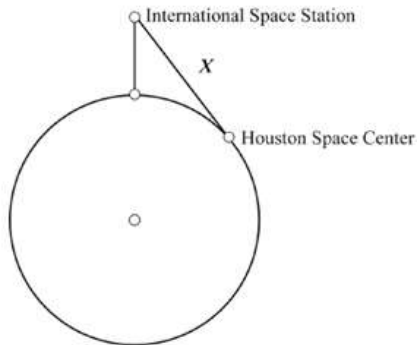
For each circle C find the value of x . Assume that segments that appear to be tangent are tangent. Leave answers as decimal approximations rounded to the nearest tenth.



Tell whether \overleftrightarrow{AB} is tangent to $\odot C$. Explain your reasoning.

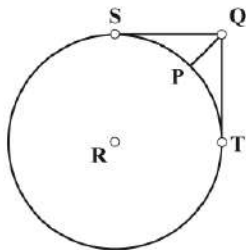


5. The average height of the International Space Station is 400 km above the Earth. An astronaut on board the International Space Station sights along a tangent line to Earth, viewing Houston Space Center. If the diameter of the Earth is approximately 12,800 km, how far is the astronaut from the Space Center? Show your calculations; then, explain, in paragraph form, how you found the answer.

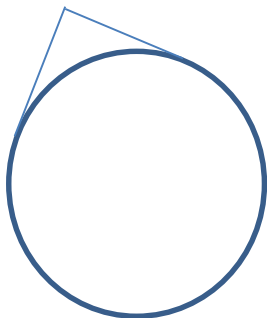


Calculations:

6. A conveyor belt is tightly wrapped around circle R, forming a right angle at Q. The circle has a radius of 9 inches. Find the length of the distance from the point on the corner to the closest point on the circle, P. Show all work.



Concept 2:

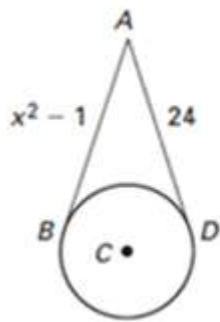


Shown are two tangent segments that are intersecting.

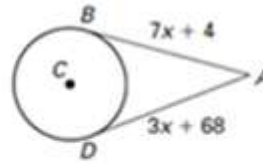
Tangent Segments to a circle from a point outside the circle are _____

In Exercises 1-2, \overleftrightarrow{AB} and \overleftrightarrow{AD} are tangent to circle C. Find the value of x.

1.



2.



4. A nickel, a dime, and a quarter are touching, as shown. Tangents are drawn from point A to both sides of each coin. What can you conclude about the four tangent segments? Explain.

