Eureka Math

4th Grade Module 5 Lesson 24

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Directions for customizing presentations are available on the next slide.



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Icons





Read, Draw, Write











Manipulatives Needed







Lesson 24

Objective: Decompose and compose fractions greater than 1 to express them in various forms.

Suggested Lesson Structure

- Fluency Practice
 Application Problem
 Concept Development
 Student Debrief
 Total Time
- (12 minutes) (6 minutes) (32 minutes) (10 minutes) (60 minutes)





Decompose and compose fractions greater than 1 to express them in various forms.



Add and Subtract

using the standard algorithm

547 thousands 936 ones plus 270 thousands 654 ones

547,239 + 381,798

500 thousands minus 213 thousands 724 ones

635,704 - 395,615



Count by Equivalent fractions

- Count by ones to 10 starting at 0.
- Count by halves to 10 halves, starting at 0 halves.
- 1 is the same as how many halves? Record.
- 2 is the same as how many halves? Record.
- Count by halves again. This time, when you come to the whole number, say the whole number.



Count by Equivalent fractions

• Continue the process to create mixed numbers and whole numbers.

0 2	1 2	2 2	3 2	<mark>4</mark> 2	<u>5</u> 2	<u>6</u> 2	7 2	8 2	9 2	10 2
0	1 2	1	3 2	2	5 2	3	7 2	4	9 2	5
0	$\frac{1}{2}$	1	$1\frac{1}{2}$	2	$2\frac{1}{2}$	3	$3\frac{1}{2}$	4	$4\frac{1}{2}$	5



Add and Subtract Fractions



- How many thirds are in 1?
- Write the number sentence.





Multiply Fractions on a Number Line

- Draw a number line.
- Show 10 x ½ .
- How many halves will you record on your number line?
- Starting at 0, draw tick marks on your number line to represent 10 halves.
- How many halves are in 1?
- Label as many ones as possible, and record each with multiplication.





Application Problem

Shelly read her book for ½ hour each afternoon for 9 days. How many hours did Shelly spend reading in all 9 days?



Rename fractions as mixed numbers using decomposition.

How many thirds make 1? Count by 3 thirds.

We only have 7 thirds. Decompose 7/3 using a bond to show 6/3 and the remaining fraction.



Use the bond to write an addition sentence for 7/3.

Rename using whole numbers.

$\frac{7}{3} = \frac{6}{3} + \frac{1}{3} = 2 + \frac{1}{3} = 2\frac{1}{3}$

Rename fractions as mixed numbers using decomposition.



Let's use a number line to model the equivalency.

Draw a number line with endpoints 0 and 3. Decompose each whole number into thirds and plot 7/3. Start at zero. Slide 6/3. Slide $\frac{1}{3}$. 7/3 is equal to ____.





3

Convert a fraction into a mixed number using multiplication..

How many groups of 3 thirds are in 7 thirds?

We write two groups of 3 thirds as $2 \times 3/3$.

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True or False? Discuss.

$$2\frac{1}{3} = \frac{7}{3}$$



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 Rename each fraction as a mixed number by decomposing it into two parts as shown below. Model the decomposition with a number line and a number bond.



b. $\frac{12}{5}$



Debrief

- How can drawing a number line help you when converting a fraction to a mixed number?
- How can decomposing a fraction into two parts help you rename each fraction?
- In Problem 1, how did you decide what your two parts should be? Use a specific example to explain.



Debrief

- Compare the strategies you used in Problem 1 with the strategies you used in Problem 2. In the example in Problem 1(a) and Problem 2(a), how is using a number bond of $\frac{9}{3}$ and $\frac{2}{3}$ related to $\frac{3 \times 3}{3} + \frac{2}{3}$?
- In Problem 3, which fractions were the easiest for you to convert? Which were the most challenging? Why?
- How did the Application Problem connect to today's lesson?

Exit Ticket

A STORY OF UNITS

Lesson 24 Exit Ticket 4-5

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Date

1. Rename the fraction as a mixed number by decomposing it into two parts. Model the decomposition with a number line and a number bond.

 $\frac{17}{5}$

Convert the fraction to a mixed number. Model with a number line.

 $\frac{19}{3}$