Eureka Math

3rd Grade Module 7 Lesson 32

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Reflecting your Teaching Style and Learning Needs of Your Students

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- ➤ Choose MAKE A COPY and rename your presentation.
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Icons





Read, Draw, Write











Manipulatives Needed







Lesson 32 Objective: Explore and create unconventional representations of one-half.

Suggested Lesson Structure

	Fluency Practice
F.	Application Problem
	Concept Development
	Student Debrief
	Total Time

(13 minutes) (7 minutes) (30 minutes) (10 minutes) (60 minutes)





I can explore and create unconventional representations of onehalf.



Fluency Practice

Sprint: Mixed Multiplication (10 minutes)

Α

Number Correct:

Mixed Multiplication

1.	2 × 1 =	23.
2.	2 × 2 =	24.
з.	2 × 3 =	25.
4.	4 × 1 =	26.
5.	4 × 2 =	27.
6.	4 × 3 =	28.
7.	1 × 6 =	29.
8.	2 × 6 =	30.
9.	1 × 8 =	31.
10.	2 × 8 =	32.
11.	3 × 1 =	33.
12.	3 × 2 =	34.
13.	3 × 3 =	35.
14.	5 × 1 =	36.
15.	5 × 2 =	37.
16.	5 × 3 =	38.
17.	1 × 7 =	39.
18.	2 × 7 =	40.
19.	1 × 9 =	41.

23.	2 × 7 =	
24.	5 × 5 =	
25.	5 × 6 =	
26.	5 × 7 =	
27.	4 × 5 =	
28.	4 × 6 =	
29.	4 × 7 =	
30.	3 × 5 =	
31.	3 × 6 =	
32.	3 × 7 =	
33.	2 × 7 =	
34.	2 × 8 =	
35.	2 × 9 =	
36.	5 × 7 =	
37.	5 × 8 =	
38.	5 × 9 =	
39.	4 × 7 =	
40.	4 × 8 =	
41.	4 × 9 =	



Fluency Practice

Divide (4 minutes)

Write each division sentence. Then fill in with the missing quotient.

 $10 \div 2 = ______$ $4 \div 2 = ______$ $8 \div 4 = ______$ $15 \div 3 = ______$ $24 \div 4 = ______$ $45 \div 9 = ______$ $63 \div 7 = ______$ $56 \div 8 =$

+ - Application Problem

Application Problem (7 minutes)

Hannah traces square-inch tiles to draw 3 larger squares. She draws the 3 large squares side by side to make a rectangle. She shades one-half of each larger square, as shown.



- a. Do you agree that all 3 squares are one-half shaded? Explain your answer.
- b. What is the area of the rectangle?
- c. What is the total area of the shaded space?

Application Problem

a. Yes, I agree that all 3 squares are one-half shaded. Each square has an area of 16 sq in and each square has a total of 8 sq in shaded. 8 is one-half of 16.



C. Area of shaded space of 1 square = 8 sq in

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A= 3x 8 sq in = 24 sq in The area of the Shaded space is 24 square inches.

Concept Development

(30 minutes)

Materials: (T) Completed page 1 sample of Problem Set (analyzing tool) (S) Circles with dots (Template), ruler, crayons, scissors, Problem Set

Let's represent one-half using our circles.

They don't have a grid like yesterday's squares did.

Talk with your partner about what tools or strategies you might use to help you be precise as you show one-half.



Concept Development

(30 minutes)

Go ahead and fold one circle to estimate one-half now.

Take your second circle. Fold it in half, and then fold it in half again. (Model.) Open your circle. What fractional unit did you divide your circle into?

Why might fourths be useful for representing one-half?

Fold your fourths back up, and then fold the circle in half for a third time. What fractional unit is your circle divided into now? Let's use our pencil to lightly shade in the fourths to show one half.

Talk to your partner about how that increases the possibilities for showing one-half.



Besides folding your circle into different fractional units, how else could you get creative about the way you show one-half with your circle?

Use folding and other ideas to create different, creative representations of one-half.

We want to look at our circles. Lay them out on your table and we are going to have a Gallery Walk to make sure all of the folds we made were halves.

Do all of our circles represent exactly one-half? Talk with your partner. Why or why not?

Sometimes we estimated our circles, so let's say: "Our circles show representations of about one half."

Present your circles to a small group and explain how they know they shaded about one-half of their circles.

- Feel free to correct any mistakes you made.
- Use crayons to color over your pencil shading.

Optional: Combine all the finished circles to form a class quilt to display the various representations of one-half.

Problem Set (10 mins.)

6.1	100	100	22	-
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Date___

1. Look at the circles you shaded today. Glue a circle that is about one-half shaded in the space below,

a. Explain the strategy you used to shade in one-half of your circle.

b. Is your circle exactly one-half shaded? Explain your answer.

2. Julian shades 4 circles as shown below.



a. Write the letters of the circles that are about one-half shaded.



Debrief

Share answers to Problem 1(b). Were any of the circles that we made today exactly one-half shaded? How do you know?

Look at Circle A in Problem 2. Is it one-half shaded? How do you know?

What do we have to think is true about the small black and white circles? About the black and white swirls? Why?

Compare the circle you shaded in Problem 3 to a partner's. How are they the same? How are they different?

How was the shading we did with circles similar to the shading we did with rectangles? How was it different?

Why do you think it's helpful to explore different representations of one-half?

Exit Ticket (3 minutes)

Date

A STORY OF UNITS

Lesson 32 Exit Ticket 3.7

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Riddian shades a circle as shown below.



1. Is Riddian's shape about one-half shaded? How do you know?

2. Estimate to shade about one-half of the circle in an unusual way.

