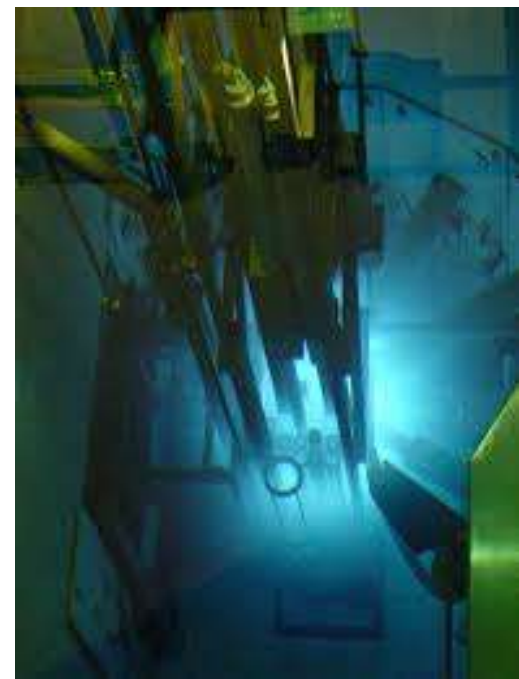
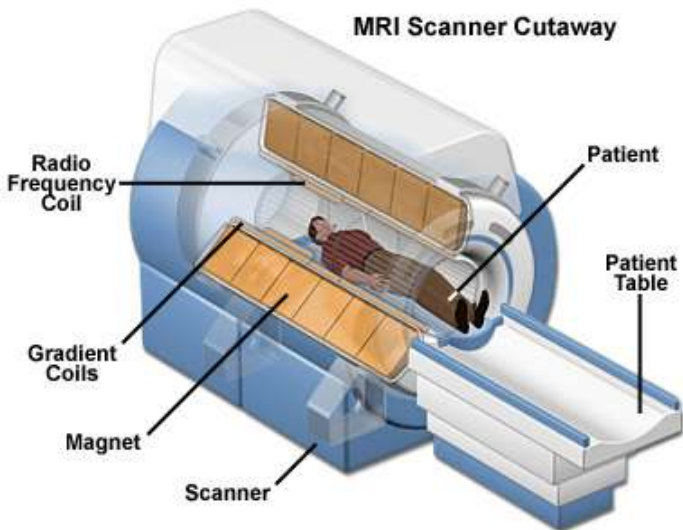


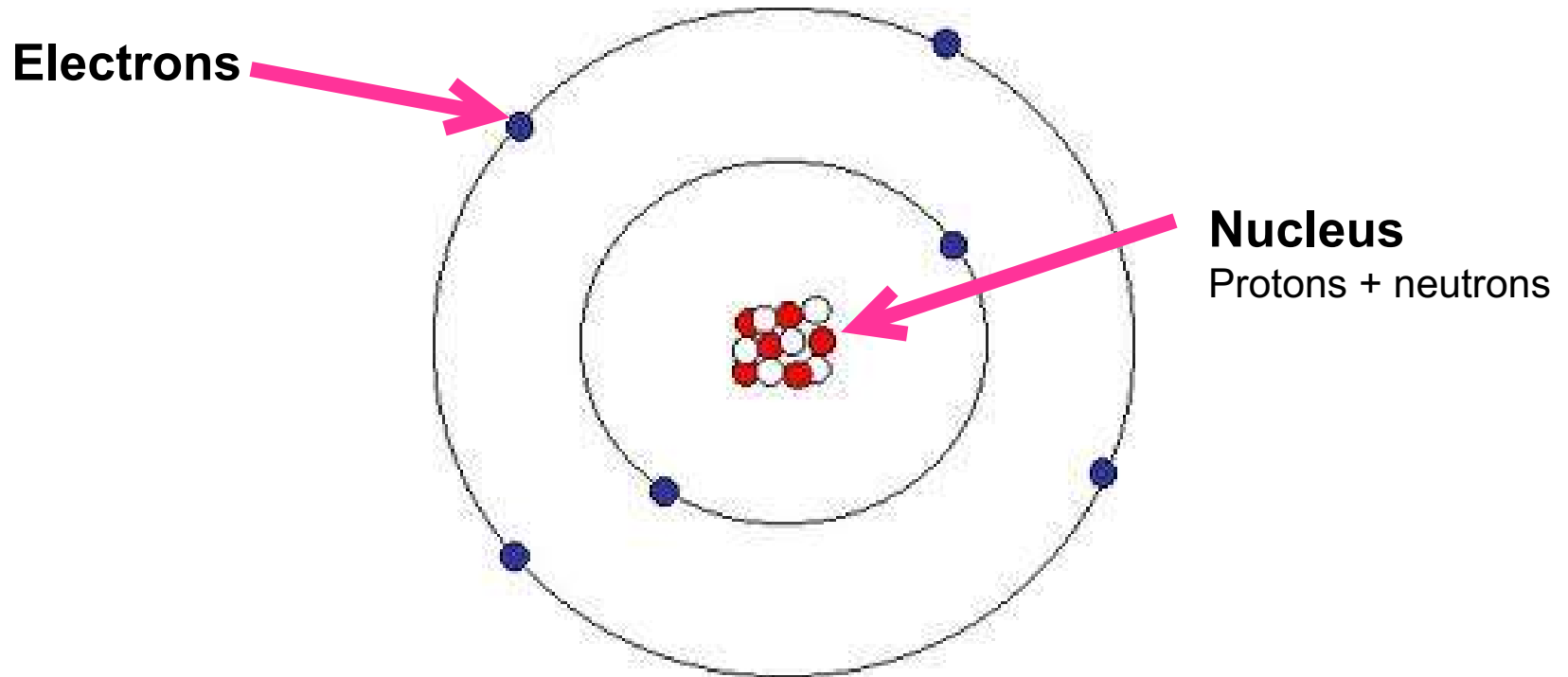


Nuclear Chemistry

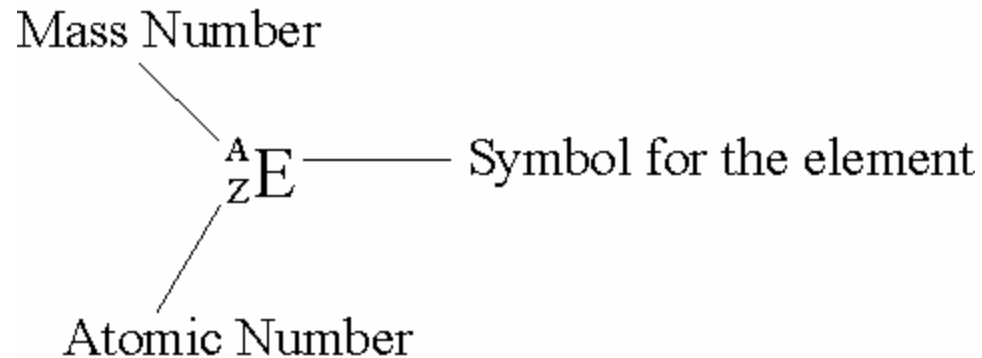
Radiation



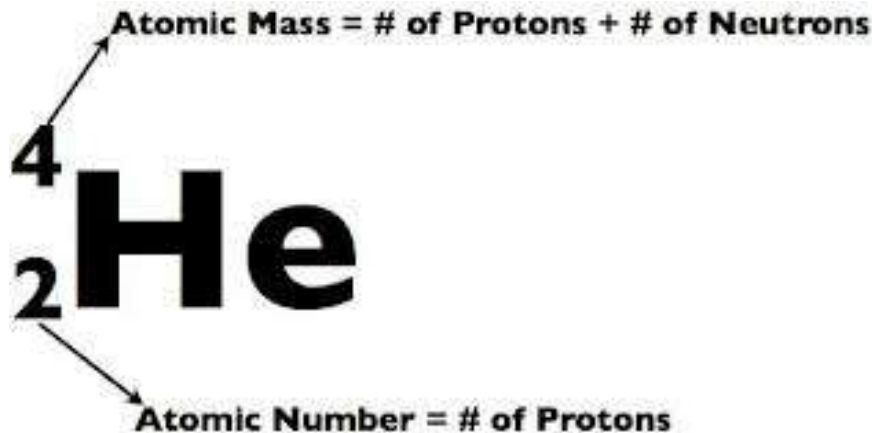
Background – Atomic Structure



Background



Examples:



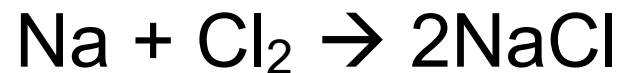
Helium - 4

Chemical Equations

- Basic formula:



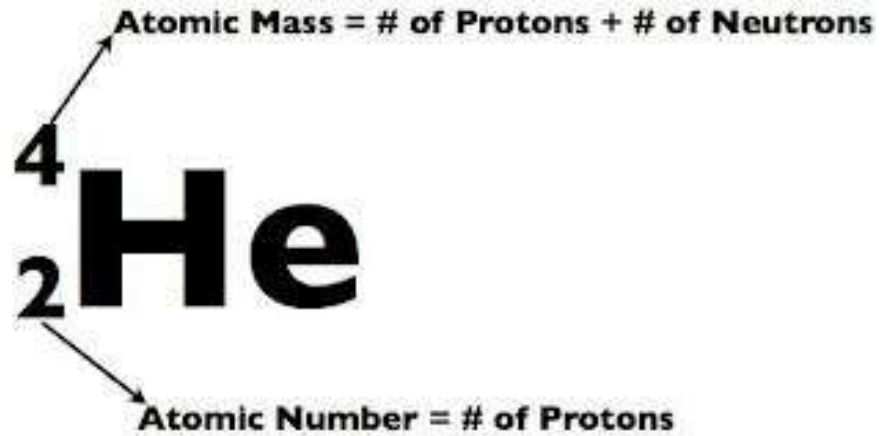
- Example:



Nuclear Equations

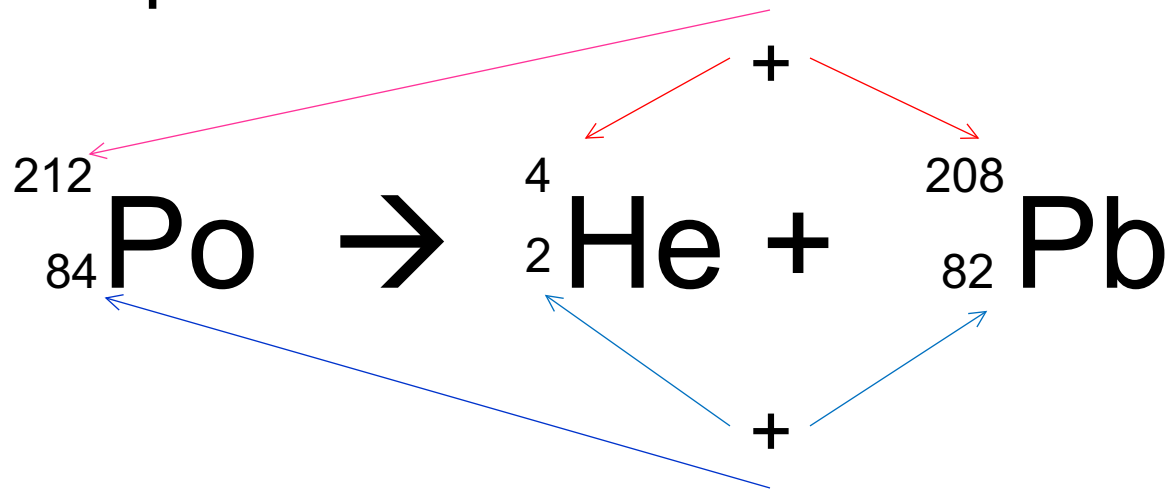
In nuclear equations, we balance

- **atomic number**
- **mass number**



Nuclear Equations

- Example:



Nuclear Reactions

- Chemical Reactions = bonds forming and breaking
- Nuclear reactions = when the nuclei emit particles and/or rays

Power of Radiation

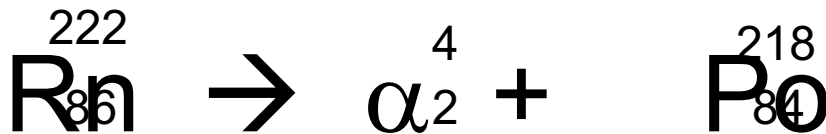
- **Alpha radiation** is least penetrating and can penetrate the outer layer of skin. Alpha radiation is stopped by a sheet of paper.
- **Beta radiation** can penetrate through a few cm of skin and tissue. Beta radiation is stopped by a sheet of aluminum foil.
- **Gamma radiation** will pass right through a body. Gamma radiation requires several cm of lead to stop.

Types of Radiation

I. Alpha = ${}^4_2\alpha$

- Example:

- ❖ What is the equation when radon – 222 undergoes alpha decay?

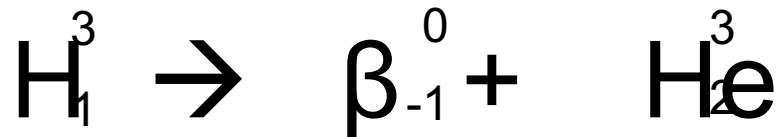


Types of Radiation

II. Beta = ${}_{-1}^0\beta$ or ${}_{-1}^0e$

- Example:

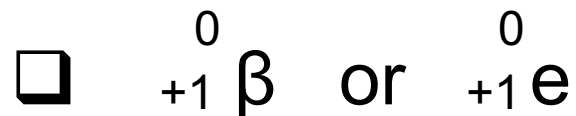
- ❖ Write the equation for hydrogen – 3 undergoing beta decay.



Types of Radiation

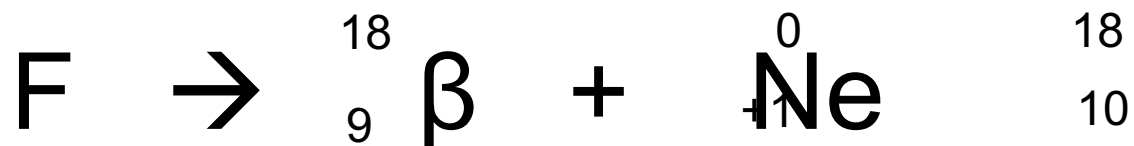
II. Beta (continued)

A. Positron: A positron is a particle equal in mass to an electron but with opposite charge.



Example:

❖ Fluorine – 18 emits a positron when it decays.



Types of Radiation

III. Gamma = ${}^0_0\gamma$

- Example

- ❖ Uranium - 238 emits an alpha particle and gamma rays when it decays.

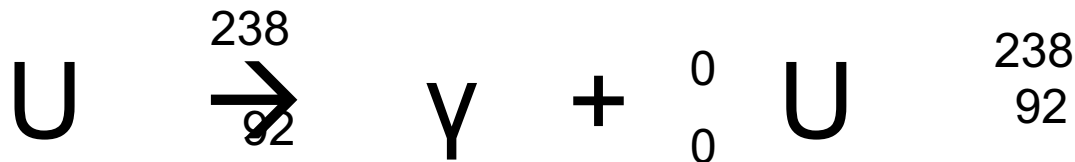
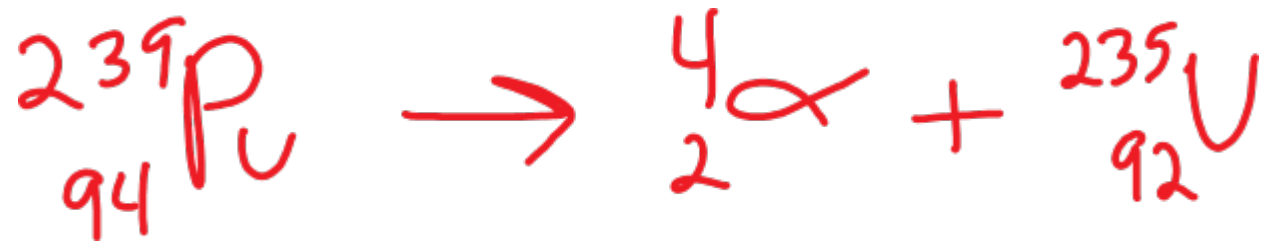


TABLE 4.4 Nuclear Symbols for Subatomic Particles

Particles	Symbols	Nuclear Symbols
Proton	p	${}^1_1\text{p}$ or ${}^1_1\text{H}$
Neutron	n	${}^1_0\text{n}$
Electron	e^- or β	${}^0_{-1}\text{e}$ or ${}^0_{-1}\beta$
Positron	e^+ or β^+	${}^0_{+1}\text{e}$ or ${}^0_{+1}\beta$
Alpha particle	α	${}^4_2\text{He}$ or ${}^4_2\alpha$
Beta particle	β or β^-	${}^0_{-1}\text{e}$ or ${}^0_{-1}\beta$
Gamma ray	γ	${}^0_0\gamma$

Practice

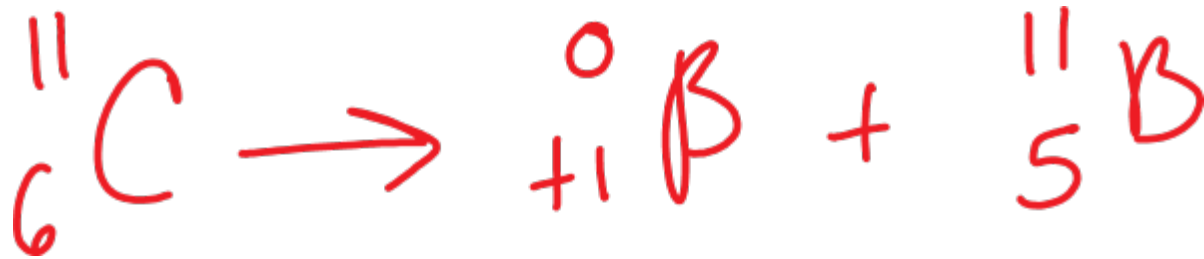
- 1) Plutonium-239 emits an alpha particle when it decays.



- 2) Protactinium-234 undergoes beta decay.



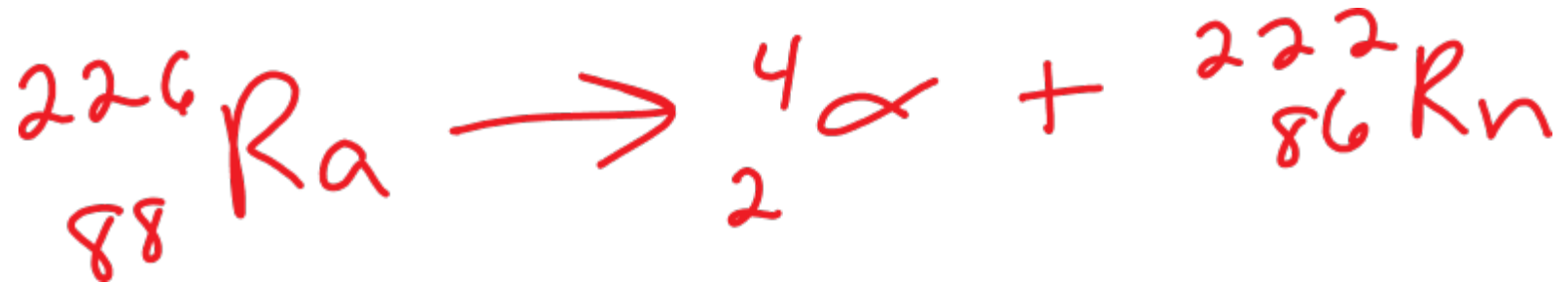
3) Carbon-11 emits a positron when it decays.



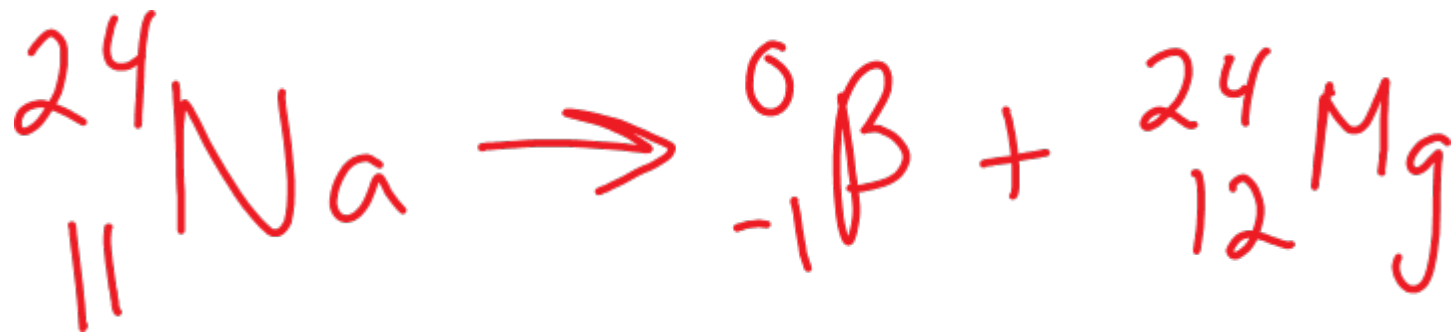
4) Carbon-11 undergoes electron capture.



5) Radium-226 decays by alpha emission.



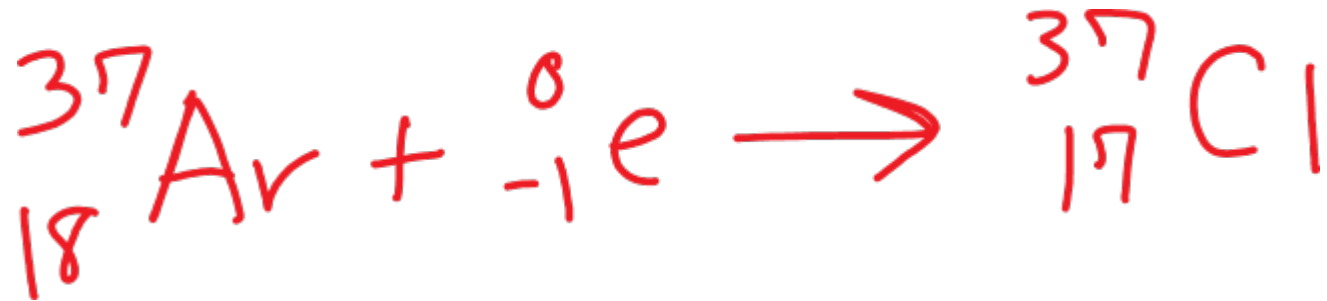
6) Sodium-24 undergoes beta decay.



8) Gold-188 decays by positron emission.



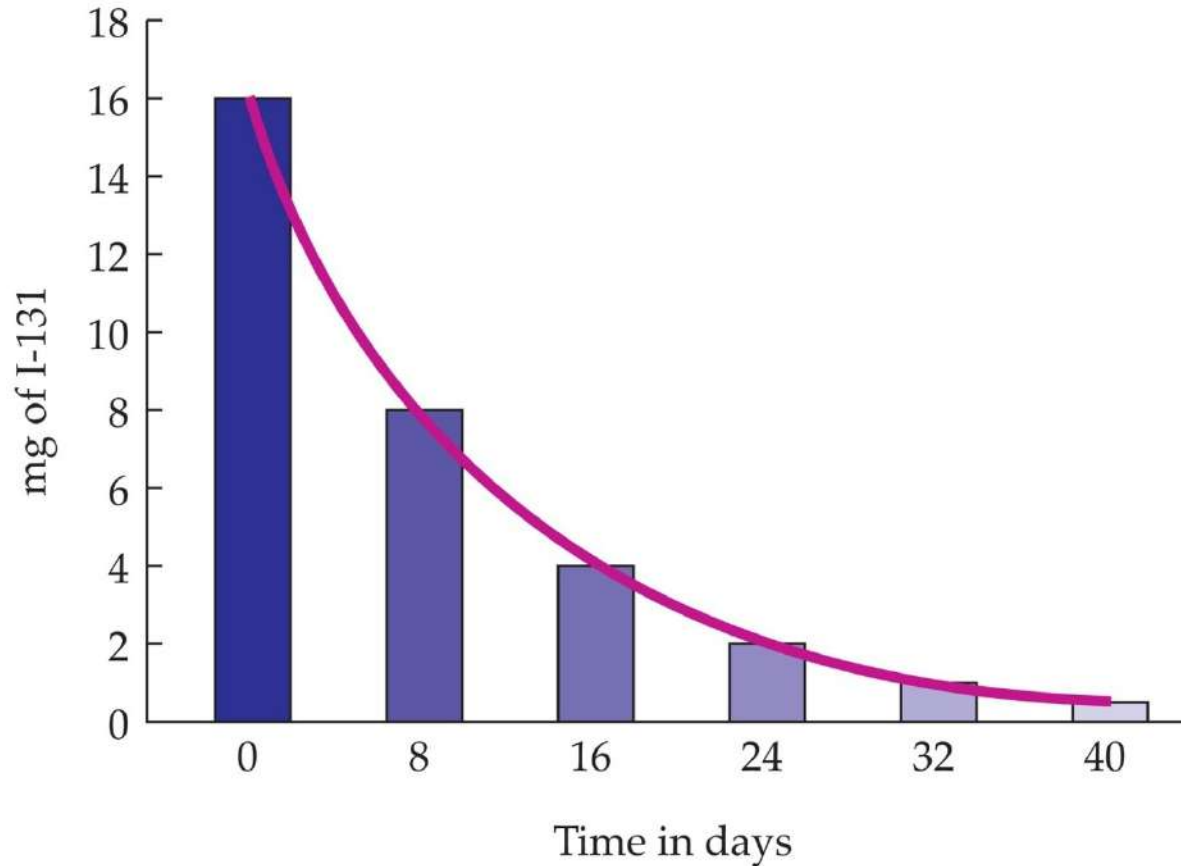
9) Argon-37 undergoes electron capture.



Half-Life

Half-life of a radioactive sample is the time required for $\frac{1}{2}$ of the material to undergo radioactive decay.

Half-Life



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Half-Life

$$\text{Final mass} = \text{Initial mass} \times (0.5^n)$$

Mass after the
amount of half-lives
“n” have past

Mass before
radioactive decay

Number of half lives

$$n = \frac{\text{time elapsed}}{\text{Length of half life}}$$

$$M_F = M_I \times 0.5^n$$

Practice

$n = \#$ of half-lives

1. If gallium – 68 has a half-life of 68.3 minutes, how much of a 160.0 mg sample is left after 1 half life?

$$160.0 \text{ mg} \times 0.5^1 = \boxed{80.00 \text{ mg}}$$

- 2 half lives?

$$160.0 \text{ mg} \times 0.5^2 = \boxed{40.00 \text{ mg}}$$

- 3 half lives?

$$160.0 \text{ mg} \times 0.5^3 = \boxed{20.00 \text{ mg}}$$

2. The half life of I-123 is 13 hr. How much of a 64 mg sample of I-123 is left after 39 hours?

$$n = 39/13 = 3$$

$$64 \text{ mg} \times 0.5^3 = \boxed{8.0 \text{ mg}}$$

3. Cobalt – 60, with a half-life of 5 years, is used in cancer radiation treatments. If a hospital purchases a supply of 30.0 g, how much would be left after 15 years?

$$n = 15/5 = 3 \text{ half lives}$$

$$30.0\text{g} \times 0.5^3 = \boxed{3.75\text{g}}$$

4. Iron-59 is used in medicine to diagnose blood circulation disorders. The half-life of iron-59 is 44.5 days. How much of a 2.000 mg sample will remain after 133.5 days?

$$n = 133.5 / 44.5 = 3 \text{ half lives}$$

$$2.000 \text{ mg} \times 0.5^3 = \boxed{0.2500 \text{ mg}}$$

5. The half-life of polonium-218 is 3.0 minutes. If you start with 20.0 g, how long will it take before only 1.25 g remains?

half lives

1	[20.0g]	=
	10.0g	
2	[5.0g]	
3	[2.5g]	
4	[1.25g]	

$n = 4$ half lives

4 half lives \times 3.0 min =

12 minutes

6. A sample initially contains 150.0 mg of radon-222. After 11.4 days, the sample contains 18.75 mg of radon-222. Calculate the half-life.

$$\begin{array}{l} 1 \left[\begin{array}{l} 150.0 \text{ mg} \\ 75.0 \text{ mg} \end{array} \right. \\ 2 \left[\begin{array}{l} 37.5 \text{ mg} \\ 18.75 \text{ mg} \end{array} \right. \\ 3 \left[\begin{array}{l} 18.75 \text{ mg} \end{array} \right. \end{array} = \quad n = 3 \text{ half lives}$$
$$3 \text{ half lives} = \frac{11.4 \text{ days}}{\text{Length of half life}}$$

$$\text{half life} = 3.8 \text{ days}$$