Pre-Calculus (#9400)

Description This course is a foundation course for college-level mathematics classes. The topics covered

include functions and their graphs; the circular functions (sin, cos, tan, sec, csc, and cot); inverse trigonometric functions, and other periodic functions; polar and parametric equations; conic sections; sequences and series; and vectors and their applications. Calculators are an integral part of the

course.

Credits 1

Prerequisites Algebra 2 for Pre-Calculus

Textbooks/Resources Carter, Guevas, Day, Malloy, *Precalculus*. McGraw-Hill Education, 2014. (ISBN 9780076641833)

Required Assessments District-wide, standards-based assessments

Board Approved November 2009

Revised August 2016

AASD Mathematics Goals for K-12 Students

- > Become mathematical problem solvers.
- > Learn to reason mathematically.
- Learn to communicate mathematically.
- Make mathematical connections.
- > Develop conceptual understanding of mathematics.
- > Develop procedural fluency.
- Learn to use technology appropriately.

AASD Mathematics Standards for Students in Pre-Calculus

Mathematical Practice Standards

- 1. Make Sense of problems and persevere in solving them.
- Reason abstractly and quantitatively.
 Construct viable arguments and critique the reasoning of others.
- 4. Model with mathematics.
- 5. Use appropriate tools strategically.
- 6. Attend to precision.
- 7. Look for and make use of structure.
- 8. Look for and express regularity in repeated reasoning.

Domain			Cluster		
I.	Mathematical Processes	A.	Use of mathematical knowledge, skills and strategies to solve mathematical, real-world and non-routine problems: reasoning		
		B.	Use of mathematical knowledge, skills and strategies to solve mathematical, real-world and non-routine problems: oral and written communication		
		C.	Use of mathematical knowledge, skills and strategies to solve mathematical, real-world and non-routine problems: use of appropriate technology		
II.	Number Operations & Relationships	A.	Use numbers effectively for counting		
		B.	Use numbers effectively for measuring		
		C.	Use numbers effectively for estimating		
		D.	Use numbers effectively for problem solving		
III.	Geometry	A.	Use geometric concepts to interpret, represent and solve problems		
		B.	Use geometric relationships to interpret, represent and solve problems		
		C.	Use geometric procedures to interpret, represent and solve problems		
IV.	Measurement	A.	Select and use appropriate tools and techniques to measure to a specified degree of accuracy		
		B.	Use measurements in problem-solving situations		
V.	Statistics & Probability	A.	Use data collection and analysis		
	_	B.	Use statistics in problem-solving situations		
		C.	Use probability in problem-solving situations		
VI.	Algebraic Relationships	A.	Discover, describe and generalize simple and complex patterns and relationships		
		B.	Use algebraic techniques to define and describe real-world problems to determine and justify		
			appropriate solutions		

Essential Learning Objectives	Performance Indicators	Classroom Assessment
	Performance will be satisfactory when the student:	
1. Develop deep conceptual	a. makes sense of problems and perseveres in solving them.	 Unit Assessment
understanding of mathematics by	b. reasons abstractly and quantitatively.	
engaging in age-appropriate	c. constructs viable arguments and critiques the reasoning of	
mathematical habits.	others.	
	d. models with mathematics.	
	e. uses appropriate tools strategically.	
	f. attends to precision.	
	g. looks for and makes use of structure.	
	h. looks for and expresses regularity in repeated reasoning.	
Objectives are linked to the Mathemati		
	Performance will be satisfactory when the student:	
2. Review Logarithms and	a. converts between logarithmic and exponential form.	 Unit assessment
Exponential Equations.	b. simplifies log and exp expressions using properties of	
	logs.	
	c. solves log and exponential equations including growth and	
	decay and other real world problems involving	
	exponentials.	
	d. graphs simple exponential and log functions.	
Objectives are linked to the following		
I. Mathematical Processes; II. Number	er Operations and Relationships; VI. Algebraic Relationships	
	Performance will be satisfactory when the student:	
3. Interpret, graph, and analyze	a. graphs radical, polynomial, absolute value, rational,	 Unit assessment
various functions	exponential, and logarithmic functions with appropriate	
	transformations; and utilizes various techniques for curve	
	sketching including plotting points, and recognizing	
	patterns and relationships.	
	b. evaluates and interprets the composition of functions.	
	c. determines the inverse of a function.	
	d. solves equations and inequalities involving all types of	
	functions listed in part a.	
	e. determines characteristics of functions such as domain,	
	range, maxima, minima, intercepts, increasing and	
	decreasing intervals, asymptotes, and end behavior.	
Objectives are linked to the fall assistant	f. use long division to factor or divide polynomial functions.	
Objectives are linked to the following		Dolotionahina
i. iviatnematical Processes; II. Numbe	er Operations and Relationships; IV. Measurement; VI. Algebraic I	keiationsnips

4. Define and apply the concepts of trigonometric functions. Performance will be satisfactory when the student: a. explores various periodic functions and the concepts of fundamental period. b. uses the definitions of sine and cosine to define the tangent, cotangent, secant, and cosecant. c. finds the exact values of cos x and sin x for special values of x. d. shows the locations of the values of cos x and sin x on the unit circle. e. determines values of the four other circular functions by using known values for sine and cosine. f. applies the properties of the functions and the values obtained to graph the six circular functions over specified intervals of values for x, using appropriate terminology. g. graphs inverse circular functions (arcsin, arccos, arctan) including limitations on the domains and ranges. h. derives the properties and identities of the circular functions (e.g., Pythagorean identity, odd/even). i. uses appropriate algebraic and geometric methods to solve equations that include circular functions. j. utilizes technology to facilitate computation and graphing of circular functions. k. models periodic real-world phenomena using circular functions. applies the trigonometric functions to solving right triangle problems. m. applies the Law of Sines and Law of Cosines to situations	Essential Learning Objectives	Performance Indicators	Classroom Assessments
involving general triangles		 a. explores various periodic functions and the concepts of fundamental period. b. uses the definitions of sine and cosine to define the tangent, cotangent, secant, and cosecant. c. finds the exact values of cos x and sin x for special values of x. d. shows the locations of the values of cos x and sin x on the unit circle. e. determines values of the four other circular functions by using known values for sine and cosine. f. applies the properties of the functions and the values obtained to graph the six circular functions over specified intervals of values for x, using appropriate terminology. g. graphs inverse circular functions (arcsin, arccos, arctan) including limitations on the domains and ranges. h. derives the properties and identities of the circular functions (e.g., Pythagorean identity, odd/even). i. uses appropriate algebraic and geometric methods to solve equations that include circular functions. j. utilizes technology to facilitate computation and graphing of circular functions and their inverses. k. models periodic real-world phenomena using circular functions. l. applies the trigonometric functions to solving right triangle problems. 	Unit assessment

Essential Learning Objectives	Performance Indicators	Classroom Assessments
5. Use various graphing techniques.	 Performance will be satisfactory when the student: a. explores the concepts related to trigonometric functions including amplitude, period, vertical shift, and phase shift. b. sketches manually the graph of a function by applying at least two transformations to a graph of the type y=cos x. c. analyzes various types of trigonometric graphs to determine domain, range, asymptotes, relative maximums or minimums, intercepts, and asymptotes. d. utilizes technology to assist in the process of graphical analysis. e. graphs using equations in parametric form and converting from parametric to standard form of an equation. 	Unit assessment
Objectives are linked to the following A I. Mathematical Processes; III. Geome	etry; IV. Measurement; VI. Algebraic Relationships	
6. Apply the theory of vectors.	 Performance will be satisfactory when the student: a. uses the basic vector definitions and properties including vector addition and subtraction, scalar multiplication, norm and direction angle, dot product, and angle between vectors. b. shows the relationship of the magnitude and directional angle to the components of a vector. 	Unit assessment

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7. Develop and analyze the conic sections a. de sections b. id	evelops the equation in various forms for each conic ection: circle, parabola, ellipse, and hyperbola.	Unit assessment
c. sk or d. ch st e. ut cc f. ap re	dentifies the appropriate conic section given information bout the curve such as focus, directrix, vertex, axis, enter, or asymptotes. ketches the graph of a conic section given the equation r information concerning the conic. hanges the form of the equation from general to tandard form and vice versa. tilizes technology to assist in the analysis of the various onics. pplies the properties and equations of conic sections to eal-world situations (ie science, engineering, astronomy, hysics, and related fields). dentifies degenerate conic sections and their	

Objectives are linked to the following AASD Mathematics Domains:

I. Mathematical Processes; II. Number Operations and Relationships; III. Geometry; IV. Measurement: VI. Algebraic Relationships

Performance Indicators	Classroom Assessments
Performance will be satisfactory when the student: a. uses basic properties and definitions including pole, polar axis, and direction to describe polar coordinates. b. transforms polar coordinate and equations to Cartesian coordinates and equations and vice-versa. c. utilizes definitions and properties including symmetry and trigonometry to graph polar equations. d. utilizes technology to assist in the analysis of polar equations. e. expresses complex numbers in polar form. f. explores the connection among vectors, polar coordinates, and trigonometric representations of complex numbers.	Unit assessment
Performance will be satisfactory when the student:	
 a. identifies sequences and series as arithmetic or geometric. b. finds terms from recursive and explicit definitions of arithmetic and geometric sequences. c. finds sums of finite arithmetic and geometric series. 	Unit assessment
	Performance will be satisfactory when the student: a. uses basic properties and definitions including pole, polar axis, and direction to describe polar coordinates. b. transforms polar coordinate and equations to Cartesian coordinates and equations and vice-versa. c. utilizes definitions and properties including symmetry and trigonometry to graph polar equations. d. utilizes technology to assist in the analysis of polar equations. e. expresses complex numbers in polar form. f. explores the connection among vectors, polar coordinates, and trigonometric representations of complex numbers. AASD Mathematics Domains: er Operations and Relationships; III. Geometry; IV. Measuremed Performance will be satisfactory when the student: a. identifies sequences and series as arithmetic or geometric. b. finds terms from recursive and explicit definitions of arithmetic and geometric sequences.