Eureka Math

4th Grade Module 3 Lesson 2

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Icons





Read, Draw, Write











Manipulatives Needed







Lesson 2

Objective: Solve multiplicative comparison word problems by applying the area and perimeter formulas.

Suggested Lesson Structure

Fluency Practice
 Application Problem
 Concept Development
 Student Debrief

Total Time

(12 minutes)
(6 minutes)
(32 minutes)
(10 minutes)
(60 minutes)





I can solve multiplicative comparison word problems by applying the area and perimeter formulas.



Multiply a Number by Itself

Multiply a Number by Itself:

1 x 1 = _

Say the complete multiplication equation.



Multiply a Number by Itself

Multiply a Number by Itself:

2 x 2 = _

Say the complete multiplication equation.





Now, I'm going to call out a number. You say the answer when it's multiplied by itself.

10









Multiply a Number by Itself



Multiply a Number by Itself



Multiply a Number by Itself



Multiply a Number by Itself



Rename the Unit



Rename the Unit



Rename the Unit



Rename the Unit



Rename the Unit



Rename the Unit

10 tens = 100



Rename the Unit



Rename the Unit

11 tens = 110



Rename the Unit



Rename the Unit



Rename the Unit



Rename the Unit

17 tens = 170



Rename the Unit

17 hundreds =



Rename the Unit

17 hundreds = 1,700



Rename the Unit

17 thousands =



Rename the Unit

17 thousands = 17,000



Rename the Unit





Rename the Unit

13 tens = 130



Rename the Unit

13 hundreds =



Rename the Unit

13 hundreds = 1,300


Rename the Unit

13 thousands =



Rename the Unit

13 thousands = 13,000



Find the Area and Perimeter

On your personal white board, write a multiplication sentence to find the area.





Find the Area and Perimeter

Use the formula for perimeter to solve.





Find the Area and Perimeter

On your personal white board, write a multiplication sentence to find the area.



6



Find the Area and Perimeter

Use the formula for perimeter to solve.



6



Find the Area and Perimeter

This is a square. Say the length of each side





Find the Area and Perimeter

On your personal white board, write a multiplication sentence to find the area.





Find the Area and Perimeter

Use the formula for perimeter to solve.





Find the Area and Perimeter

This is a square. Say the length of each side





Find the Area and Perimeter

On your personal white board, write a multiplication sentence to find the area.





Find the Area and Perimeter

Use the formula for perimeter to solve.





Find the Area and Perimeter

The area is 12 square cm. On your white boards, write the division equation to find the width.



W



Find the Area and Perimeter

The area is 25 square cm. Write the division equation to find the width.



Row Application Problems

Tommy's dad is teaching him how to make tables out of tiles. Tommy makes a small table that is 3 feet wide and 4 feet long.



Row Application Problems



How many square-foot tiles does he need to cover the top of the table?

How many feet of decorative border material will his dad need to cover the edges of the table?

Row Application Problems



Tommy's dad is making a table 6 feet wide and 8 feet long. When both tables are placed together, what will their combined area be?

<u>Materials</u>

Teacher: Chart of formulas for perimeter and area from Lesson 1.

Students: Personal white boards, square-inch tiles

A rectangle is 1 inch wide. It is 3 times as long as it is wide. Use square tiles to find its length.



Place 3 square-inch tiles on your personal white board. Talk to your partner about what the width and length of this rectangle are.

Now let's make it 2 times as long. It's now 6 inches long.



Three times as long would be 9 inches. Using the original length of 3 inches, tell your partner how to determine the current length that is three times as many.



Find a rectangle that is 3 times as wide as the rectangle shown below.



Find a rectangle that is 3 times as wide as the rectangle shown below.



A rectangle is 2 meters wide.

2m

It is 3 times as long as it is wide. That means the length can be thought can be thought of as three segments, or short lines, each 2 meters long.



What is the length when there are 3 segments, each 2 meters long?



With your partner, draw this rectangle and label the length and width.

What is the length?

What is the width?



What is the perimeter?

Use the chart of formulas for perimeters from Lesson 1 for reference.



What is the area?

Use the chart of formulas for perimeters from Lesson 1 for reference.



Christine painted a mural with an area of 18 square meters and a length of 6 meters. What is the width or her mural?

Her next mural will be the same length as the first but 4 times as wide.

What is the perimeter of her next mural?



With your partner, determine the width of the first mural.



With your partner, determine the width of the first mural.



The width of her mural



Using the dimensions found, draw and label Christine's next mural. Begin with the side length you know, 6 meters.

How many copies of Christine's first mural will we see in her next mural?

Draw them.





Tell me a multiplication sentence to find how wide her next mural will be.







Find the perimeter of Christine's next mural.








Sherrie's rectangular garden is 8 square meters. The longer side of the garden is 4 meters.

Nancy's garden is twice as long and twice as wide as Sherrie's rectangular garden.



With your partner, draw and label a diagram of Sherri's garden.

RDW

Concept Development

With your partner, draw and label a diagram of Sherri's garden.



What is the width of Sherrie's garden?



Help me draw Nancy's garden. Twice as long as 4 meters is how many meters?



Draw Nancy's garden and find the perimeters of both gardens.



Draw Nancy's garden and find the perimeters of both gardens.



Draw Nancy's garden and find the perimeters of both gardens.



Tell your partner the relationship between the two perimeters.



Concept Development If Sherrie's neighbor had a garden 3 times as long and 3 times as wide as her garden, what would be the relationship of the perimeter between those gardens?



Solve for the area of Nancy's garden and the neighbor's garden. What do you notice about the relationship among the perimeters and areas of the three gardens?





Create a table to show the relationship among the areas and perimeters of the three gardens.

	Sherri	Nancy	Neighbor
Perimeter			
Area			

	Sherrie	Nancy	Neighbor	
Perimeter	12m	24m	36m	
Area	8 sg m	32 sgm	7258m	

Problem Set 12345	Problem Set	
A STORY OF UNITS	Lesson 2 Problem Set	•3
Name	Date	

- 1. A rectangular porch is 4 feet wide. It is 3 times as long as it is wide.
 - a. Label the diagram with the dimensions of the porch.

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b. Find the perimeter of the porch.

Debrief

Discuss the relationship between the area of an original rectangle and the area of a different rectangle whose width is 3 times as long as it was to start with.

Discuss the relationship between the perimeters of the sandboxes in Problem 4.

For Problem 4(e), why isn't the area twice as much if the length and width are twice as much?

What conclusion can you make about the areas of two rectangles when the widths are the same but the length of one is twice as much as the length of the other?

Debrief

What conclusion can you make about the areas of two rectangles when the length and width of one rectangle are each twice as much as the length and width of the other rectangle?

What significant math vocabulary did we use today to communicate precisely?

How did the Application Problem connect to today's lesson?

Exit Ticket

A STORY OF UNITS

Lesson 2 Exit Ticket 4.3

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Date			

- 1. A table is 2 feet wide. It is 6 times as long as it is wide.
 - a. Label the diagram with the dimensions of the table.



b. Find the perimeter of the table.